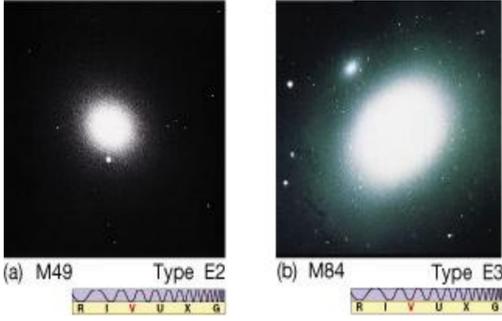


# GALAXY FORMATION THROUGH THE COSMIC TIME

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## ELLIPTICAL GALAXIES



### ELLIPTICAL GALAXIES CAN BE USED AS STANDARD CANDLES?

It is usually thought Ellipticals were formed in high redshifts, in a short time range and are quite quiescent until today. So, simple models should be enough to estimate their sizes and luminosities.

## GALAXY FORMATION THEORIES

**MONOLITHIC COLLAPSE** (Eggen et al. 1962; Larson 1974)

- ➔ Gaseous material is assembled in the form of a unique cloud inside dark matter halos
- ➔ The bulk of stars are formed at high redshifts ( $z \sim 8-10$ ) in a short time scale, so E galaxies present old mean stellar populations

**HIERARCHICAL SCENARIO** (Toomre 1977; White & Rees 1978)

- ➔ galaxies form from successive non-dissipative mergers of smaller halos of dark and baryonic matter
- ➔ galaxies of smaller masses are formed first and can merge to form the most massive and luminous galaxies
- ➔ massive E galaxies are assembled at low redshifts ( $z \sim 1.5$ ) and present younger mean stellar populations

### KEY QUESTIONS:

- 1) WHEN THE BULK OF STARS WAS FORMED ?
- 2) ELLIPTICALS EVOLVED PASSIVELY OR WERE MODIFIED BY INTERACTIONS WITH ENVIRONMENT (MERGING) ?

AGE DISTRIBUTION OF STELLAR POPULATIONS IN E GALAXIES IS ESSENCIAL TO UNDERSTAND THEIR ORIGIN AND EVOLUTION.

### OBSERVATIONAL TOOLS:

- INTEGRATED COLORS
- INTEGRATED METALLICITY INDICES

INTERPRETATION OF DATA REQUIRES THE USE OF MODELS

## THE EVOLUTIONARY MODEL

Galaxy formation and chemical evolution is a function of successive generations of stars

Age and abundance distribution

Successive formation of star clusters of a given age and abundance (metallicity)

Distribution of single stellar populations (SSPs)

### FIRST STEP

Evolutionary synthesis of integrated colors and spectral indices.

Build a library of colors and spectral indices for SSPs with different ages, chemical abundances (2) and initial mass functions (IMF).

## Evolutionary synthesis of integrated colors and spectral indices

Integrated colors for a SSP

$$L_{\text{filter}}(\text{age}, Z, \gamma) = \int_{m_{\text{min}}}^{m_{\text{sup}}} \varphi(m) \times L_{\text{filter}}^i dm \quad (1)$$

IMF

Luminosity or absolute magnitude in a given spectral band filter of a star of mass  $m$  and evolutive stage  $i$

Spectral indices for a SSP

Spectral index of a star of mass  $m$ , evolutive stage  $i$  weighted by a luminosity fraction in a given spectral band

$$I(\text{age}, [Fe/H], \gamma) = \int_{m_{\text{min}}}^{m_{\text{sup}}} \frac{L_{\text{filter}}^i}{L_{\text{filter}}} \times \varphi(m) \times I^i(\tau_{\text{ev}}, \log g, [Fe/H]) dm \quad (2)$$

## Integrated colors and spectral indices of galaxies (composite spectra)

To obtain the stellar contribution for a given spectral index, we selected from the literature a sample of stars from a homogeneous set of stellar atmospheric parameters and chemical abundances of various nuclear species.

Star formation rate at a given time  $t$

$$L_{\text{filter}}^{\text{tot}} \text{ or } I^{\text{tot}} = \int_{t_{\text{inf}}}^{t_{\text{sup}}} \frac{df_s}{dt}(t) \times [L_{\text{filter}}(\text{age}), I(\text{age})] dt$$

Luminosity or spectral index of SSPs born in time  $t$  (obtained by (1) and (2)), in a galaxy of age  $T_{\text{for}}$ :  $\text{age} = T_{\text{for}} - t$

### A complex problem arises:

there is not a theory of star formation  $\frac{df_s}{dt}(t)$   
SFR IS A FUNCTION OF GAS MASS IN A GALAXY  
HAVE TO FOLLOW THE EVOLUTION OF INTERSTELLAR MASS

### SECOND STEP

THE EVOLUTION OF THE INTERSTELLAR MASS IN E GALAXIES

### Main assumptions:

- One zone model
- Galaxy formed by accretion of gas: continuum infall or by mergers in different epochs
- Supernova (SN) feedback:
  - a) creates a two phase interstellar medium (IM) hot and cold, whose stars are formed only in cold gas regions
  - b) generates galactic winds (mass loss by the galaxy)

## EQUATIONS OF MASS CONSERVATION

Evolution of the Total Gas Mass

$$f = \frac{\text{mass}}{\text{total mass } M_{\text{GAL}}(\text{gas} + \text{stars})}$$

$$f_g = f_{\text{hot}} + f_{\text{cold}}$$

$$\frac{df_g}{dt} = \frac{df_{\text{infall}}}{dt} - \frac{df_{\odot}}{dt} + \frac{df_{\text{ej}}}{dt} - \frac{df_{\text{wind}}}{dt}$$

### ACCRETED GAS

$$\frac{df_{\text{infall}}}{dt} = C \times e^{-t/\tau_{\text{infall}}}$$

$\tau_{\text{infall}}$  = time scale of galaxy formation  
 $C$  = normalization constant

### STAR FORMATION RATE

$$\frac{df_{\odot}}{dt} = k \times f_{\text{cold}}$$

$k$  = star formation efficiency (Gyrs<sup>-1</sup>)

## EJECTED GAS BY STARS EVOLUTION

$$\frac{df_{\text{ej}}}{dt} = \int_{m(t)}^{m_{\text{sup}}} (m - m_r) \varphi(m) \frac{df_{\odot}}{dt}(t - \tau_m) dm$$

$$k \times f_{\text{cold}}(t - \tau_m)$$

$\varphi = A \times m^{-(1+\gamma)}$  is a IMF

$m_r$  = mass of remnant star

the star formation rate is calculated at the retarded time  $(t - \tau_m)$ , where  $\tau_m$  is the lifetime of a star of mass  $m$ .

## WIND RATE

$$\frac{df_{\text{wind}}}{dt} = \frac{f_{\text{hot}}}{\tau_w}$$

The rate at which the hot gas of the galaxy is removed by the galactic wind

$\tau_w$  = wind time scale : estimated by hydrodynamical models considering galaxy mass and mechanical energy released by supernova per time unit.

## HOT GAS FRACTION

$$\frac{dN_{\text{ion}}}{dt} = N_q - \frac{\alpha N_{\text{ion}}^2}{V_{\text{gas}}}$$

- $N_{\text{ions}}$  = ions per time unit
  - $N_q$  = ionization rate = ions created by time
  - $\alpha N_{\text{ions}} N_e$  = ions that recombine with electrons (gas cooled)
  - $\alpha$  = recombination coefficient (cm<sup>3</sup>/s)
- In a cloud of H we assume :  $N_{\text{ions}} = N_e$

Ions (hot gas) generated per time unit:  
• Supernova explosions  
• Ejected gas by stars at the end of their evolution

### Evolution of the Hot Gas

$$\frac{dN_{\text{hot}}}{dt} = N_{\text{ph}} V_{\text{SN}} + (1/m_H) \frac{dM_{\text{ej}}}{dt} - \alpha \frac{N_{\text{hot}}^2}{V_{\text{gas}}}$$

Number of ionizing fotons emitted by SN  
Gas fraction cooled by recombination  
Hot gas fraction returned by stars to the IM

SYSTEM OF TWO INTEGRO-DIFFERENTIAL EQUATIONS:  
TWO VARIABLES TO DETERMINATE :  $x_{\text{hot}}$  e  $f_g$

### Evolution of Total Gas Mass

$$\frac{df_g(t)}{dt} = -k f_g(1-x_{\text{hot}}) + \int_{m(t)}^{m_{\text{sup}}} (m - M_R) \varphi(m) k [f_g(1-x_{\text{hot}})](t - \tau_m) dm + C e^{-t/\tau_{\text{infall}}} - \frac{x_{\text{hot}} f_g}{\tau_w}$$

### Evolution of the Hot Gas Mass

$$\frac{dx_{\text{hot}}(t)}{dt} = \frac{m_H \varepsilon (E_{\text{SNII}} V_{\text{SNII}}(t) + E_{\text{SNIa}} V_{\text{SNIa}}(t))}{M_{\text{GAL}} f_g(t) < h\nu >} + (1/f_g(t)) \frac{df_{\text{ej}}}{dt} - \frac{\alpha M_{\text{GAL}}}{m_H V_{\text{gas}}} \times f_g(t) \times x_{\text{hot}}^2(t) - \frac{x_{\text{hot}}(t)}{f_g(t)} \times \frac{df_g(t)}{dt} - \frac{x_{\text{hot}}}{\tau_w}$$

### THIRD STEP

## EQUATIONS OF CHEMICAL EVOLUTION

Mass abundance of a given chemical element  $i$   
 $X_i = f_i / f_g$   
Mass abundance of accreted gas  
 $\frac{df_i}{dt} = -X_i [k f_{\text{cold}}(t)] + \frac{df_{\text{ej}}^i}{dt} + X_{\text{infall}}^i C e^{-t/\tau_{\text{infall}}} - X_i \frac{f_{\text{hot}}}{\tau_w}$

## EQUATIONS OF CHEMICAL EVOLUTION

$$\frac{df_{\text{ej}}^i}{dt} = \text{SNII} + \text{SNIa} + \int_{m(t)}^{m_{\text{sup}}} X_i(t - \tau_m) (m - M_R) \varphi(m) k f_{\text{cold}}(t - \tau_m) dm$$

### SUPERNOVA TERMS:

$$\text{SNII} = \int_{m_{\text{min}}}^{m_{\text{sup}}} m_i \varphi(m) k f_{\text{cold}}(t - \tau_m) dm$$

$m_i$  = yields for a range of SNII progenitor mass

$$\text{SNIa} = \langle m_i \rangle_{\text{Ia}} V_{\text{Ia}}(t)$$

$m_i$  = mean yield for a SNIa event

## OBSERVED PROPERTIES PREDICTED BY THIS EVOLUTIONARY MODEL

### STELLAR POPULATION :

- Integrated absolute magnitudes and colors
- Integrated stellar spectra

### GAS PROPERTIES:

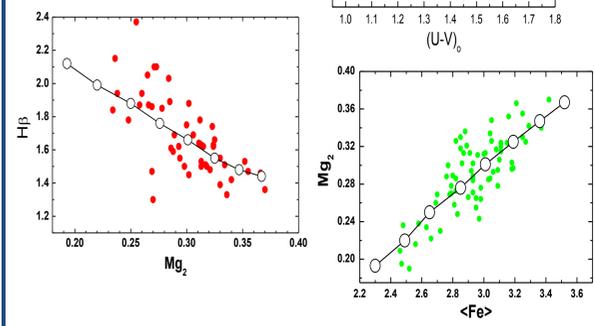
- Amount of gas (hot and cold) in the galaxy
- Amount of gas in the intergalactic medium (wind)

## OUTPUT OF THE MODEL: MEAN AGE AND MEAN ABUNDANCE OF THE DOMINANT STELLAR POPULATION

## BEST FITTINGS OF INTEGRATED PROPERTIES

Free parameters:

- $k$  = star formation efficiency
- $\gamma$  = IMF exponent
- $\tau_{\text{infall}}$  = time scale of galaxy formation
- $M_{\text{GAL}}$  = total mass of the galaxy (stars+gas)
- $T_{\text{for}}$  = time to start star formation



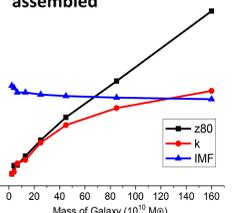
## SOME RESULTS FOR THE BEST FITTINGS

Model	M (10 <sup>10</sup> M <sub>⊙</sub> )	z80	k (Gyrs <sup>-1</sup> )	IMF	f <sub>g</sub> (10 <sup>-3</sup> )
1	2.2	0.73	0.73	2.43	5.9
2	4.0	0.89	0.77	2.39	6.2
3	6.6	0.90	0.93	2.30	6.7
4	13	1.07	1.00	2.30	6.3
5	25	1.38	1.33	2.26	5.6
6	45	1.82	1.67	2.23	6.1
7	85	2.52	2.00	2.20	7.3
8	160	3.87	2.33	2.17	8.9

### Downsizing effect

- ❖ Massive Es are formed earlier
- ❖ Massive Es have bigger star formation efficiency
- ❖ The star formation rate is relatively high
- ❖ Massive Es have IMF that favours massive stars formation (flatter IMF)

z80 = redshift at which 80% of the mass was assembled



## CONCLUSIONS

- ❖ On the average, massive E galaxies form earlier than Es of smaller masses.
- ❖ Stellar populations of E galaxies of bigger masses are older than the smaller ones.

These two results seem to be against the hierarchical model that predicts smaller structures forming first in a cold matter scenario.

- ❖ Stellar formation efficiency  $k$  increases with galaxy mass.