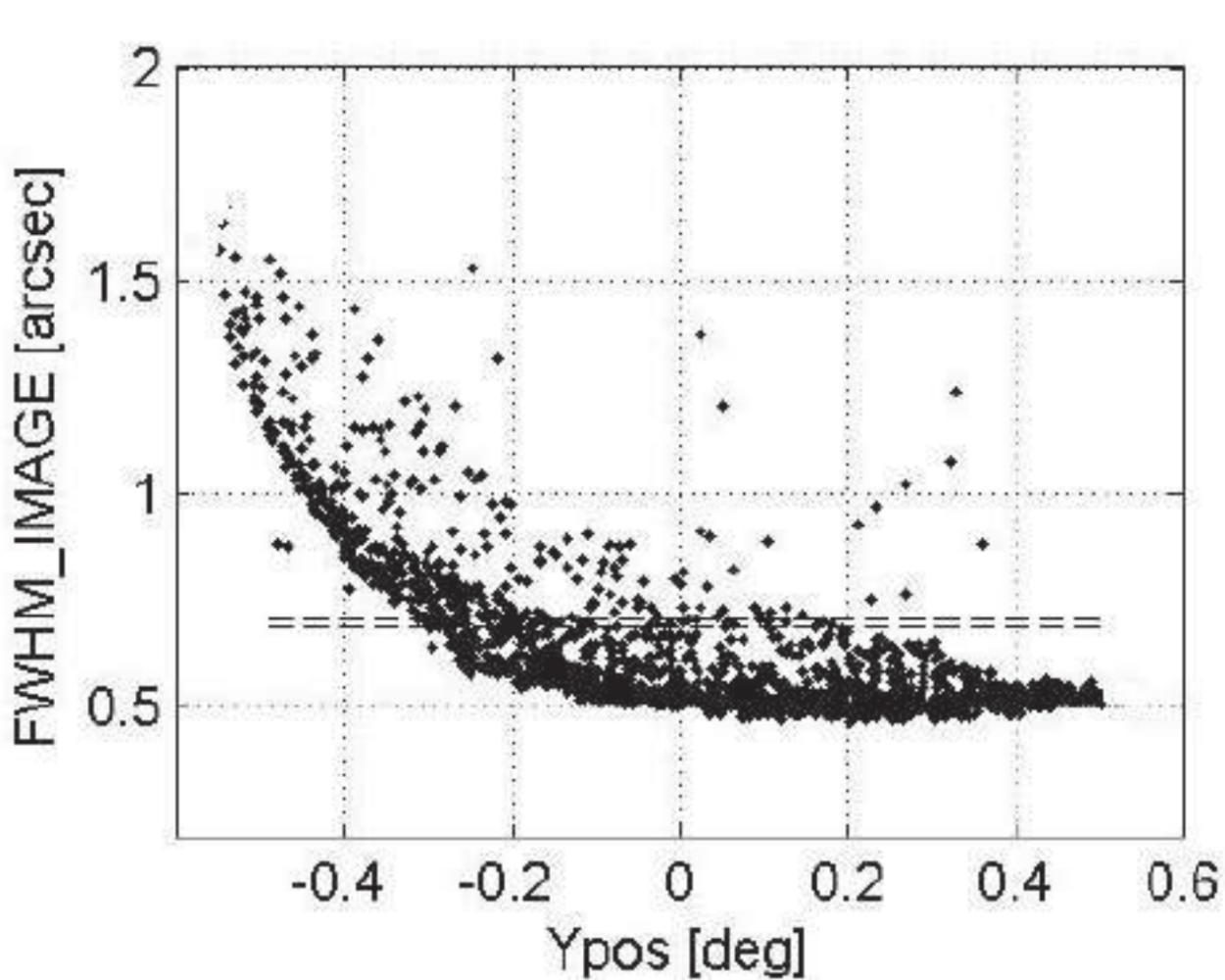
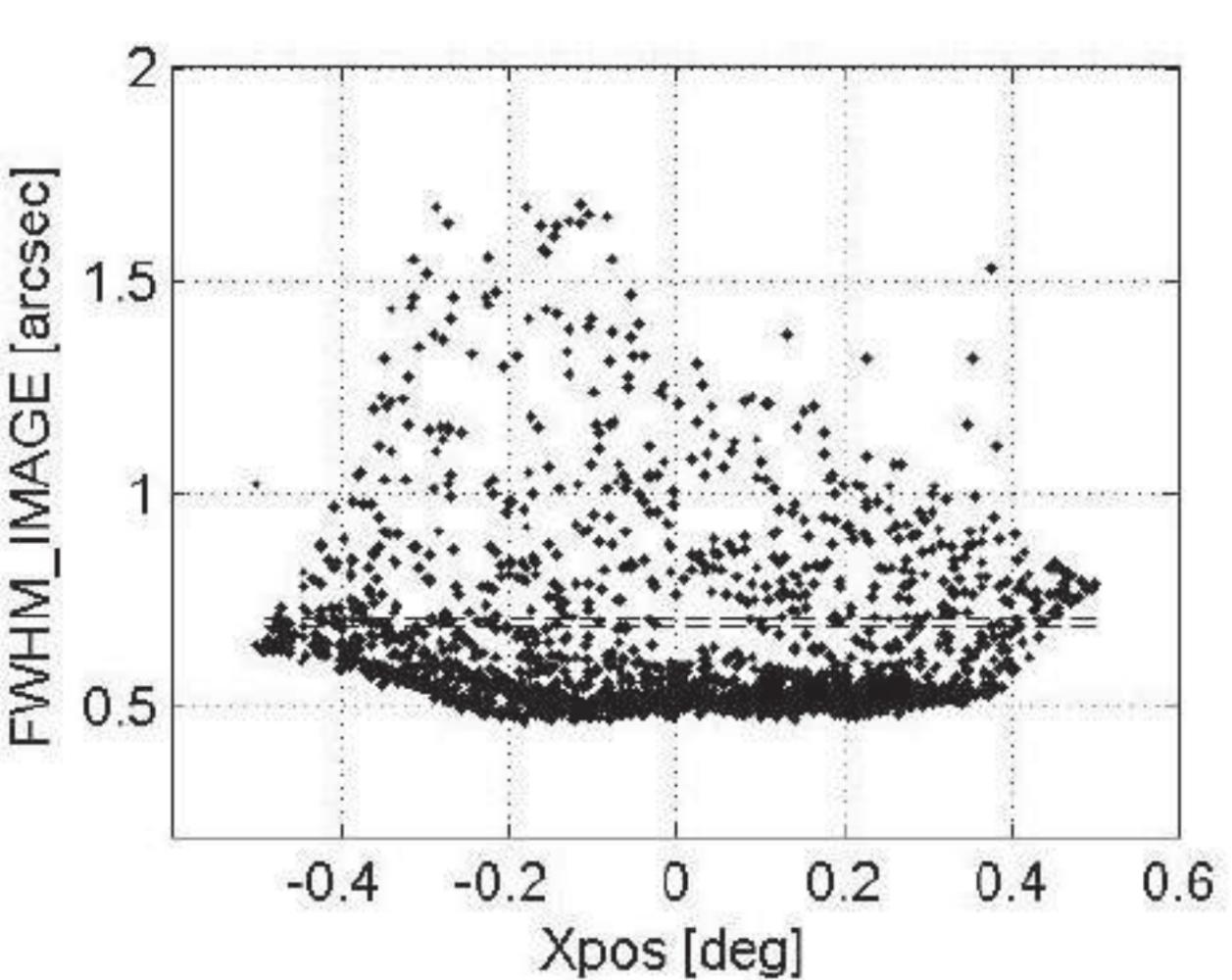
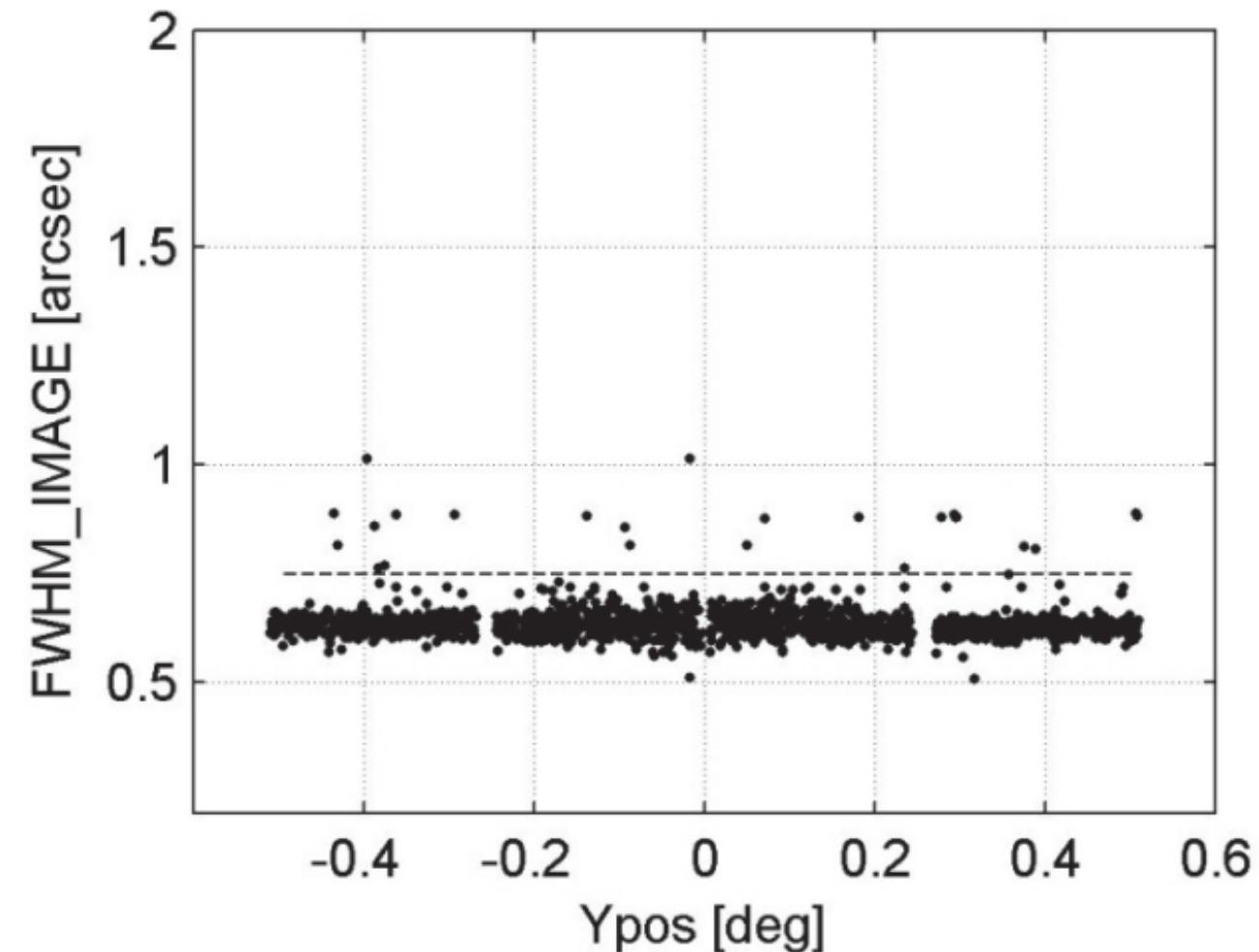
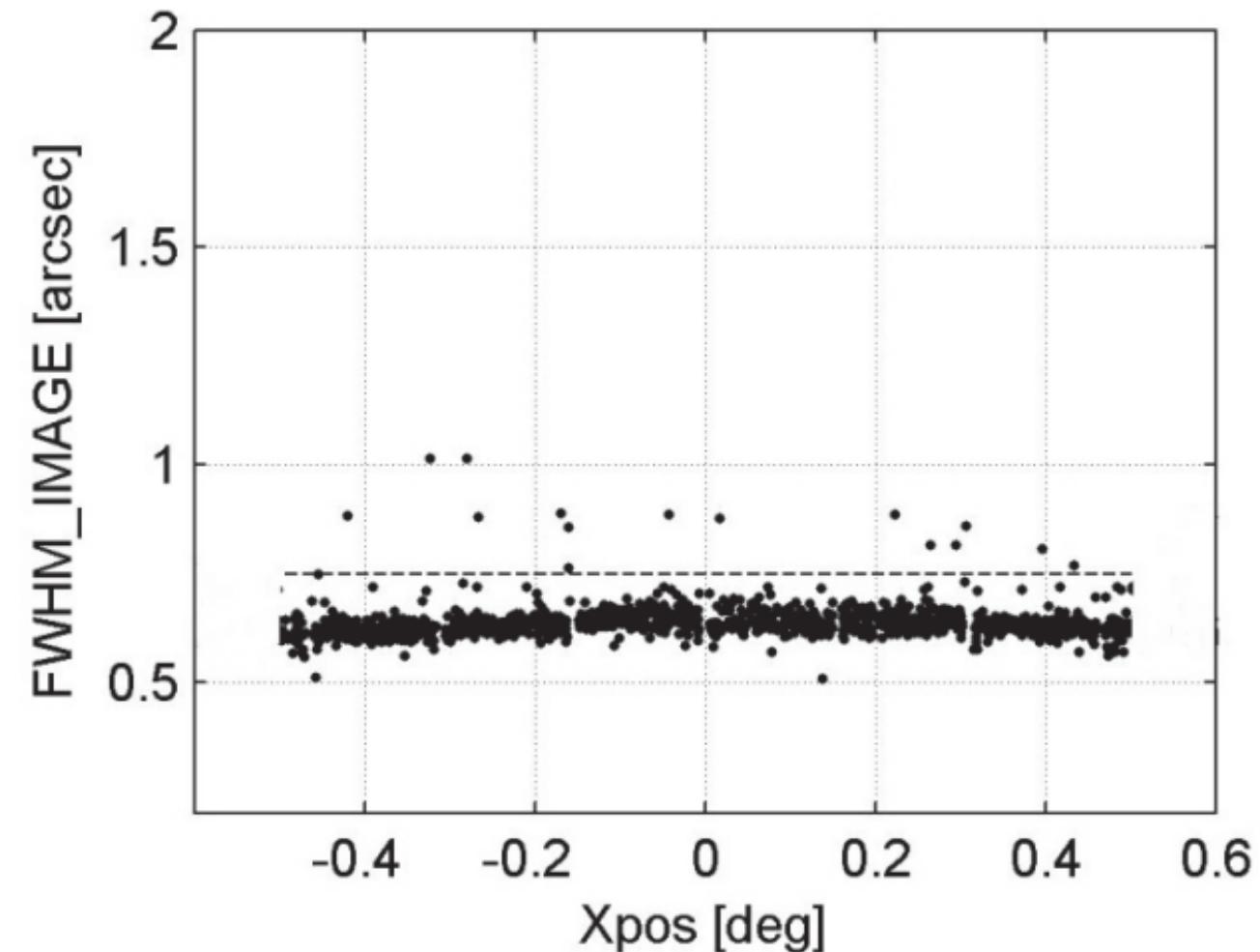


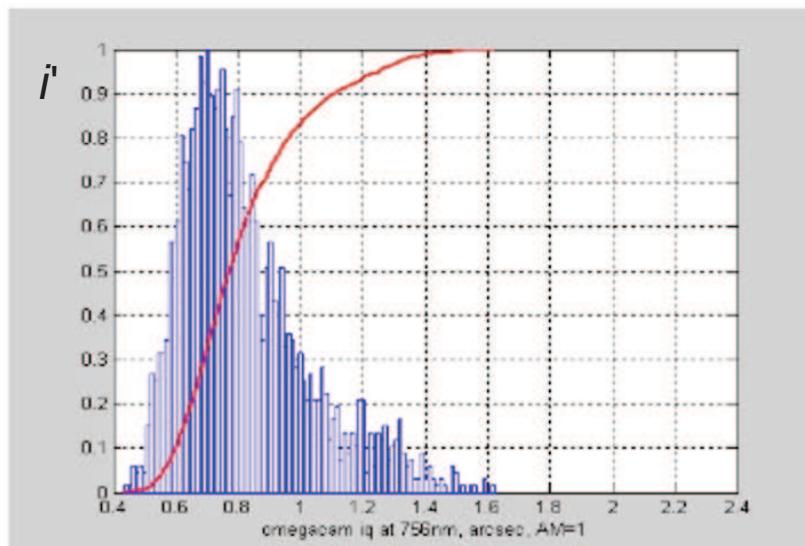
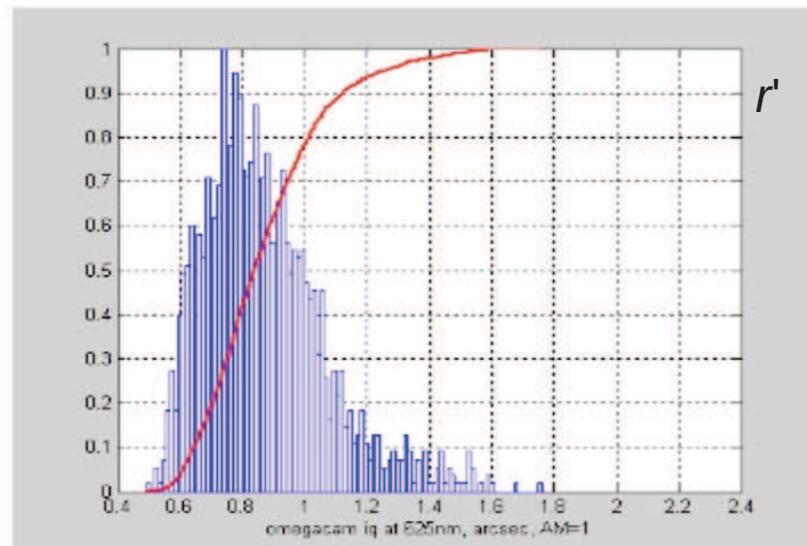
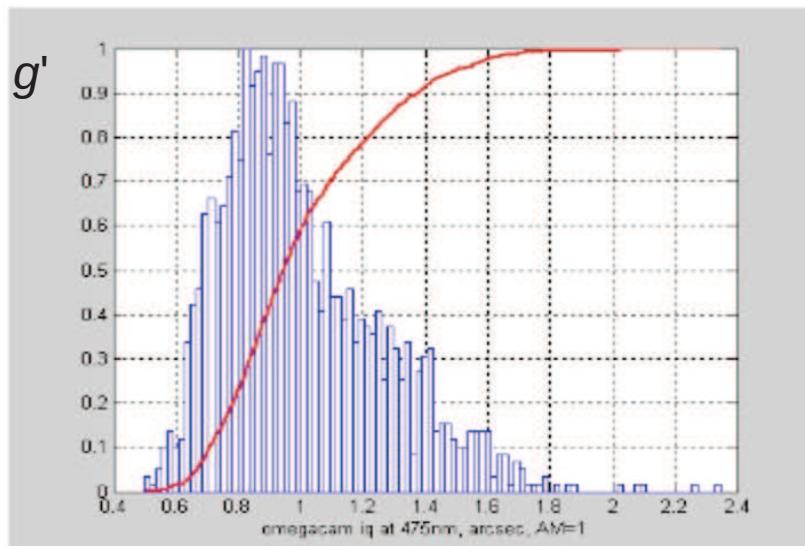
# **HOW WIDE-FIELD TELESCOPES WORK (WHEN THEY DO)**





# OmegaCAM IQ distribution August – December 2011

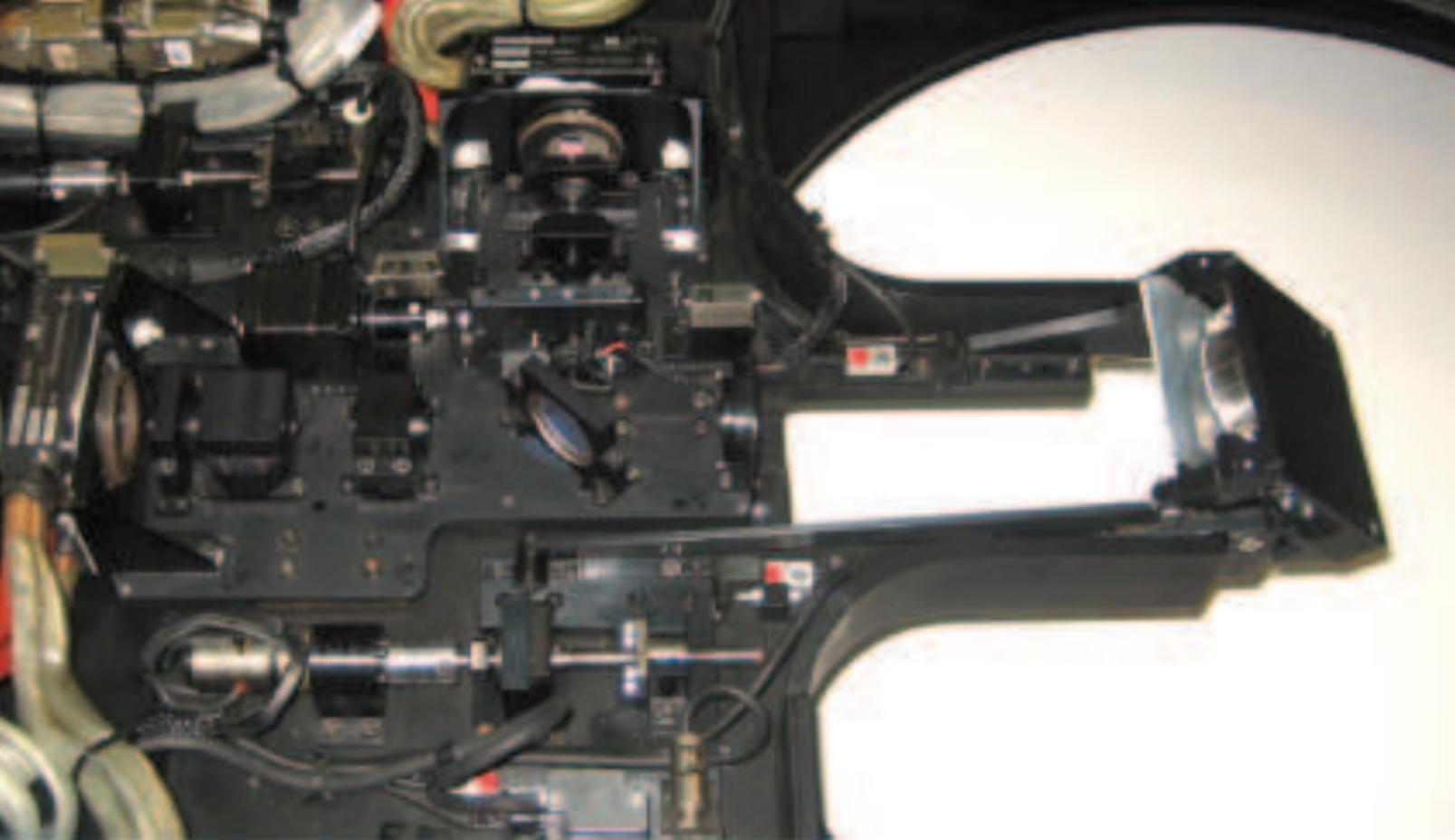
-- each data point is average IQ in one image over full chip array --



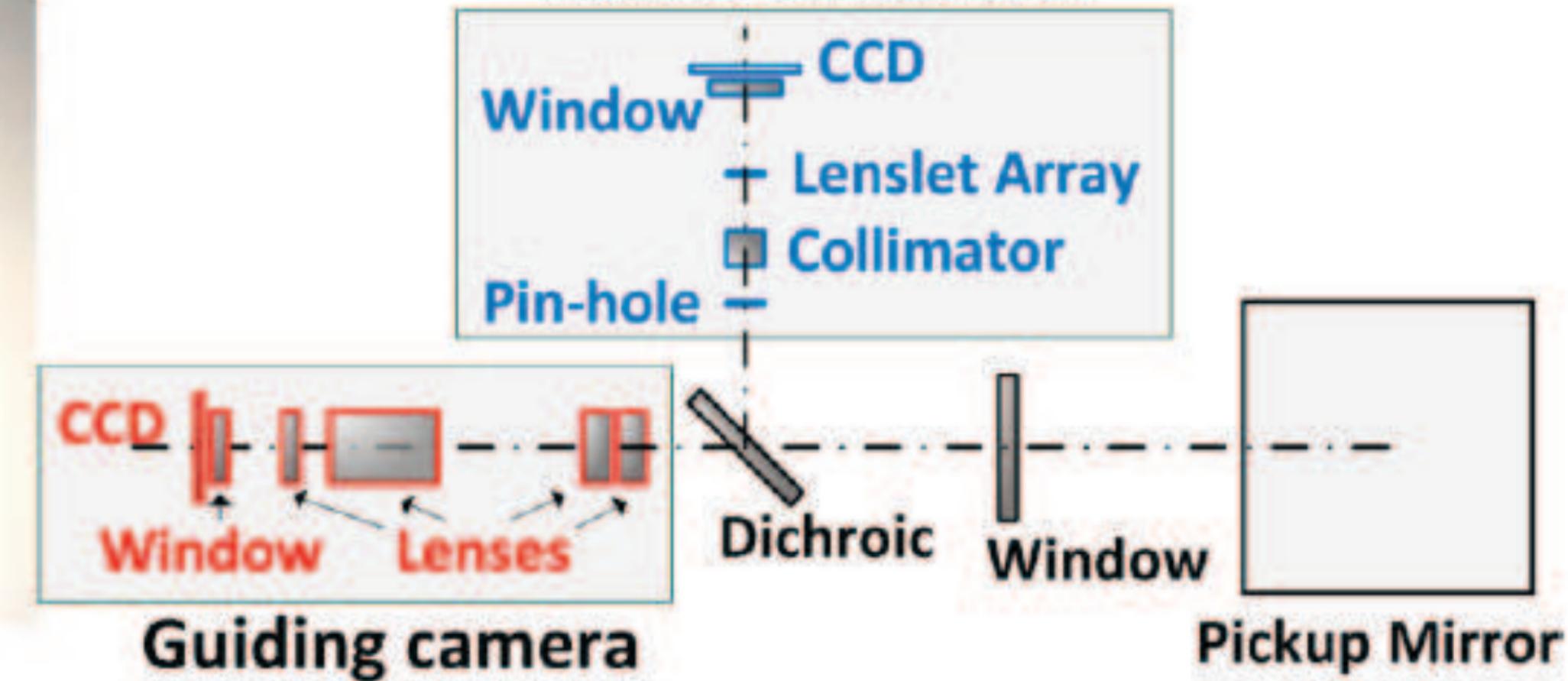
**Median IQ in  $g'$**  ~0.95"  
**Median IQ in  $r'$**  ~0.85"  
**Median IQ in  $i'$**  ~0.80"

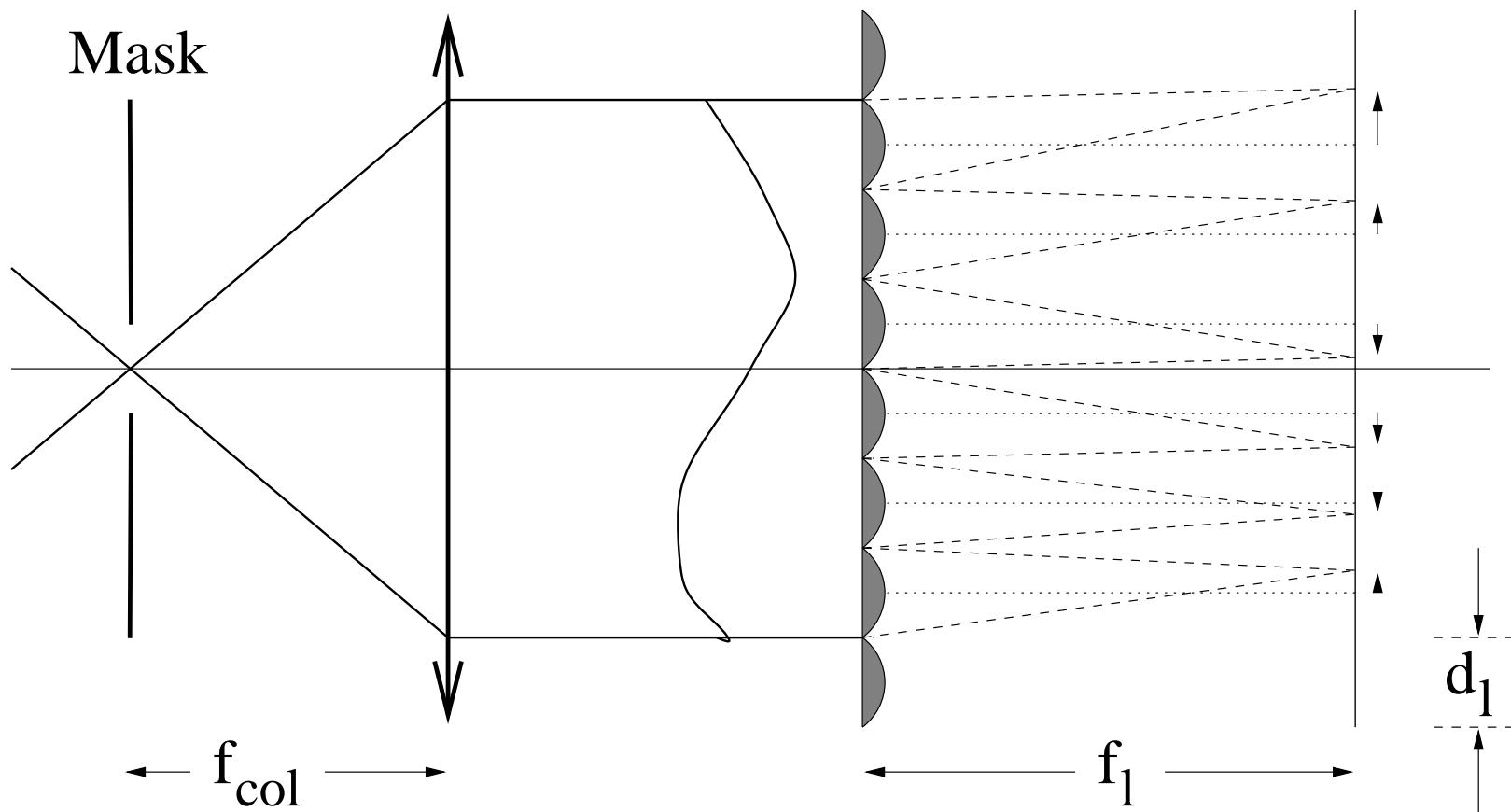
Internal IQ ~0.4-0.5"

-> Outside median IQ ~ 0.80" @ 600nm



## Wavefront sensor



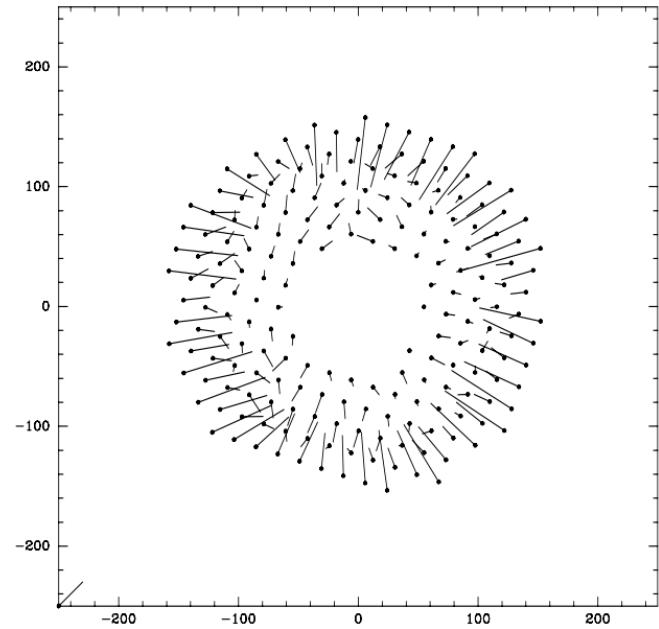
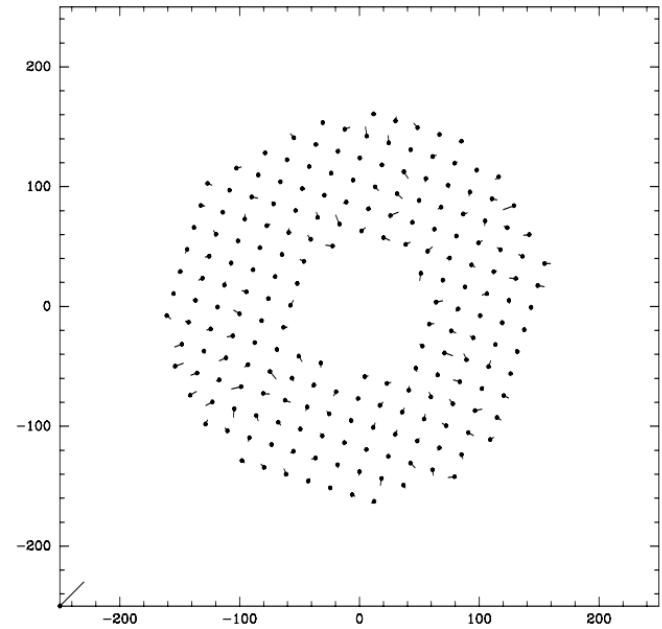


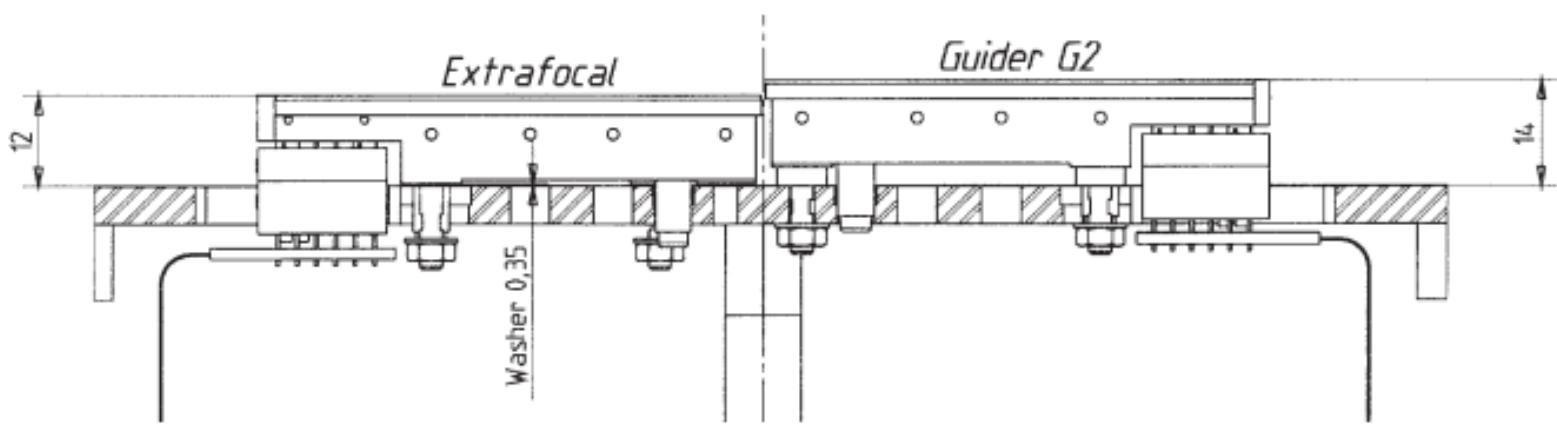
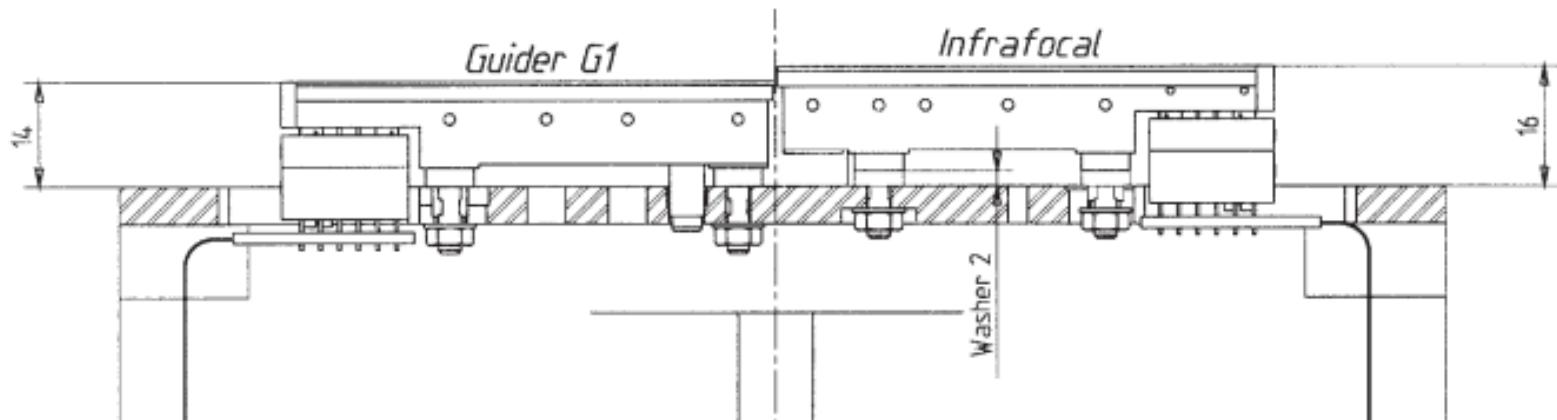
Telescope  
focus

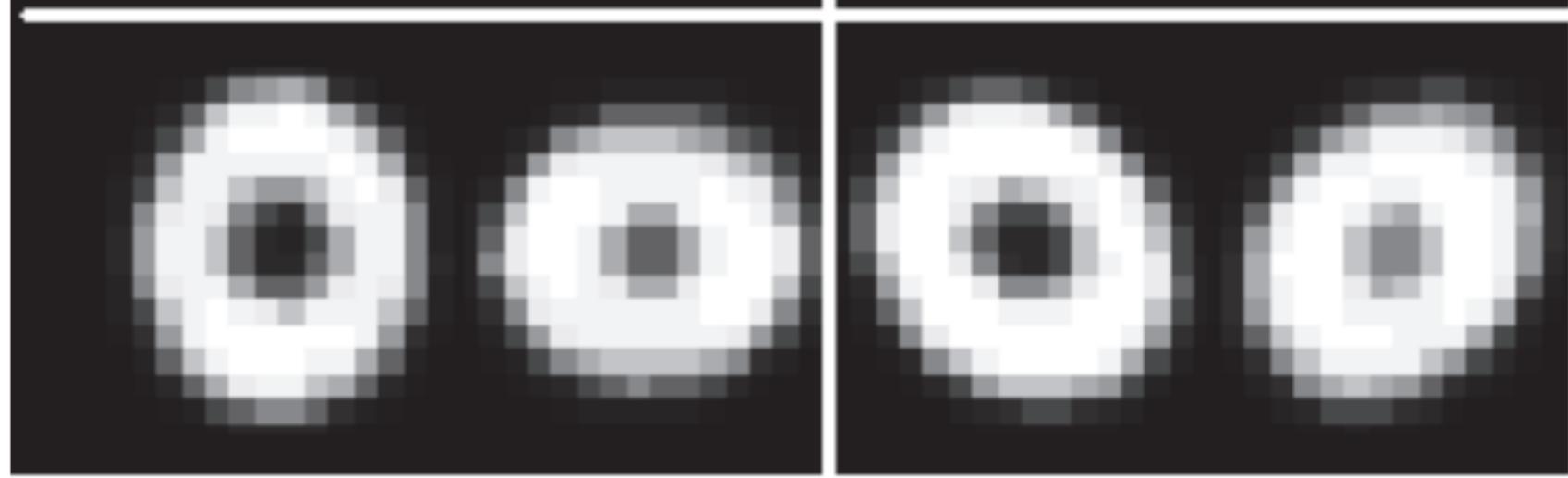
Collimator

Shack-Hartmann  
grid

Detector

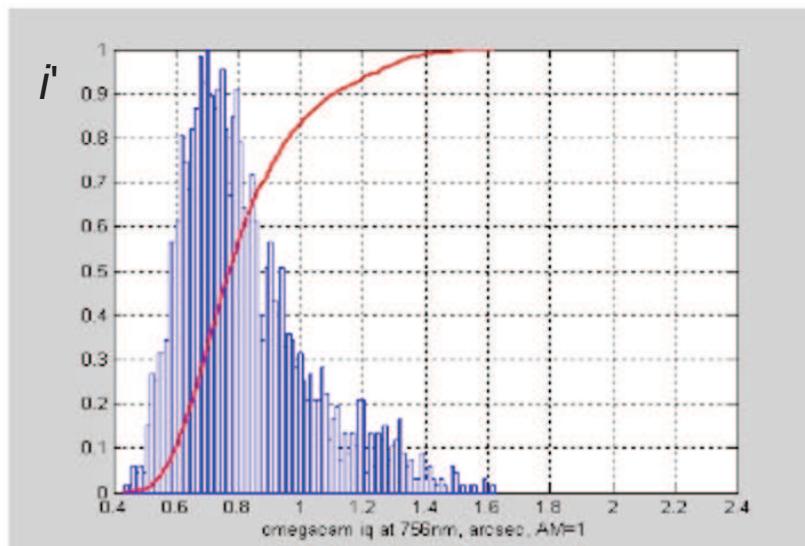
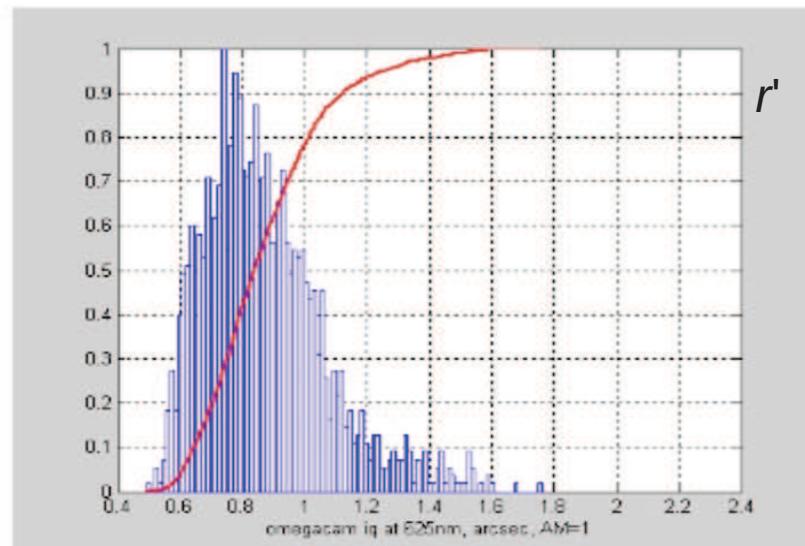
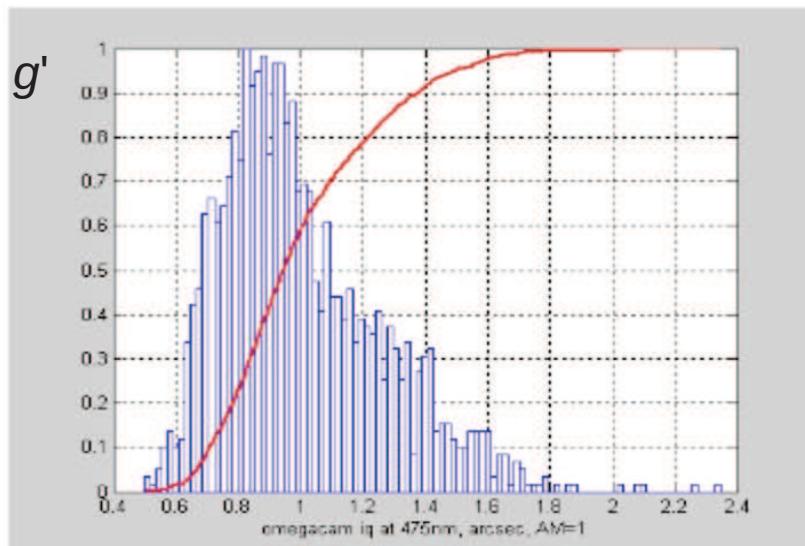






# OmegaCAM IQ distribution August – December 2011

-- each data point is average IQ in one image over full chip array --



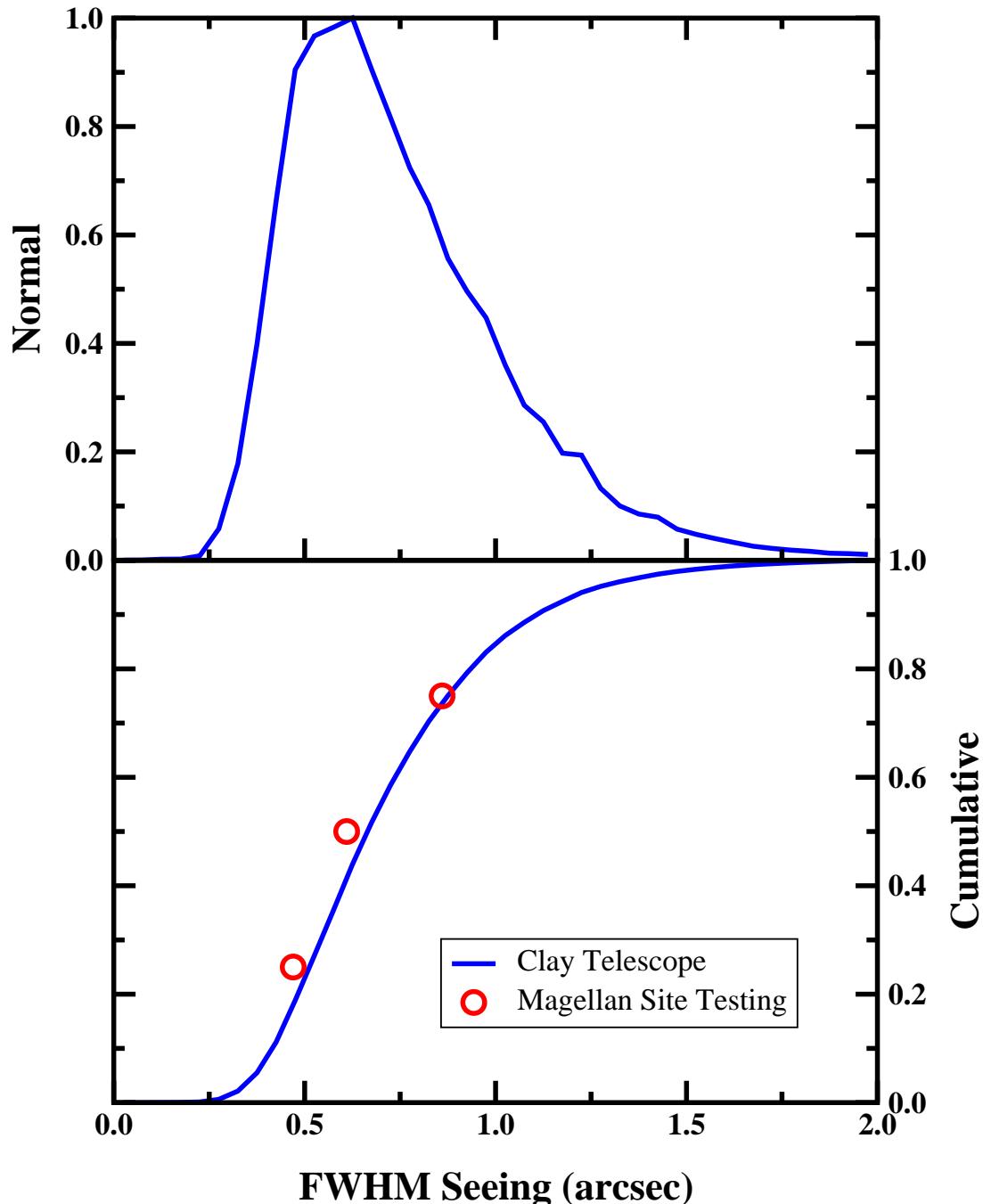
Median IQ in  $g'$  ~0.95"  
Median IQ in  $r'$  ~0.85"  
Median IQ in  $i'$  ~0.80"

Internal IQ ~0.4-0.5"

-> Outside median IQ ~ 0.80" @ 600nm

# Clay Telescope

Guide Camera Images, 2003 Jun 27-2004 Sep 22



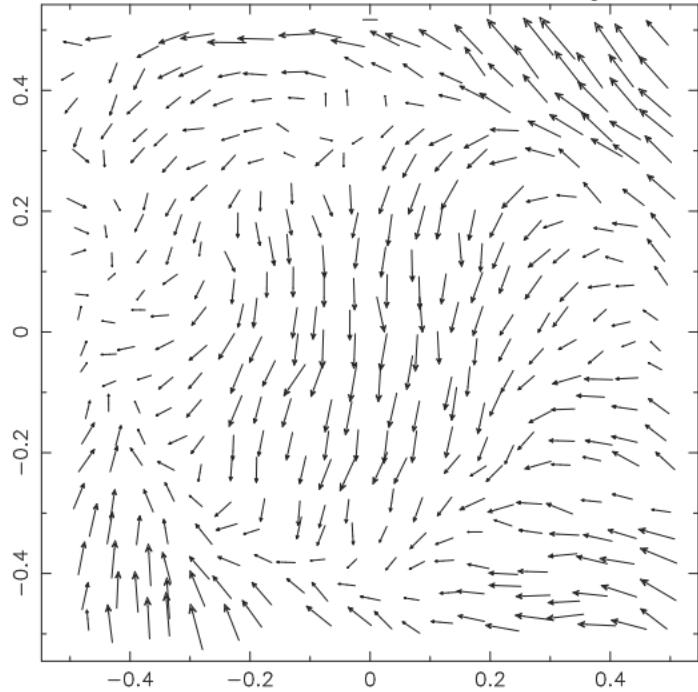
# Moments of Point Spread Function

$$z' = x' + iy'$$

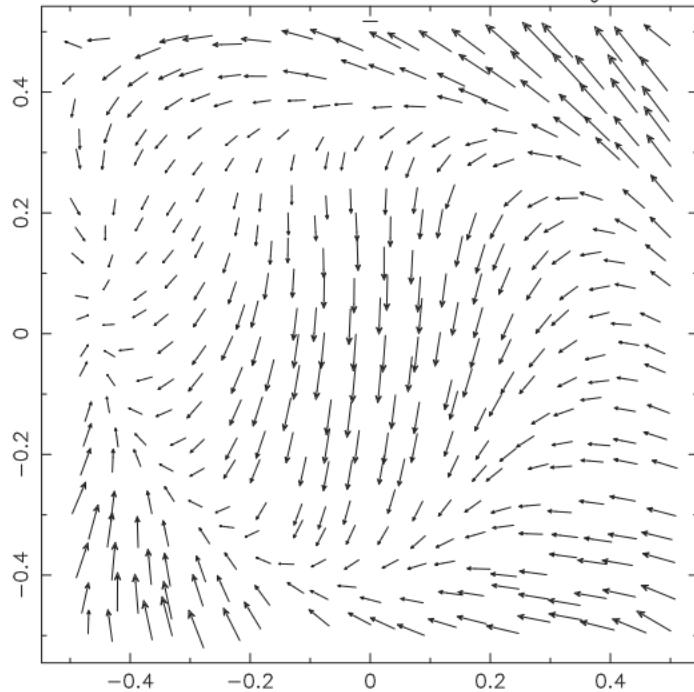
$$S(x, y) \equiv \frac{\int dx' dy' I(x', y') |z'|^2}{\int dx' dy' I(x', y')}$$

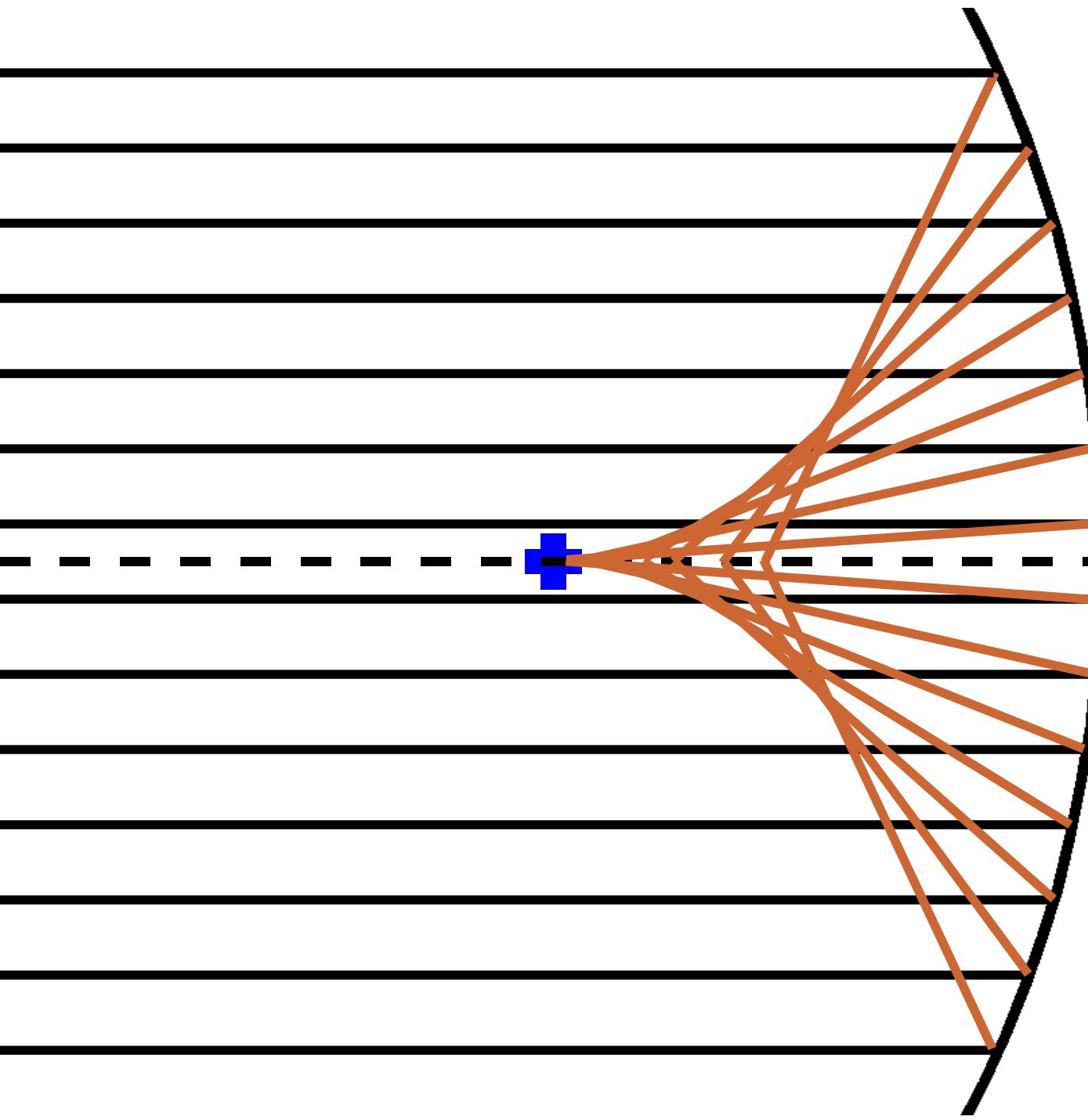
$$Q(x, y) \equiv \frac{\int dx' dy' I(x', y') z'^2}{\int dx' dy' I(x', y')}$$

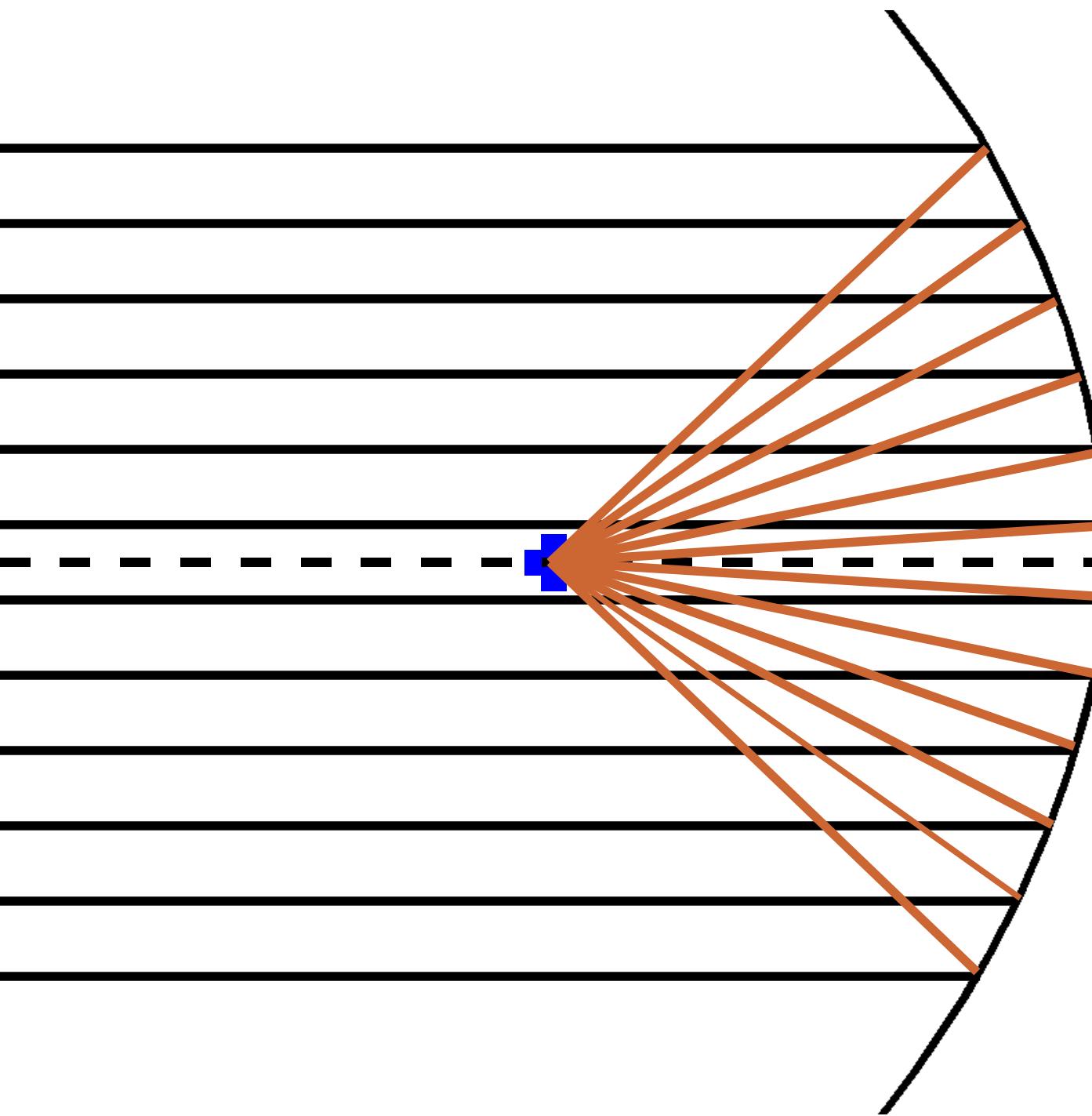
Length of horizontal line equivalent to  $20\epsilon_0$

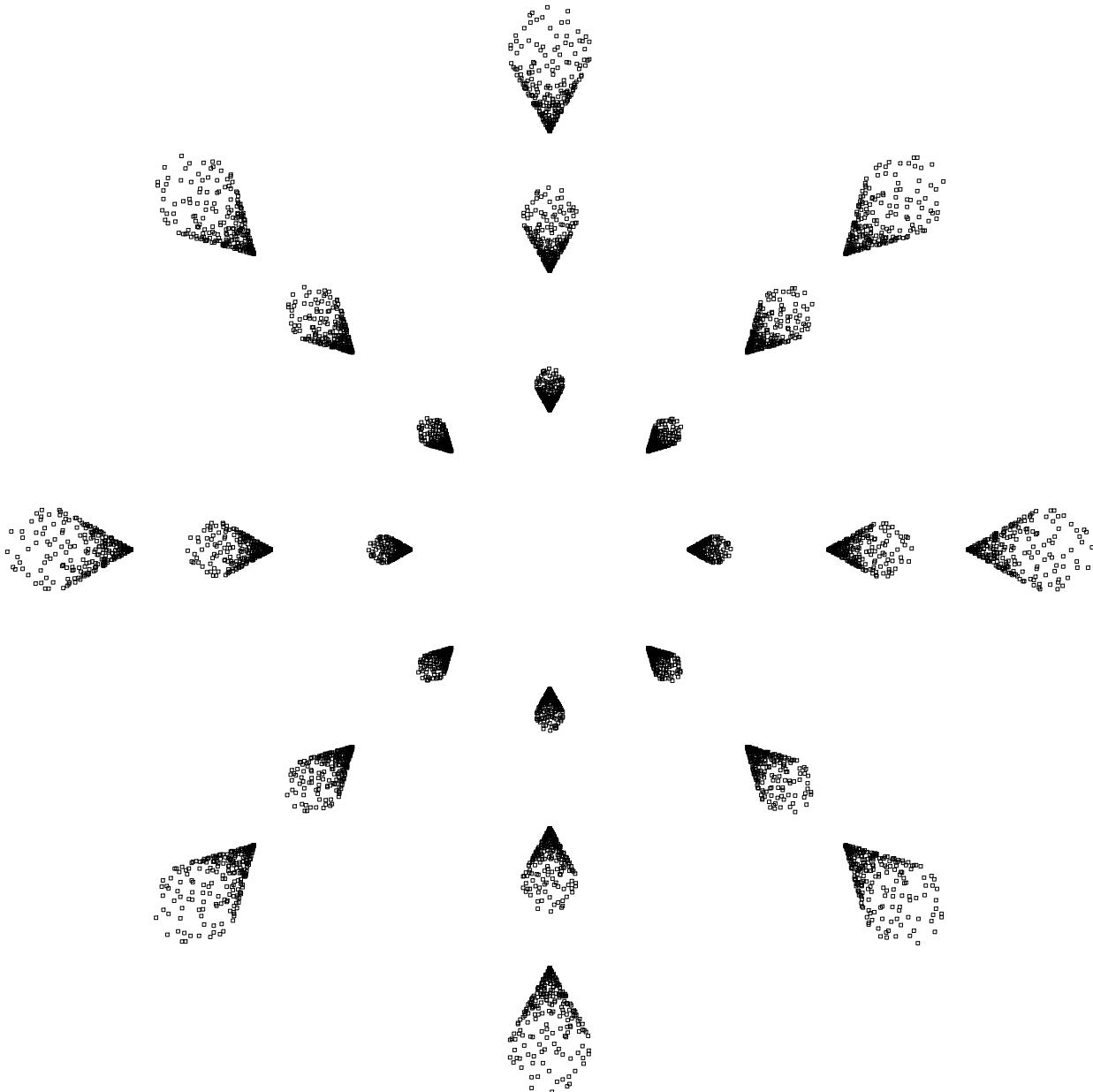


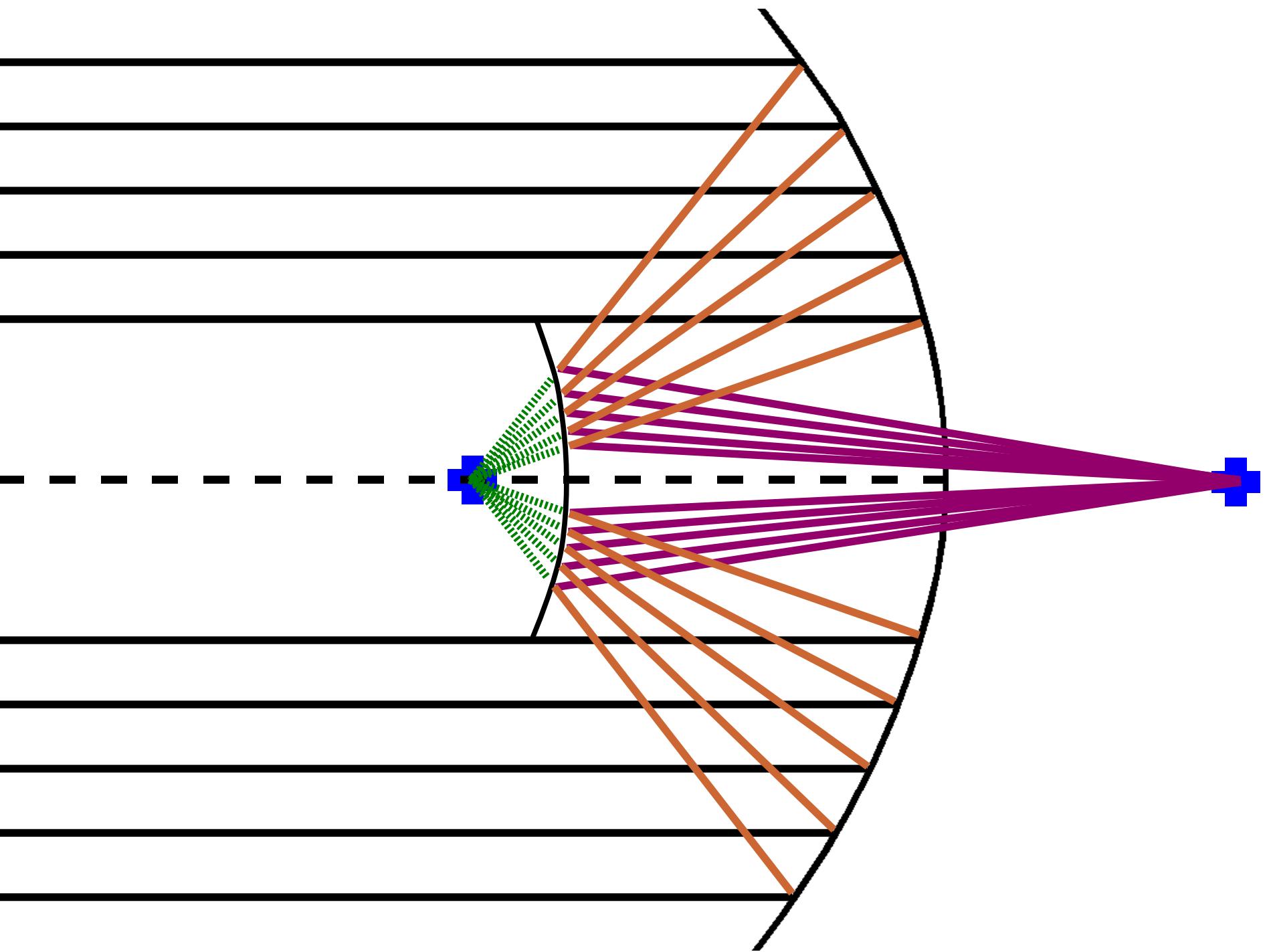
Length of horizontal line equivalent to  $20\epsilon_0$

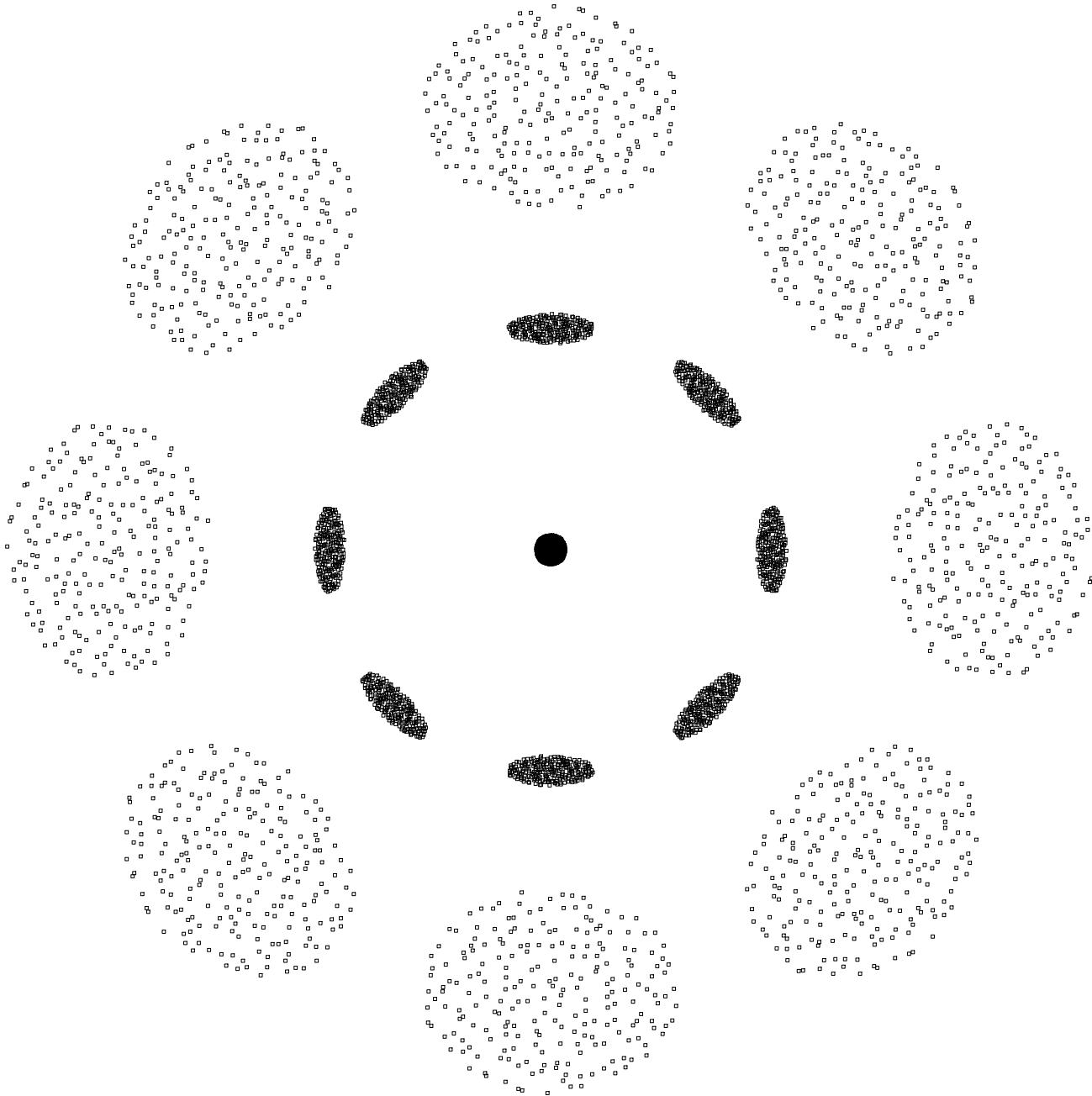




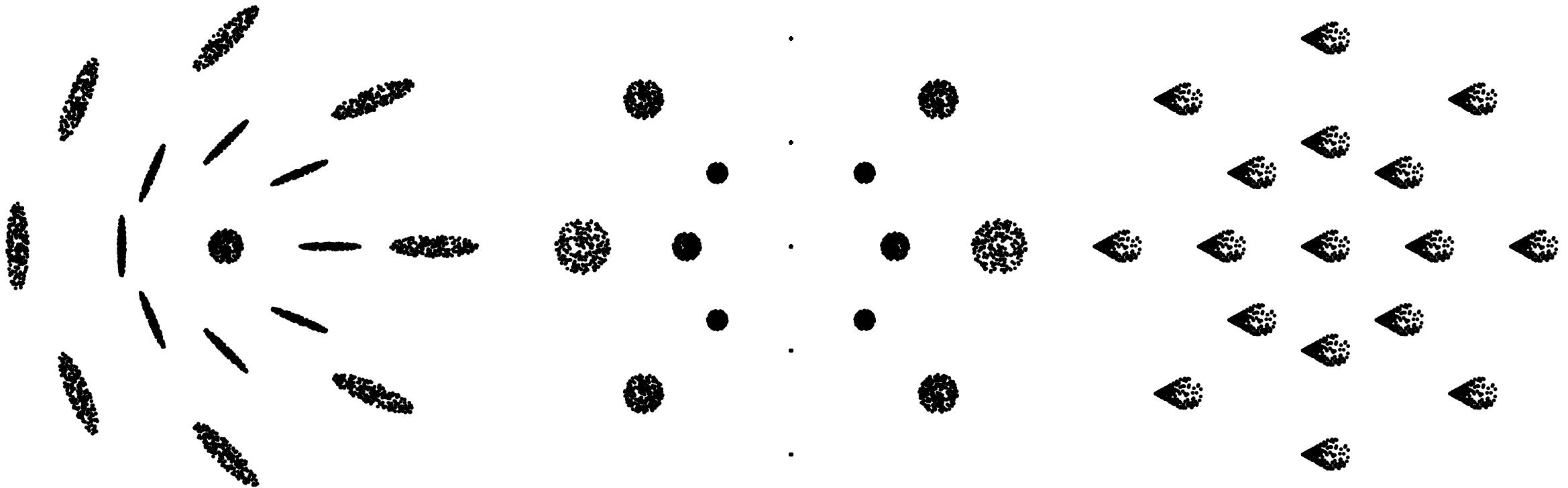




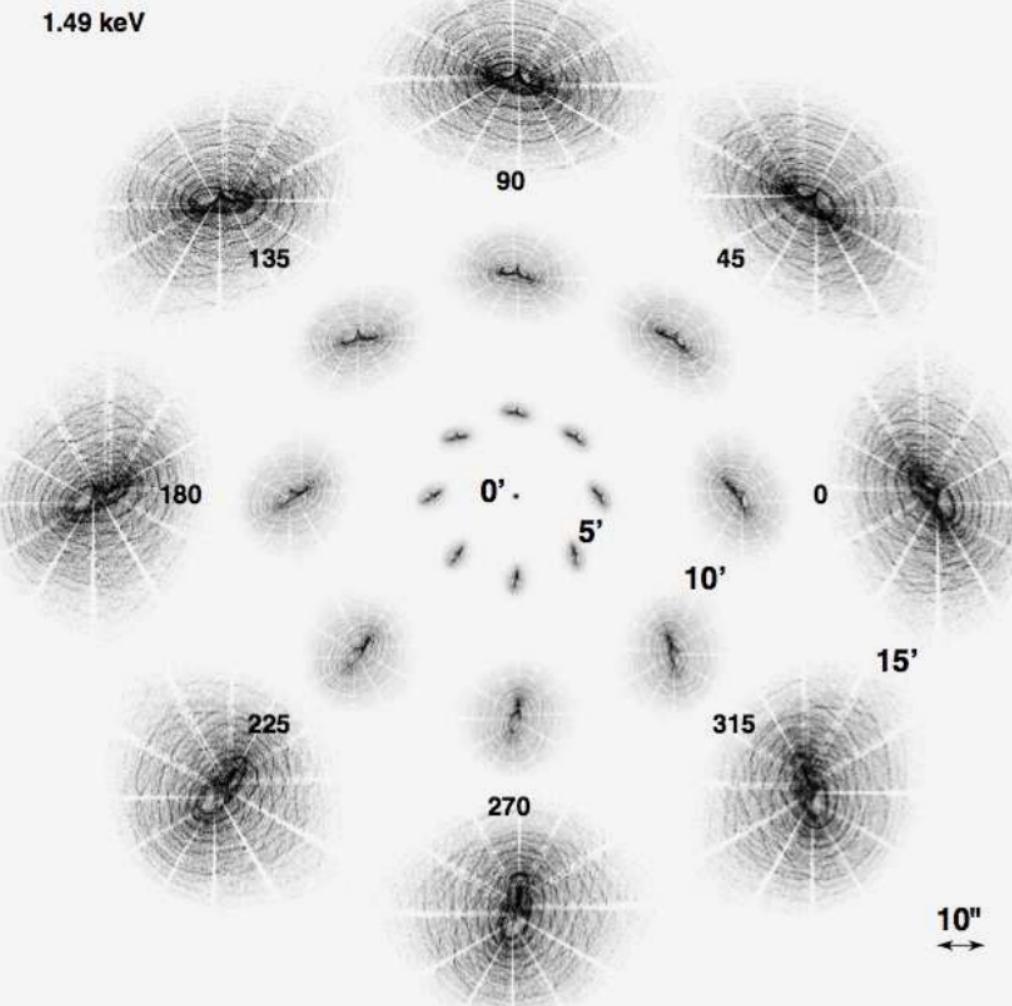
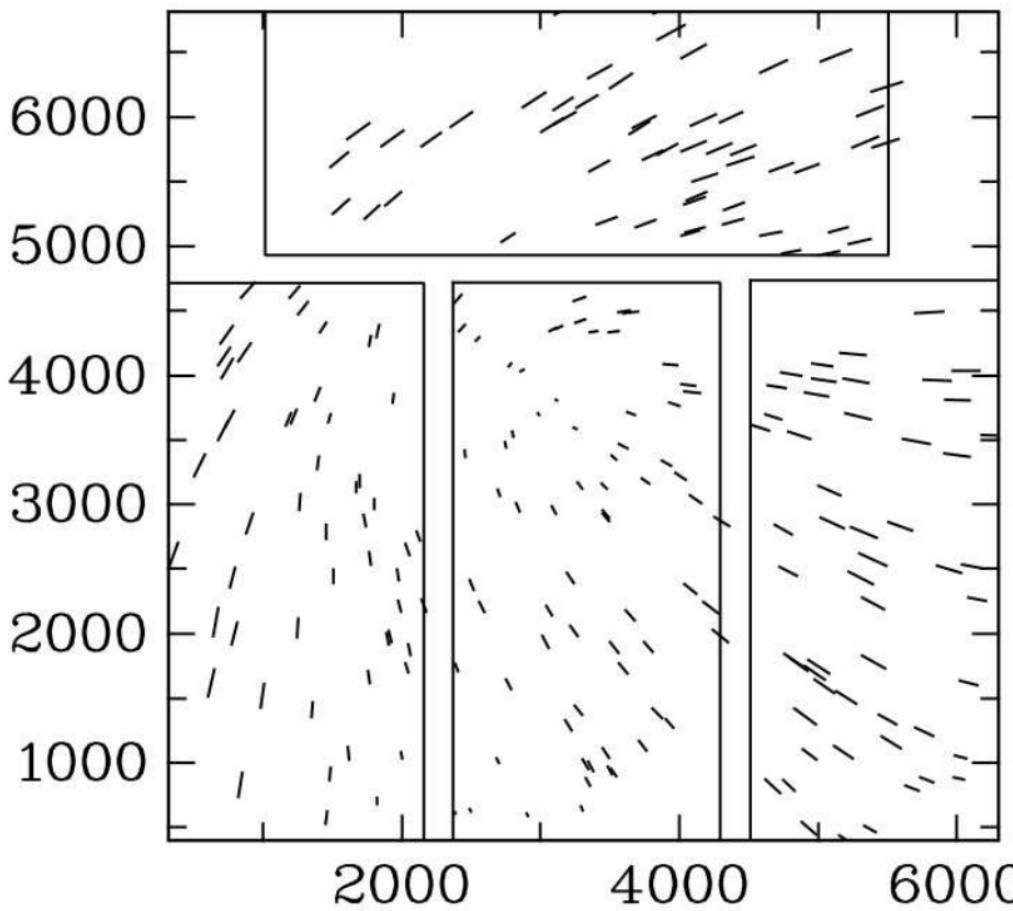




# *GENERIC MISALIGNMENT ABERRATION PATTERNS*

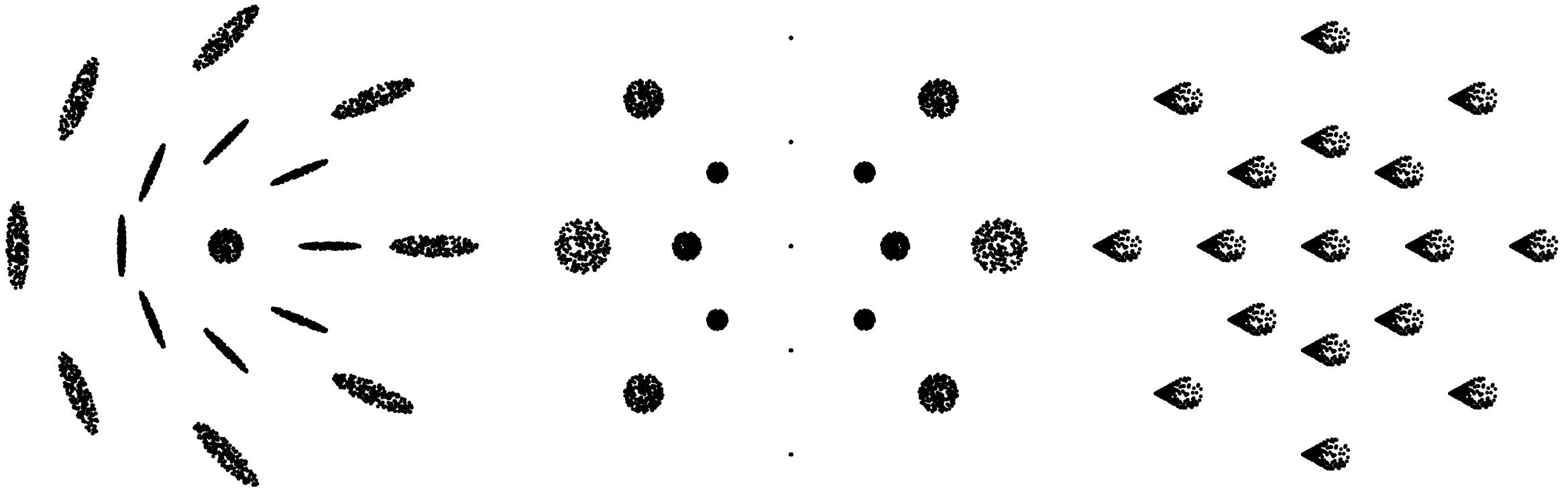


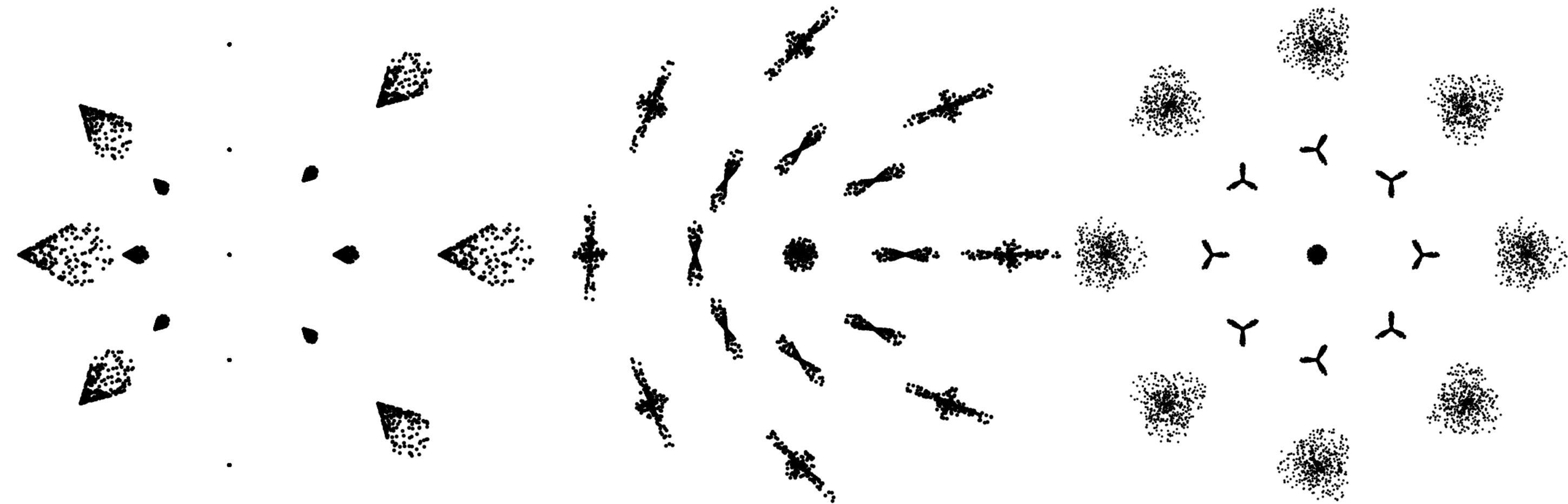
One would assume that the problem of keeping a three mirror telescope aligned has long since been solved.



**primary mirror** 0 tilts + 0 decenters  
**secondary mirror** 2 tilts + 2 decenters  
**tertiary mirror** 2 tilts + 2 decenters

# *GENERIC MISALIGNMENT ABERRATION PATTERNS*





# Moments of Point Spread Function

$$z' = x' + iy'$$

$$S(x, y) \equiv \frac{\int dx' dy' I(x', y') |z'|^2}{\int dx' dy' I(x', y')}$$

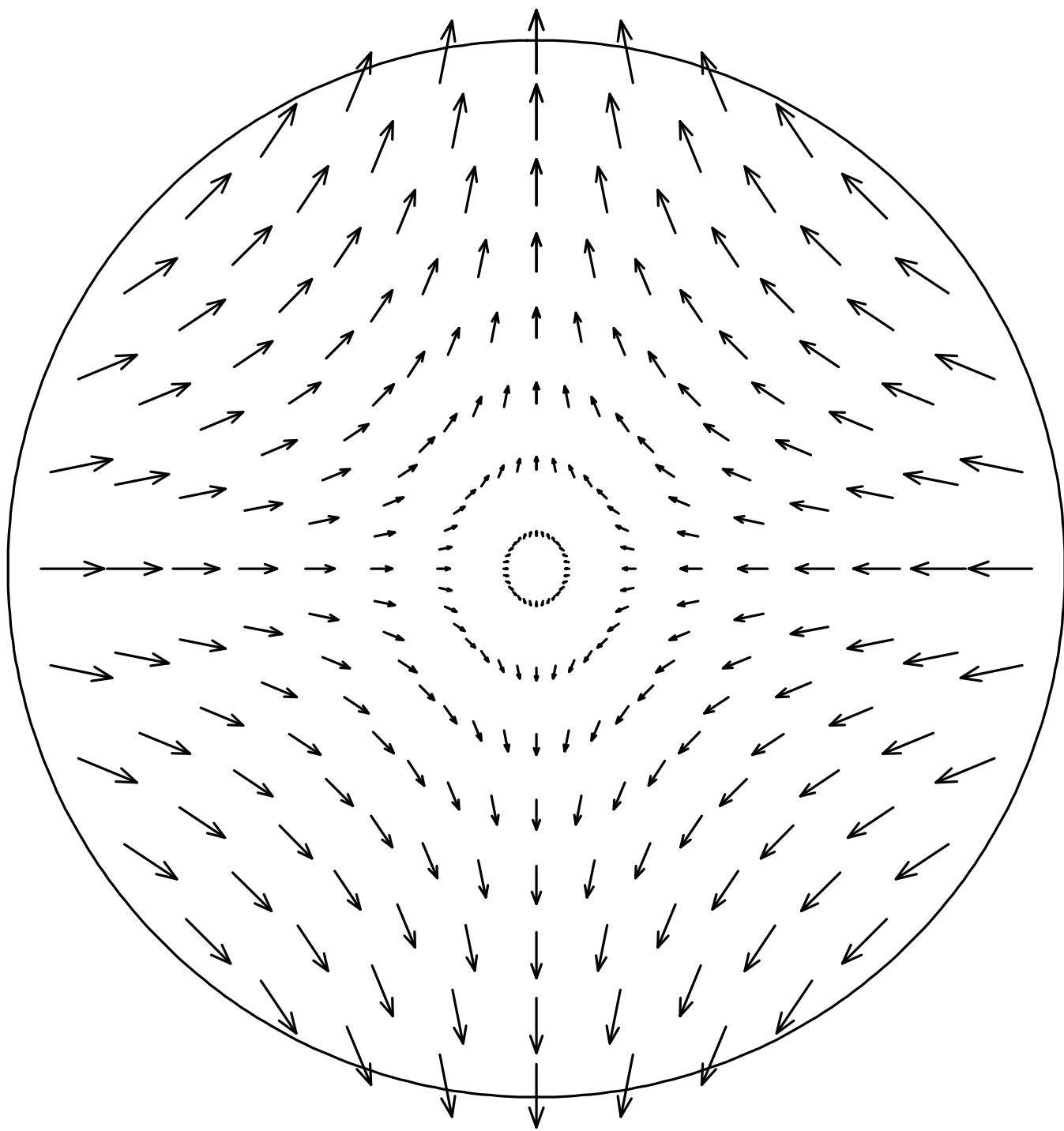
$$Q(x, y) \equiv \frac{\int dx' dy' I(x', y') z'^2}{\int dx' dy' I(x', y')}$$

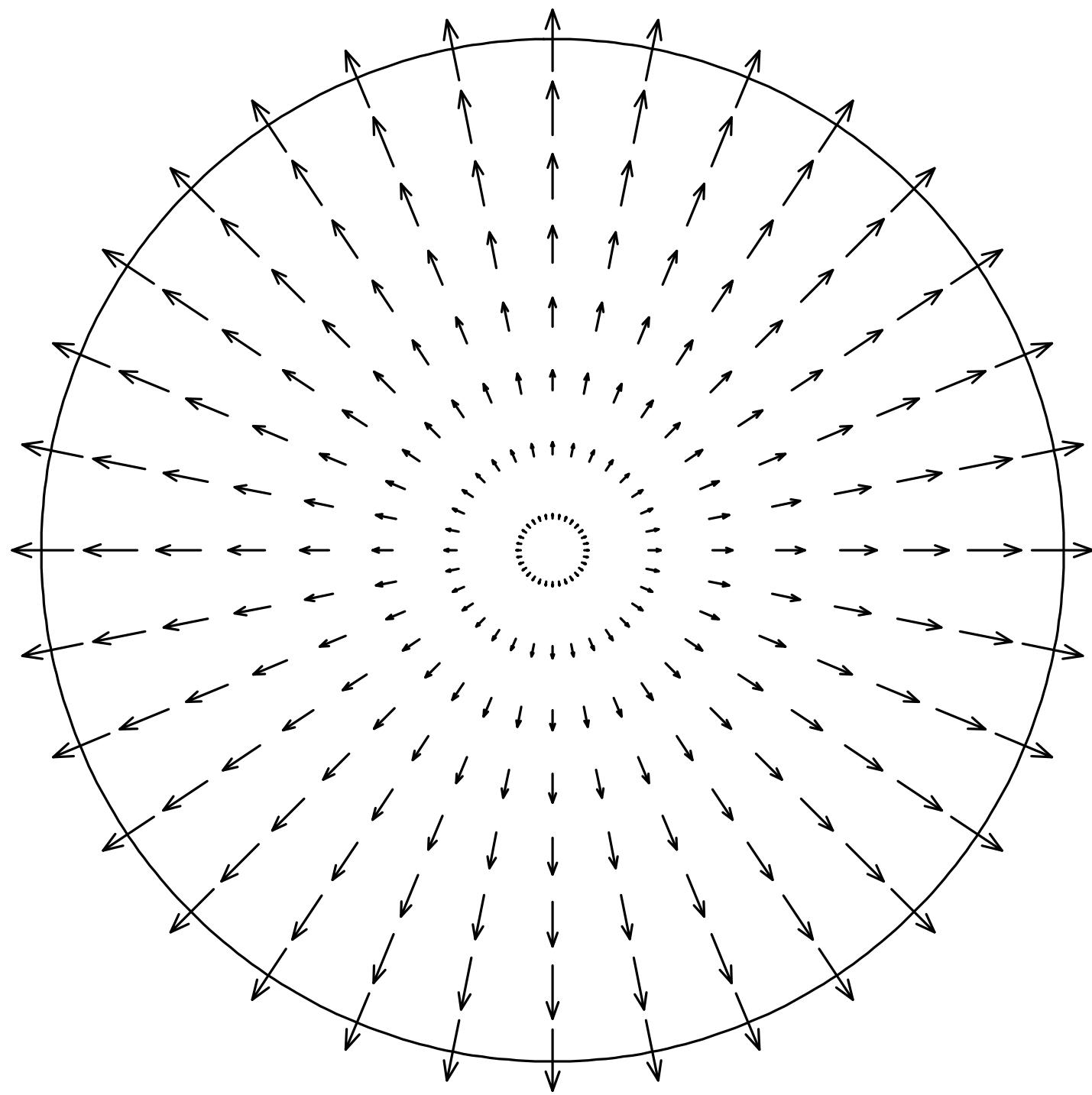
## Moments from Aberrations

$$S(x, y) = 2 \left( d + \frac{4}{3} s \right)^2 + 2|a|^2 + \frac{2}{3}|c|^2 + \frac{4}{9}s^2$$

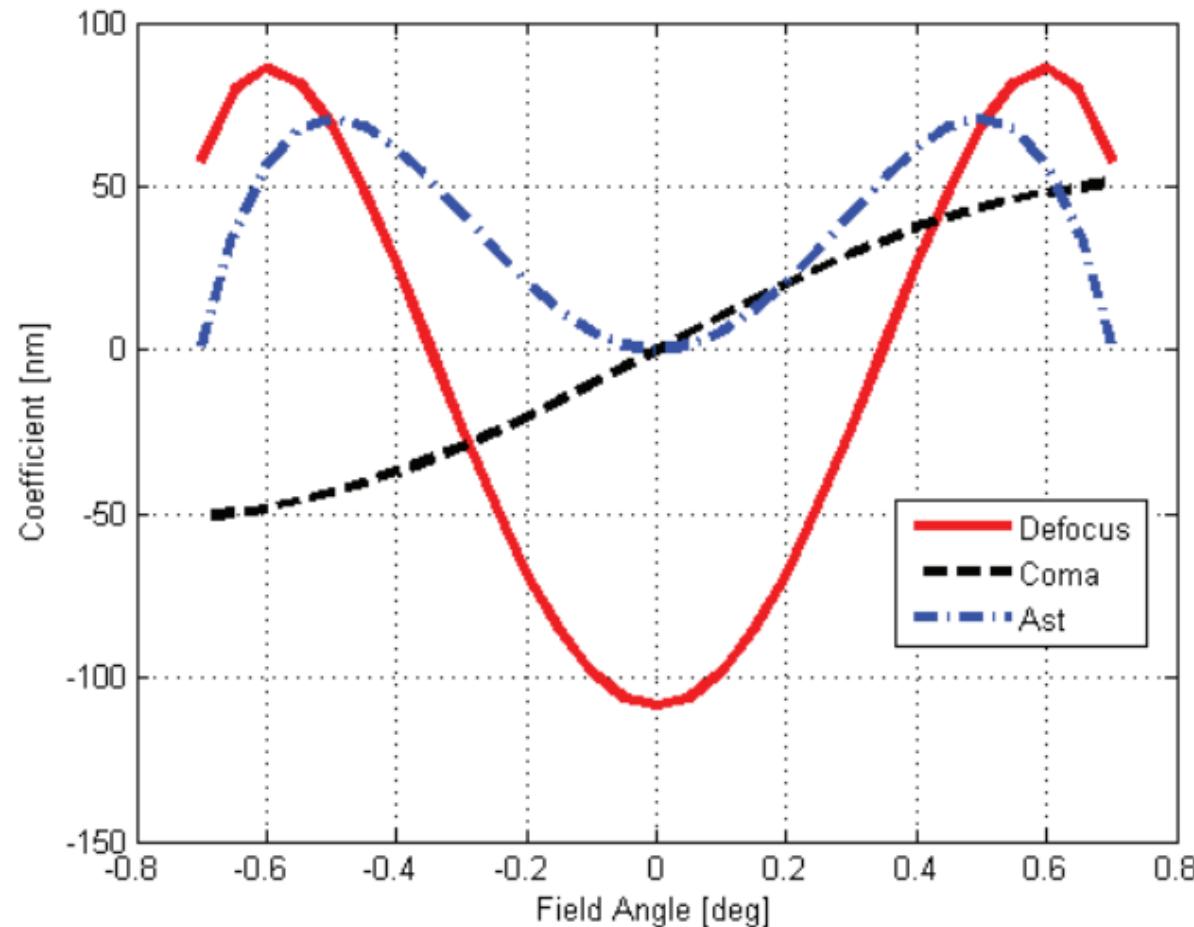
$$Q(x, y) = 4 \left( d + \frac{4}{3} s \right) a + \frac{1}{3} c^2$$

defocus  $d$ ; spherical  $s$ ; astigmatism  $a$ ; coma  $c$

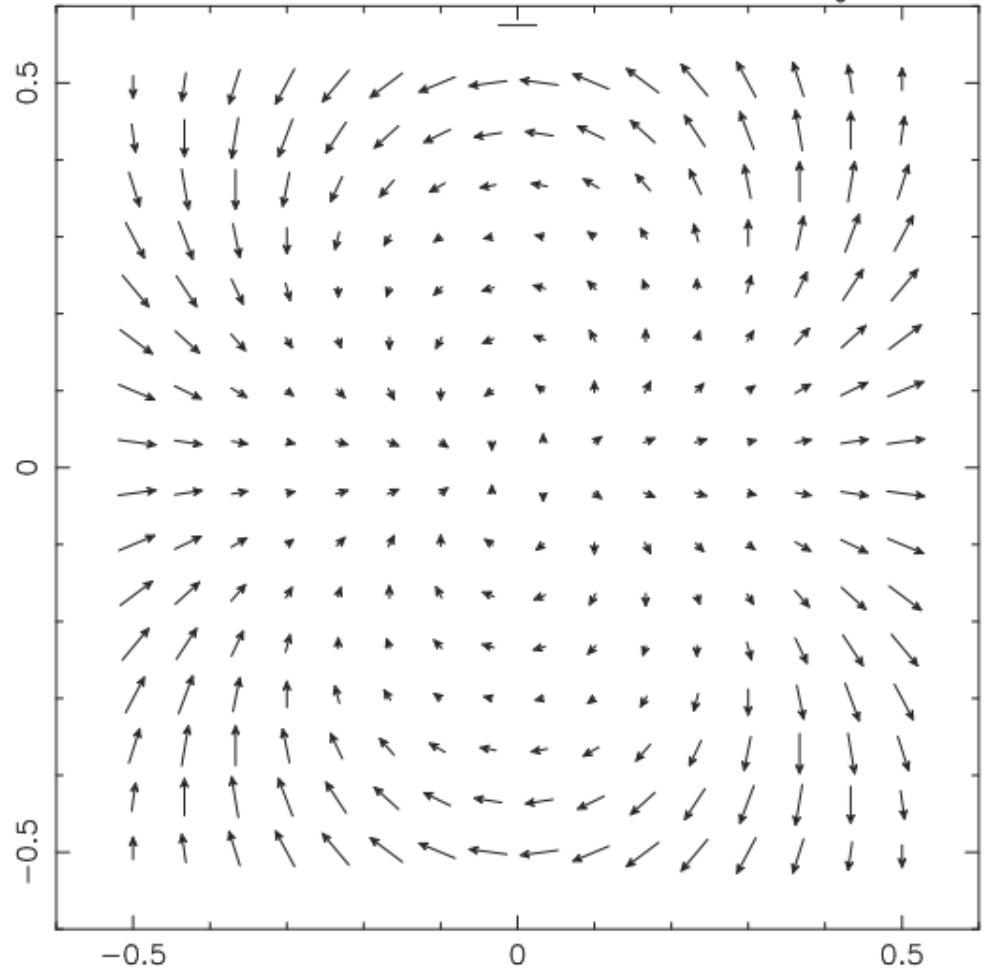




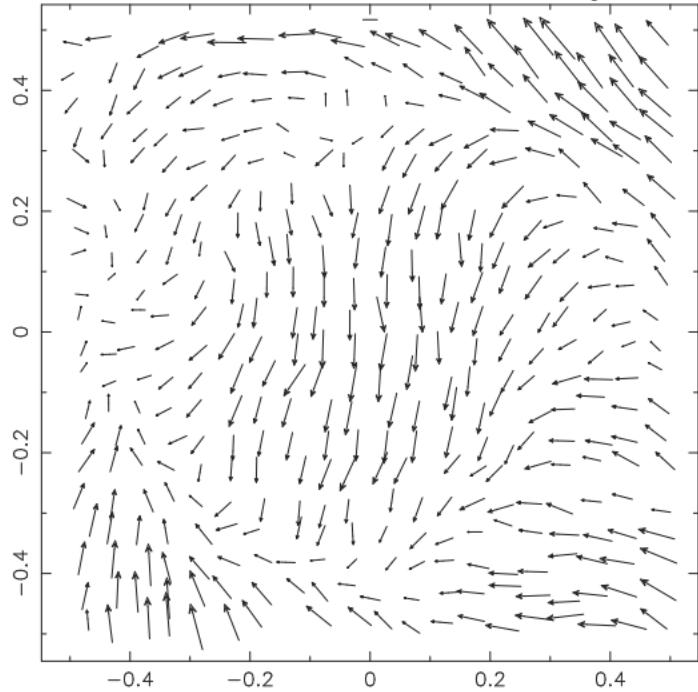
### Field Aberrations Modulus



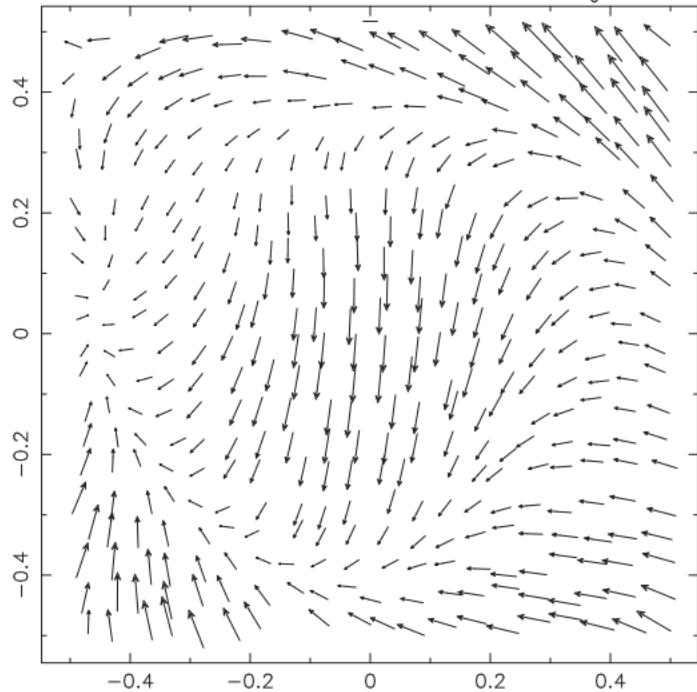
Length of horizontal line equivalent to  $5\epsilon_0$



Length of horizontal line equivalent to  $20\epsilon_0$



Length of horizontal line equivalent to  $20\epsilon_0$



**How do the power series expansions of wavefront on a pupil and time delay in the plane of a lens differ from each other?**

# Polynomial Expansion of Wavefront in Polar Coordinates $(\rho, \theta)$

radial	angular	optics name	lensing name
$\rho^0$	1	piston	time delay
$\rho^1$	$\sin \theta; \cos \theta$	tilt	deflection
$\rho^2$	1	defocus	(magnification) $^{-1}$
$\rho^2$	$\sin 2\theta; \cos 2\theta$	astigmatism	shear
$\rho^3$	$\sin \theta; \cos \theta$	coma	1-flexion
$\rho^3$	$\sin 3\theta; \cos 3\theta$	trefoil	3-flexion