

On the galaxy stellar & baryon mass fraction of blue galaxies and its implications for the disk galaxy populations

Aldo Rodriguez-Puebla & Vladimir Avila-Reese

Instituto de Astronomía, Universidad Nacional Autónoma de México

1. Introduction

Recently, by mean of direct methods (such as, weak lensing & satellite kinematics, e.g. [1],[2]) and indirect techniques (abundance matching technique, AMT, and halo occupation distribution model HOD) have made possible the determination of the stellar-halo connection, M_s-M_h , in most of the cases with similar results. Here, we apply the AMT to infer the stellar mass fraction, $f_s(M_b)=M_s/M_b$, for blue and red galaxies separately. Adding information of gas mass, $M_g(M_s)$, the baryonic mass fraction, $f_b(M_b)=M_b/M_b$, is also inferred. The analysis is carried out for local and high redshift (up to $z=1$) galaxy samples. Then, we use the inferred $f_b(M_b,z)$ relations for blue galaxies as input in disk galaxy models to study its implications in disk galaxy scaling relations within the context of the LCDM scenario.

2. The abundance matching technique extended for blue galaxies.

(1) AMT used to infer the f_s-M_b relation, for all and blue galaxies, from the observed GSMF.

(2) Observed $M_{gas}-M_s$ relation to infer the f_b-M_b relation

(3) Extension of the AMT for blue central galaxies:

•Observational input (Fig.1):

$z=0$: GSMF from [4] for all, blue & red central galaxies.

M_g-M_s for blue and red galaxies from [5] and [6].

$z<1$: A proposed general blue/red GSMF as a function of z consistent with most of the current observational inferences.

$M_{gas}-M_s$ relation as a function of z for blue galaxies from [7].

•Assumptions for halos hosting blue galaxies (Fig. 1):

$z=0$: Those halos that suffered major mergers since $z=0.8$ are excluded.

The observed halo mass function (HMF) group [8] is subtracted from the distinct HMF (blue galaxies are not central galaxies in groups and clusters).

$z=1$: The blue to total ratio of number of galaxies in the sample is rough estimator for major mergers.

Evolution of the HMF groups.

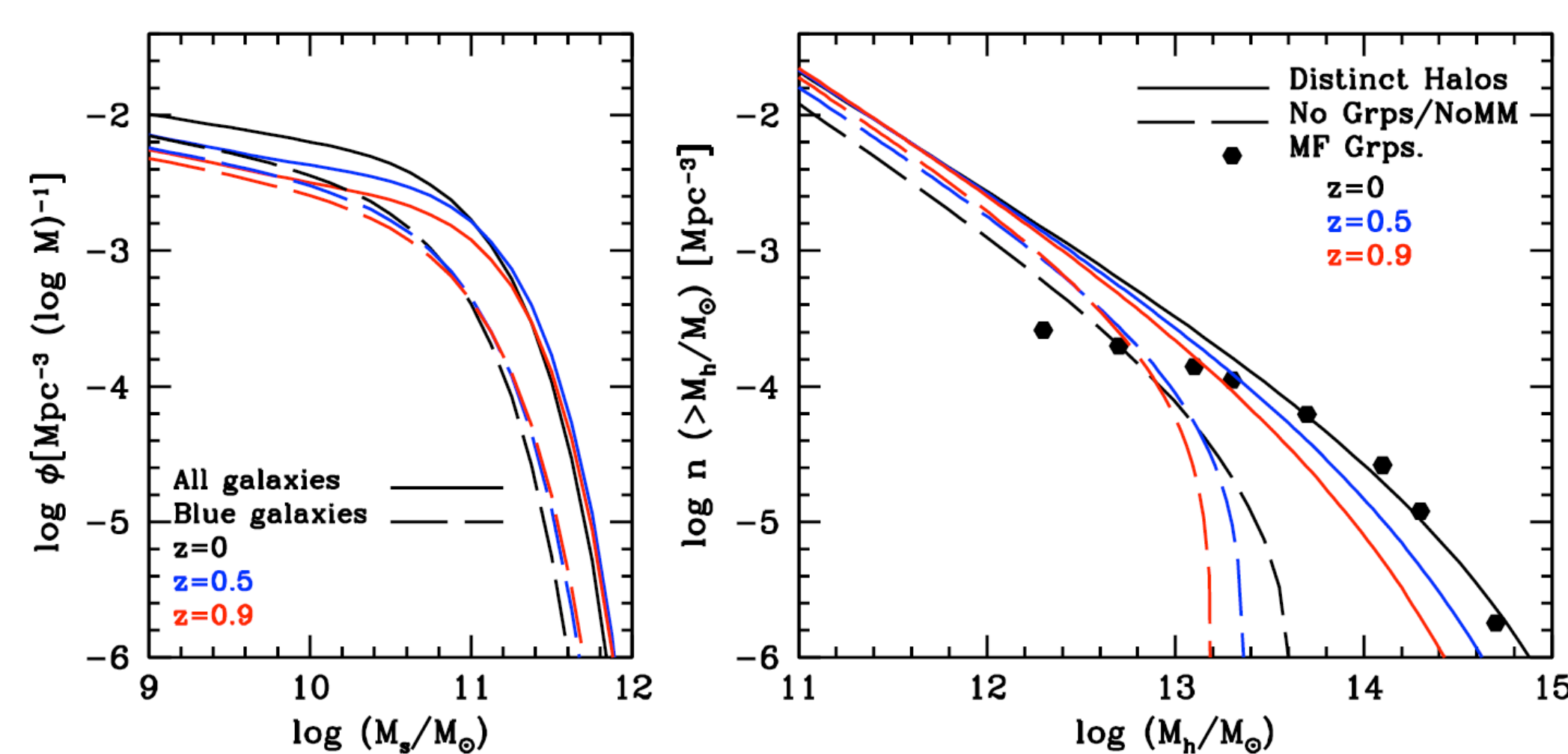


Figure 1. Left panel: The GSMF for all & blue galaxies at $z=0, 0.5$ & 0.9 . Right panel: HMF for distinct halos & halos hosting blue galaxies at $z=0, 0.5$ & 0.9 .

3. The stellar/baryon fraction up

$z=1$

$z=0$:

(1) The M_s-M_b relations for blue & red central galaxies are consistent with direct inferences (e.g., weak-lensing [1] & satellite-kinematics [2], Fig 2).

(2) The f_s-M_b relations of blue & red central galaxies do not differ significantly.

(3) Differences in the f_b-M_b relation are even smaller than f_s for blue & red central galaxies.

(4) The peak for blue & red central galaxies is $f_b=0.028$ & 0.034 , respectively.

$z<1$:

(1) Galaxy downsizing evidence for blue galaxies.

(2) Peak evolution at approximately constant f_s .

(3) No evidence for galaxy downsizing in f_b .

(4) $f_b(M_b)$ -cte at high redshifts.

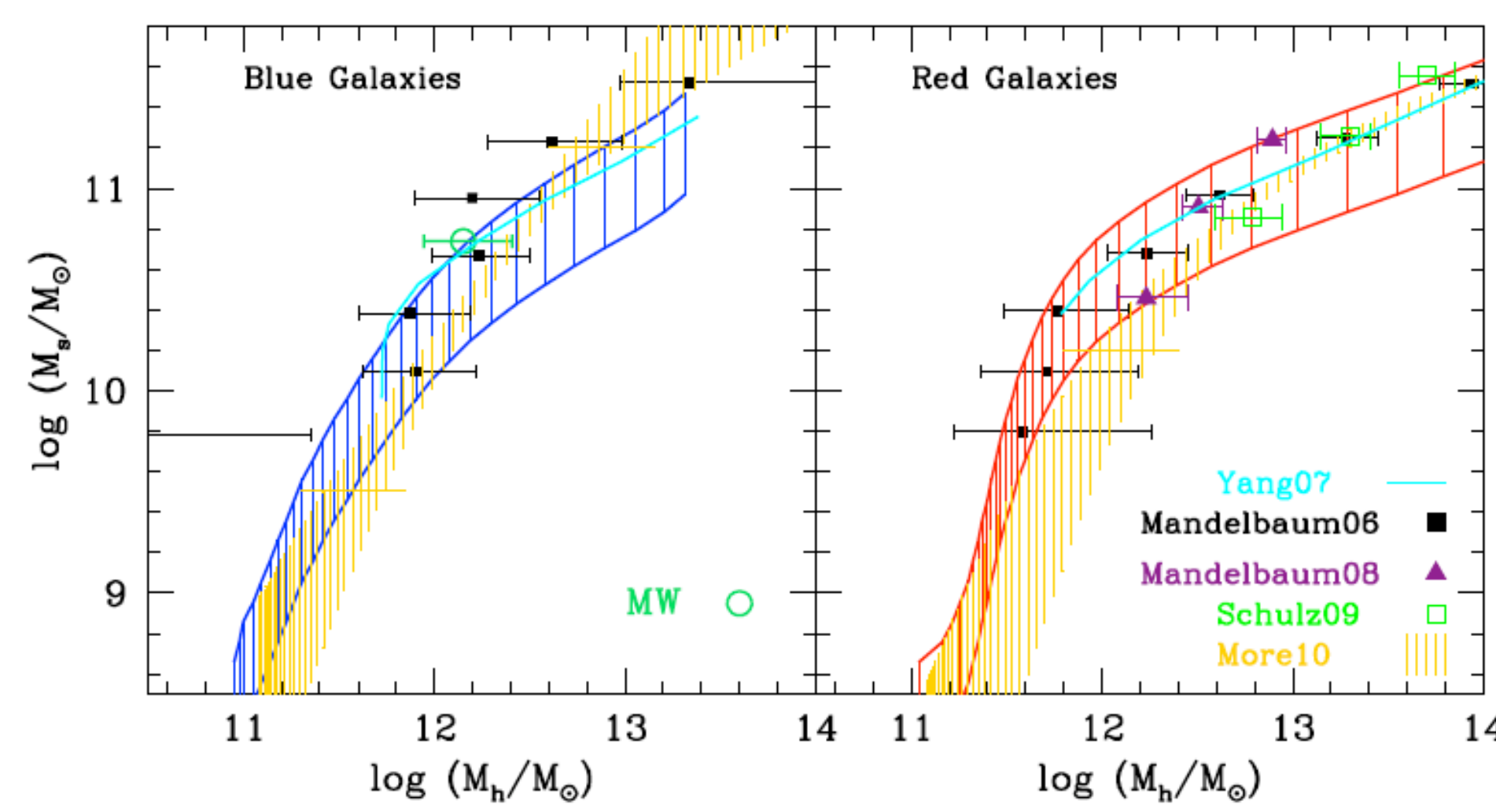


Figure 2. The M_s-M_h relations for blue (left panel) & red (right panel) central galaxies, at redshift $z=0$.

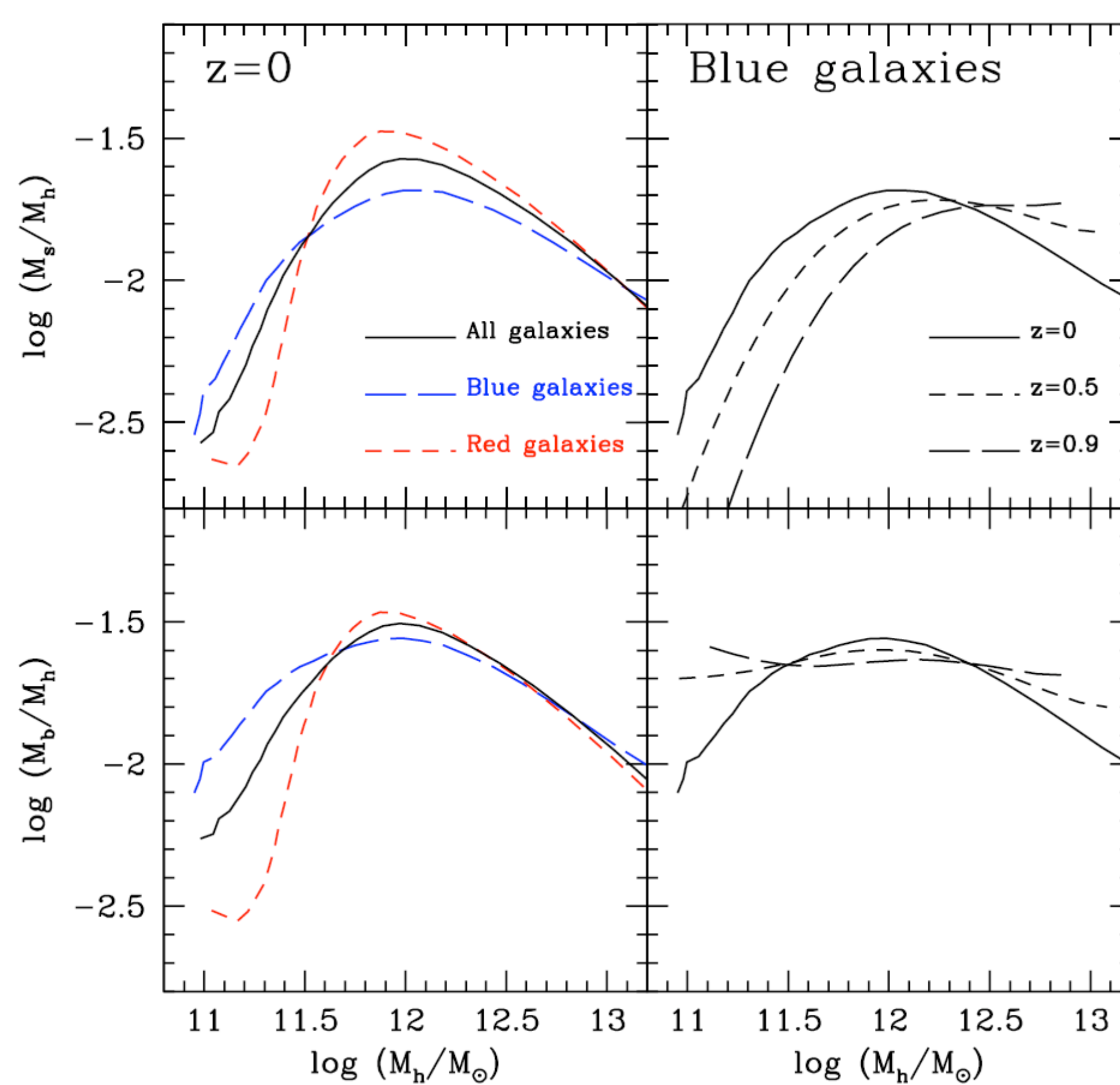


Figure 3. Left panels: f_s (upper) & f_b (bottom) - M_h relations for all, blue & red central local galaxies. Right panels: Evolution of the f_s (upper) & f_b (bottom) - M_h relations for blue galaxies.

By means of a HOD lately implemented, we predict correlations functions for blue/red galaxies under assumptions for the HMF in 2. The agreement with observational (from [9]), even binned by mass, is amazing (Fig. 4).

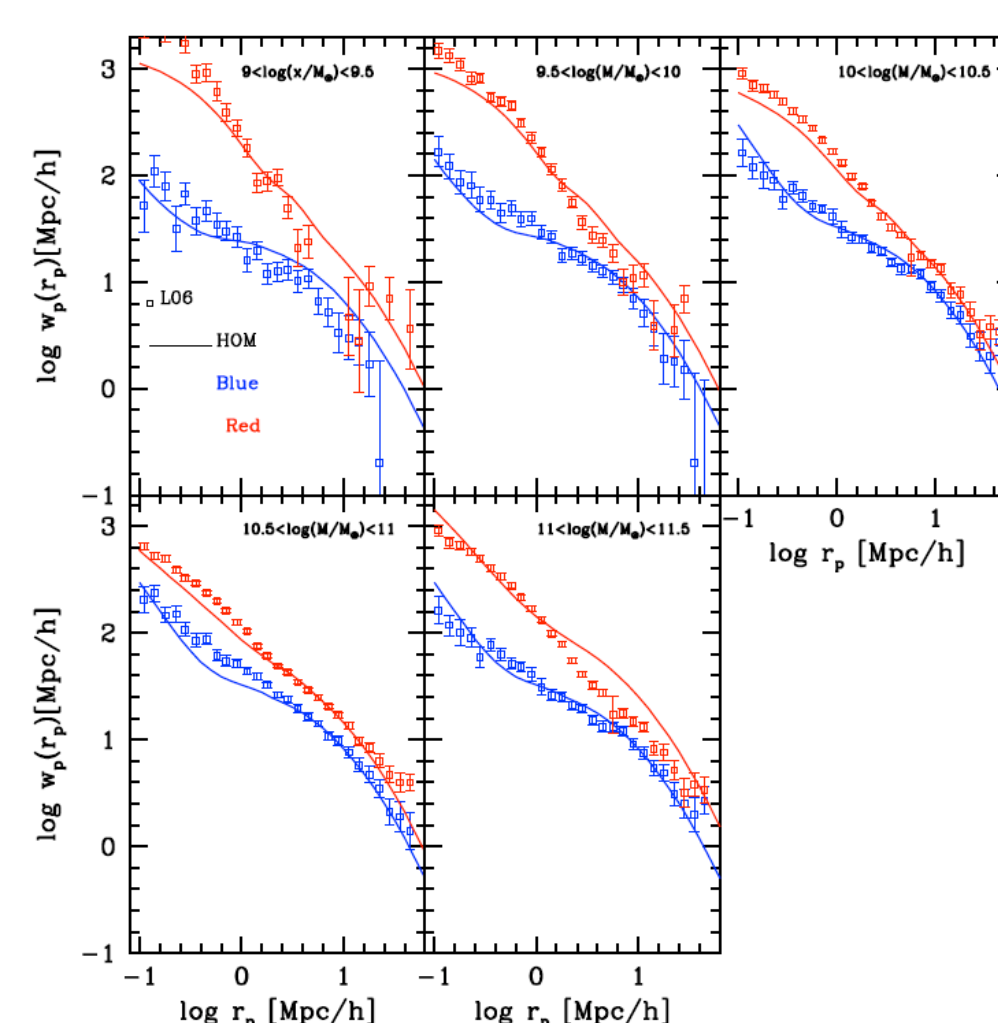


Figure 4. The projected correlation function for blue & red galaxies.

4. Scaling Relations

The disk galaxy populations are modeled by means of a non-evolutionary models close to [10], including adiabatic contraction [11], and by using our inferred f_b-M_b relations for blue galaxies.

•Inputs:

Mean values and scatters of the halo concentration parameter c and spin parameter l_b .

•Disk instability criterion to estimate M_s .

Predictions for $z=0$:

•We use a spin parameter $l_d < l_b$ and decreasing with M_b according empirical inferences [12], in order to reproduce the observed R_d-M_b (& M_d) relation.

•Excellent agreement with the slope, zero-point, and intrinsic scatter of the observed stellar & baryon Tully-Fisher relation (TFR)

•A slightly bend at faint end produced by the shape of $f_b(M_b)$

•TFR is robust to changes in $f_b(M_b)$

• R_d-M_b (& M_d) relation is much more sensitive to f_b

•Low values and the bell shaped of f_b-M_b produce a peak in the disk-to-total rotation velocity ratio as a function of mass, galaxies are submaximum.

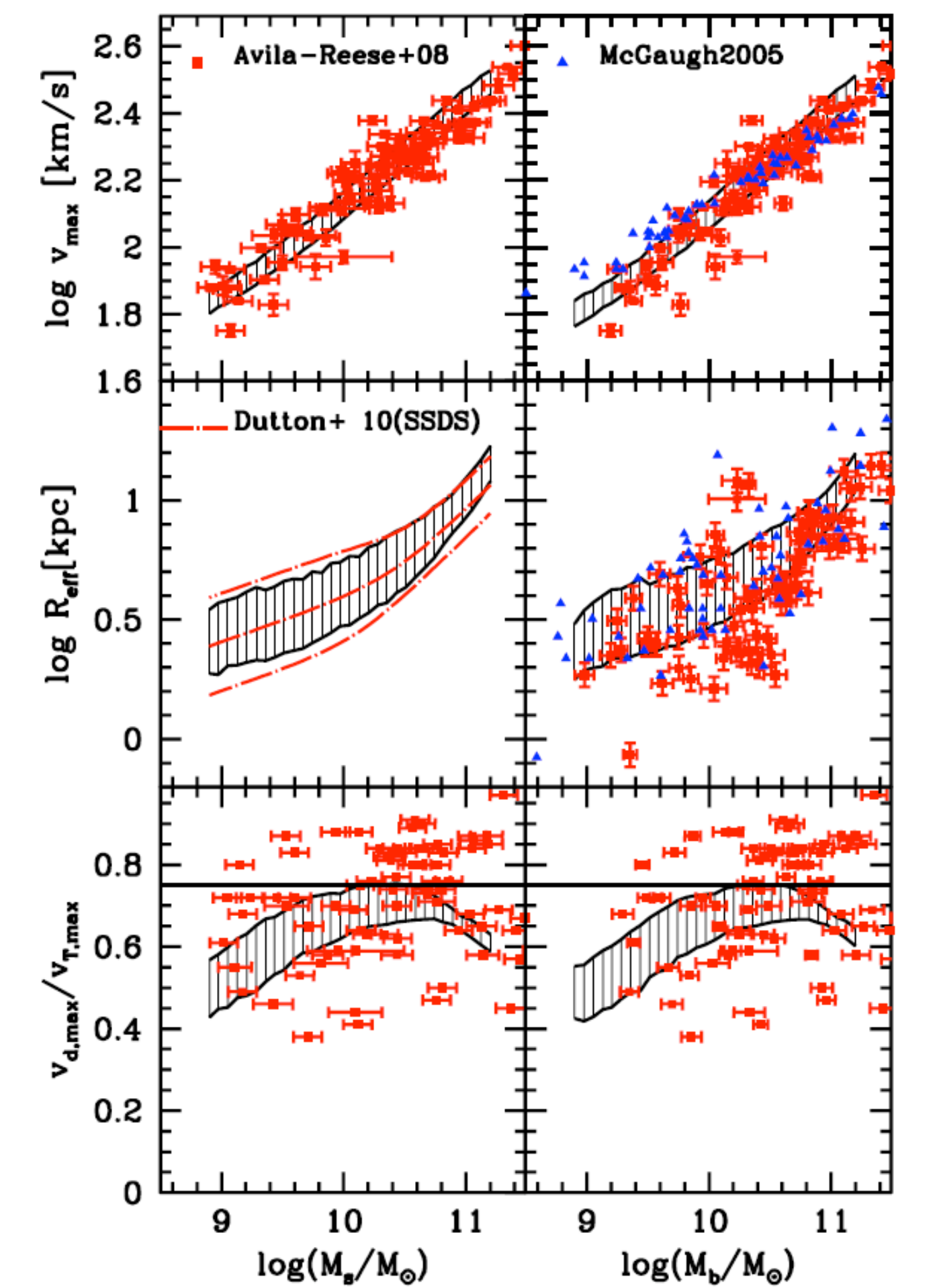


Figure 6. The predictions of the scaling relations for disk galaxies from our model with observational inferences.

Case for $z<1$:

•Our model predict the evolution of the slope and zero point in the stellar TFR, but not in the baryonic TFR.

•The R_d-M_b (& M_b) relation show a significant evolution at the high mass-end; the zero-point at lower masses does not evolve.

•Values for $f_b(M_b)$ results in more maximum disks at the high mass-end.

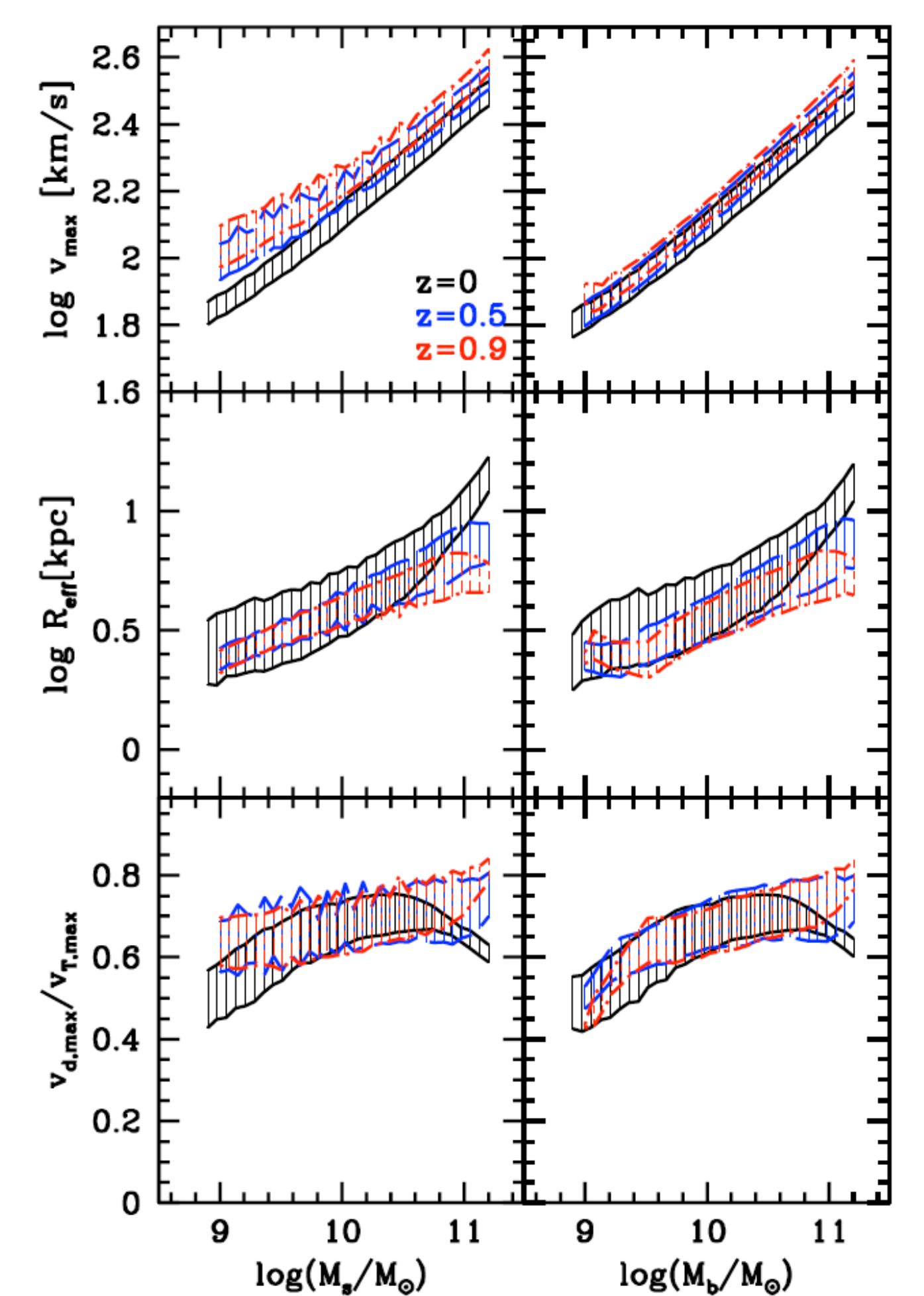


Figure 6. The predictions of the scaling relations for disk galaxies for $z=0, 0.5$ & 0.9

5. Concluding Remarks

•For local galaxies, our f_s is consistent with direct inferences and in good agreement with the projected correlation function.

•Our f_b is in excellent agreement with structural and dynamical scaling relations.

•For $z<1$, there is a significant difference on the evolution of $f_b(M_b)$ & $f_s(M_b)$.

•Galaxy downsizing in $f_s(M_b,z)$ but not in $f_b(M_b,z)$.

6. References

- Mandelbaum et al. 2006, MNRAS, 368, 715
- More et al. 2011, MNRAS, 410, 210
- Conroy et al. 2006, ApJ, 647, 853
- Yang et al. 2009, ApJ, 695, 900
- Avila-Reese et al. 2008, AJ, 136, 1340
- Wei et al. 2010, ApJ, 708, 481
- Stewart et al. 2009, ApJ, 702, 1005
- Heinamaki et al. 2003, A&A, 397, 63
- Li et al. 2006, MNRAS, 368, 37
- Mo et al. 1998, MNRAS, 295, 319
- Gnedin et al. 2004, ApJ, 616, 16
- Berta et al. 2008, MNRAS, 391, 197