# **Simulations of Galaxies and Baryonic Physics**

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## Introduction

Observed baryons account only for a small fraction of what the  $\Lambda \text{CDM}$  model predicts.

Including some dark baryons and more precise baryonic physics in galaxy simulations could help solve problems the  $\Lambda$ CDM model encounters at galactic scales in simulations: unrealistic density cusps, too small discs and too numerous satellites. It is also interesting to study the morphology of galaxies dependence on the implementation of physics processes.

We use Gadget-2 [4], a TreeSPH particle code, to which we add physical processes implementations: star formation, cooling and feedback from supernovae.

## **Sb Galaxy Simulation**

#### Galaxy model

We simulate an isolated Sb galaxy with the following components:

- Stellar and gaseous discs  $(M_* = 4.61 \times 10^{10} \,\mathrm{M}_{\odot} \text{ and } M_g = 9.21 \times 10^9 \,\mathrm{M}_{\odot})$  have a Miyamoto-Nagai density profile. They both have an initial Toomre parameter Q = 1.
- Stellar bulge and DM halo  $(M_B = 1.11 \times 10^{10} \,\mathrm{M_{\odot}}$  and  $M_H = 1.71 \times 10^{12} \,\mathrm{M_{\odot}}$ ) have a Plummer profile.

The galaxy initial rotation curve maximum is  $200 \,\mathrm{km \, s^{-1}}$ .



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# **Baryonic Physics**

#### Star formation

We implement a stochastic star formation. At each time-srep, a gas particle can spawn a star with a probability:

 $p = \frac{m_g}{m_*} \left( 1 - e^{-\frac{\Delta t}{t_*}} \right)$ 

A gas particle of initial mass  $m_g$  can spawn N stars of mass  $m_* = m_g/N$ during simulations. Star formation occurs above a set density threshold.

#### Supernovae feedback

We include kinetic feedback from supernovae. Each new star particle of mass  $m_*$  inputs an energy  $E_{\rm SN} = 0.5\epsilon_{\rm SN}m_*$  where  $\epsilon_{\rm SN} = 10^{49} {\rm erg. M_{\odot}^{-1}}$  is the SN energy per formed solar mass and we assume 50% of the SN energy is radiated away. Each neighbour *i* of a new star particle 0 receives an energy weighted by the distance:

$$E_{i} = \frac{W(|\mathbf{r_{i0}}|, h_{0})}{\sum_{ngb \ k} W(|\mathbf{r_{k0}}|, h_{0})} E_{SN}$$

(1)

If the feedback is only kinetic, the particle is given a velocity kick  $\sqrt{\frac{2E_i}{m_i}}$ .

#### Simulation parameters

We have 120 000 particles:  $m_g = 2.3 \times 10^5 \,\mathrm{M}_{\odot}$ ,  $m_{star} = 1.4 \times 10^6 \,\mathrm{M}_{\odot}$ ,  $m_{DM} = 4.2 \times 10^6 \,\mathrm{M}_{\odot}$ . We set the gravitational softening to  $\epsilon = 280 \,\mathrm{pc}$  and each gas particle has 50 neighbours. We set  $t_* = 3.5 \,\mathrm{Gyr}$  and a threshold density for star formation of  $n_T = 10^{-1} \mathrm{cm}^{-3}$ . We spawn 4 stars by gas particle. SNe feedback is only kinetic.

For these runs, we keep a fraction of molecular hydrogen  $n_{\text{H}_2} = 10^{-5} n_{\text{H}}$  and a fraction of HD  $n_{\text{HD}} = 10^{-5} n_{\text{H}_2}$ . We take a fixed solar metallicity.

#### Simulations

#### We run isothermal simulations at $10^4$ K and simulations including cooling.

Figure 2: Initial gas density PDF



#### Cooling

We take the metal-dependent cooling functions of Sutherland and Dopita [5] above  $10^4$ K and reproduce the Maio et al [3] cooling functions due to metals (FeII, OI, SiII, CII) from 10 K to  $10^4$ K.



Figure 1: Cooling functions from Maio and Sutherland and Dopita. Z=0 is the solar metallicity.

We take  $H_2$  cooling functions of Glover et al [1] that include collisions of H2 with H atoms, He atoms and  $H_2$  molecules, and HD cooling functions from Lipovka et al [2] (HD is a more efficient coolant than  $H_2$  due its dipolar moment). The LTE cooling functions were computed from quantum data.

We implemented an implicit thermal evolution scheme in Gadget.

Figure 3: Boxes size is 20 kpc \* 20 kpc. Snapshots are taken at 0.5 Gyr, 1 Gyr and 1.5 Gyr.

## Discussion

For all runs, we find the formation of two phases in the interstellar medium, a diffuse and a dense phase, which are of roughly comparable mass. Only in the cooling/without feedback run there is a continuum density distribution, with a peak in the denser possible phase. Particles pile up at the minimum allowed temperature and get denser and denser.

For the cooling+feedback run we see a dense and cold phase, and a diffuse warm phase on the temperature-density plane.

We observe the SFR is reduced in simulations with feedback.

Including feedback gives a blurrier appearance that is similar in isothermal or with cooling runs.



Figure 4: Temperature-density plane at t=1.5 Gyr for the run with cooling and feedback.

## **Conclusion and prospects**

We see the implemented feedback and cooling give a Sb galaxy morphology similar to observations, the interstellar medium being in two main phases: a dense and cold one, and a diffuse warm one.

Future work will involve higher resolution simulations with a model of the molecular hydrogen fraction depending on density and the inclusion of dark baryons in the disc.

### References

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