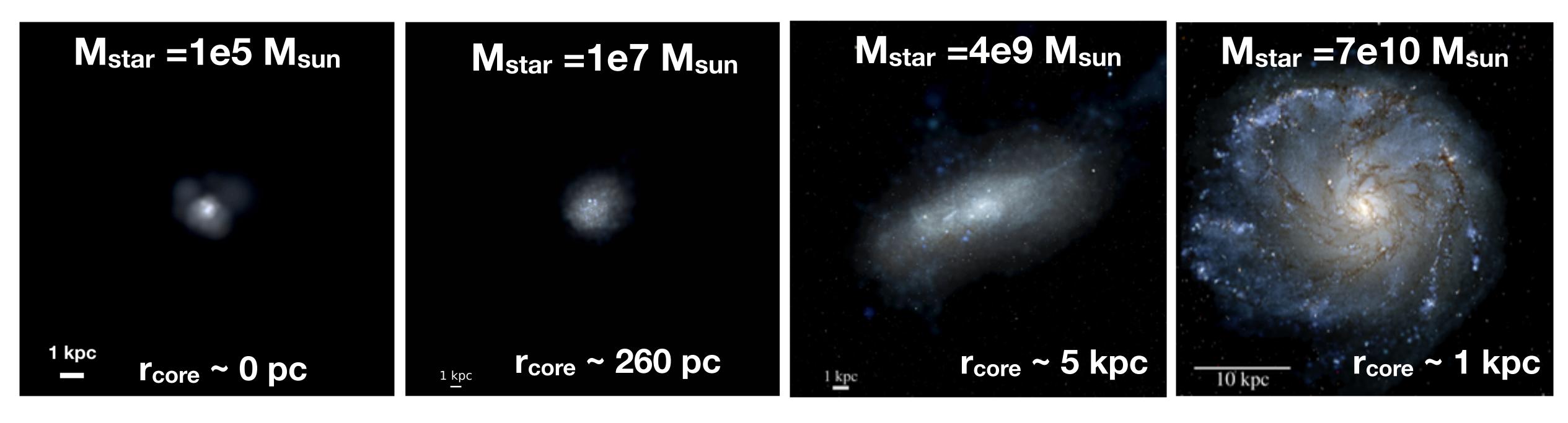
Dark Matter Profiles in Tiny Galaxies (and others too)

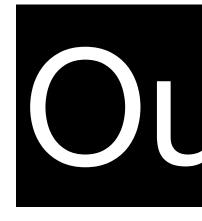
James Bullock (University of California, Irvine)





Primarily work by Alexandres Lazar





One: Dark Matter density profiles in FIRE-2 simulations — A Universal "core-Einasto" profile from tiny dwarfs to the Milky Way.

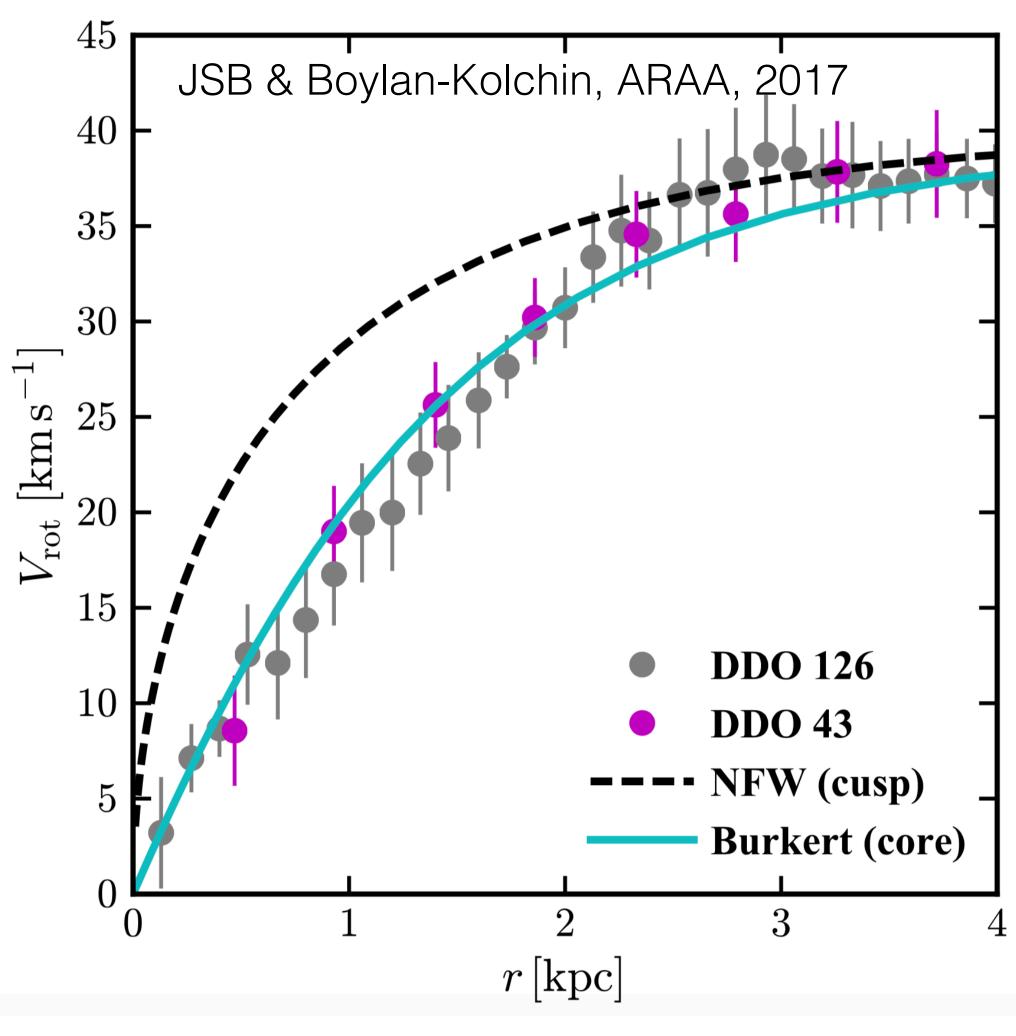
Two: A new mass estimator for transverse velocity dispersions in spheroidal galaxies - Implication for profile slopes in Sculptor & Draco

Outline



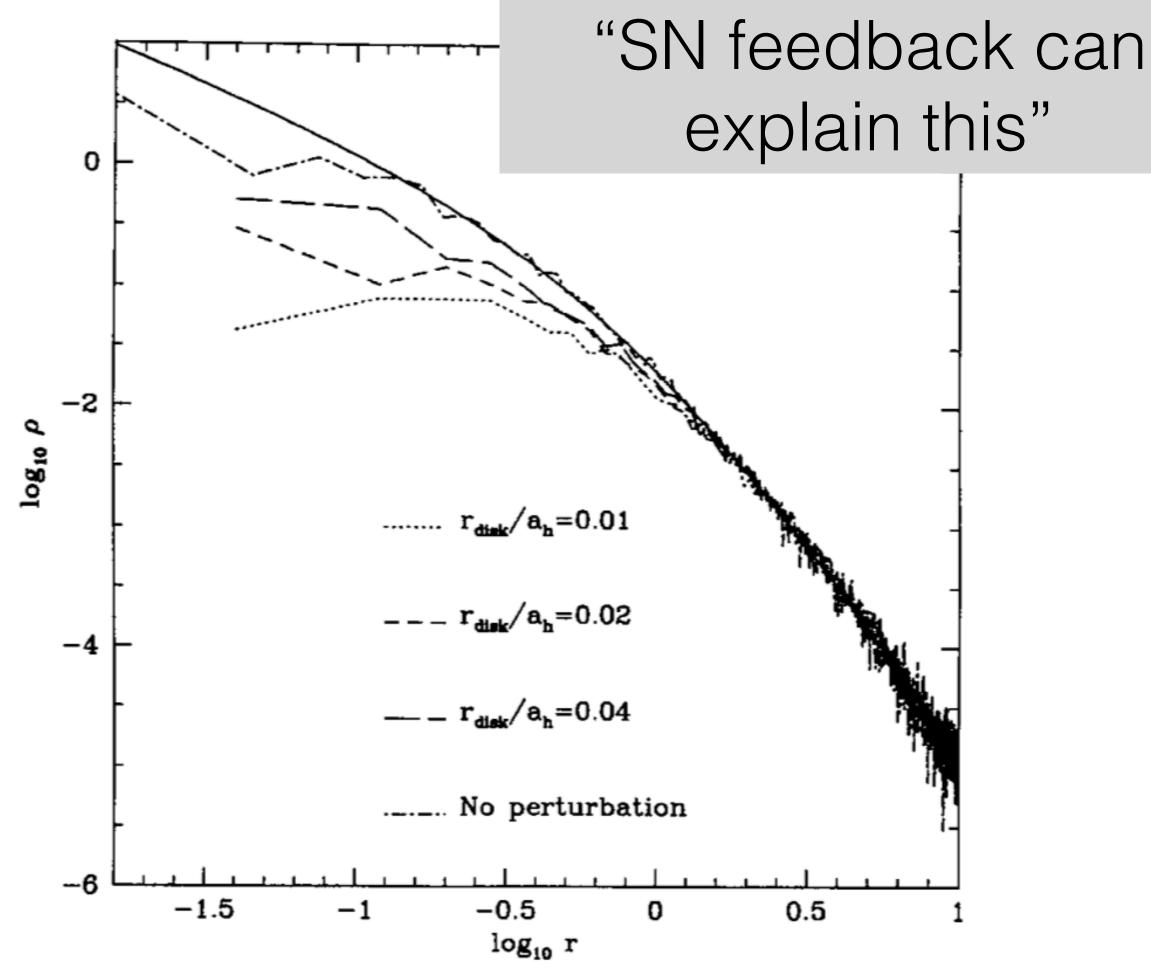




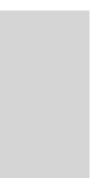


Flores & Primack 94; Moore 94

Cusp/Core Problem



Navarro, Eke & Frenk 1996



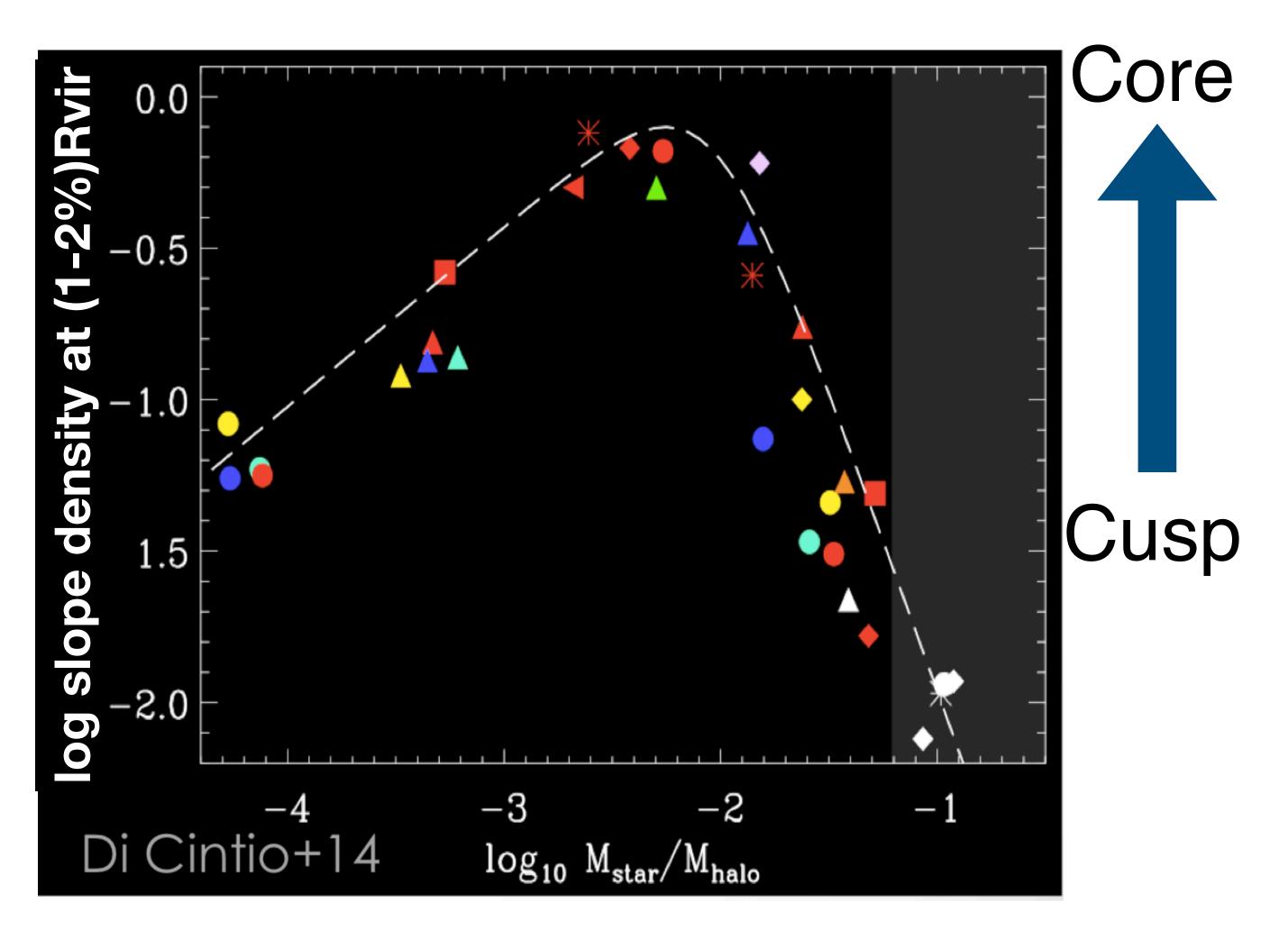


Predict "sweet spot" for core formation is bright dwarfs:

$M_{\star}/M_{\rm halo} \simeq 0.005$

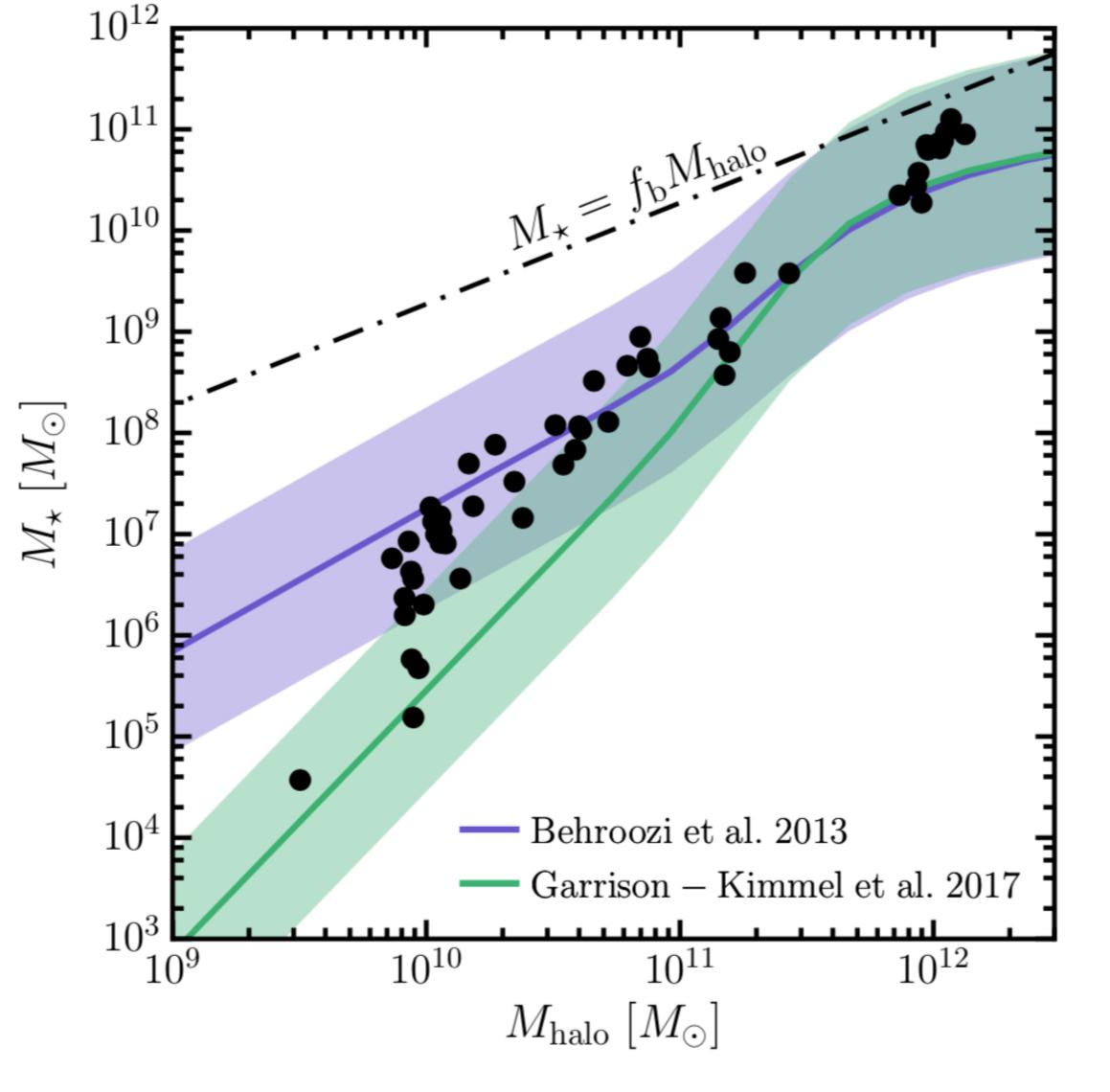
Di Cintio + 2014

Cusp/Core Problem



see also Governato+12, Brooks & Zolotov 12, Read+16, etc.





Lazar et al. 2019

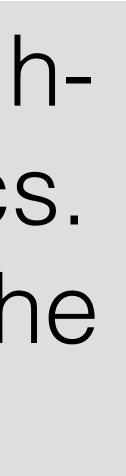


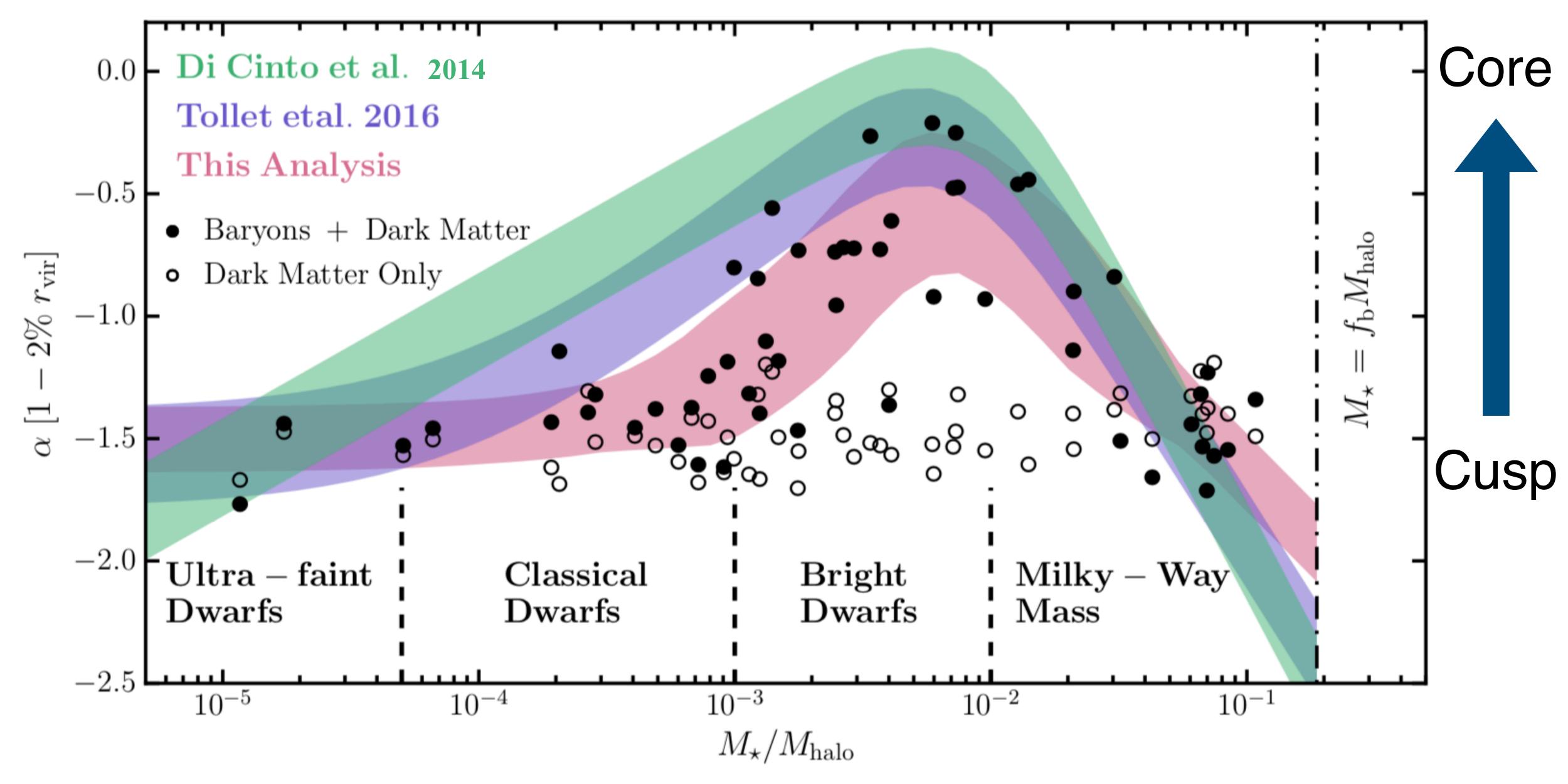


See Hopkins+2018

53 galaxies simulated at highresolution with FIRE2 physics. - Each resolved to 0.5% of the virial radius

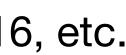


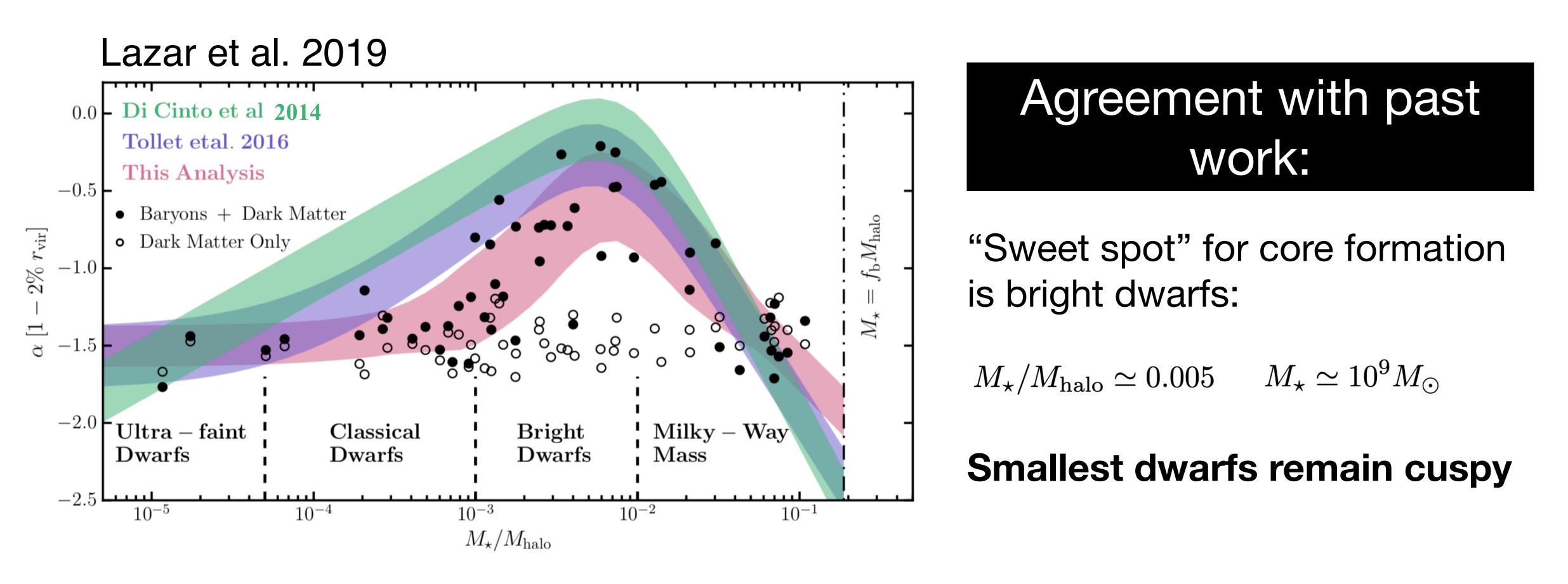




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see also Governato+12, Brooks & Zolotov 12, Read+16, etc.





Differences:

FIRE-2 simulations have more diversity / scatter in core properties

Threshold for core formation is somewhat higher

 $M_{\star} \lesssim 10^6 M_{\odot}$ — remain cuspy



A Universal Density Profile for Galaxy-Occupied Dark Matter Halos

(Navarro 2004)

$$\rho_{\text{Ein}}(r) = \rho_{-2} \exp\left\{-\frac{2}{\hat{\alpha}}\right\}$$
$$\hat{\alpha} = 0.16$$

Core-Einasto:

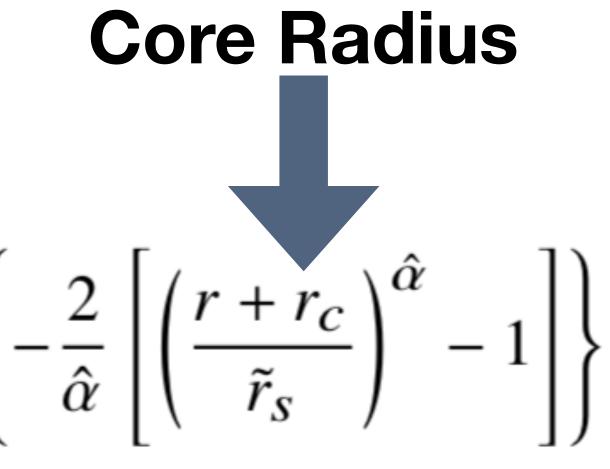
$$\rho_{\rm cEin}(r) = \tilde{\rho}_s \exp\left\{-\frac{2}{\hat{\alpha}}\right\}$$

 $\hat{\alpha} = 0.16$

Lazar et al. 2019

$$\left[\left(\frac{r}{r_{-2}}\right)^{\hat{\alpha}} - 1\right]\right\}$$

Great for Dark Matter Only 2 parameters, better than NFW



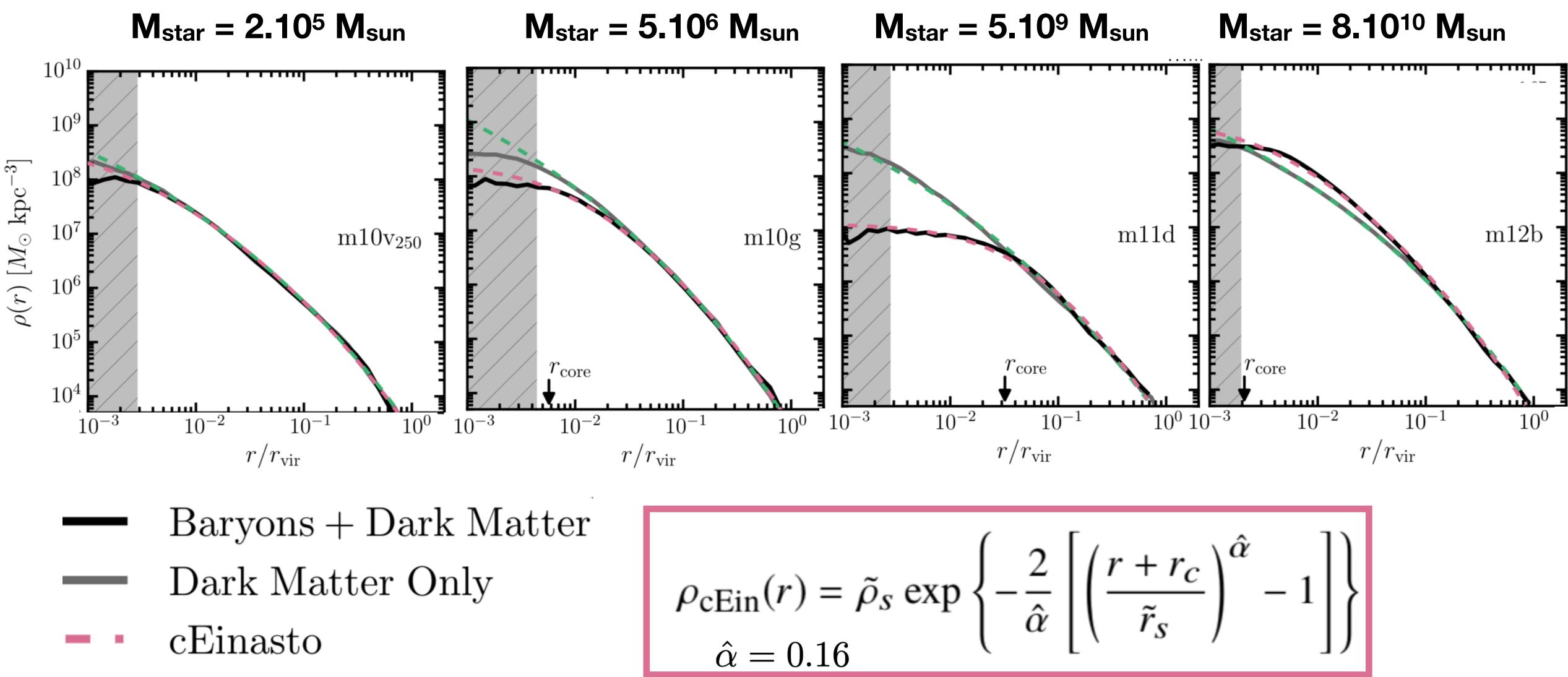
Great for our hydro runs

3 parameters, better than cNFW, Burkert, etc.





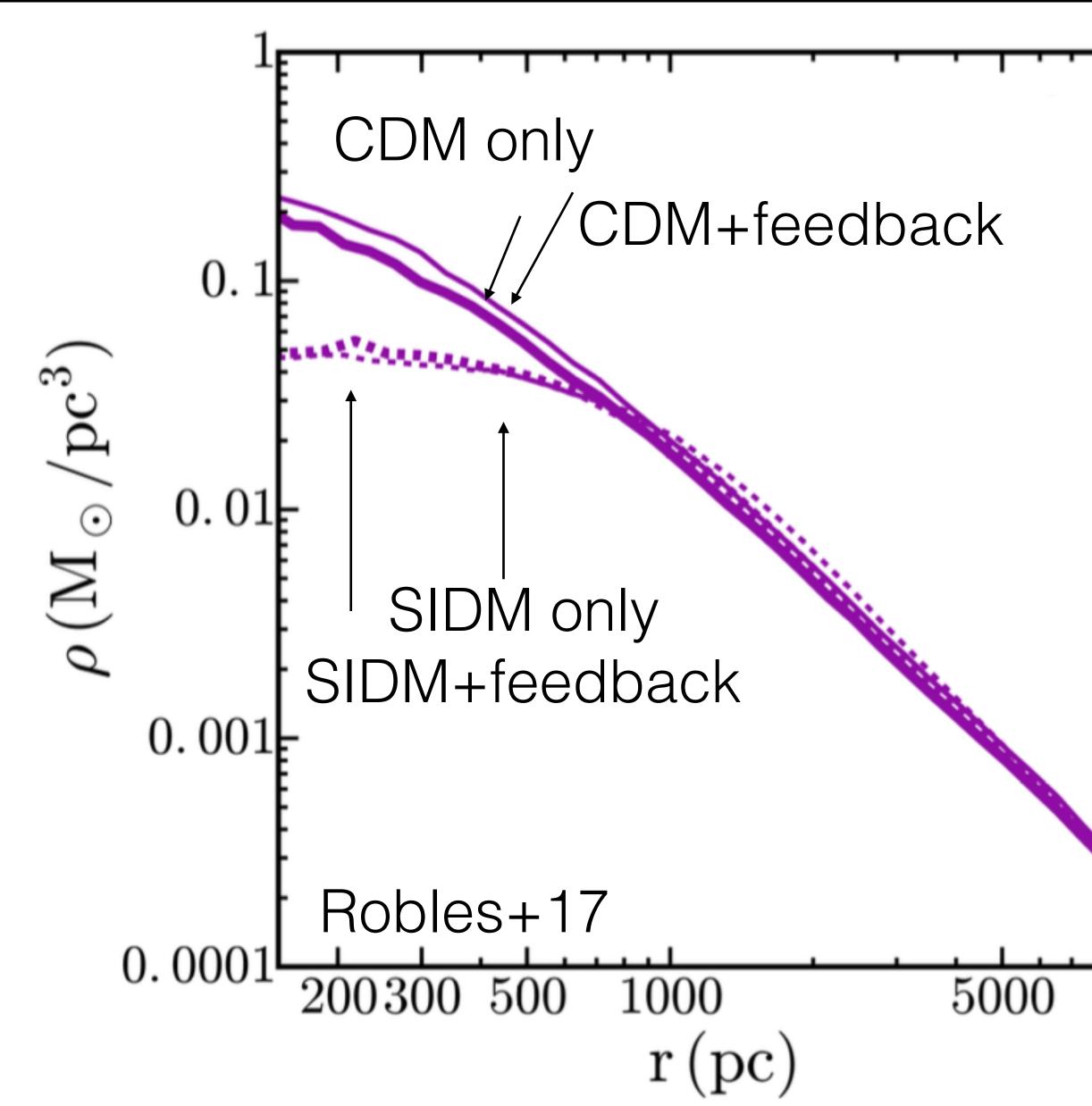
Core-Einasto: Excellent fit to DM in hydro simulations



- Einasto

Lazar et al. 2019

Tiny Galaxies: Perfect place to test CDM

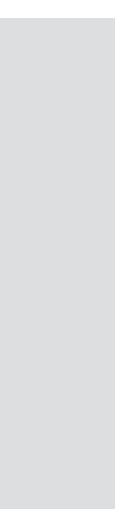


$M^* = 1.e6 M_{sun}$

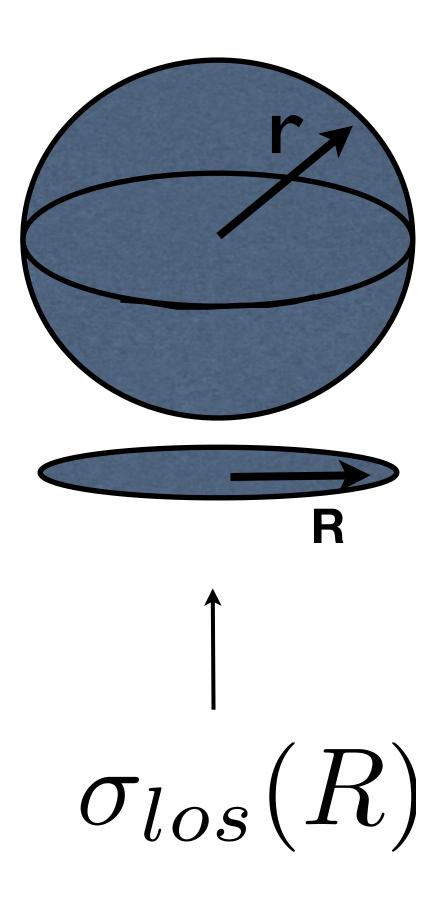
SIDM makes cores where CDM retains cusps.

Problem: these tiny galaxies are dispersion supported. Hard to extract density profiles.





Density profiles notoriously hard to deconstruct from 1D velocity dispersions



 $\Sigma_{\star}\sigma_{\rm los}^2(R) = \int_{R^2}$

Key o Aniso

 $M(r|\beta$

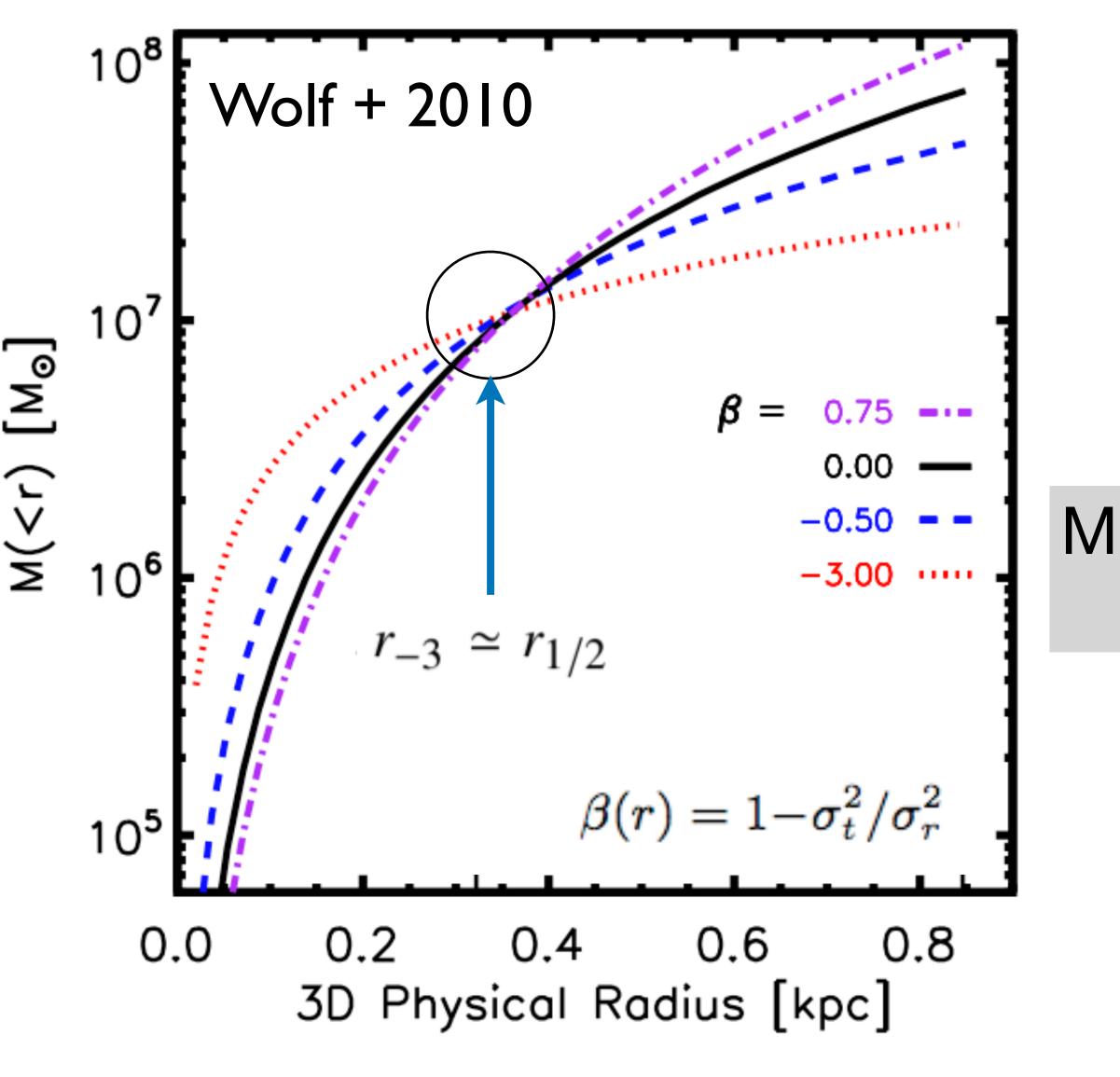
$$\frac{dr^2}{dr^2 - R^2} \left[1 - \frac{R^2}{r^2} \beta(r) \right] n_{\star} \sigma_r^2(r)$$

$$\int degeneracy with \beta(r) = 1 - \sigma_t^2 / \sigma_r^2$$

$$B) = \frac{r\sigma_r^2(r)}{G} \left[\gamma_\star + \gamma_\sigma - 2\beta(r)\right]$$

 $\gamma_{\star} := -d \log n_{\star}/d \log r$ $\gamma_{\sigma} := -d \log \sigma_r^2/d \log r.$

A single radius where mass is accurately known from LOS velocities!



See Walker+2009 for a related result

Can show that if you fix LOS observables

$$M(r|\beta) - M(r|\beta = 0) \simeq \frac{r\sigma_r^2\beta}{G} (\gamma_\star - 3)$$
$$\downarrow_{\gamma_\star := -d\log n_\star/d}$$

Mass is independent of anisotropy at radius where log-slope of tracer profile is -3

$$M(r_{-3}) = \frac{3\langle \sigma_{\rm los}^2 \rangle r_{-3}}{G}$$

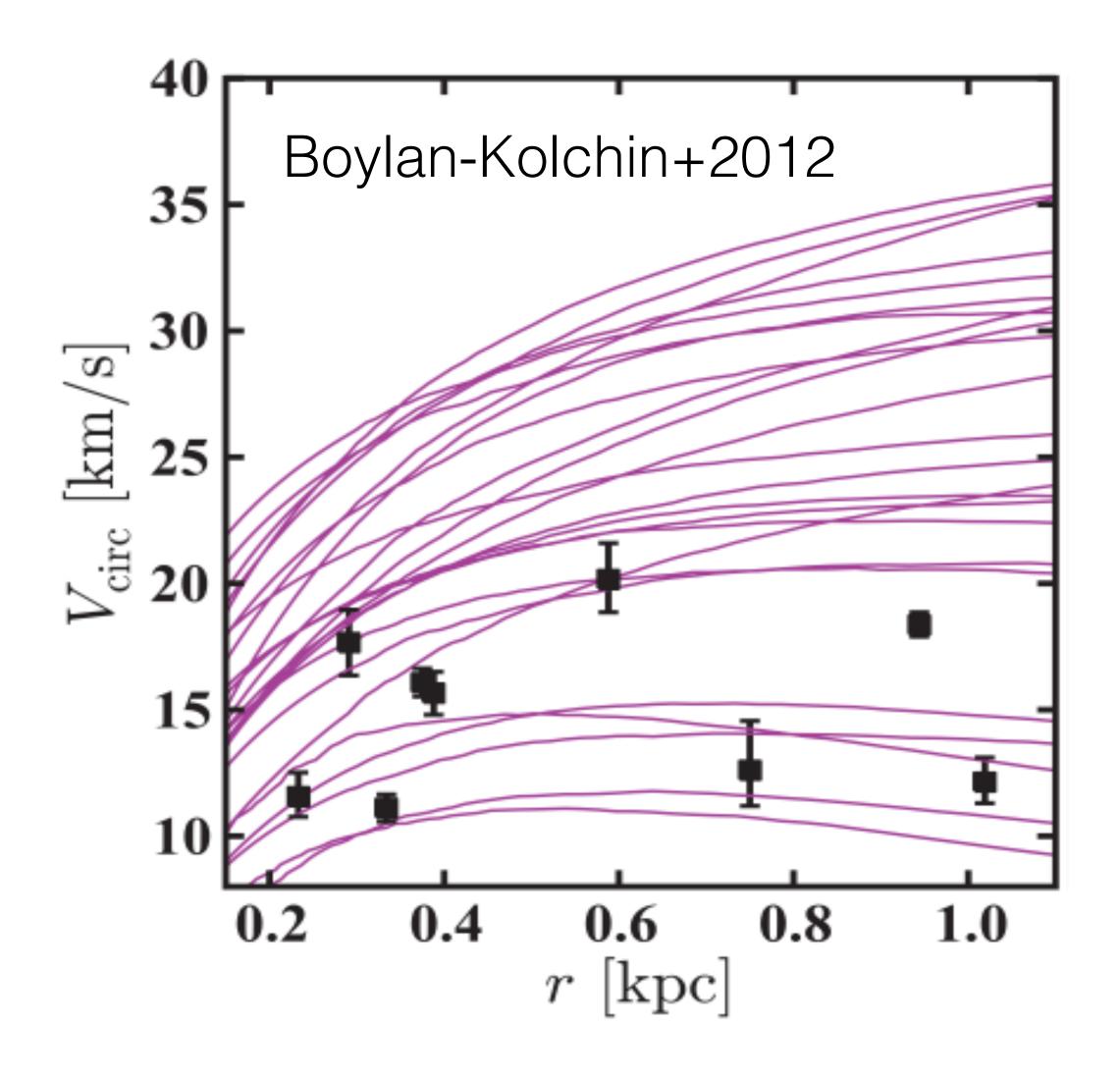
 $r_{-3} \simeq r_{1/2} \simeq 4R_e/3$



$\log r$



M₋₃ is mass estimator used in TBTF comparisons



$$V_{\rm circ}(r_{-3}) = \sqrt{3\langle\sigma_{\rm los}^2\rangle}$$

$r_{-3} \simeq r_{1/2} \simeq 4R_e/3$



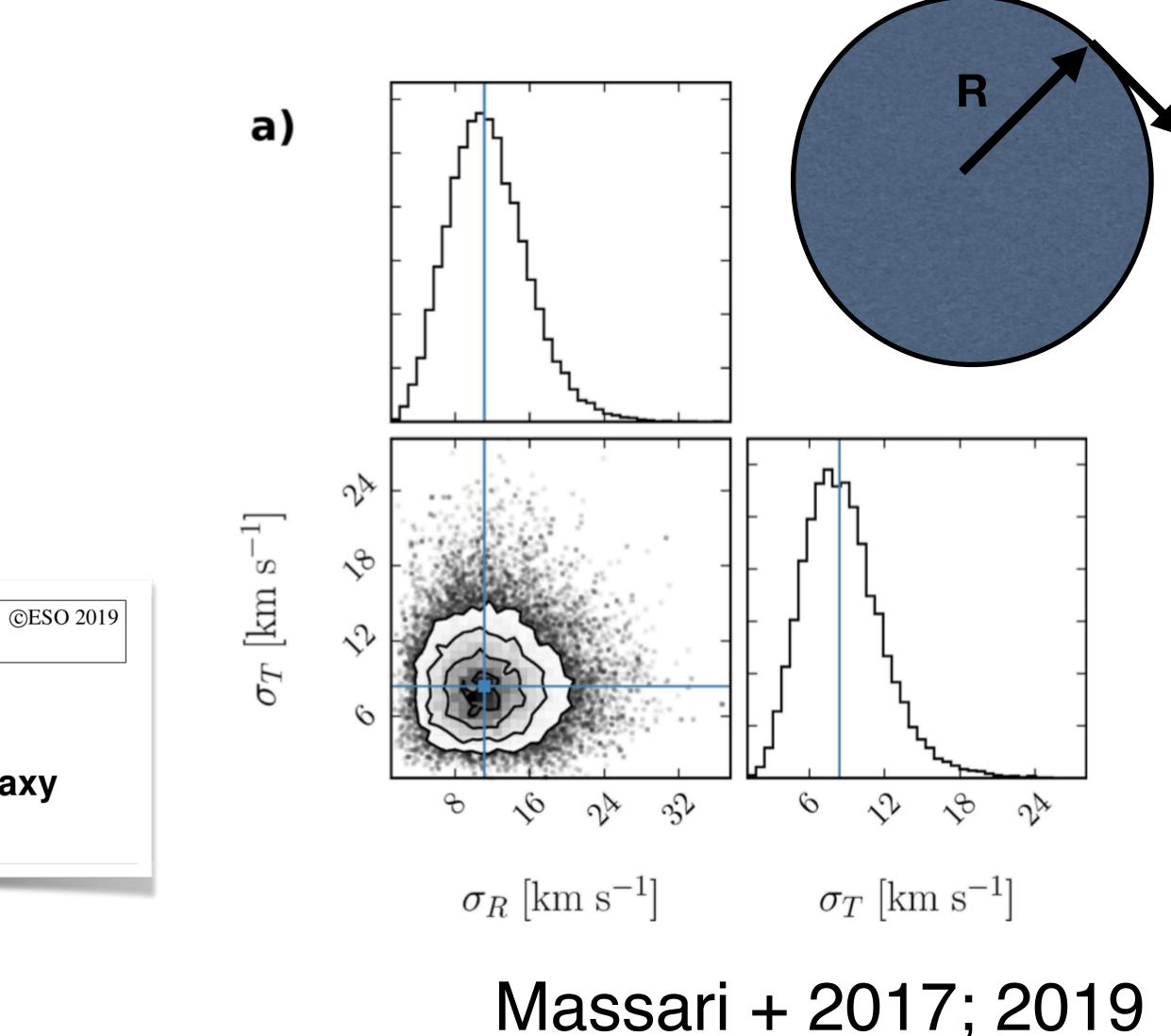
Velocity dispersion in the plane of the sky

| ✓ nature astronomy |
|---|
| Letter Published: 27 November 2017 |
| Three-dimensional motions in the |
| Sculptor dwarf galaxy as a glimpse of a |
| new era |
| D. Massari 🔀, M. A. Breddels, A. Helmi 🔀, L. Posti, A. G. A. Brown & E. Tolstoy |
| Nature Astronomy 2 , 156–161 (2018) Download Citation ⊻ |
| |

Astronomy & Astrophysics manuscript no. draco_arxiv April 9, 2019

Stellar 3-D kinematics in the Draco dwarf spheroidal galaxy

D. Massari¹, A. Helmi¹, A. Mucciarelli^{2, 3}, L. V. Sales⁴, L. Spina⁵, and E. Tolstoy¹











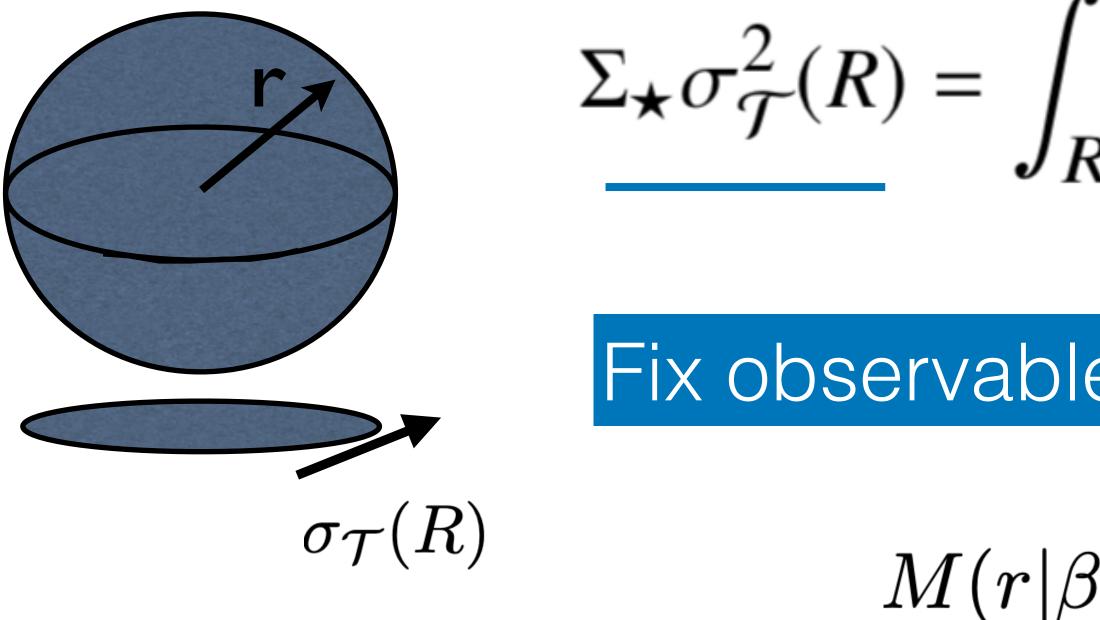








Tangential Velocity Dispersion





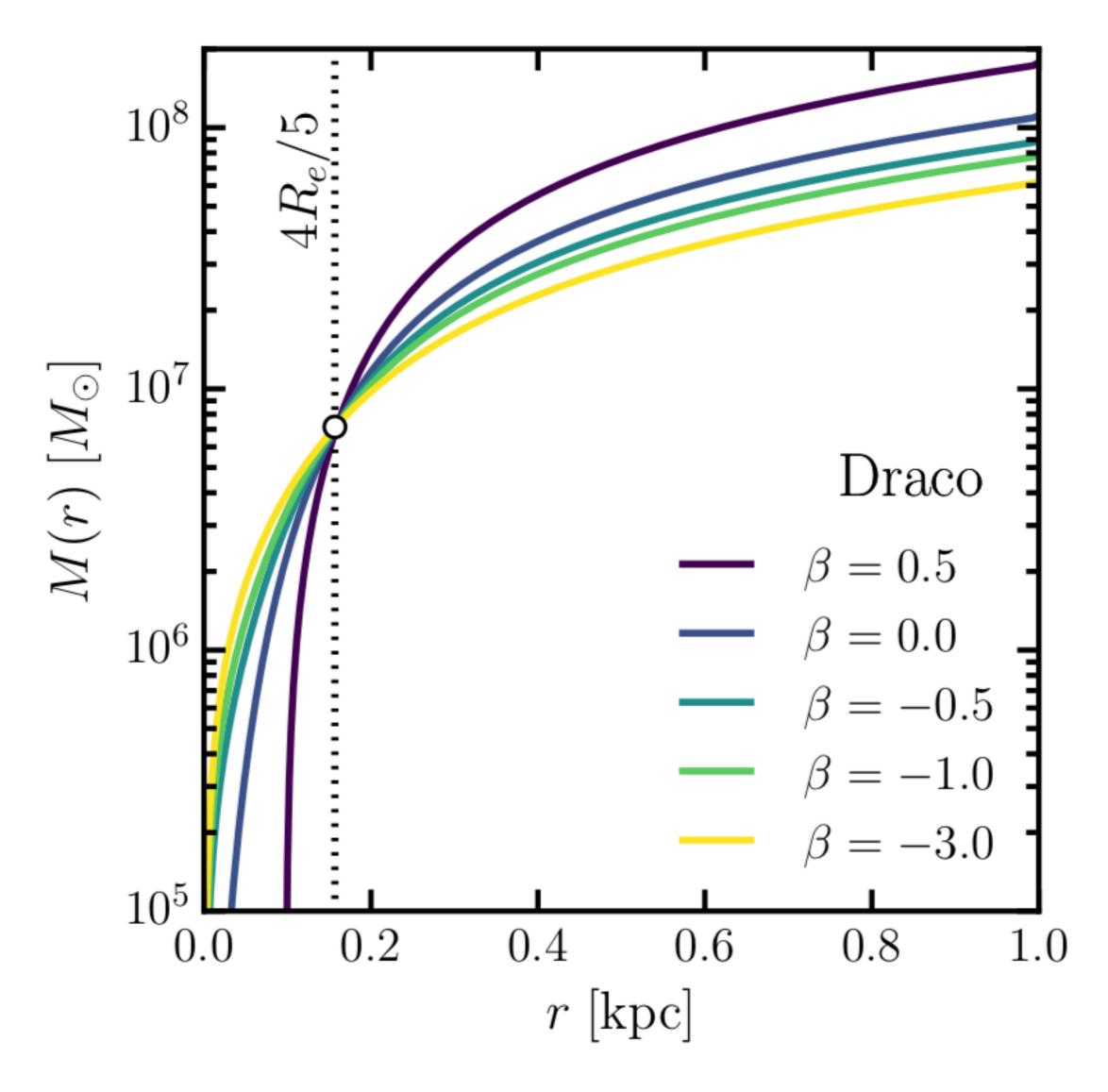
$$\int_{R^2}^{\infty} \frac{dr^2}{\sqrt{r^2 - R^2}} \left[1 - \beta(r)\right] n_{\star} \sigma_r^2(r)$$

$$(\beta) - M(r|\beta = 0) \simeq \frac{r\sigma_r^2\beta}{G} (\gamma_\star - 2)$$

nisotropy at radius $\gamma_\star := -d\log n_\star/d\log r$

Lazar & JSB 2019





Accurate mass from tangential velocity dispersion

$$M(r_{-2}) = \frac{2\langle \sigma_{\mathcal{T}}^2 \rangle r_{-2}}{G}$$

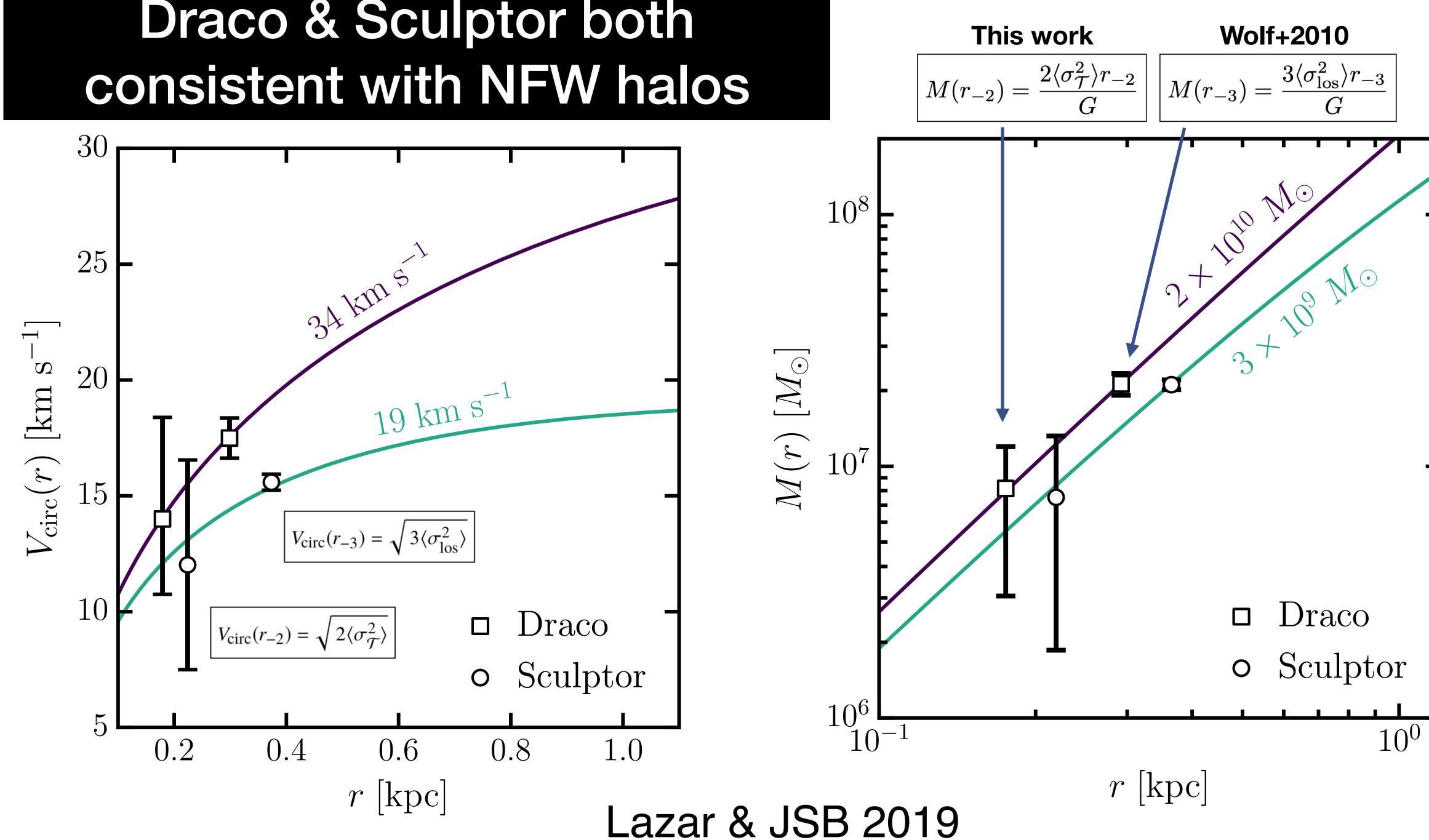
 $r_{-2} \simeq 4R_e/5 \simeq 3r_{1/2}/5$

$$V_{\rm circ}(r_{-2}) = \sqrt{2 \langle \sigma_{\mathcal{T}}^2 \rangle}$$

Lazar & JSB 2019

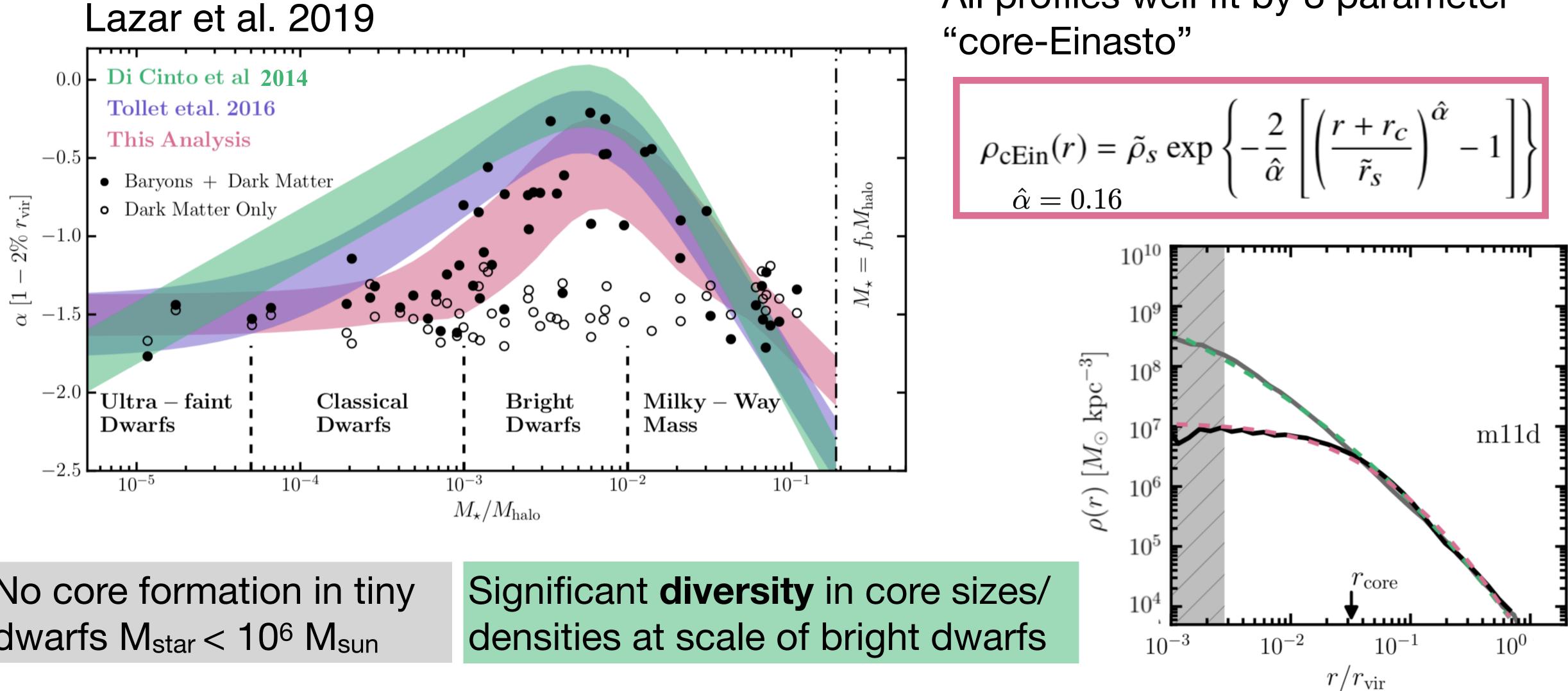


Draco & Sculptor both





Summary 1: FIRE-2 DM density profiles

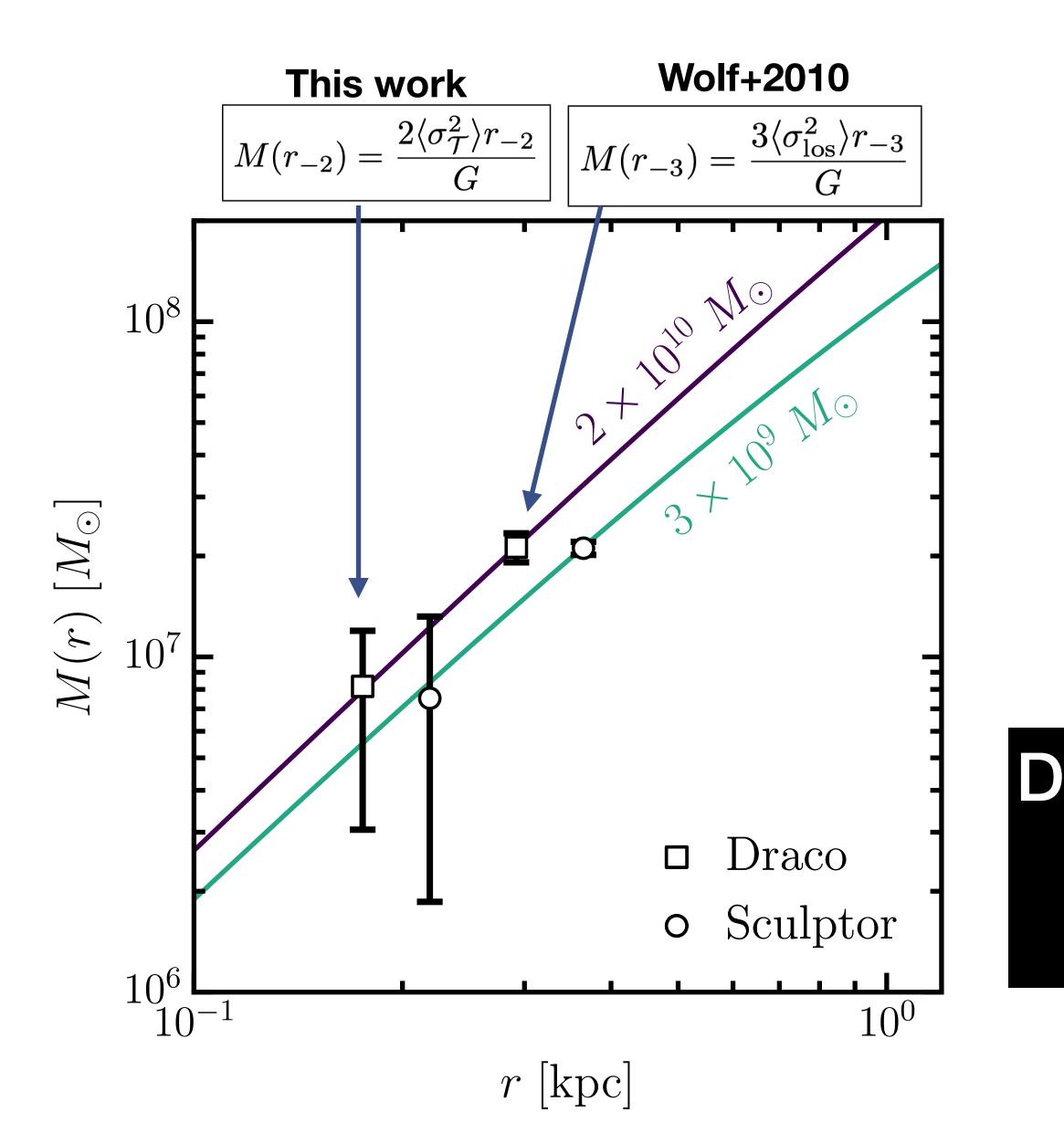


No core formation in tiny dwarfs $M_{star} < 10^{6} M_{sun}$

All profiles well fit by 3 parameter







Summary 2: New Mass Estimator

Accurate mass from tangential velocity dispersion

$$M(r_{-2}) = \frac{2\langle \sigma_{\mathcal{T}}^2 \rangle r_{-2}}{G}$$

$$r_{-2} \simeq 4R_e/5 \simeq 3r_{1/2}/5$$

Draco & Sculptor both consistent with NFW halos; more data required to provide tighter constraints

Lazar & JSB 2019



Single-radius estimator good to <20% when compared to cosmological simulations





