

Constraining Dark Energy with Double Source Plane Strong Lenses

Thomas Collett

Institute of Astronomy, Cambridge

With:

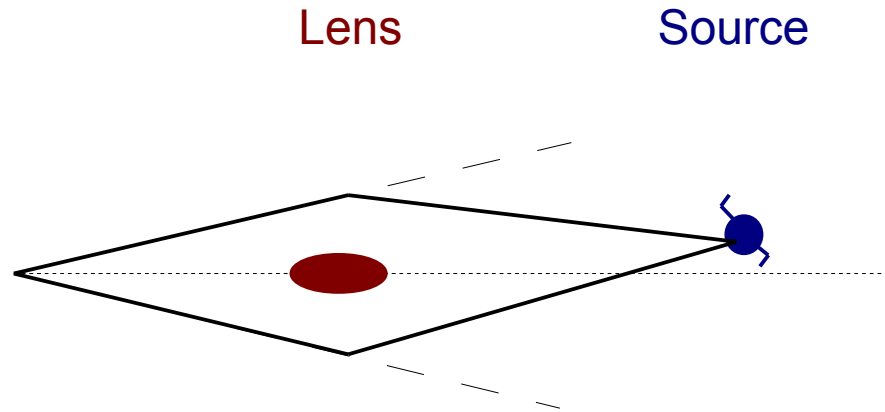
Matt Auger, Vasily Belokurov,
Phil Marshall and others

ArXiv:1203.2758, ArXiv:1303.6564
and unpublished work

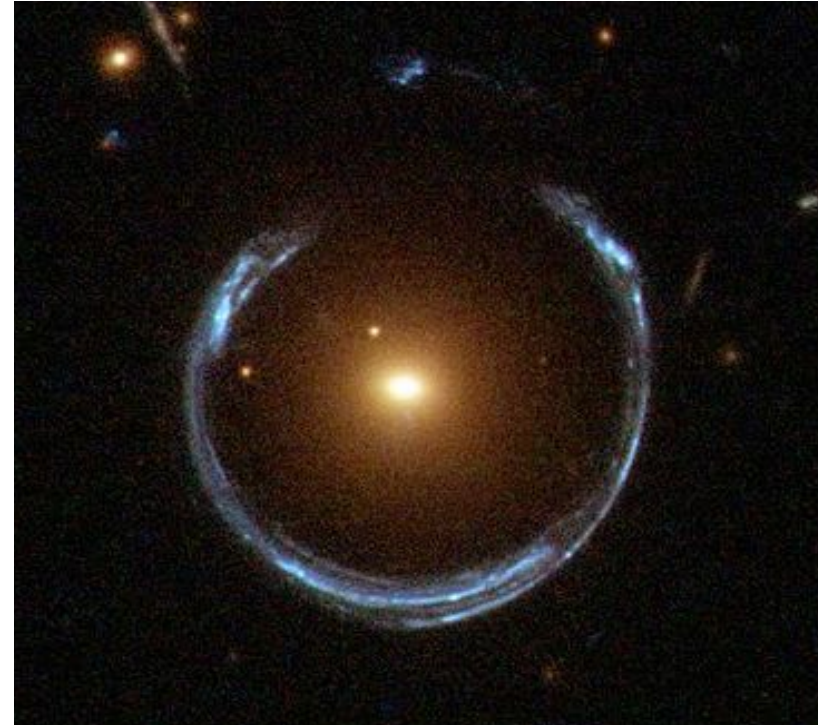
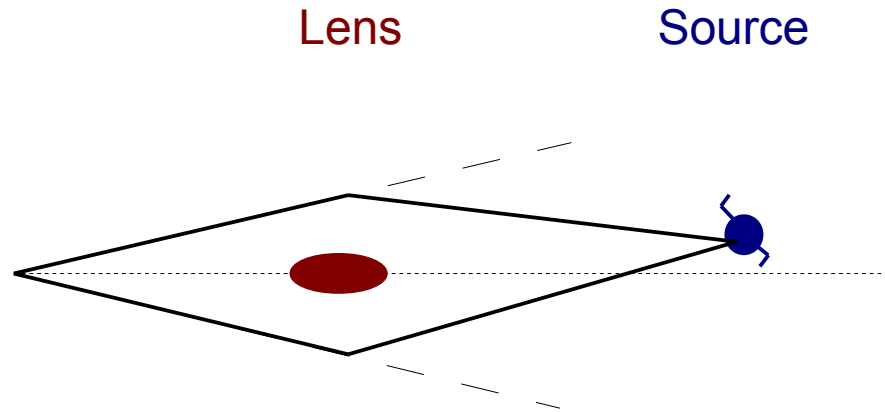


Strong lensing is an optical bench

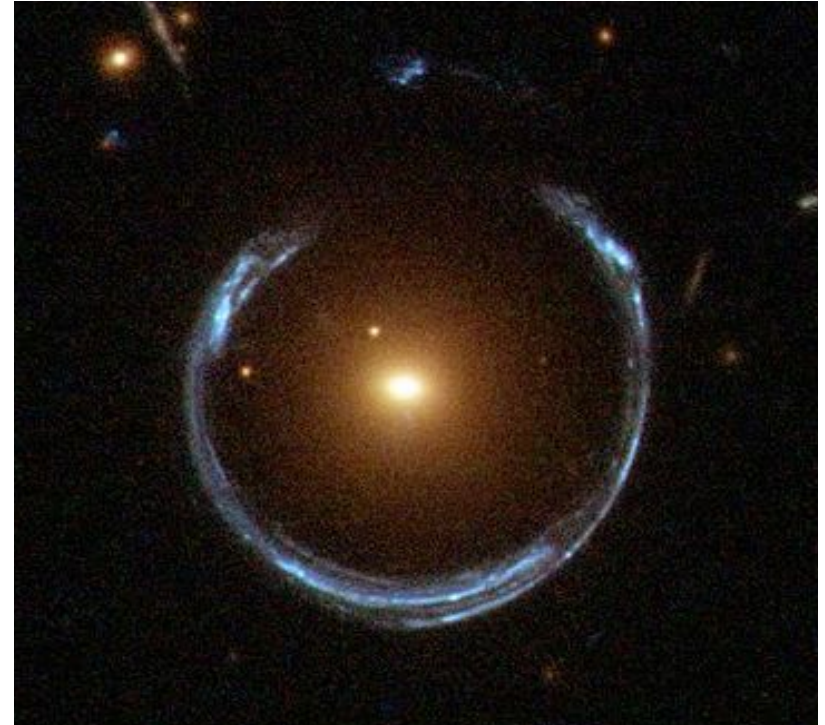
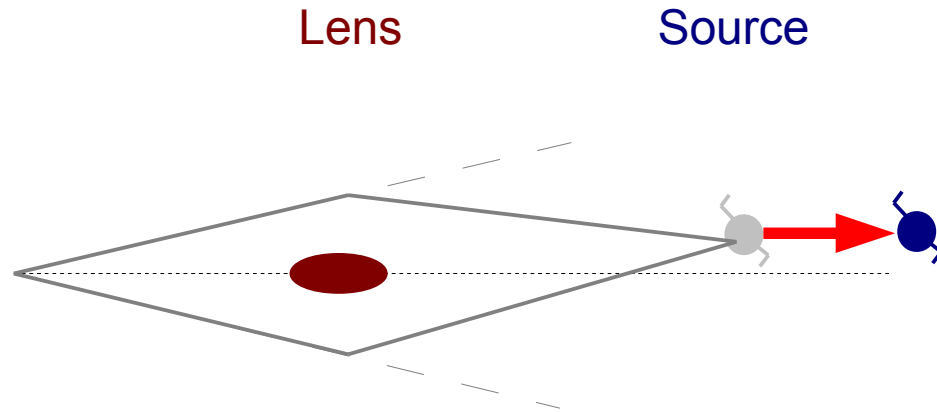
Strong lensing is an optical bench



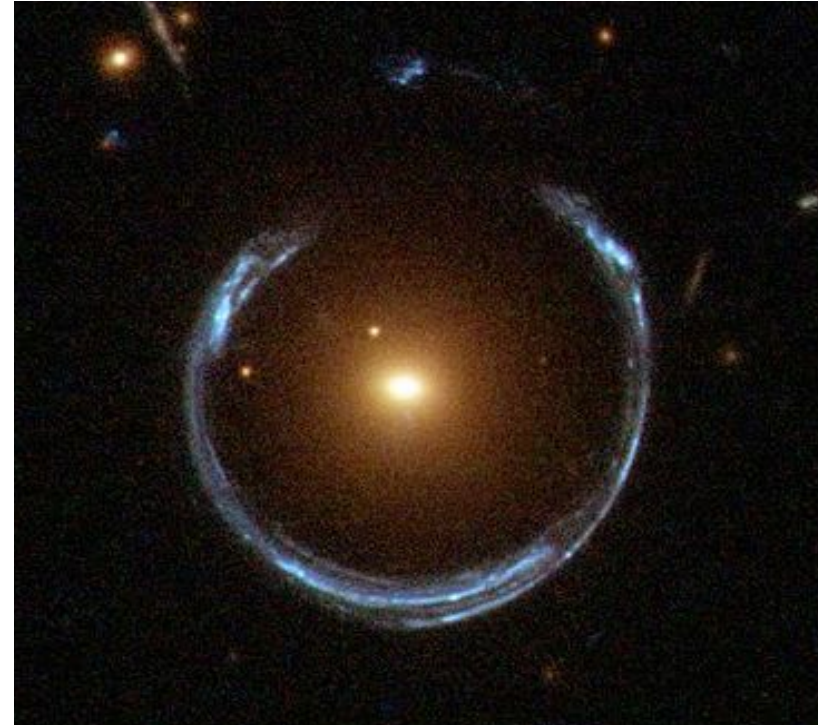
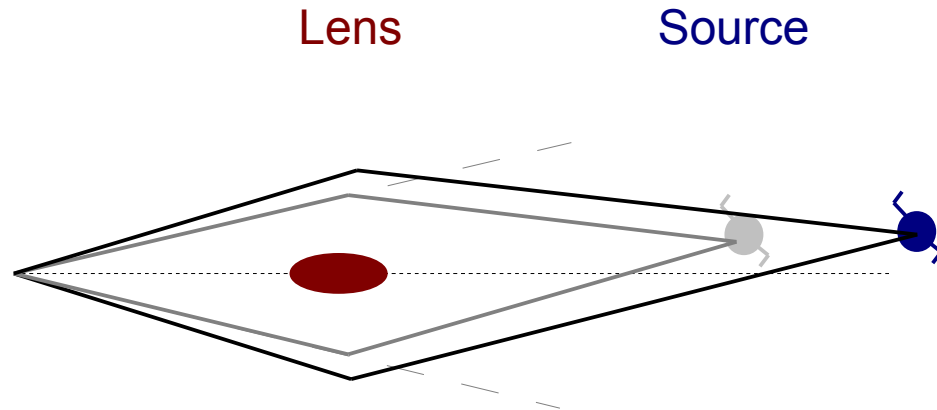
Strong lensing is an optical bench



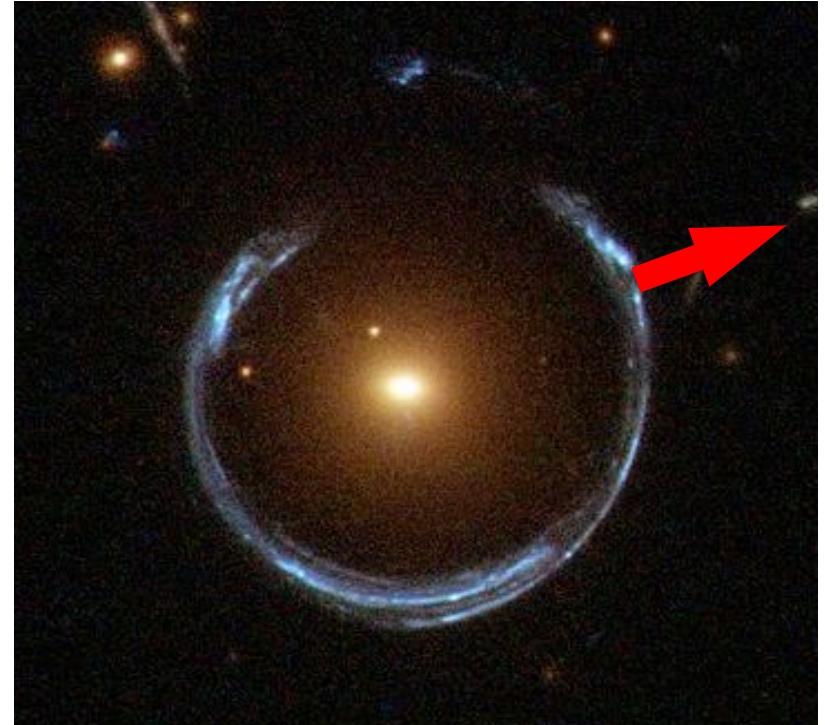
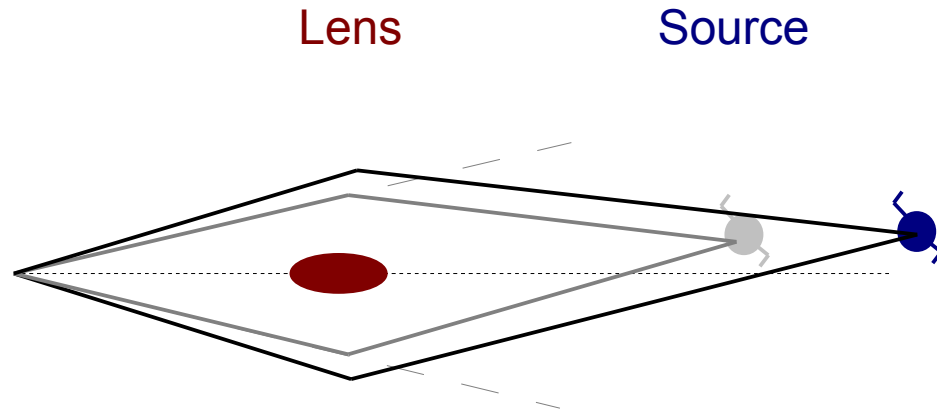
Strong lensing is an optical bench



Strong lensing is an optical bench



Strong lensing is an optical bench



Strong lensing is an optical bench

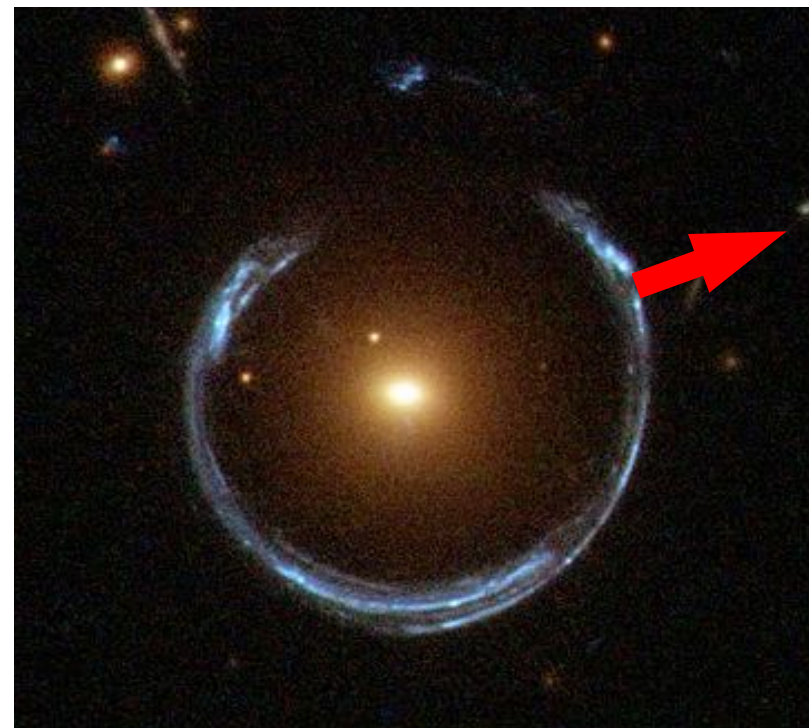
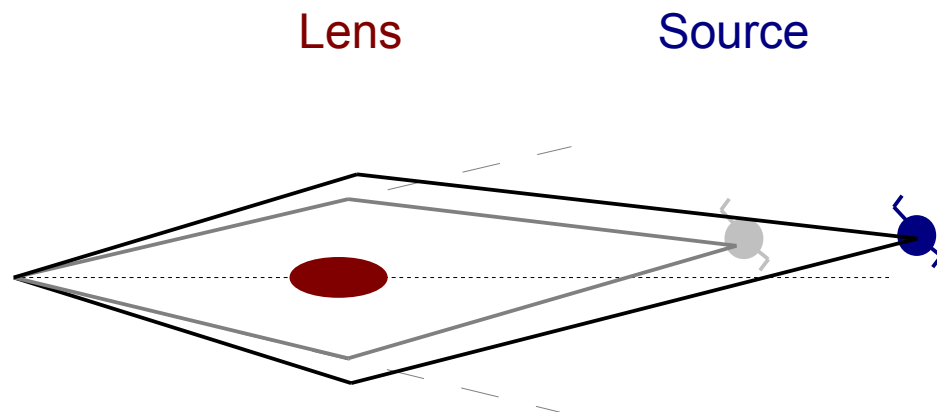
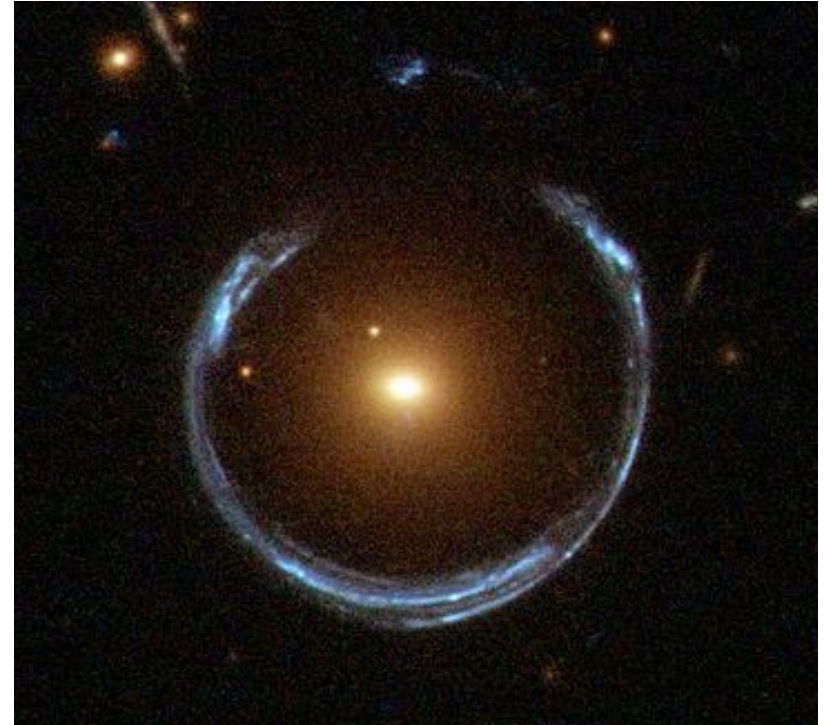
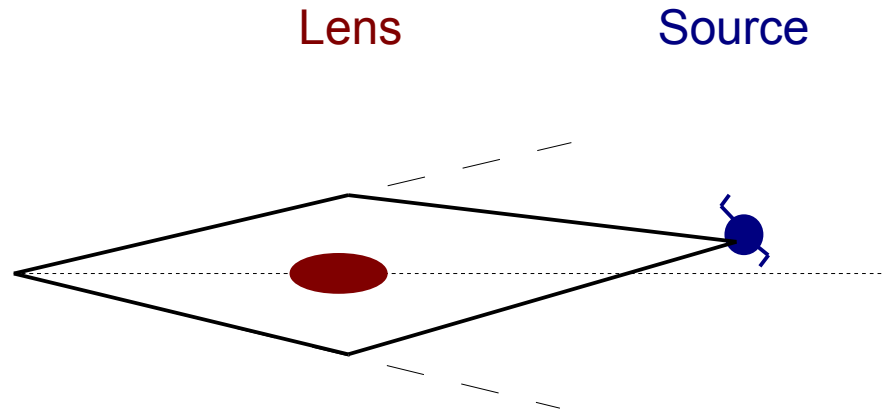
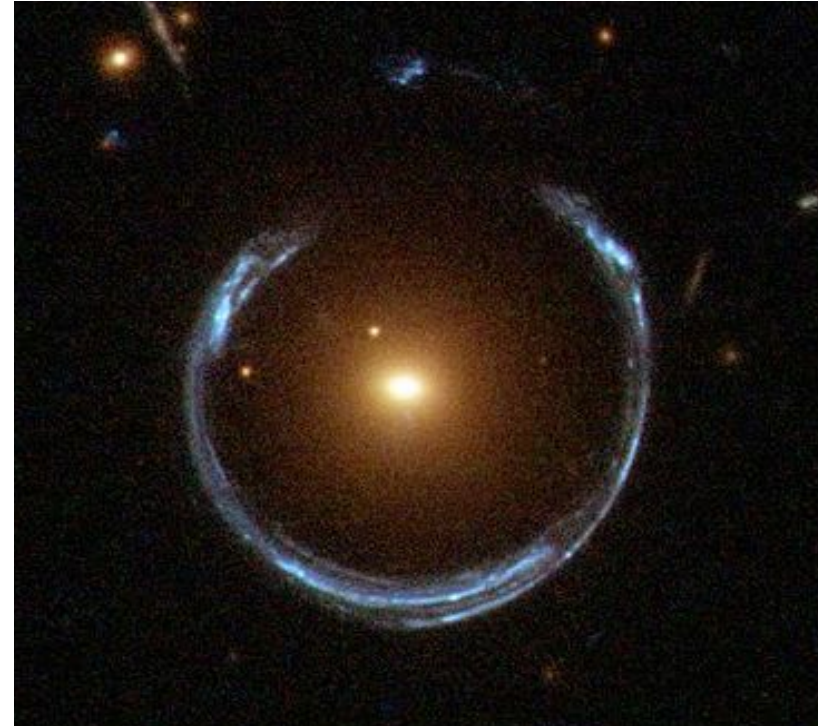
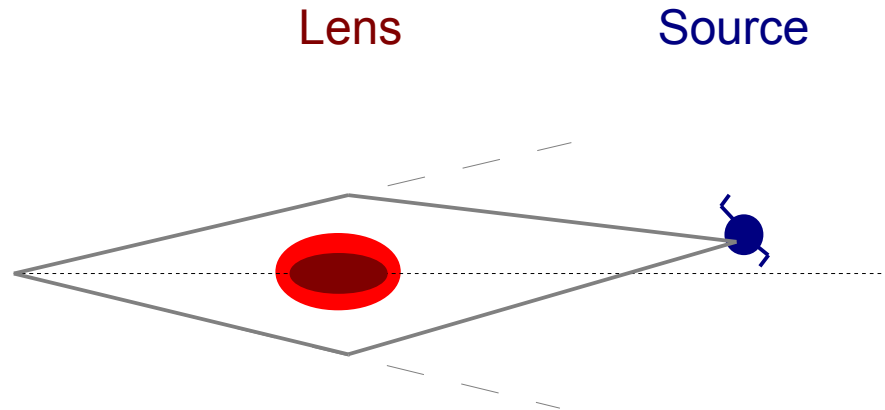


Image configurations depend on the distances

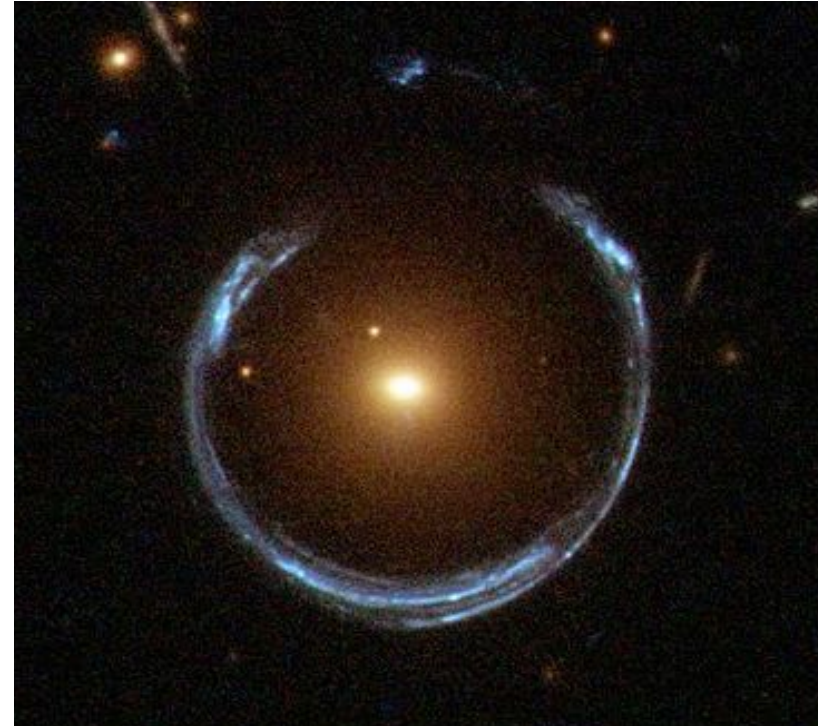
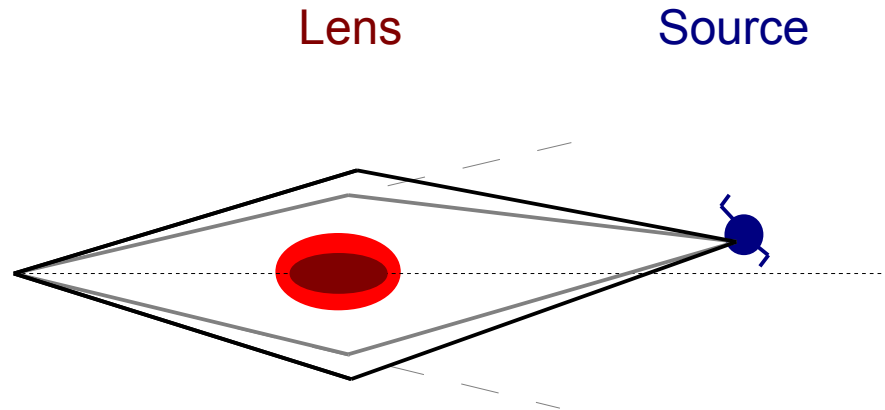
Strong lensing is an optical bench



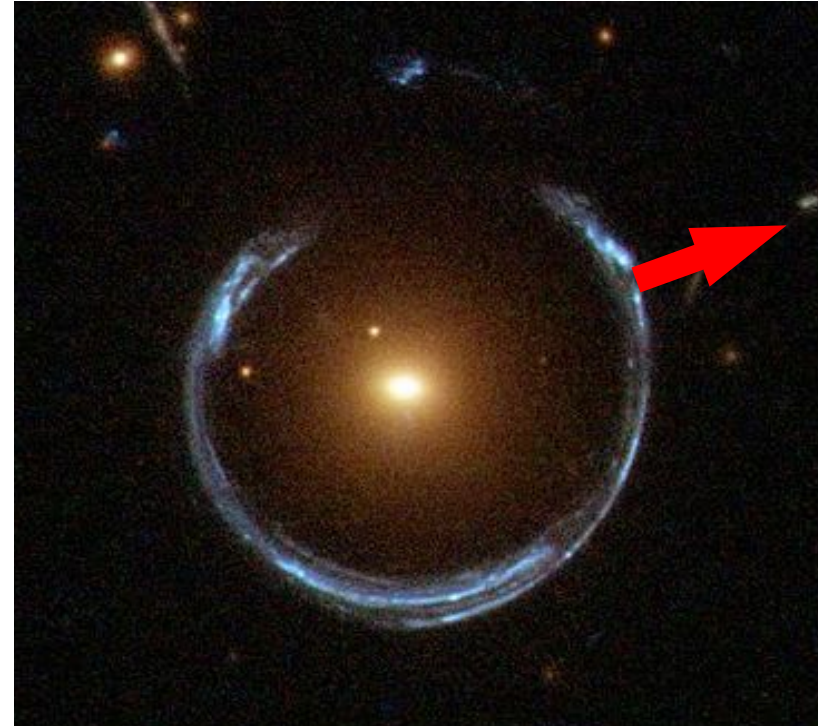
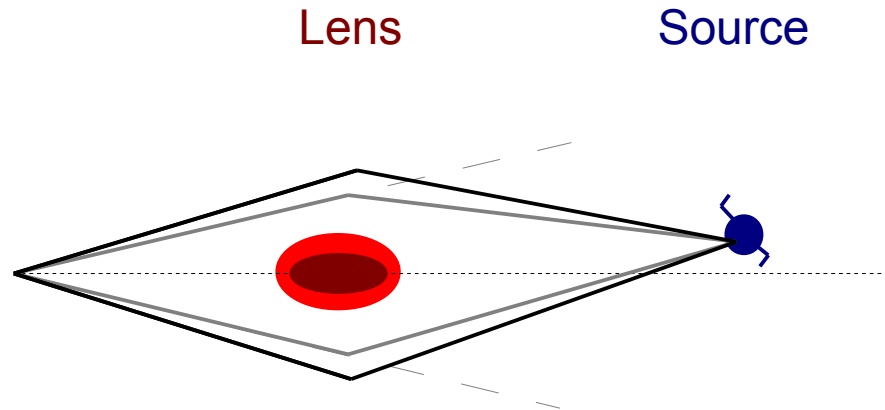
Strong lensing is an optical bench



Strong lensing is an optical bench



Strong lensing is an optical bench



Strong lensing is an optical bench

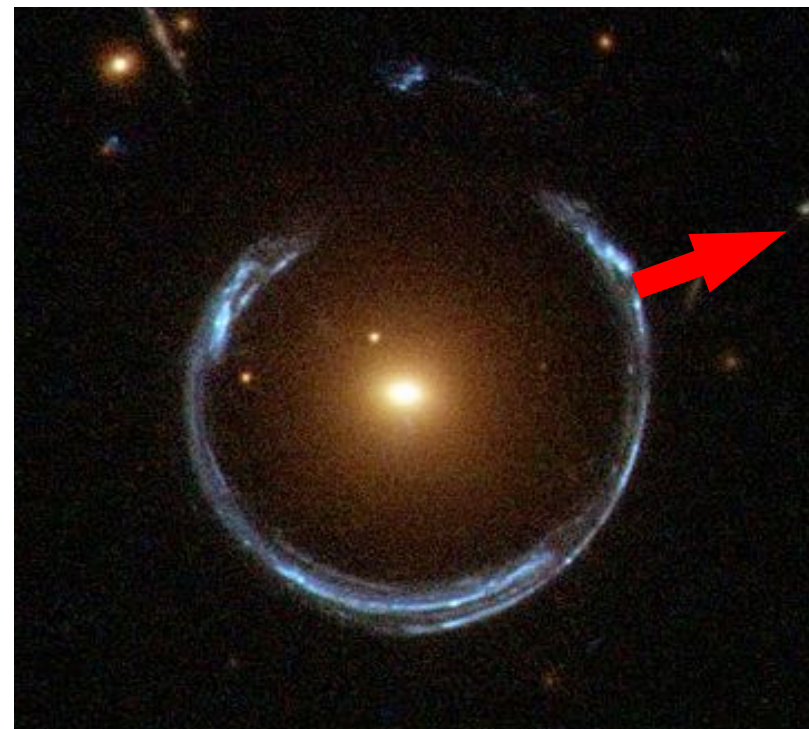
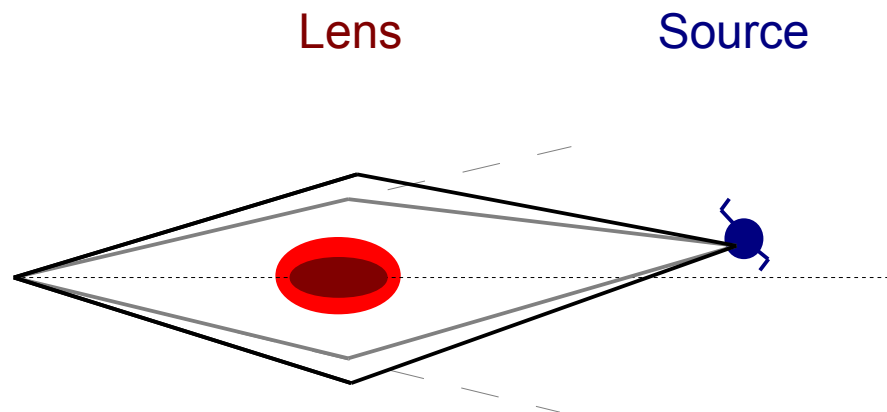


Image configurations depend on the lensing mass.

$$\theta_E = \sqrt{\frac{GM(\theta_E)}{c^2} \frac{D_{ls}}{D_{ol}D_{os}}}$$

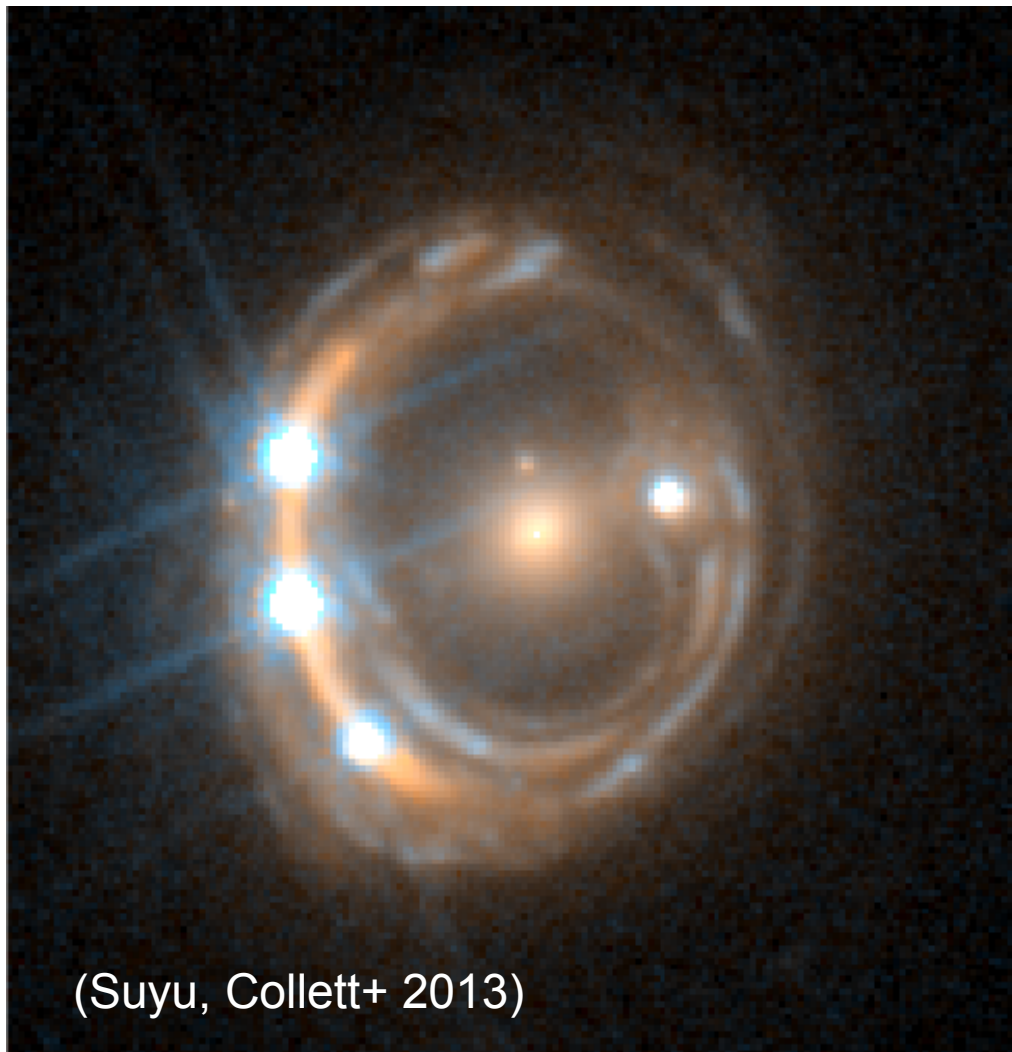
Uncertainty in the mass model makes cosmography hard

$$D_{ij} = \frac{c/H_0}{(1+z_j)} \int_{z_i}^{z_j} \frac{dz}{\Omega_M(1+z)^3 + (1-\Omega_M)(1+z)^{3(1+w)}}$$

↑
↑

Matter Density
Dark Energy Equation of State

+ can add a term for spatial curvature



(Suyu, Collett+ 2013)

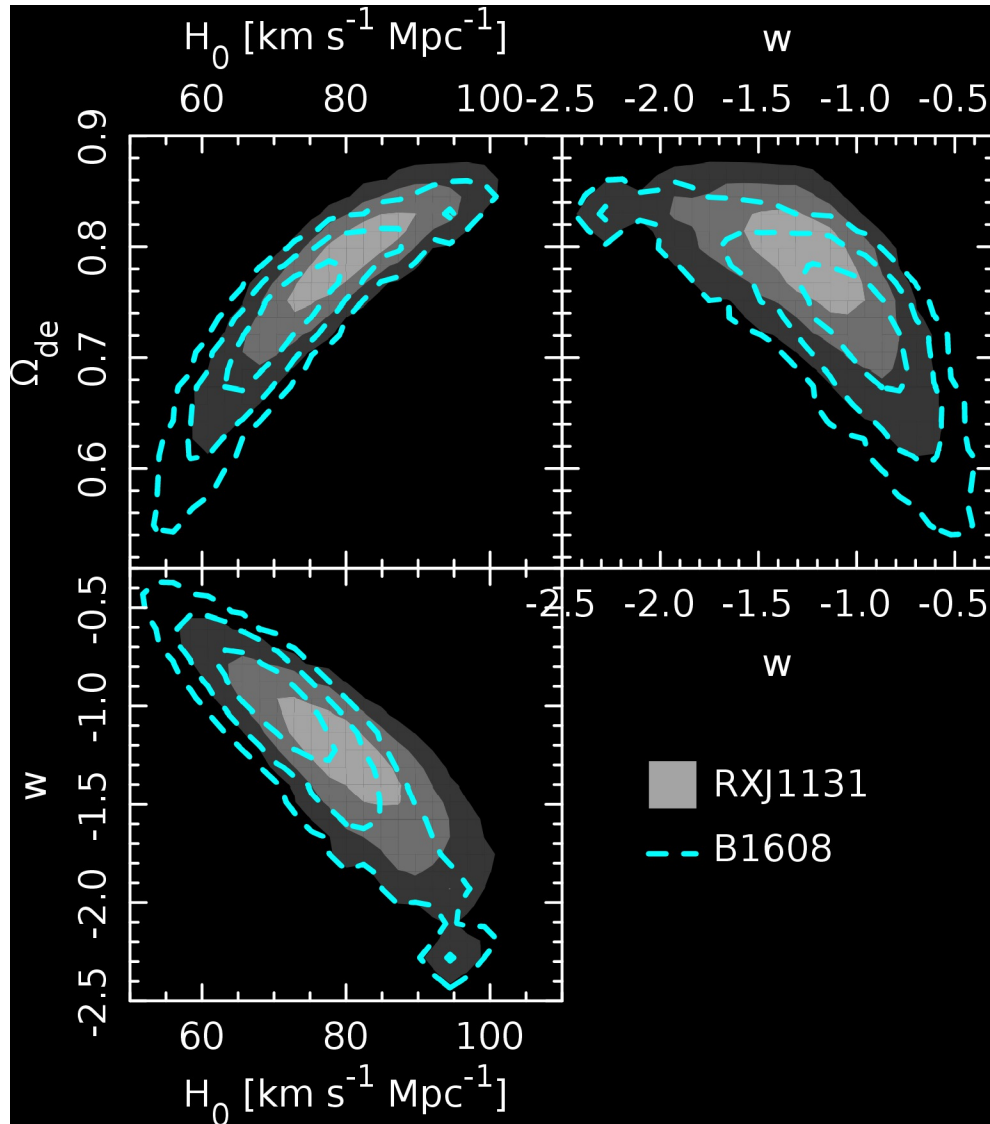
Time Delays:

Different images:

- Different path lengths
- Different Shapiro delays

$$\Delta t \propto D_{\Delta t} = (1+z_l) (D_l D_s) / D_{ls}$$

Need to get mass model right!



Time Delays:

Different images:

- Different path lengths
- Different Shapiro delays

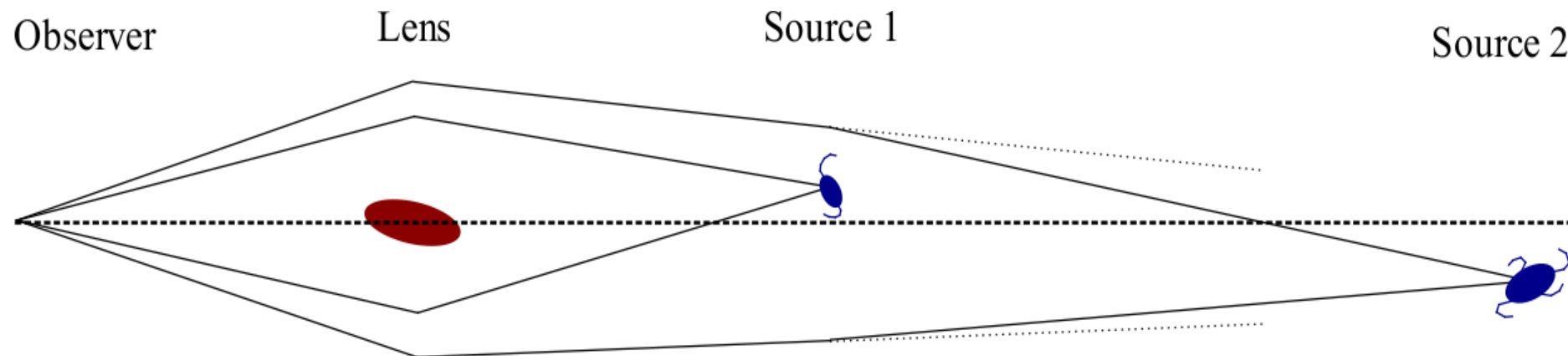
$$\Delta t \propto D_{\Delta t} = (1+z_l) (D_l D_s) / D_{ls}$$

Need to get mass model right!

What is double source plane strong lensing?

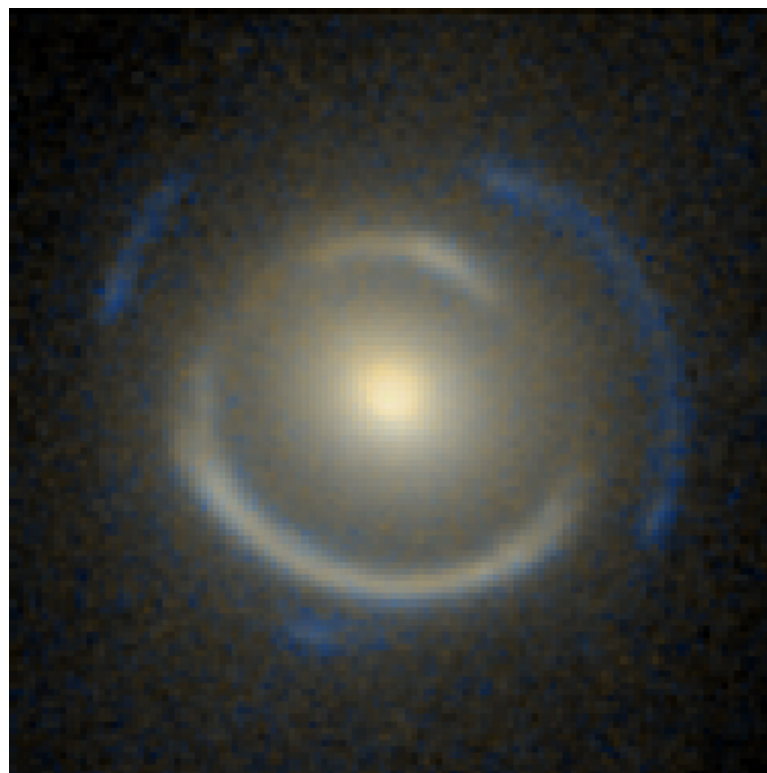
What is double source plane strong lensing?

A gravitational lens system with two background sources, each at a different redshift.



What is double source plane strong lensing?

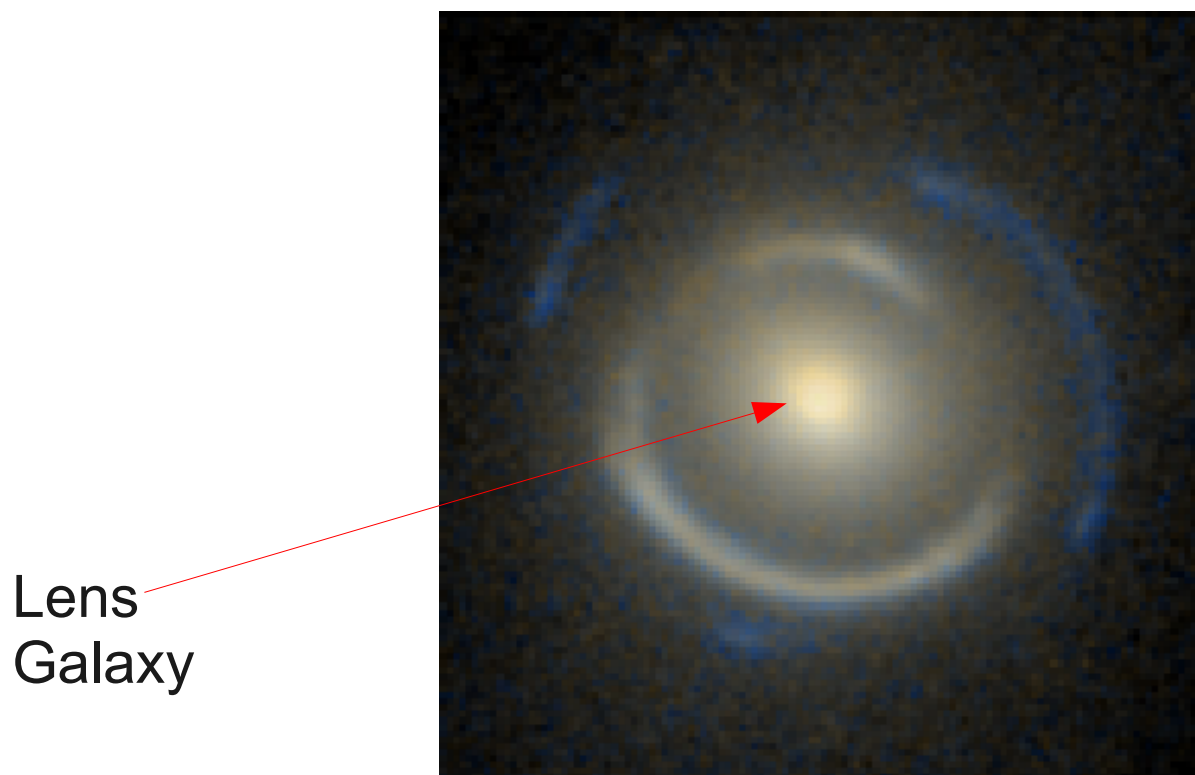
A gravitational lens system with two background sources, each at a different redshift.



SLACS
J0946+1006

What is double source plane strong lensing?

A gravitational lens system with two background sources, each at a different redshift.

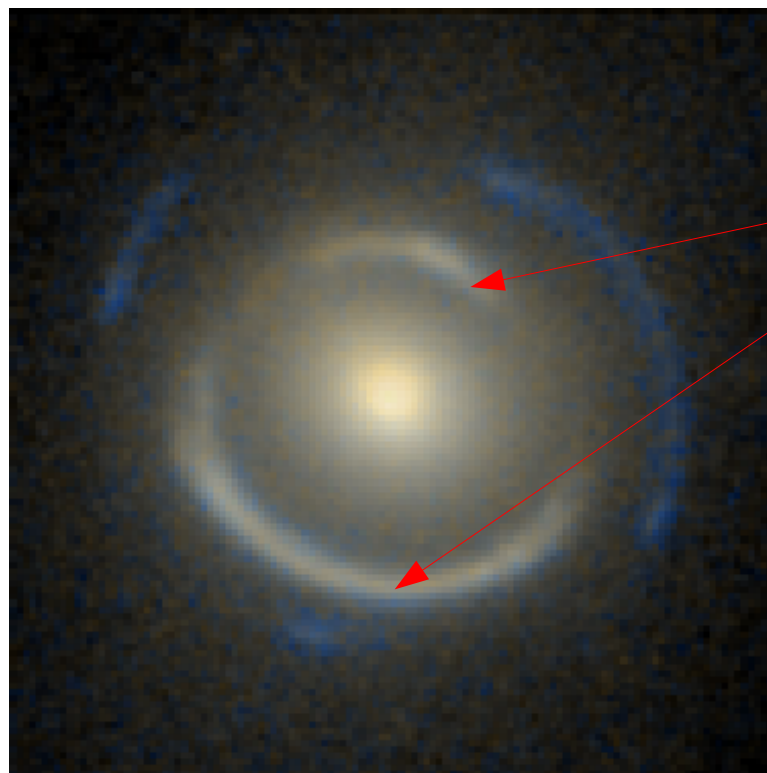


Lens
Galaxy

SLACS
J0946+1006

What is double source plane strong lensing?

A gravitational lens system with two background sources, each at a different redshift.



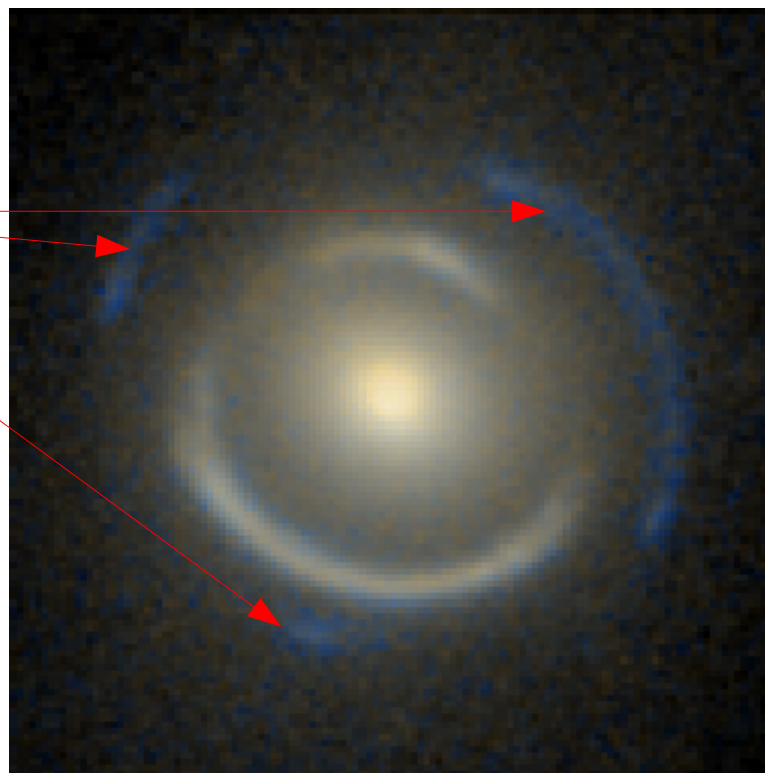
Images of the
intermediate source

SLACS
J0946+1006

What is double source plane strong lensing?

A gravitational lens system with two background sources, each at a different redshift.

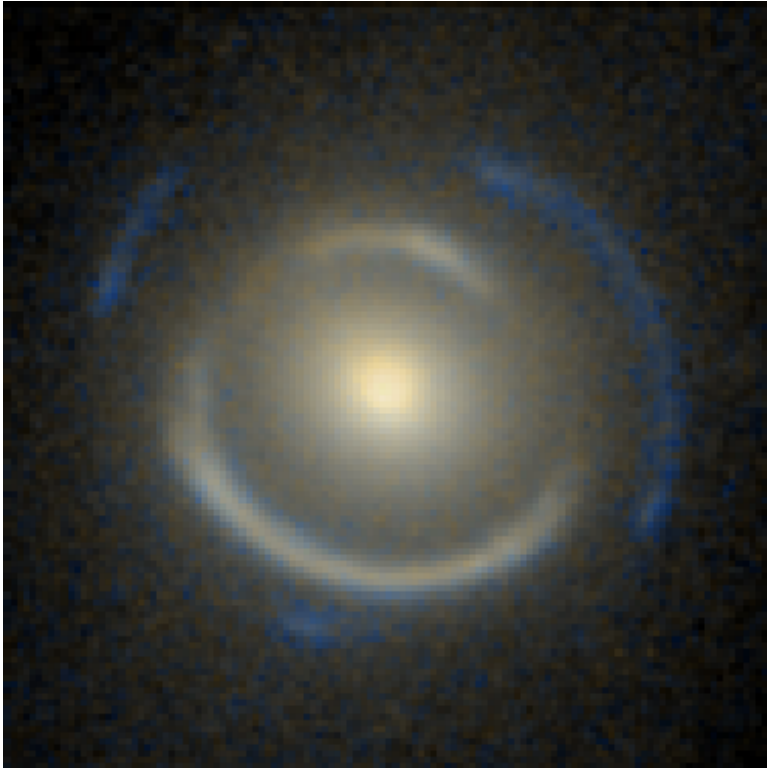
Images of the
background source



SLACS
J0946+1006

The observable:

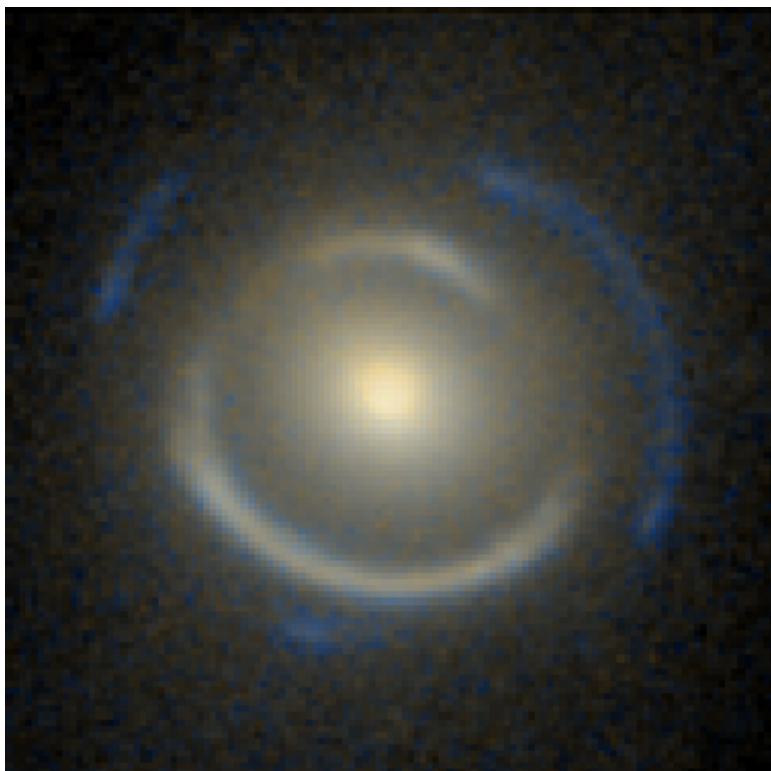
The Ratio of Einstein Radii.



$$\eta = \frac{\theta_{E,1}}{\theta_{E,2}}$$

The observable:

The Ratio of Einstein Radii.

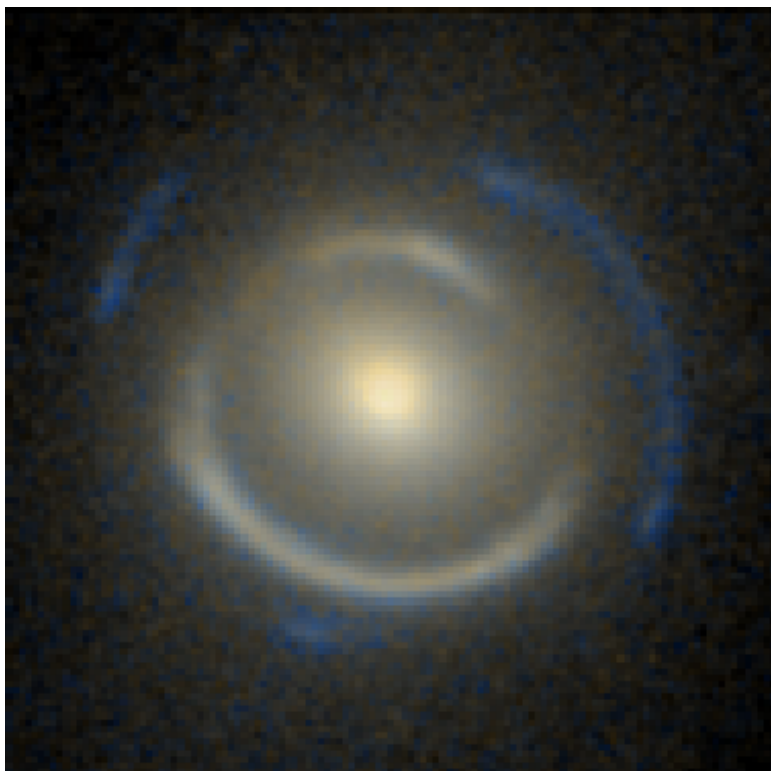


$$\eta = \frac{\theta_{E,1}}{\theta_{E,2}}$$

$$\theta_E^{\text{SIS}} = 4\pi \frac{\sigma_V^2}{c^2} \frac{D_{ls}}{D_s}$$

The observable:

The Ratio of Einstein Radii.



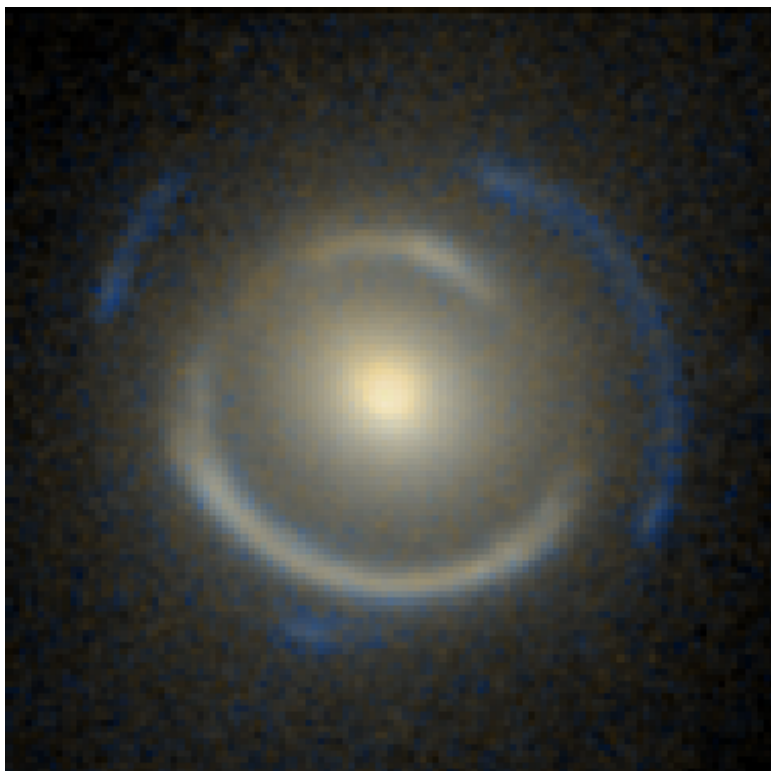
$$\eta = \frac{\theta_{E,1}}{\theta_{E,2}}$$

$$\theta_E^{\text{SIS}} = 4\pi \frac{\sigma_V^2}{c^2} \frac{D_{ls}}{D_s}$$

$$\eta^{\text{SIS}} = \frac{D_{ls1} D_{s2}}{D_{ls2} D_{s1}}$$

The observable:

The Ratio of Einstein Radii.



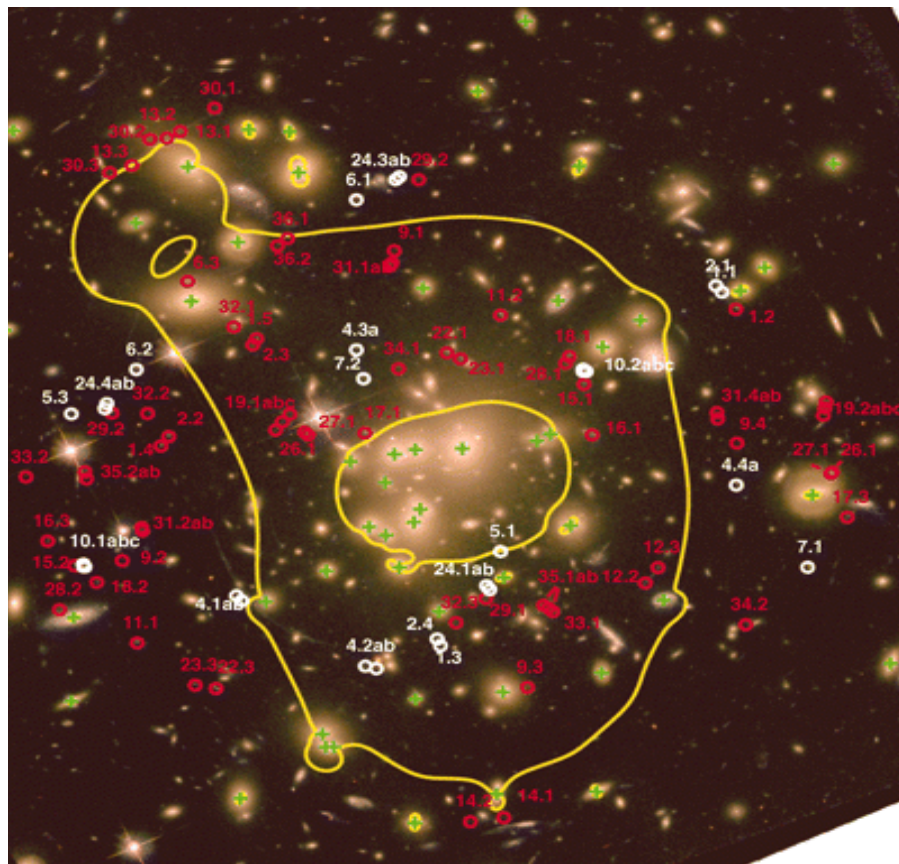
$$\eta = \frac{\theta_{E,1}}{\theta_{E,2}}$$

$$\theta_E^{\text{SIS}} = 4\pi \frac{\sigma_V^2}{c^2} \frac{D_{ls}}{D_s}$$

$$\eta^{\text{SIS}} = \frac{D_{ls1} D_{s2}}{D_{ls2} D_{s1}}$$

No dependence on the
Hubble constant!

Jullo et al. (2010) Results:



$$\Omega_M = 0.25 \pm 0.05, w_{DE} = -0.97 \pm 0.07$$

(Abel 1689 + WMAP5 + X-ray cluster constraints)

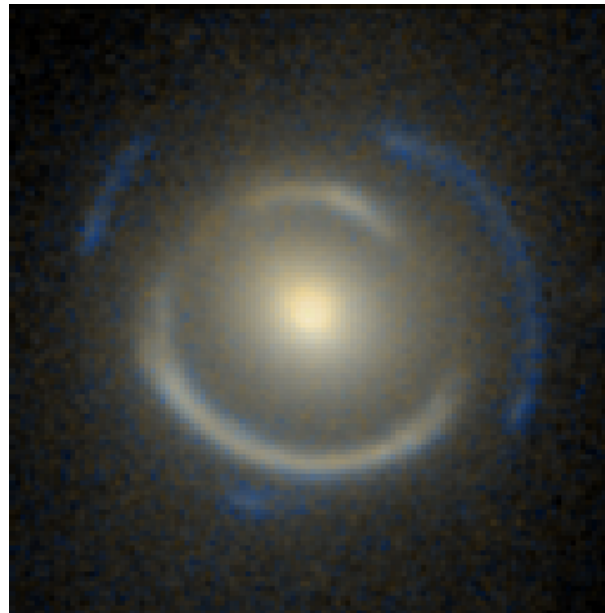
The mass is *very* complicated

- Hard to control systematics

Constraining Cosmology.

Preliminary models of J0946 suggest statistical uncertainty of $\sim 1\%$ on the ratio of Einstein Radii.

Uncertainty is dominated by the lens' mass density slope

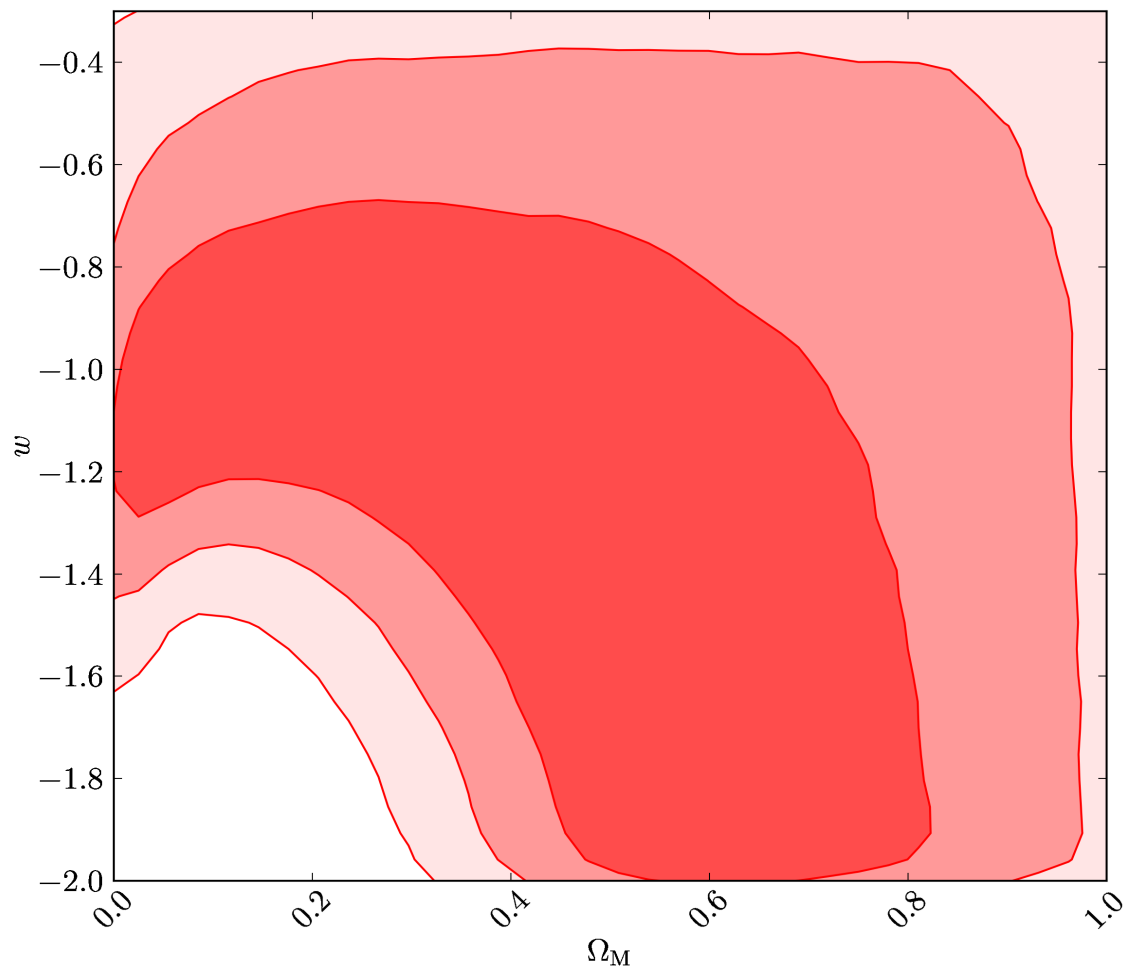


Constraining Cosmology.

$$z_l = 0.35$$

$$z_{s1} = 0.6$$

$$z_{s2} = 1.5$$



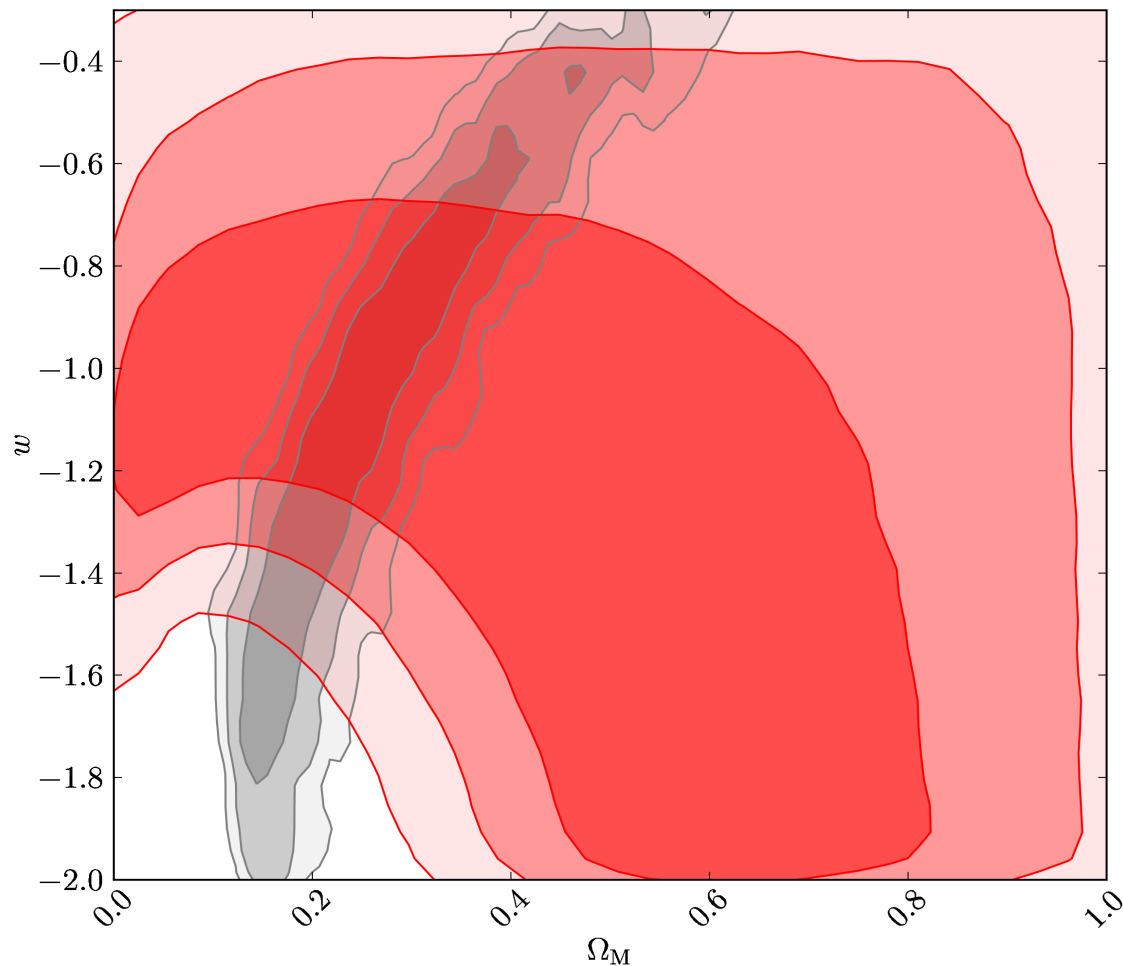
Constraining Cosmology.

$$z_l = 0.35$$

$$z_{s1} = 0.6$$

$$z_{s2} = 1.5$$

WMAP



Constraining Cosmology.

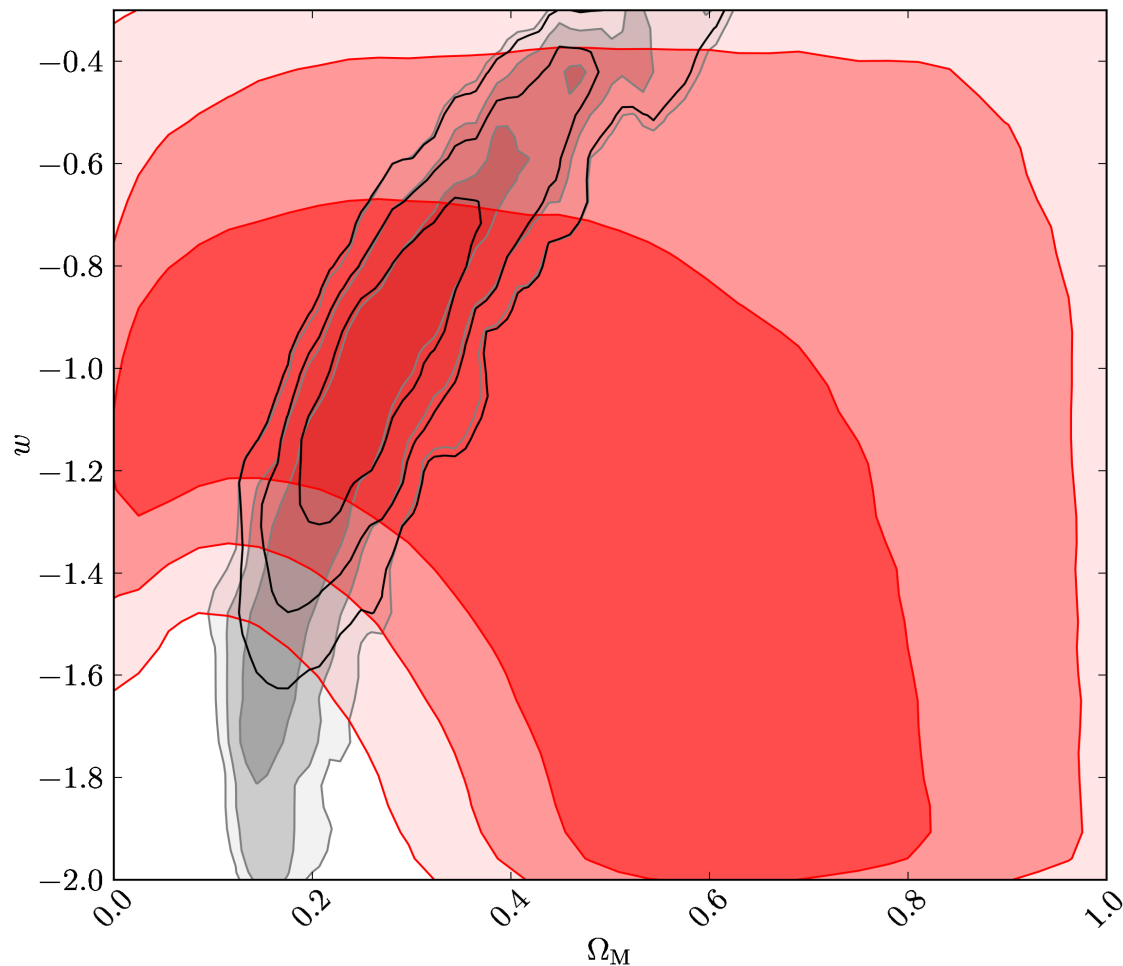
$$z_l = 0.35$$

$$z_{s1} = 0.6$$

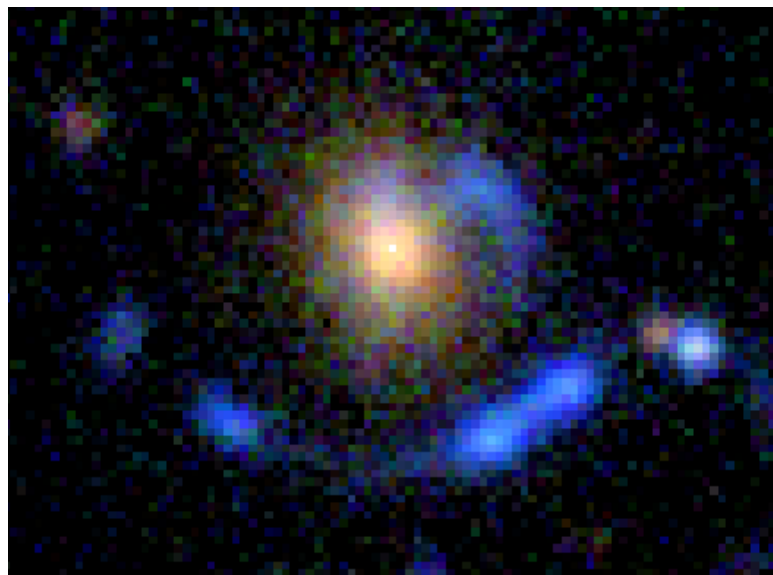
$$z_{s2} = 1.5$$

WMAP

Combination



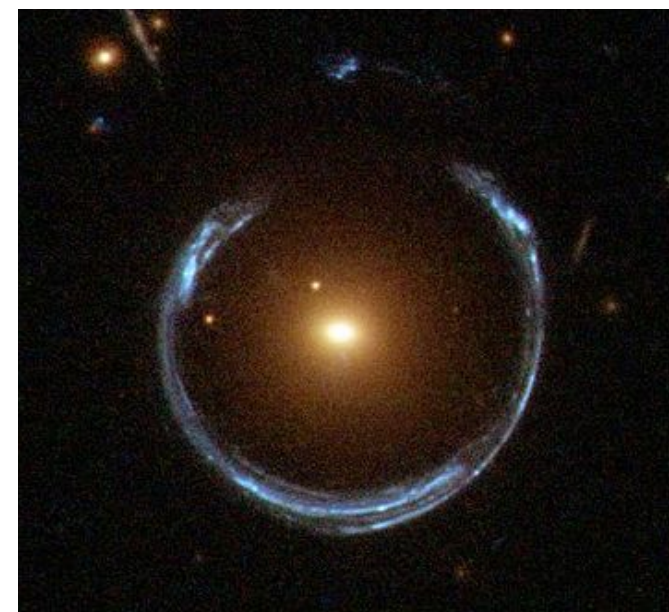
Finding more systems



Piggy-back on deep, large area surveys

Target known lenses

Target the most massive galaxies



Constraints with 6 systems.

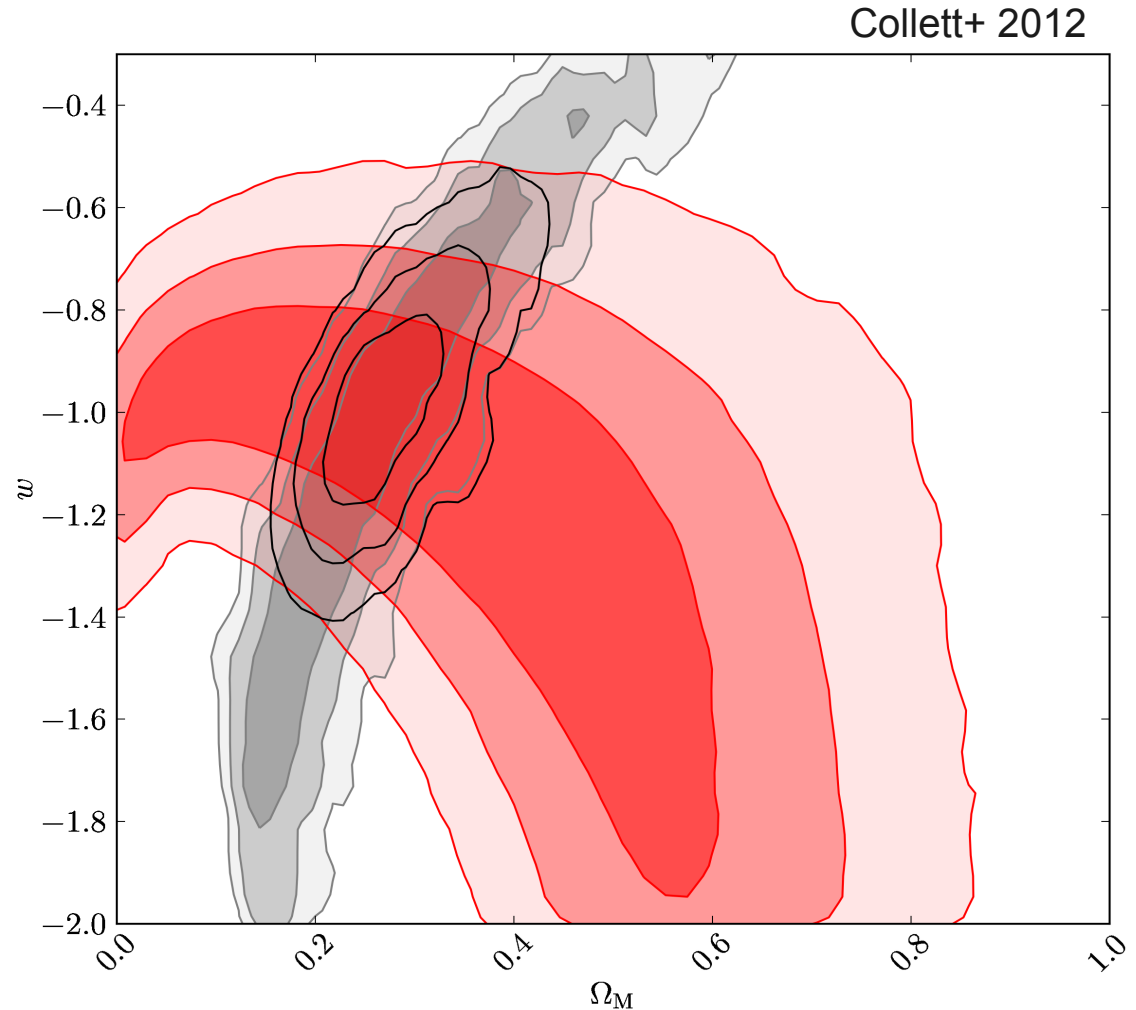
Forecast the distribution of lens and source redshifts

WMAP+6 systems is ~ 2.5 times better than WMAP+1.

WMAP+

1 system $w_{\text{DE}} = -0.99 \pm 0.27$

6 systems $w_{\text{DE}} = -1.01 \pm 0.11$



Beyond w CDM

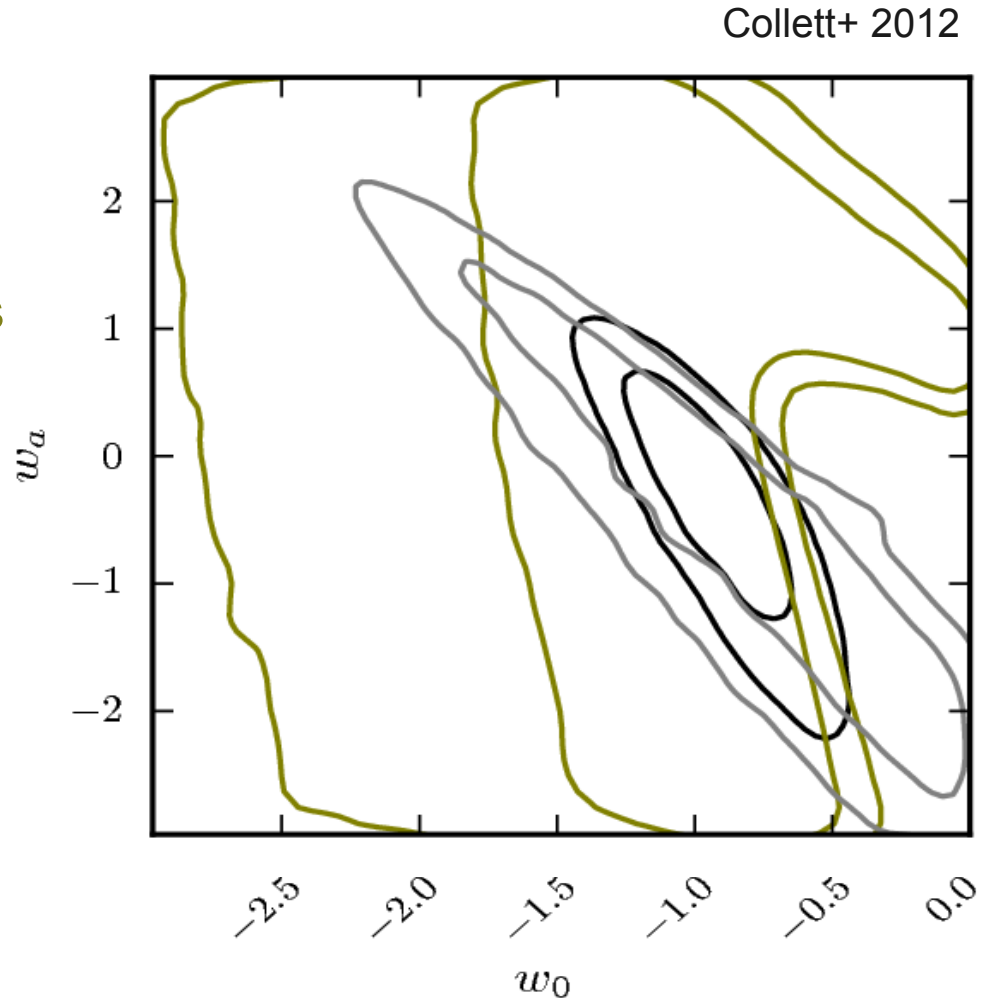
Evolving models of dark energy:

$$w(z) = w_0 + w_a(1 - a)$$

Olive: 6 double source plane lenses

Grey: Planck (Forecast, including polarization and weak lensing constraints)

Black: combination



Beyond w CDM

Evolving models of dark energy:

$$w(z) = w_0 + w_a(1 - a)$$

Olive: 6 double source plane lenses

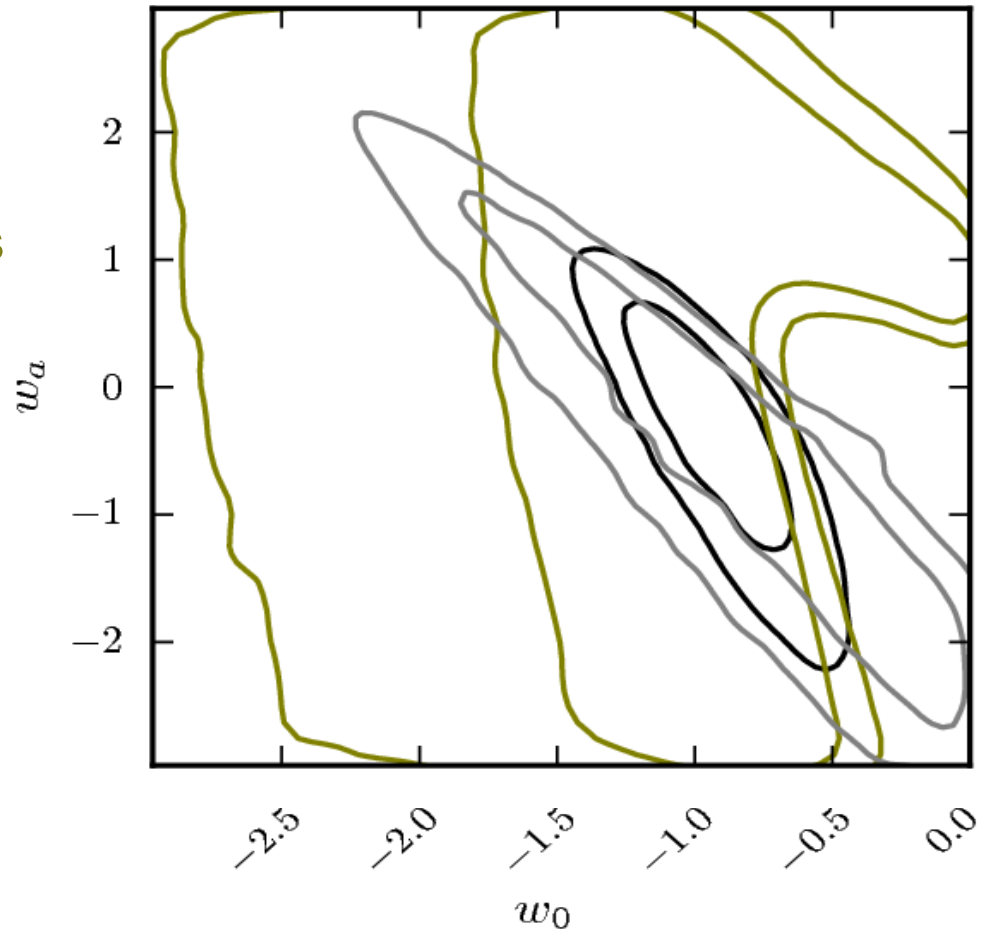
Grey: Planck (Forecast, including polarization and weak lensing constraints)

Black: combination

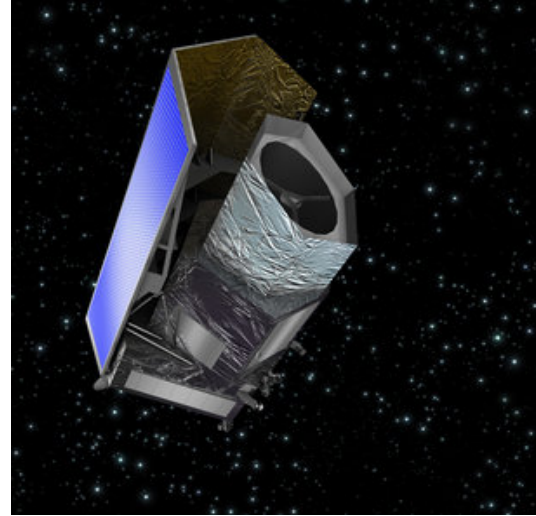
$$\text{FoM} = 6.17\pi/A_{95} = 14.2$$

WMAP plus Union SNe \rightarrow 15
(Mortonson+2010)

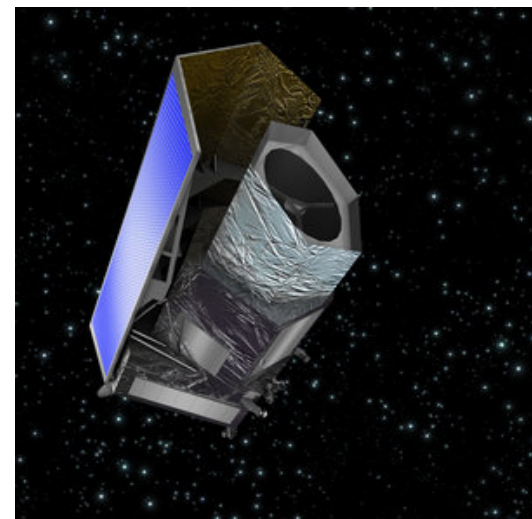
Collett+ 2012



Euclid



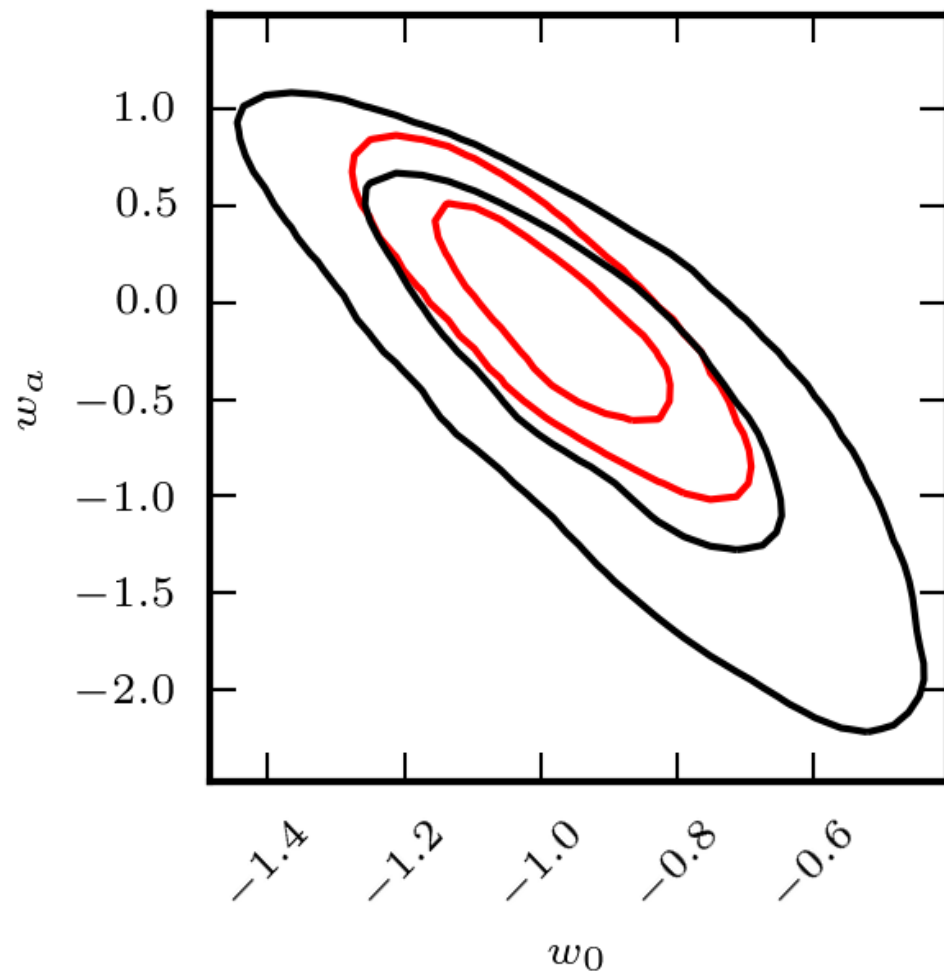
Euclid



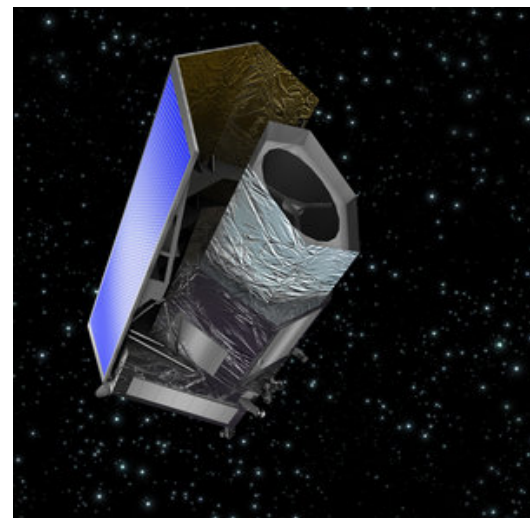
$\sim 10^5$ galaxy scale strong lenses
(based on COSMOS)

1 in 40-80 galaxy scale lenses will be
doubles (Gavazzi+ 2008)

Euclid



Collett+ in prep.



Black: 6 lenses, $\Omega_k = 0$

FoM = 14.2

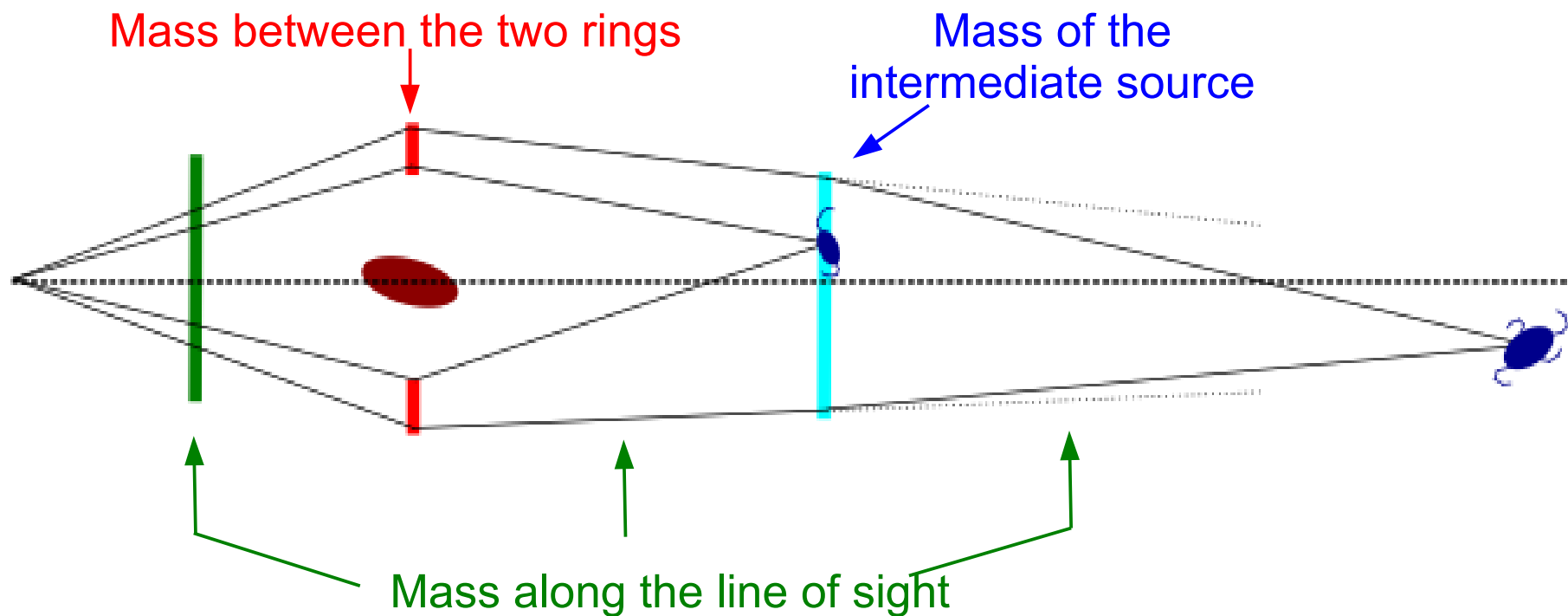
Red: 100 lenses, $\Omega_k \neq 0$

FoM = 38

Systematics

A.K.A. Learning cool stuff about mass in the universe

Systematics



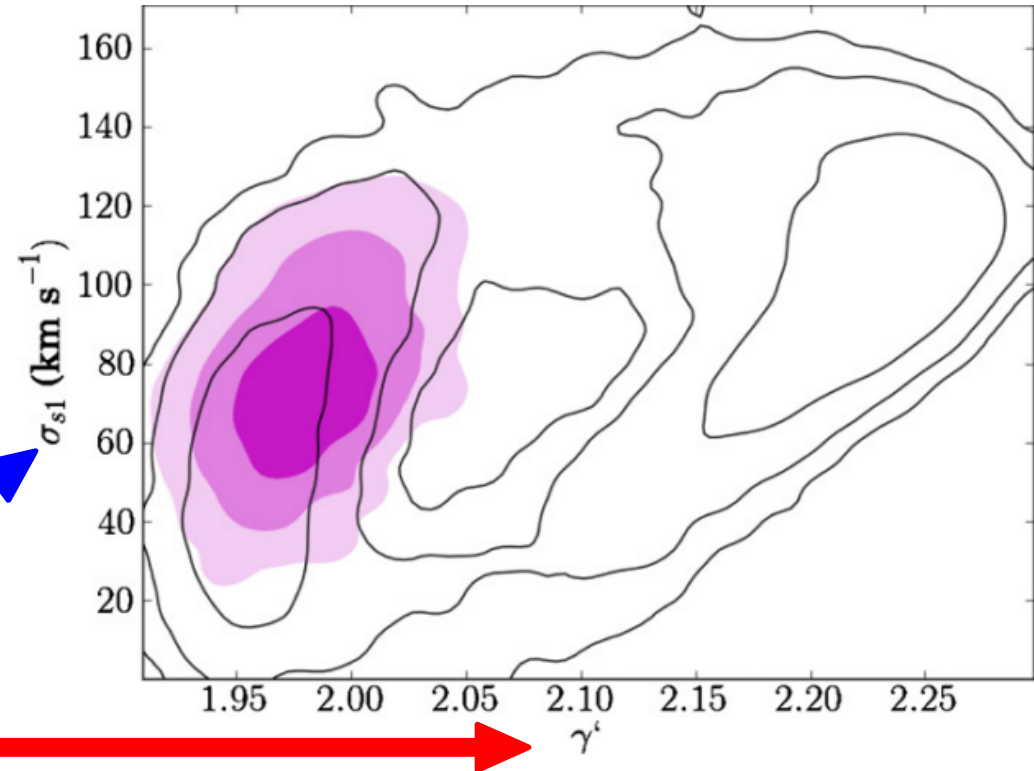
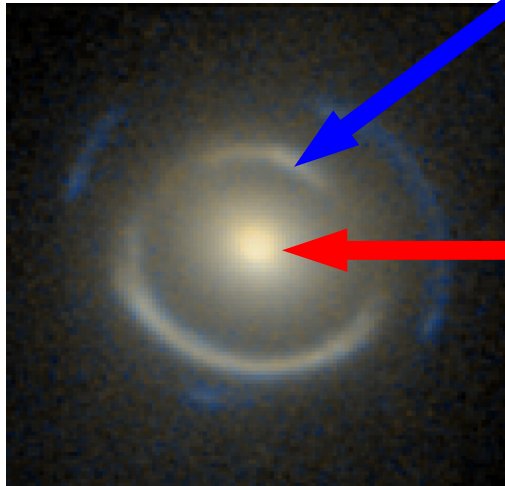
Perturbations by the intermediate source

If completely neglected:

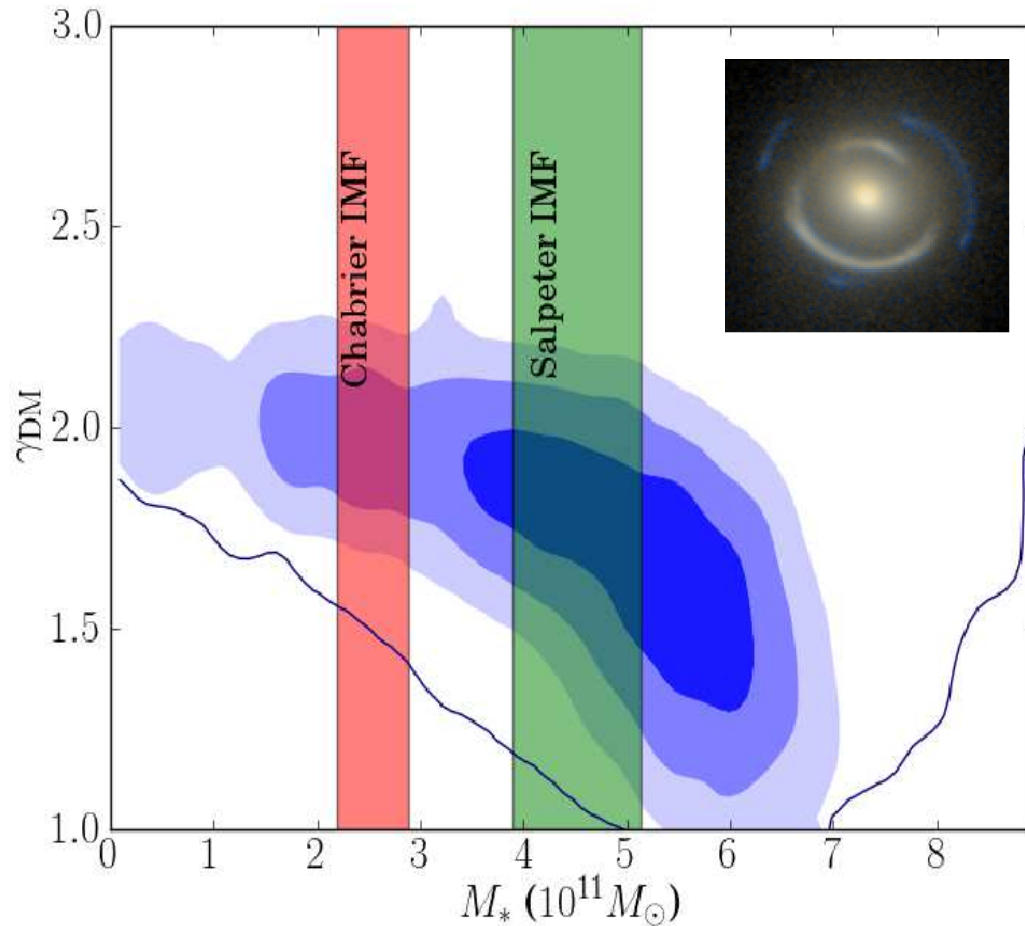
LMC: $\sim 1\%$ systematic error on η

MW: $\sim 10\%$ systematic error on η

Effect is detectable: include in the lens model.



(Sonnenfeld+ 2012, Fixed cosmology, photometric z_{s2})



(Sonnenfeld+ 2012)

Profile of the Lens

Strong constraints on the mass profile

$$\rightarrow \gamma_{\text{TOT}} = 1.98 \pm 0.02 \pm 0.01$$

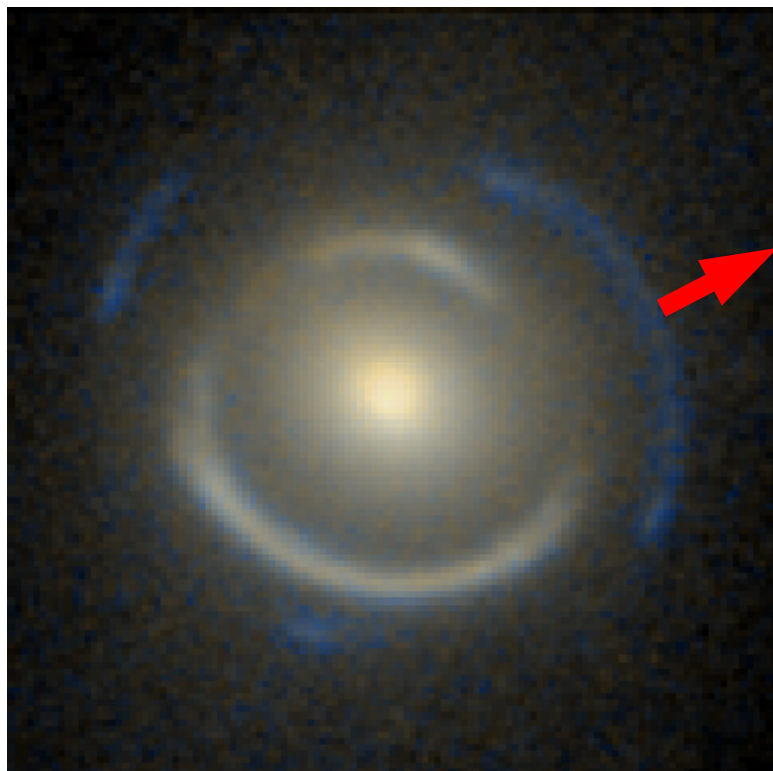
OR

$$\rightarrow \gamma_{\text{DM}} = 1.7 \pm 0.2$$

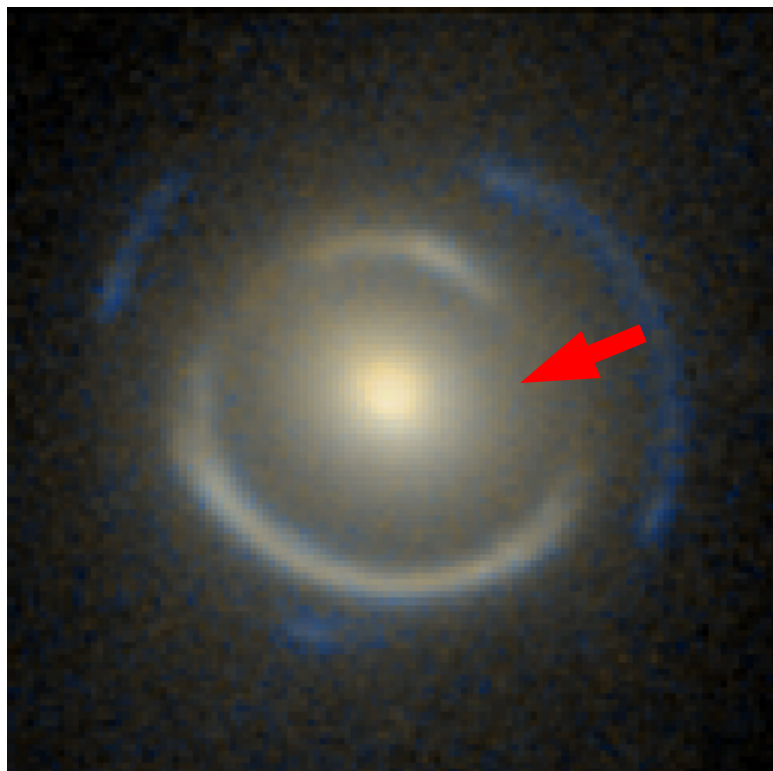
Using dynamics and both Einstein radii

The Mass Sheet Degeneracy

Overdense dark matter halos cause convergence of rays



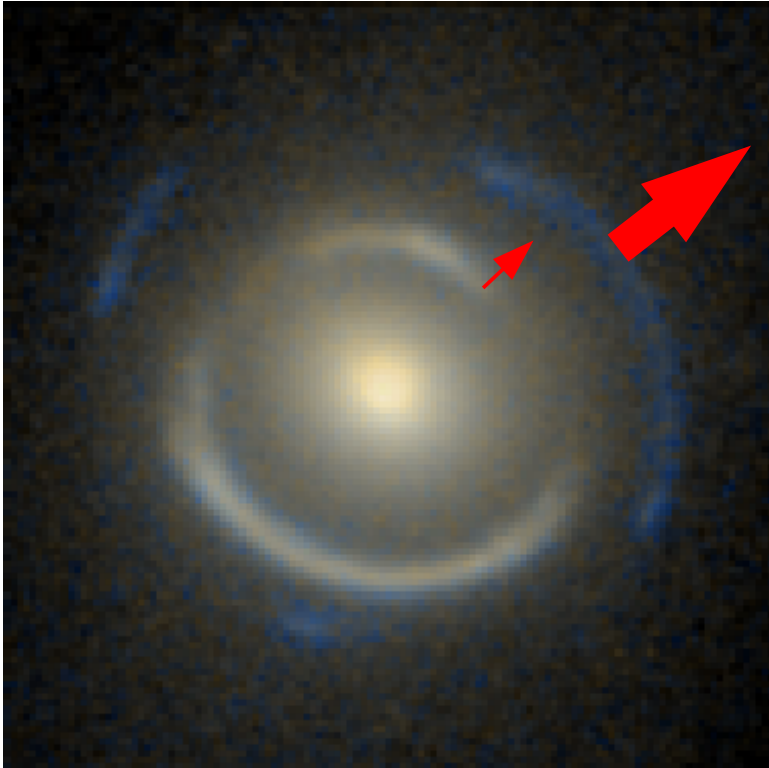
The Mass Sheet Degeneracy



Overdense dark matter halos cause convergence of rays

Underdense voids cause divergence of rays

The Mass Sheet Degeneracy



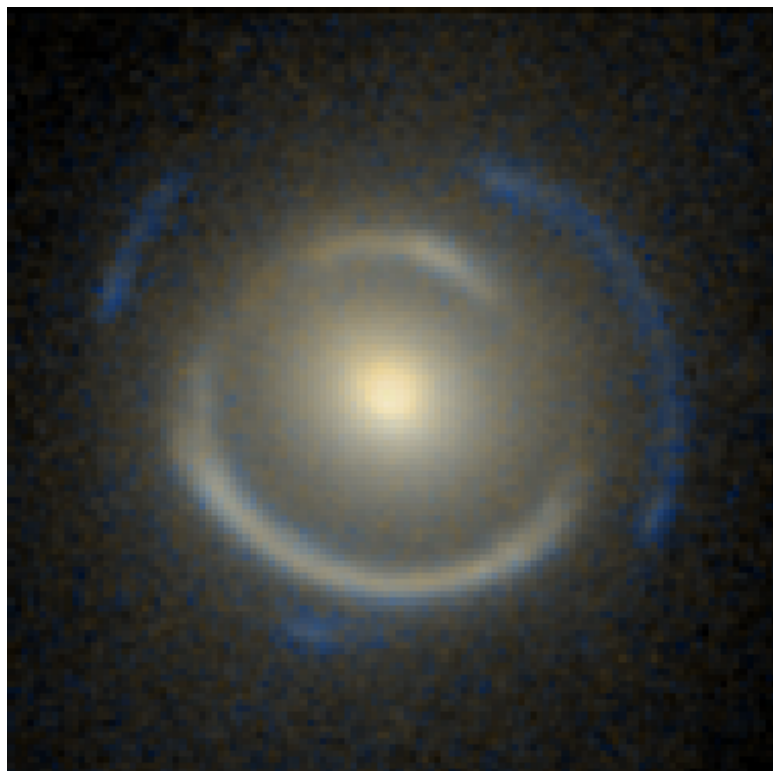
Effect depends on the distance of the source – slightly perturbs the inferred cosmology

Convergence proportional to surface mass density

$$\kappa = (4\pi G D_{ls} D_l / c^2 D_s) \Sigma$$

~~The Mass Sheet Degeneracy~~

Magnification-Absolute magnitude degeneracy



Directly relevant to

- High-z SNe
- GRBs
- High redshift luminosity functions

**EVERYTHING IS WEAKLY
LENSED**

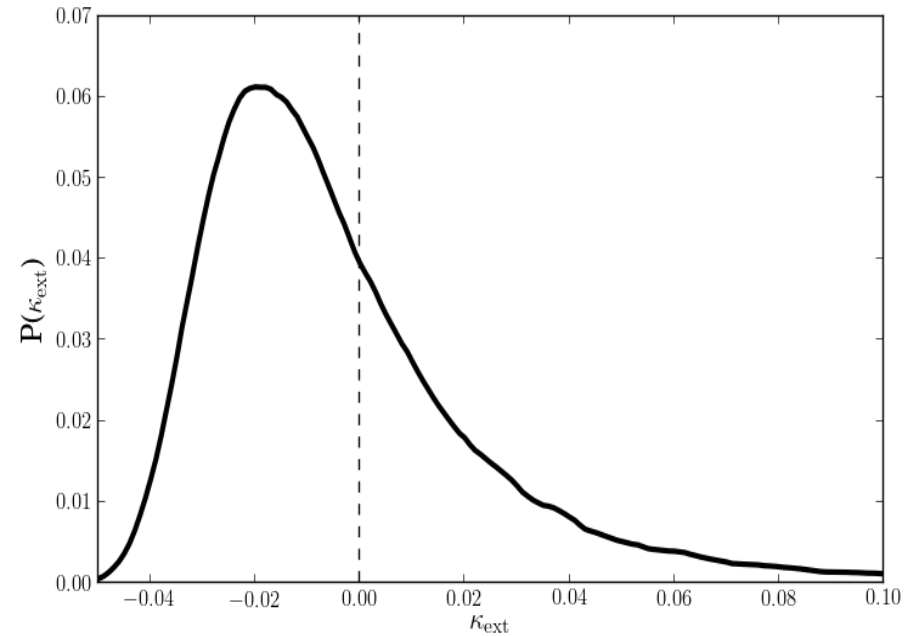
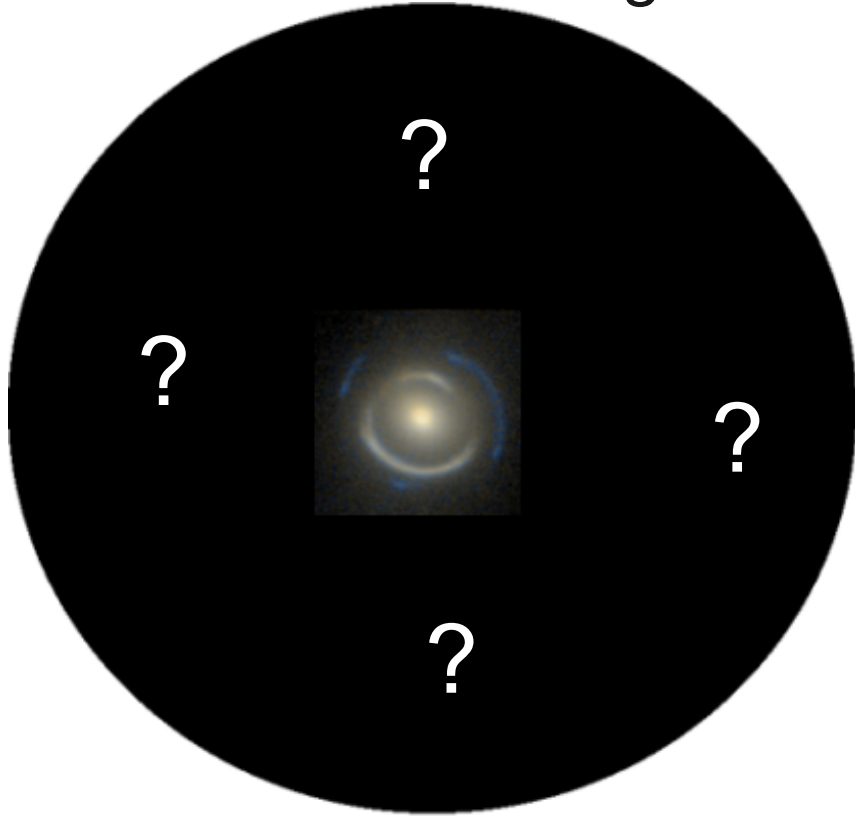
The Mass Sheet Degeneracy



0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

The Mass Sheet Degeneracy

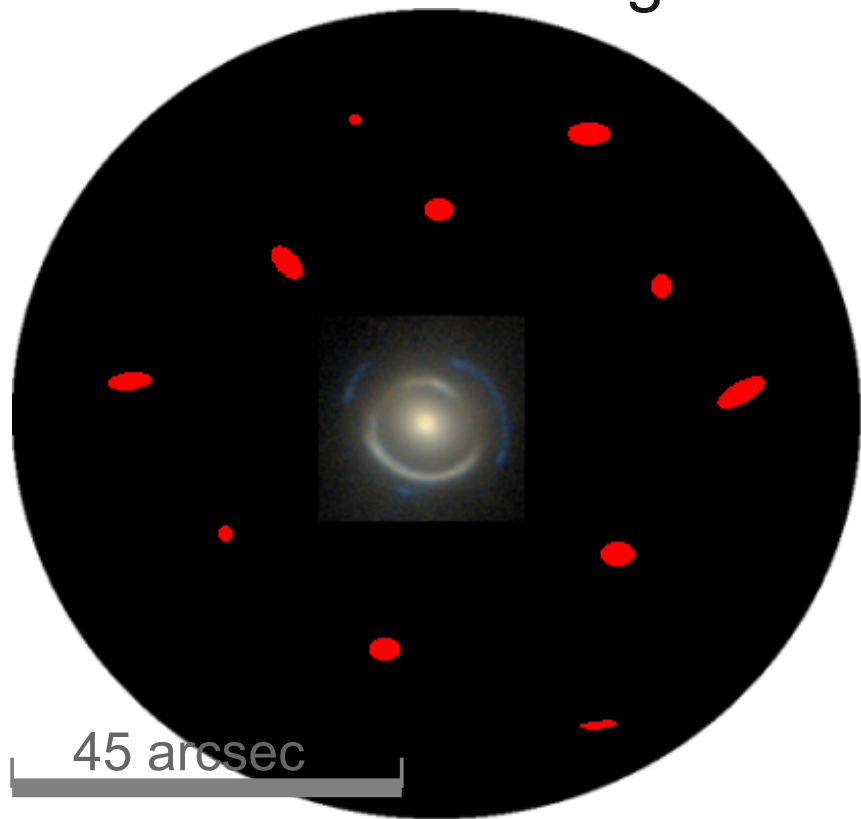


Hilbert+ 2010

0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

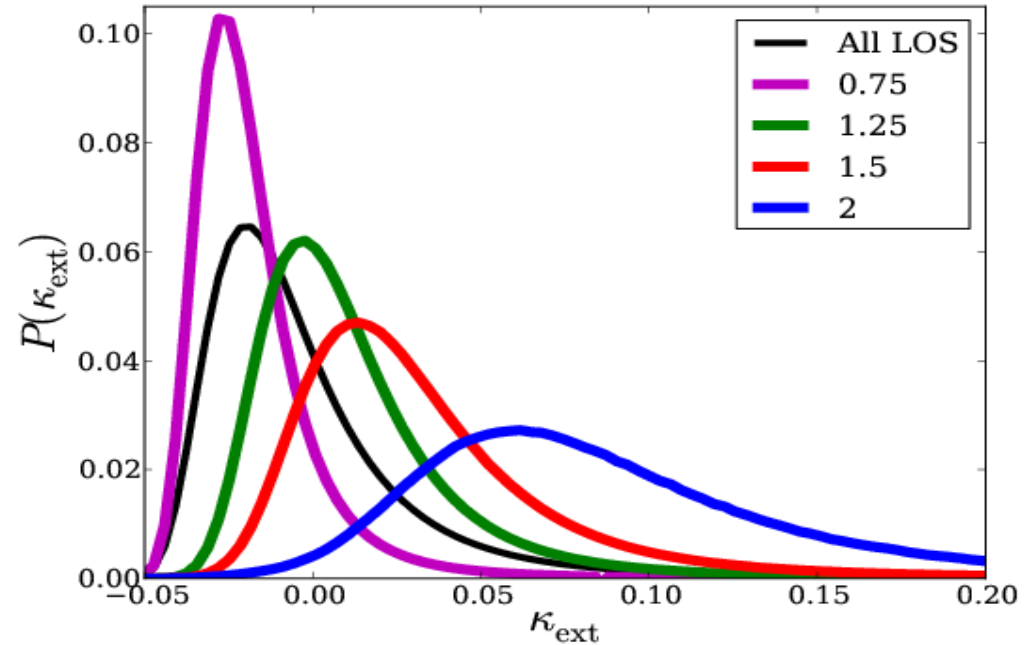
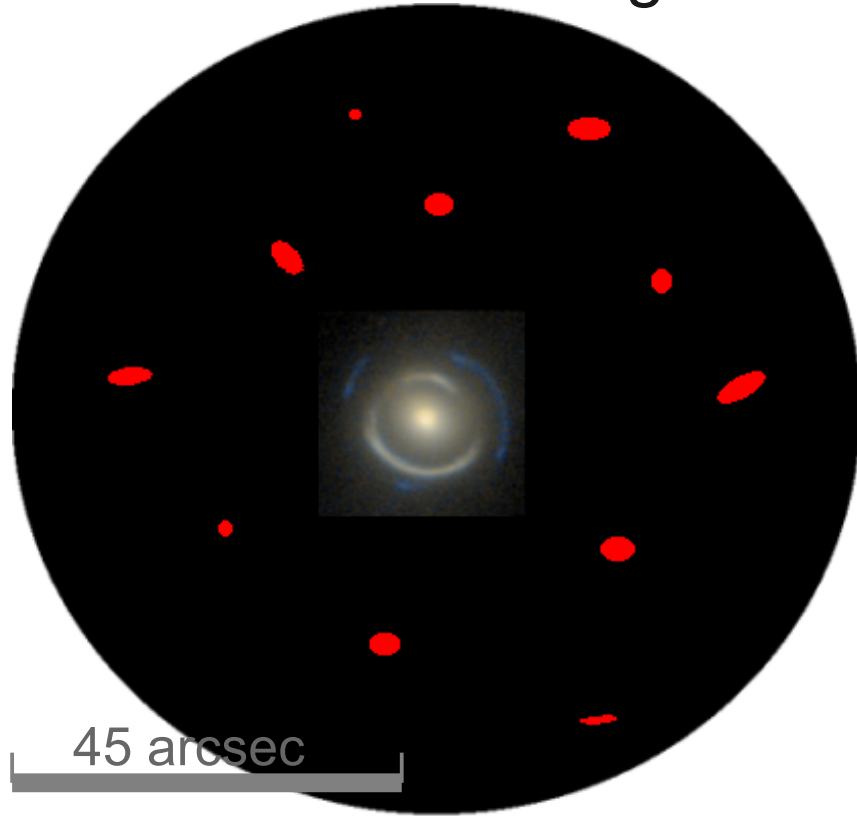
The Mass Sheet Degeneracy



0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

The Mass Sheet Degeneracy

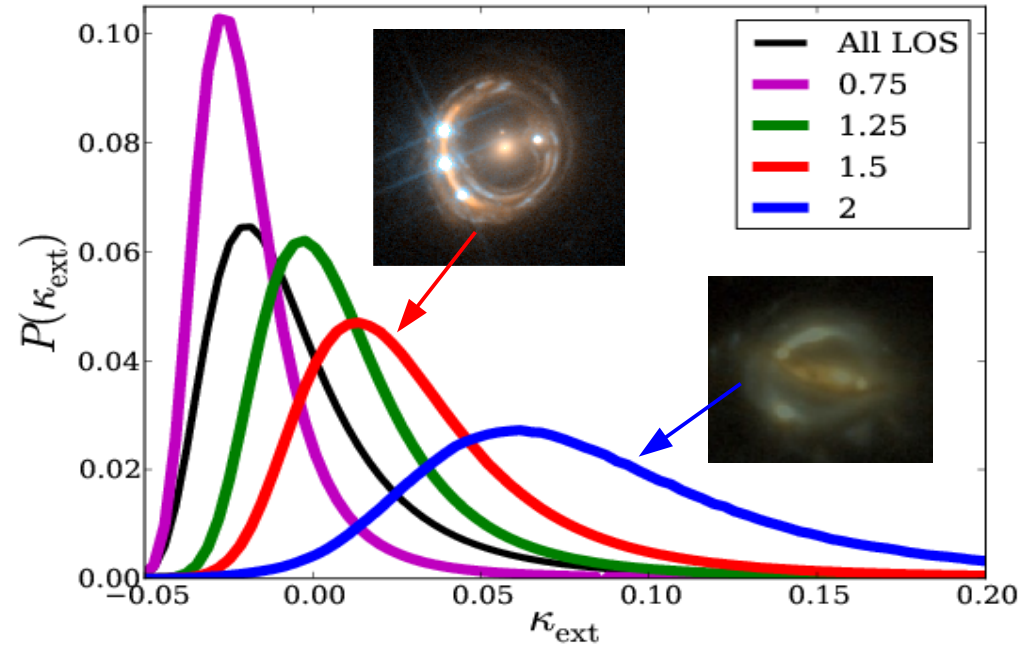
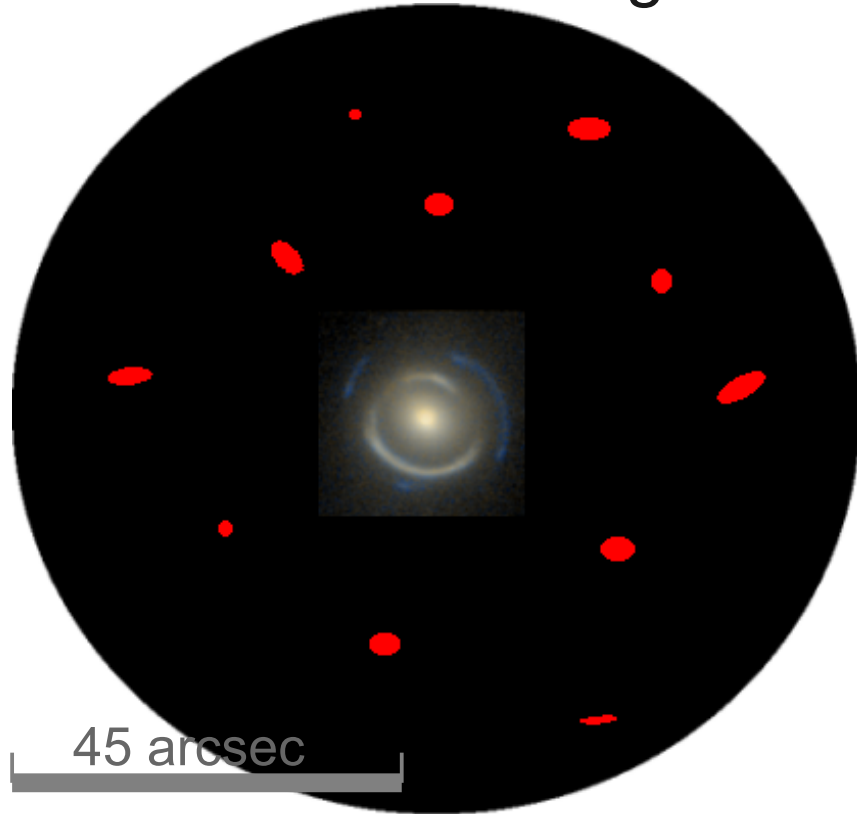


Greene, Collett+ 2013

0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

The Mass Sheet Degeneracy

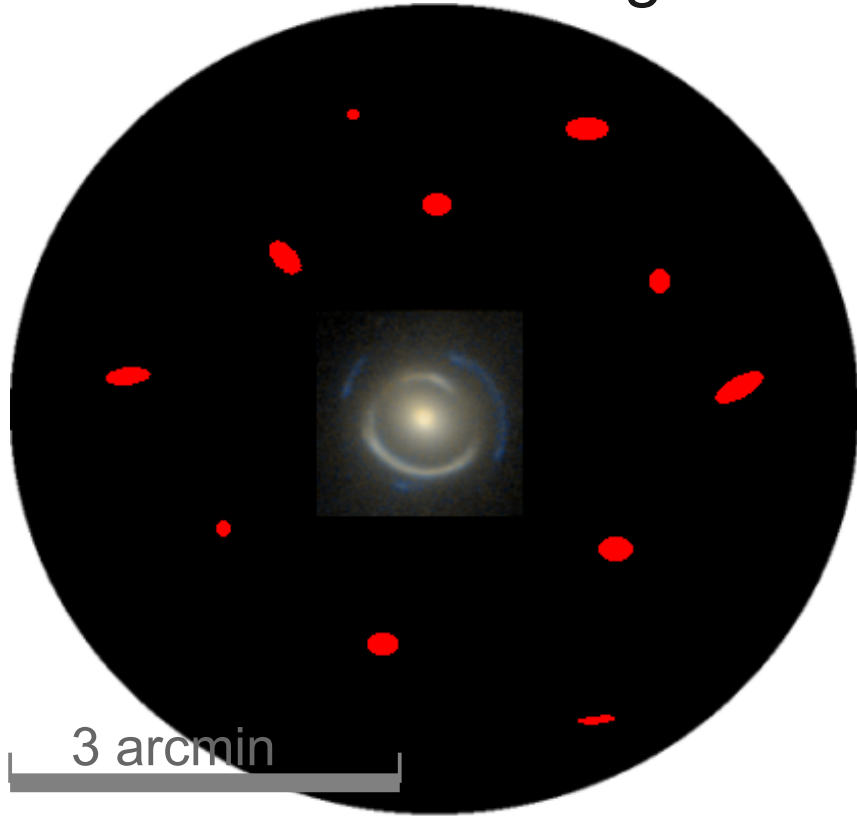


Greene, Collett+ 2013

0.01 change in κ approximately:

0.5% in ratio of Einstein radii, 1% in time-delay distance, 2% in magnification of an unlensed source

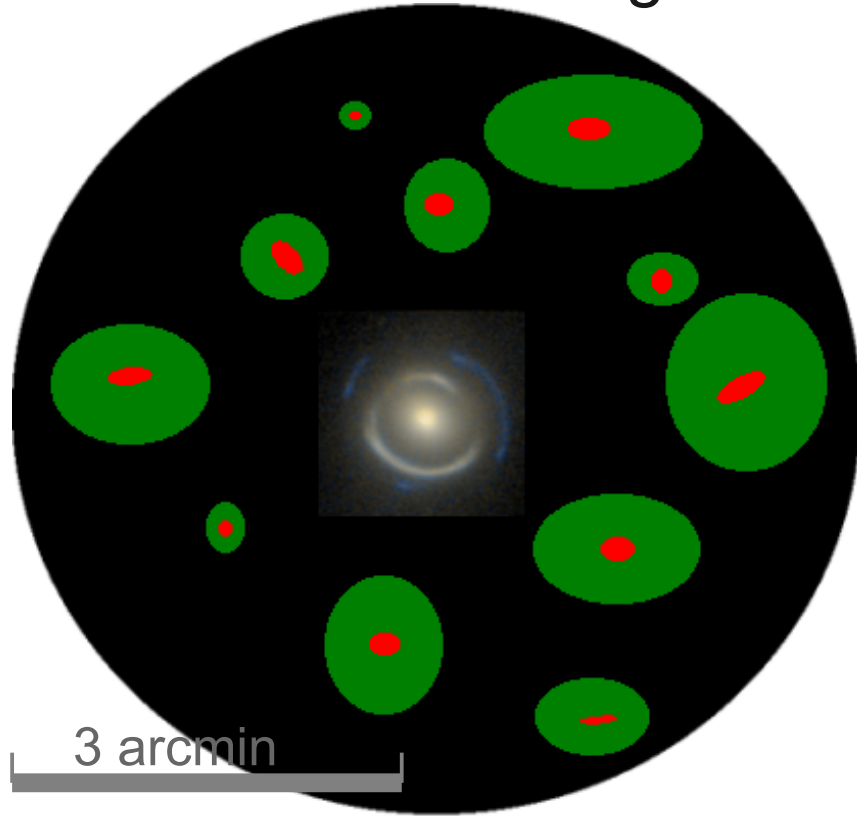
The Mass Sheet Degeneracy



0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

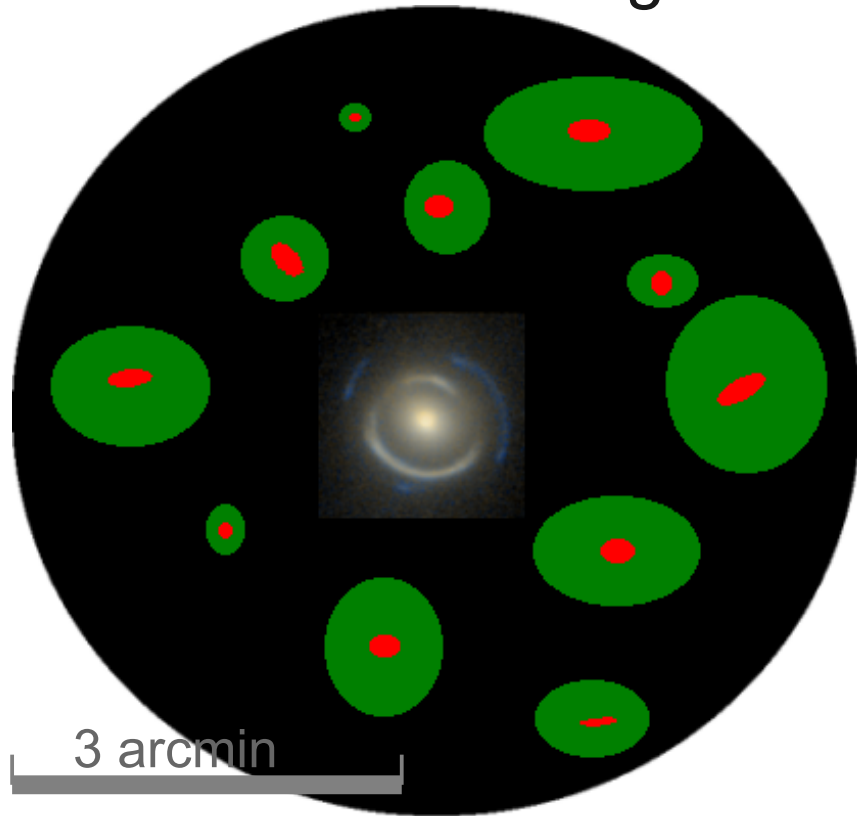
The Mass Sheet Degeneracy



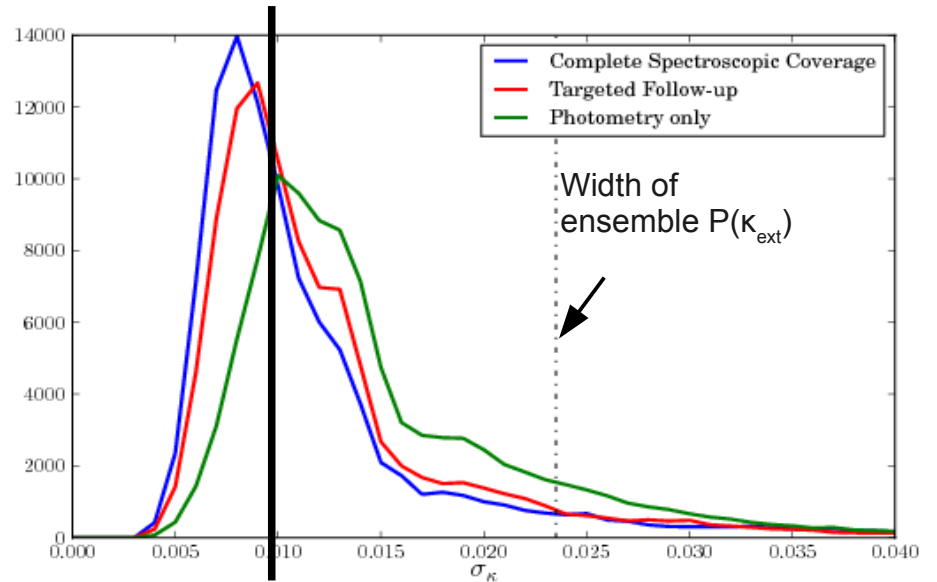
0.01 change in κ approximately:

0.5% in ratio of Einstein radii, **1%** in time-delay distance,
2% in magnification of an unlensed source

The Mass Sheet Degeneracy



Collett+ 2013



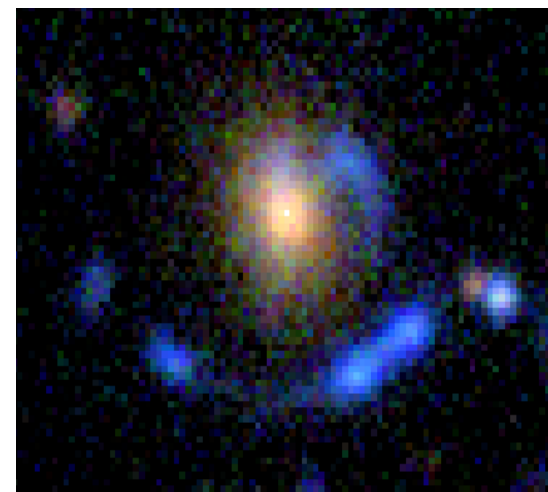
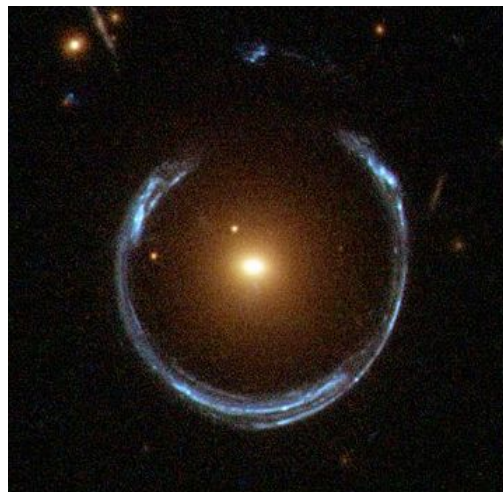
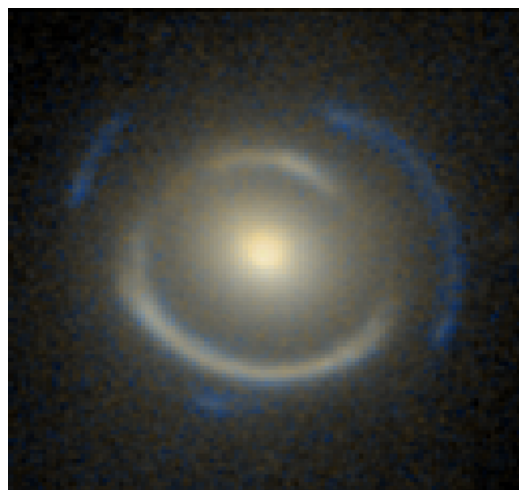
0.01 precision on κ .
Unbiased*

0.01 change in κ approximately:

0.5% in ratio of Einstein radii, 1% in time-delay distance,
2% in magnification of an unlensed source

Summary

- Strong lensing provides powerful complementary constraints on cosmological parameters
- I'm working hard to make sure the systematics are under control!



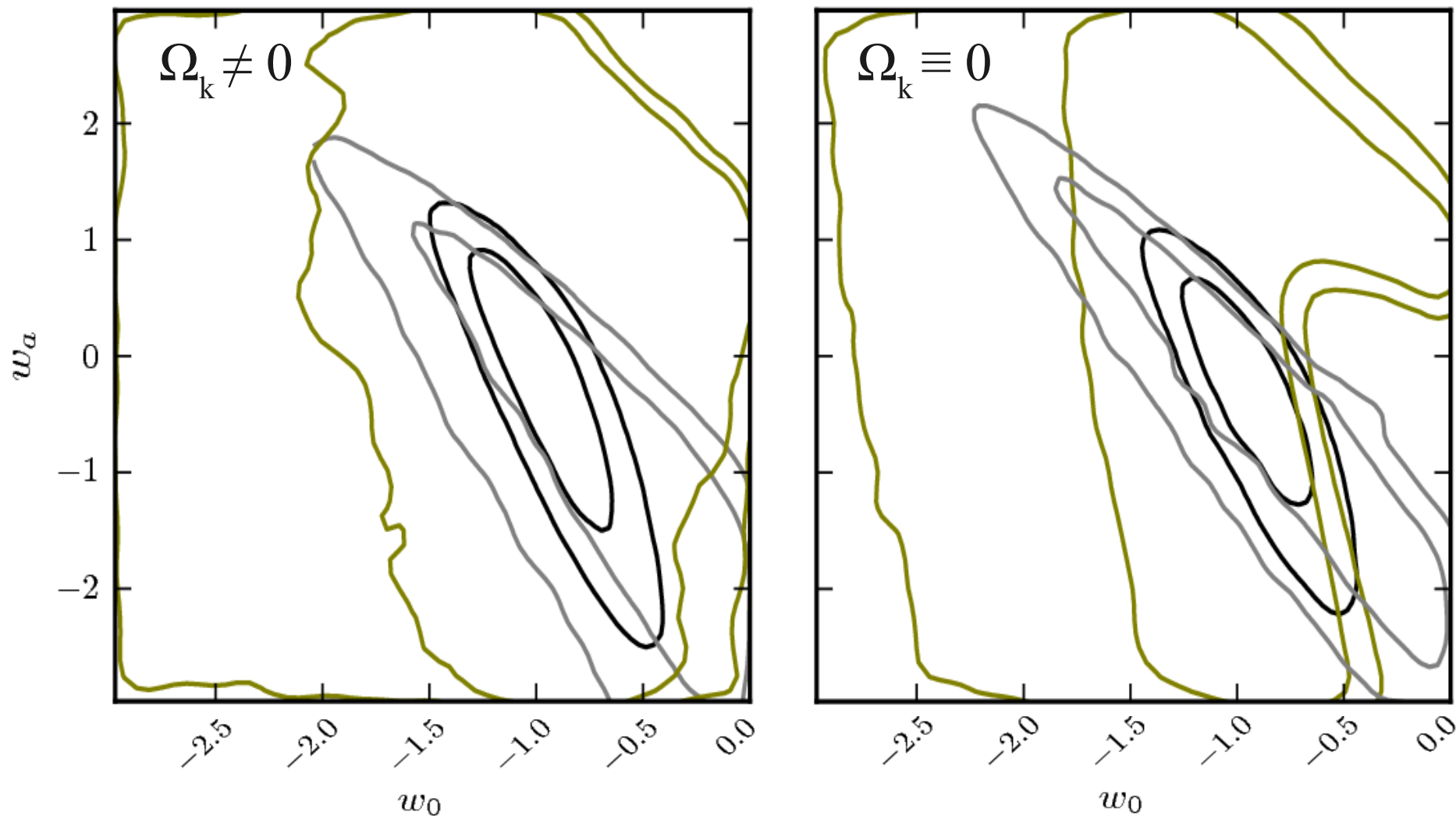
Thanks to



for sponsoring my
attendance

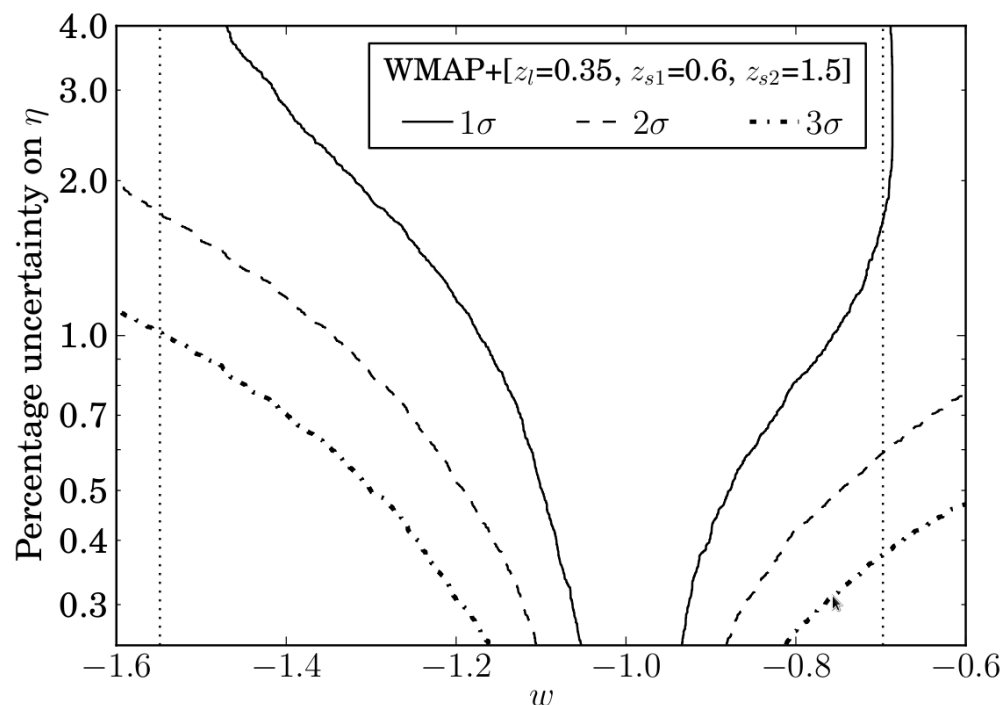
Spare Slides

What about the assumption of flatness?



What if we can't measure the ratio of Einstein radii to 1%?

1. Compound lensing – the intermediate source has mass
2. The lens is an astrophysical object – they aren't perfectly isothermal or perfectly spherical



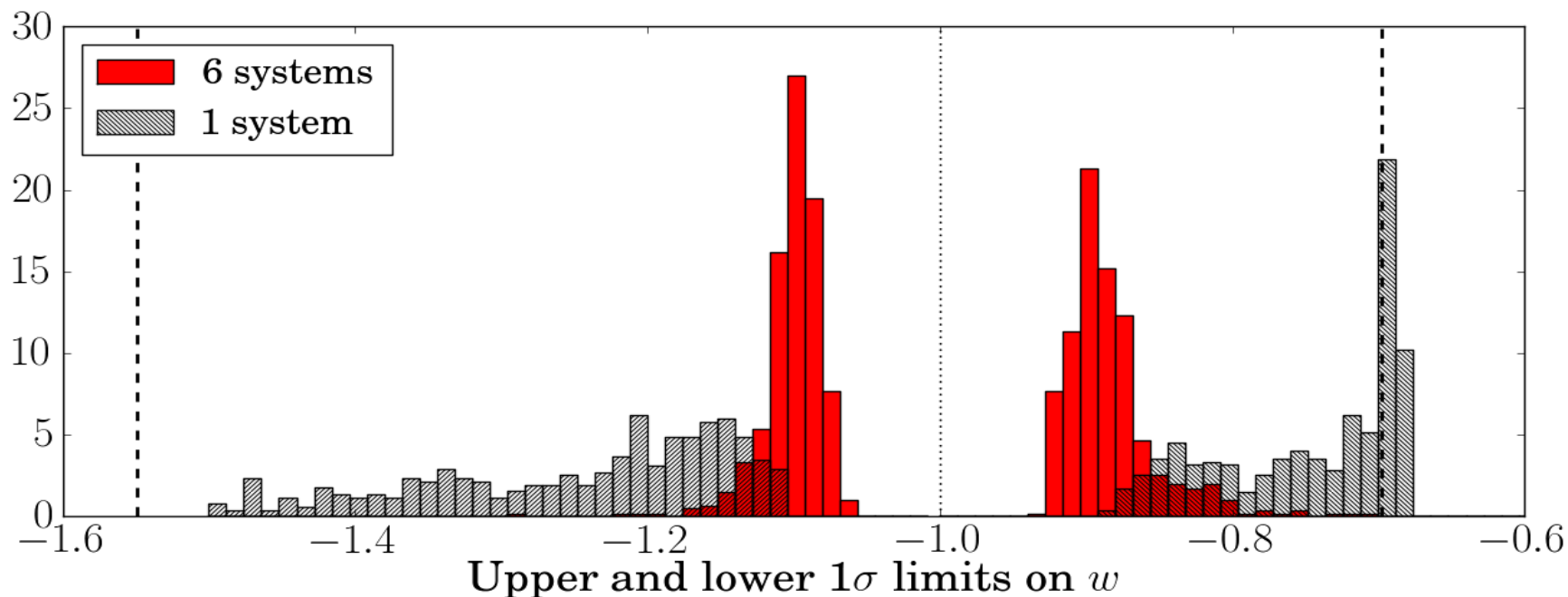
Cosmology with a population of systems.

SLACS:

1.1mm, $S > 1$ mJy \rightarrow ~ 1.5 double source plane systems (1.5 in 78)

1.1mm, $S > 0.3$ mJy \rightarrow ~ 3 double source plane systems (3 in 78)

But can be more efficient if you focus only on the most massive lenses.



Constraints with 6 systems.

System	1	2	3	4	5	6
z_l	0.440	0.227	0.195	0.227	0.194	0.111
z_{s1}	1.192	0.783	0.632	0.931	0.446	0.316
z_{s2}	3.859	0.931	2.724	1.766	2.058	0.463

Pick the set of systems that provided the median constraints on w .

WMAP+6 systems is ~ 2.5 times better than WMAP+1.

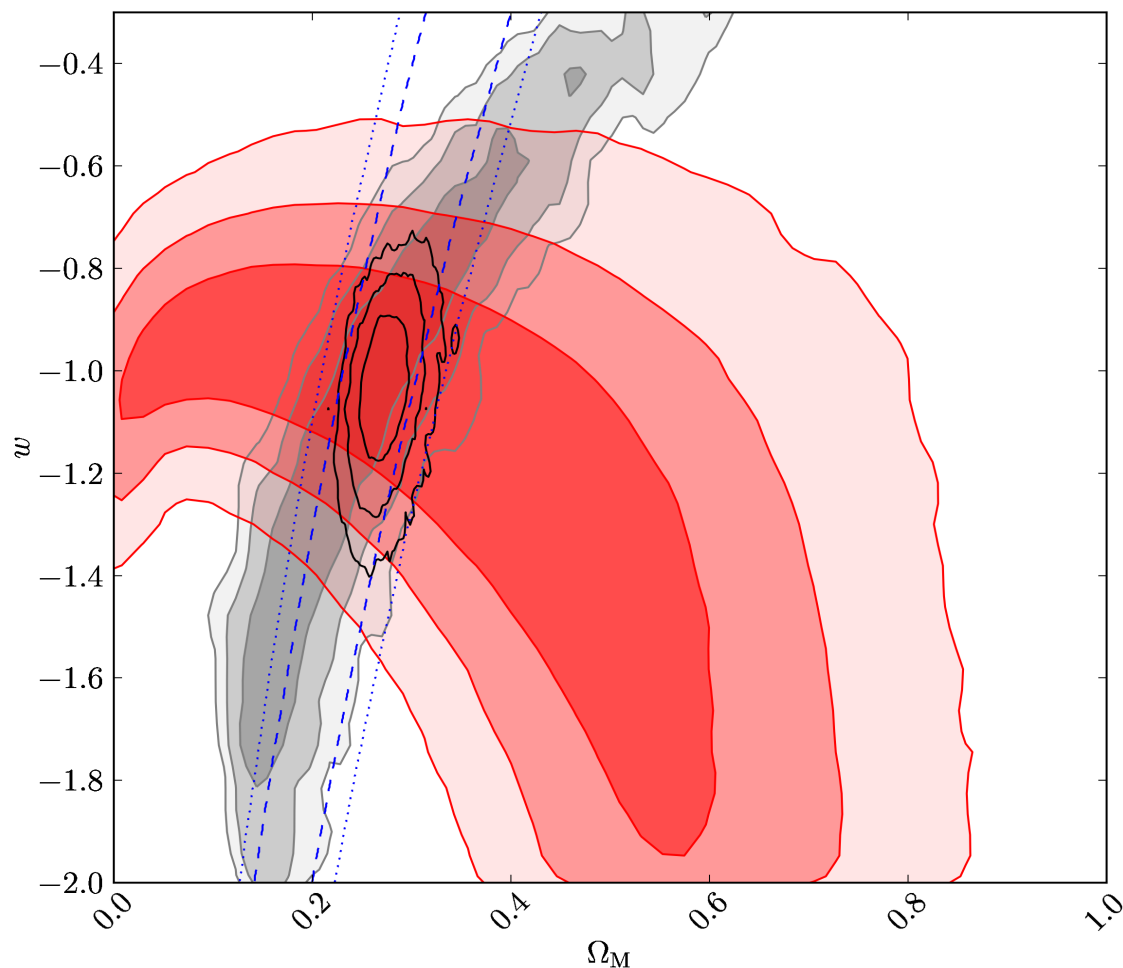
WMAP+

1 system $w_{DE} = -0.99 \pm 0.27$

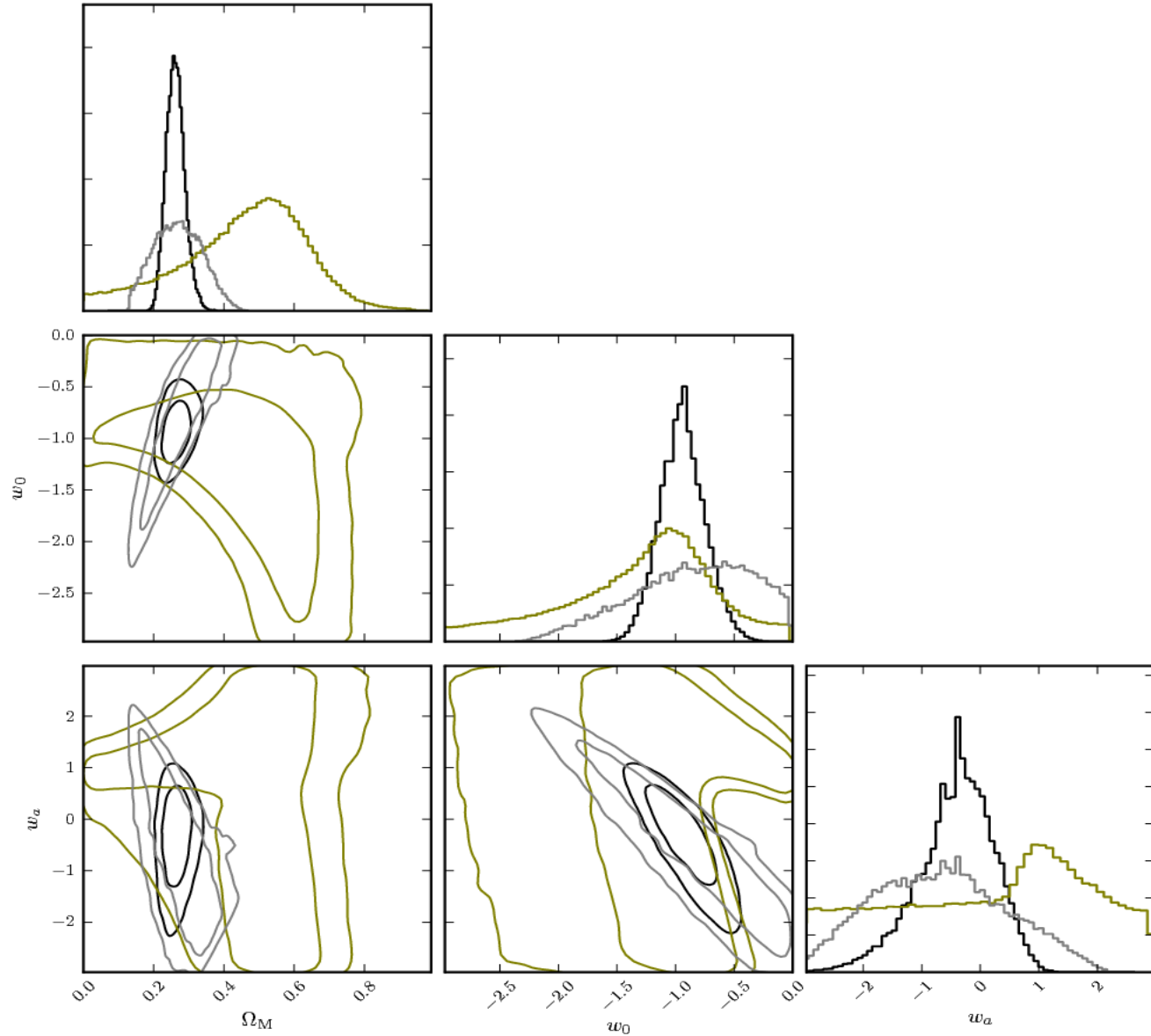
6 systems $w_{DE} = -1.01 \pm 0.11$

WMAP+BAO+Time Delay+

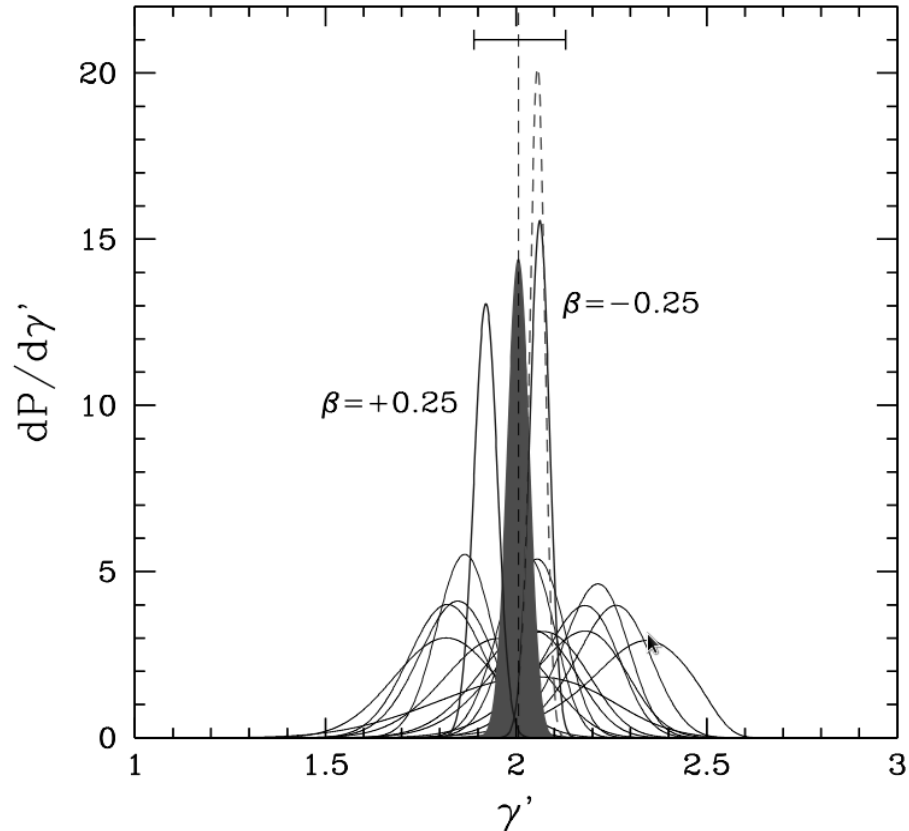
6 systems $w_{DE} = -1.04 \pm 0.09$



Planck+6



Probing the mass profile of galaxies



Combine Einstein Radius
with stellar dynamics

Fit a power-law:

$$\rho = \rho_0 r^{-\gamma'}$$

Lenses are approximately
isothermal ($\gamma'=2$).

(Koopmans+ 2006)

$\gamma' = 2.078 \pm 0.027$ with an intrinsic scatter of 0.16 ± 0.02
(Auger+ 2010)