

Tracking the Flow of Cosmic Information

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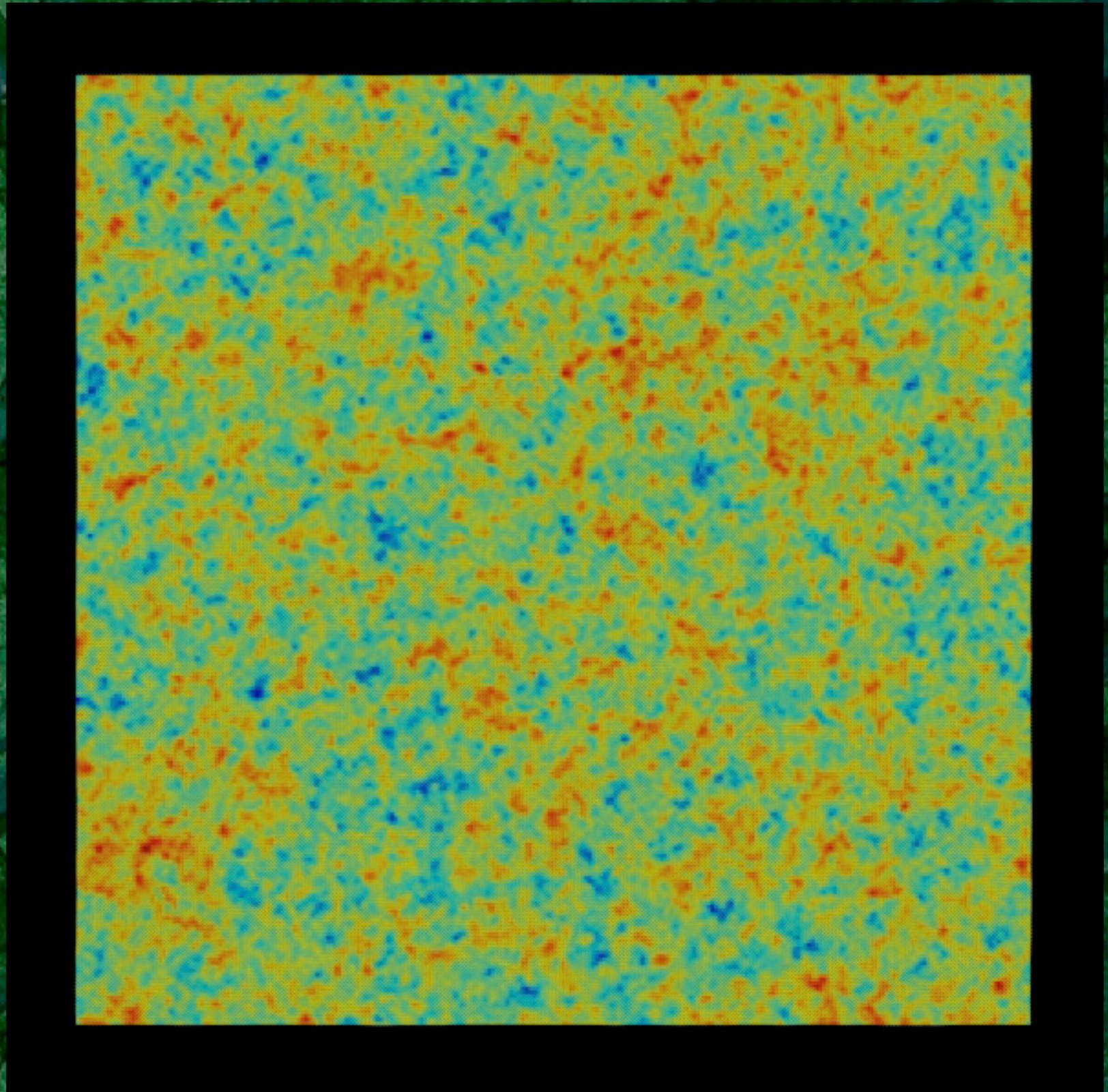
Outline

- Using one-point transformations to get information in different density regimes of the dark-matter sheet (response to initial spikes)
- Biasing in this language: MIP simulations: a powerful statistical ensemble to investigate galaxy biasing

Fluctuations (“information”), imprinted on the dark-matter sheet, tell it where to fold and form structures.

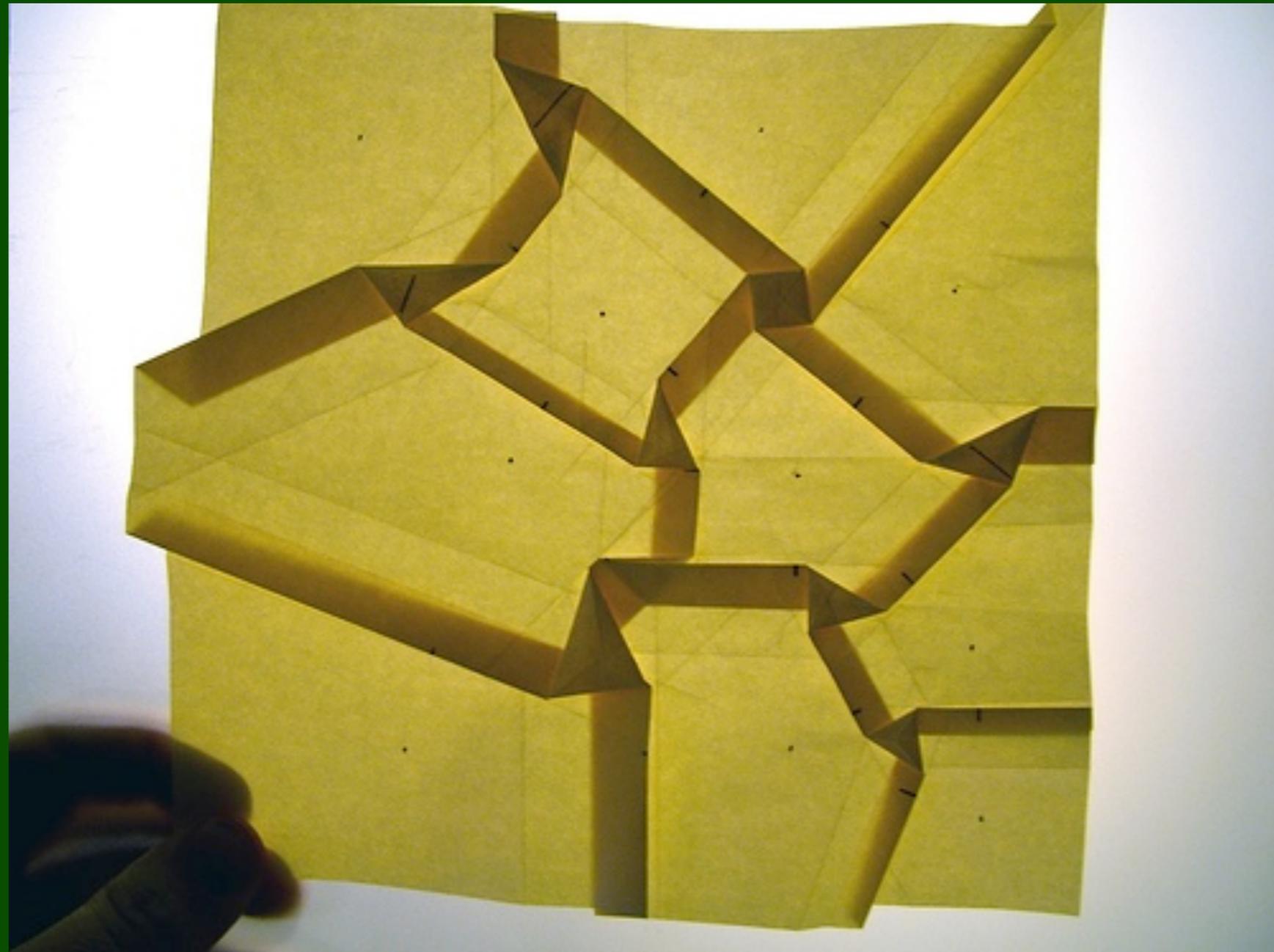
Some fluctuations crumple up, some stretch out.

Info lost in collapsed regions



200 Mpc/h

Rough analogy to origami: initially flat (vanishing bulk velocity) 3D sheet folds in 6D phase space.



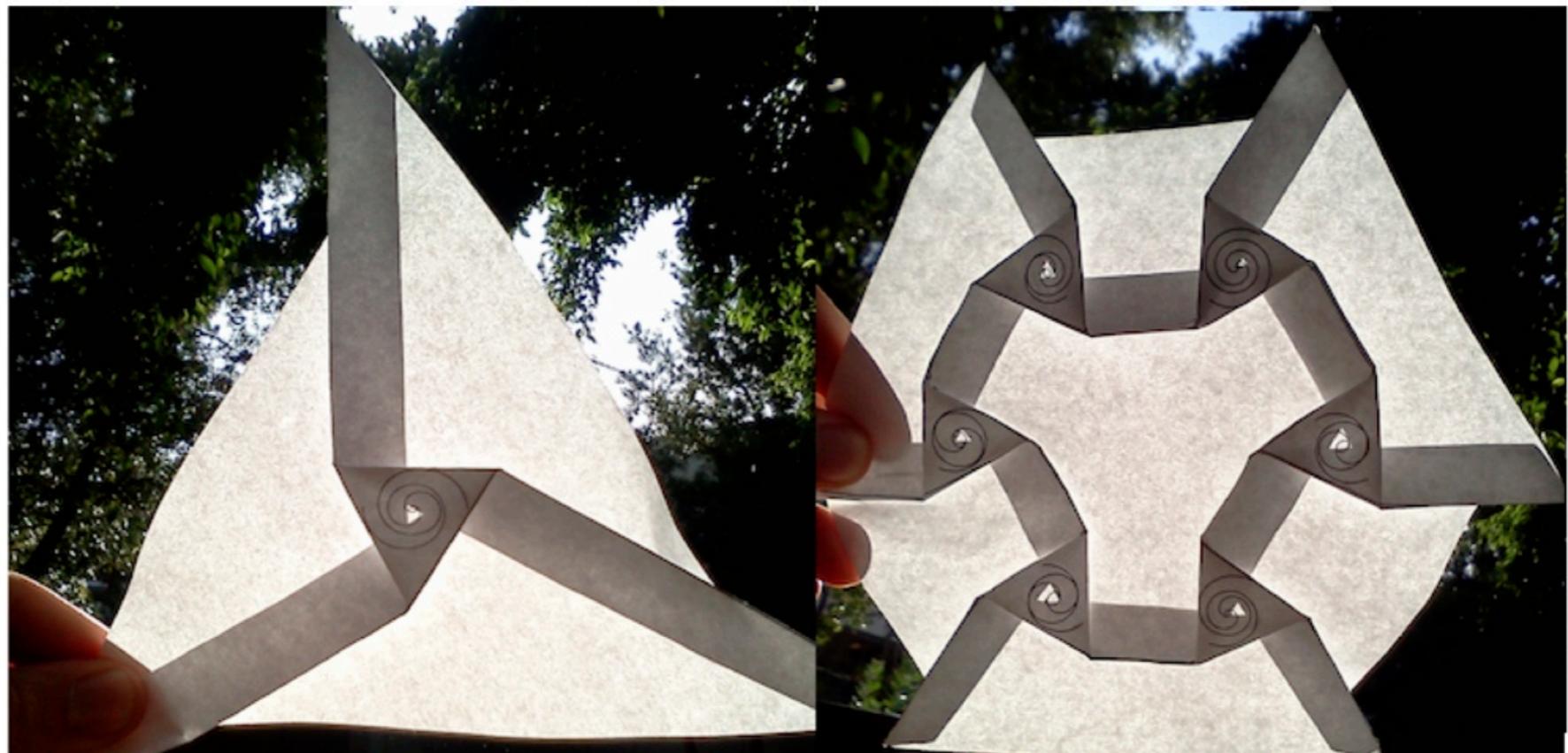
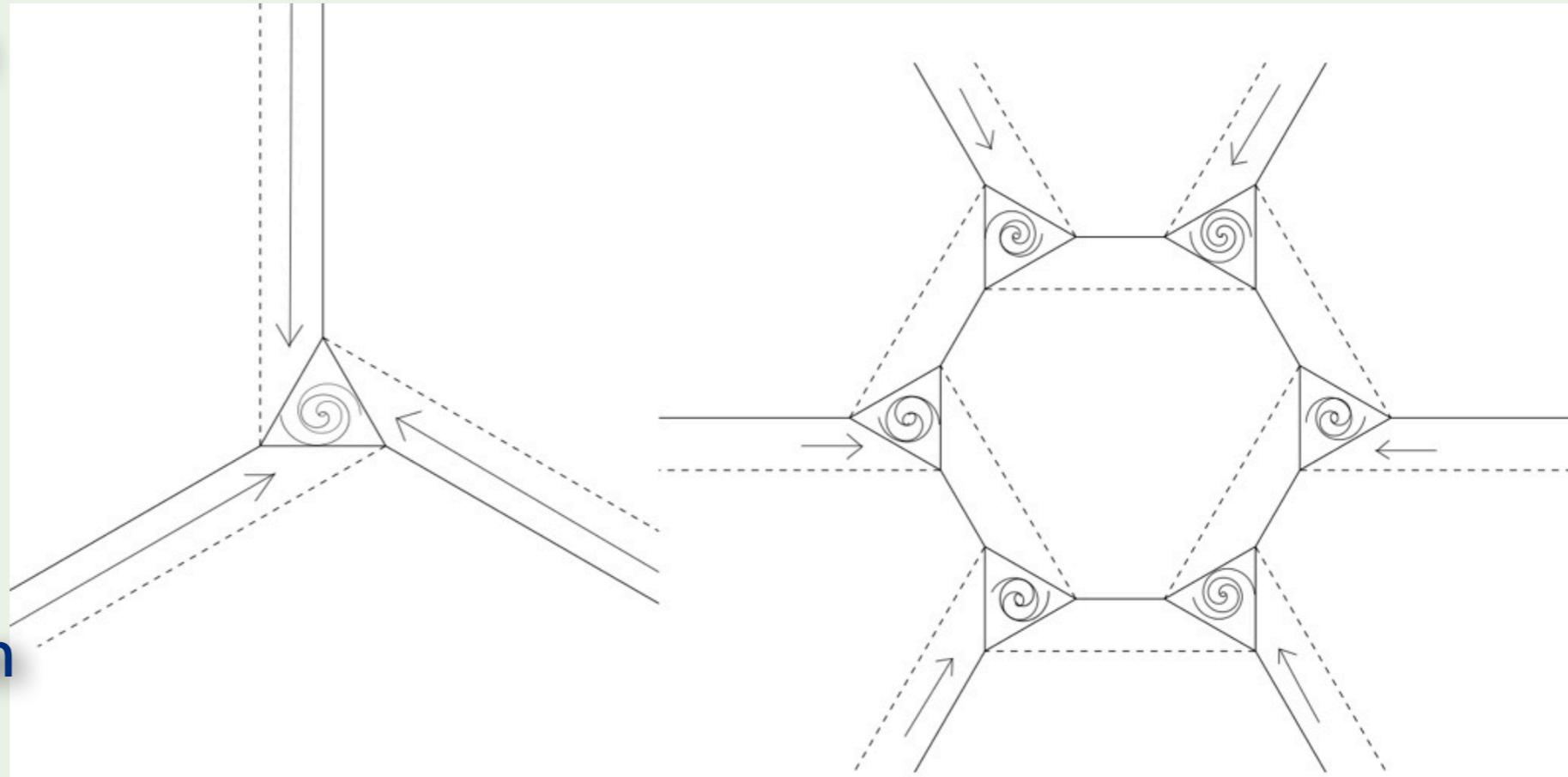
- recent related work:
Hahn, Abel et al. (2012),
Shandarin et al (2012)

Eric Gjerde,
origamitessellations.com

Crease patterns available at

<http://skysrv.pha.jhu.edu/~neyrinck/origalaxies.html>

- Without stretching the sheet, galaxies *cannot* form without filaments attached.
- Called a “twist fold,” imparts spin at formation, then accretion w/ impact parameter continues
- Relates to simple picture of spin alignment w/ filament

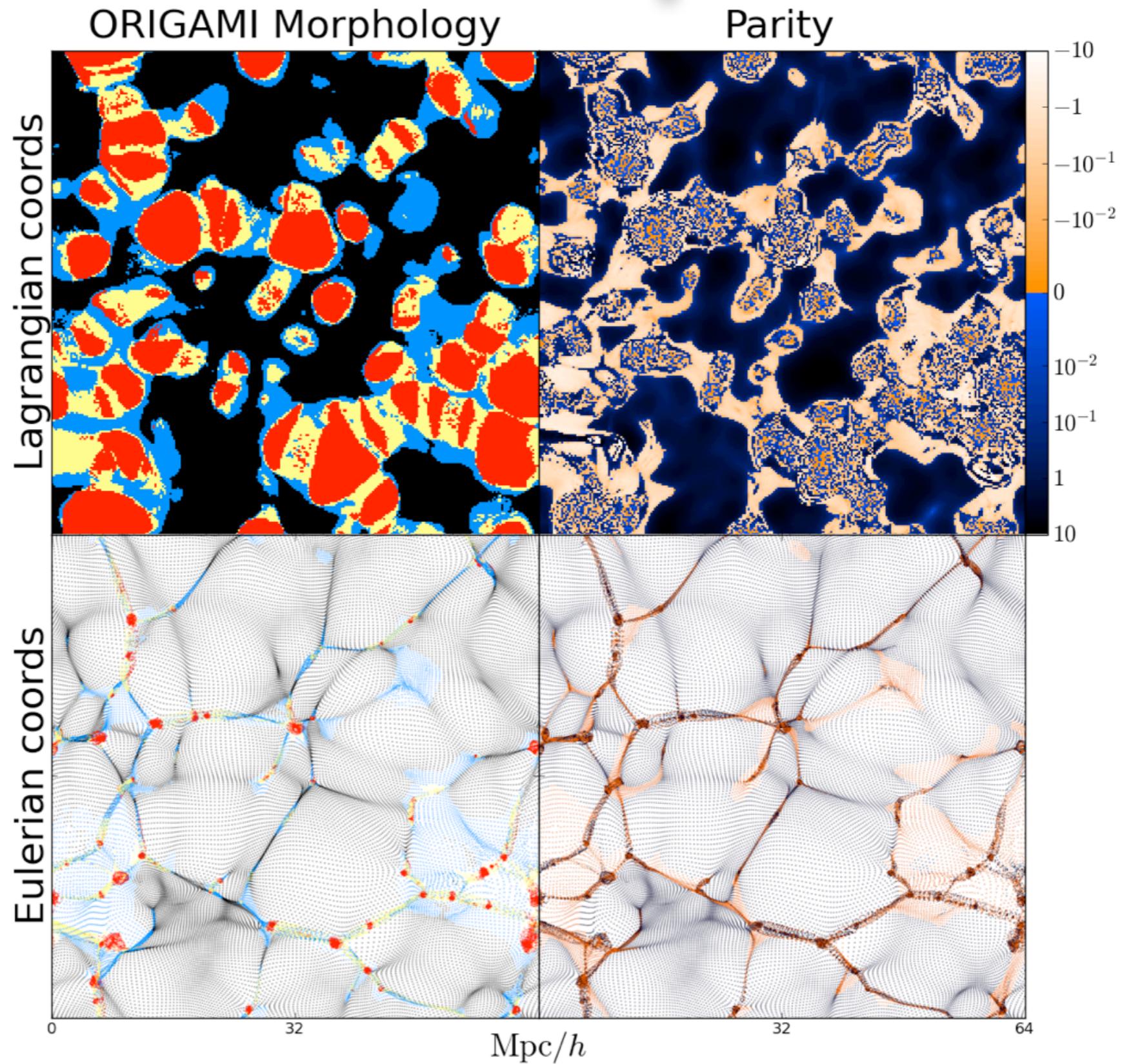


Based on a design by Eric Gjerde,
<http://www.origamitessellations.com>

The Universe's crease pattern

Crease pattern
before
folding

After
folding

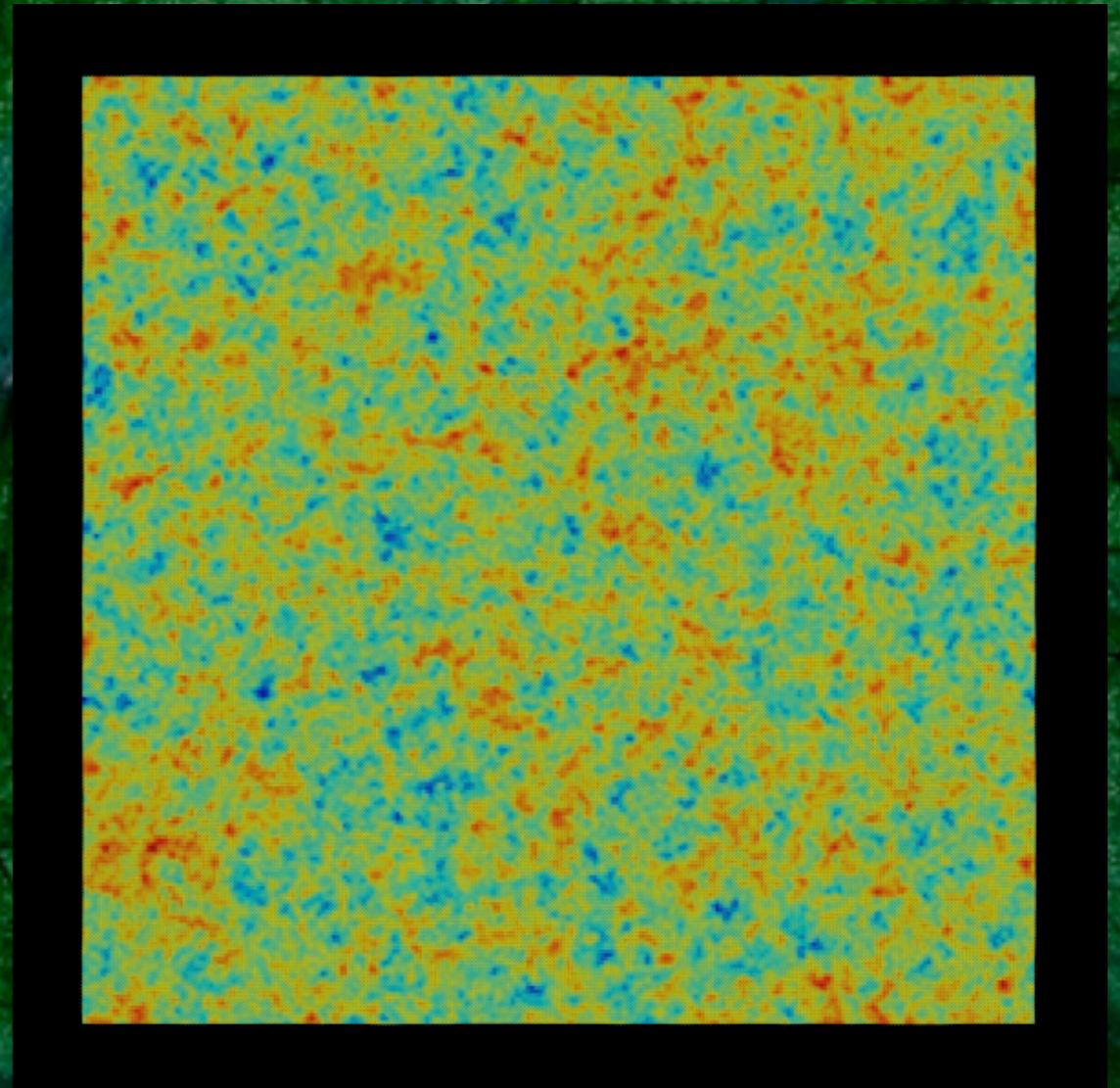


(Falck, Neyrinck & Szalay 2012, Neyrinck 2012)

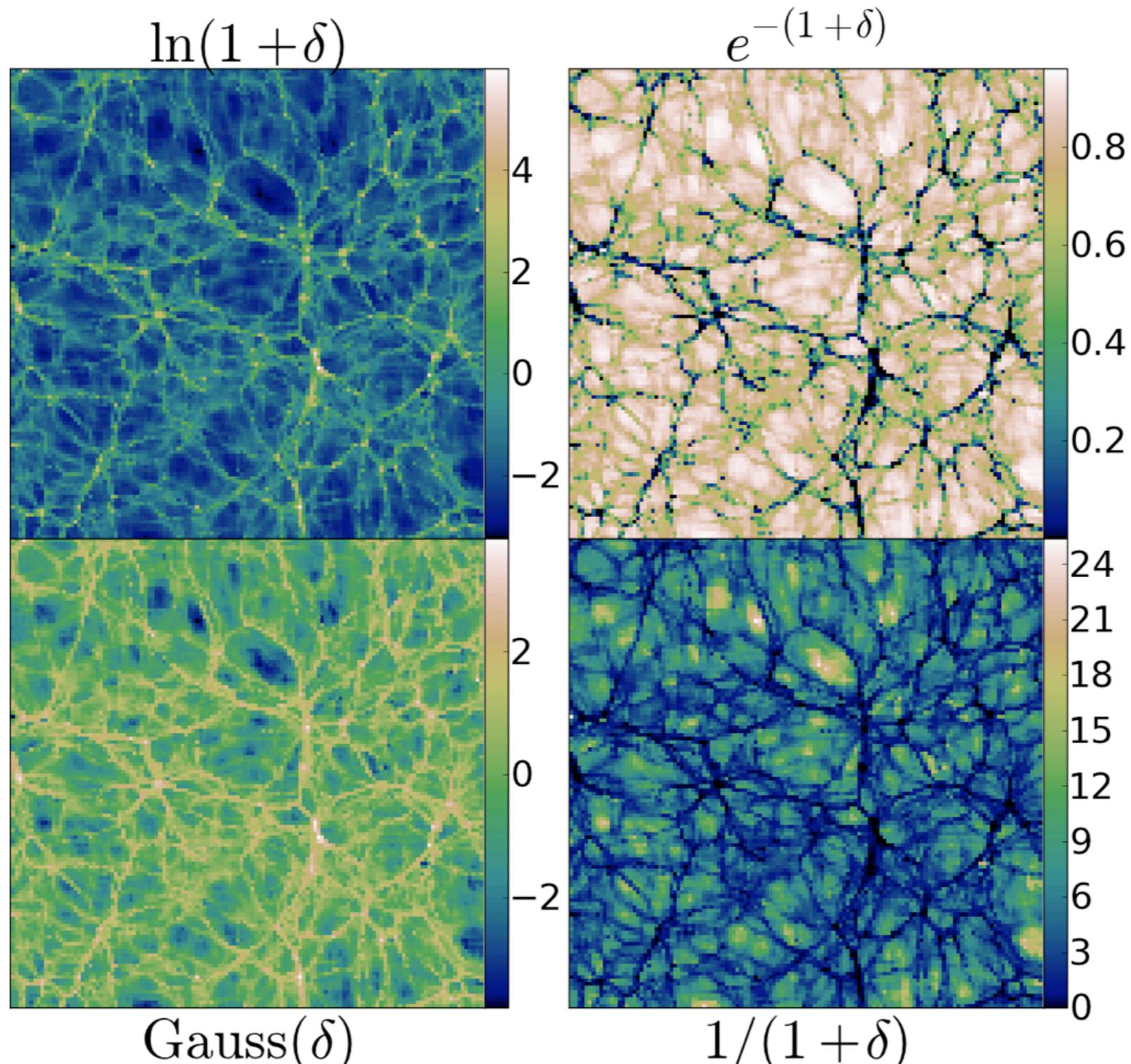
Initial-fluctuation information is corrupted in ≥ 3 ways:

- Fluctuations printed on regions that have collapsed are lost entirely (fundamental info loss)
- Uncollapsed fluctuations (e.g. in sheets and voids) are stretched out (can be modeled)
- The usual correlation functions, power spectra are only sensitive to sharp peaks, not to these uncollapsed fluctuations (can be fixed by changing density variables)

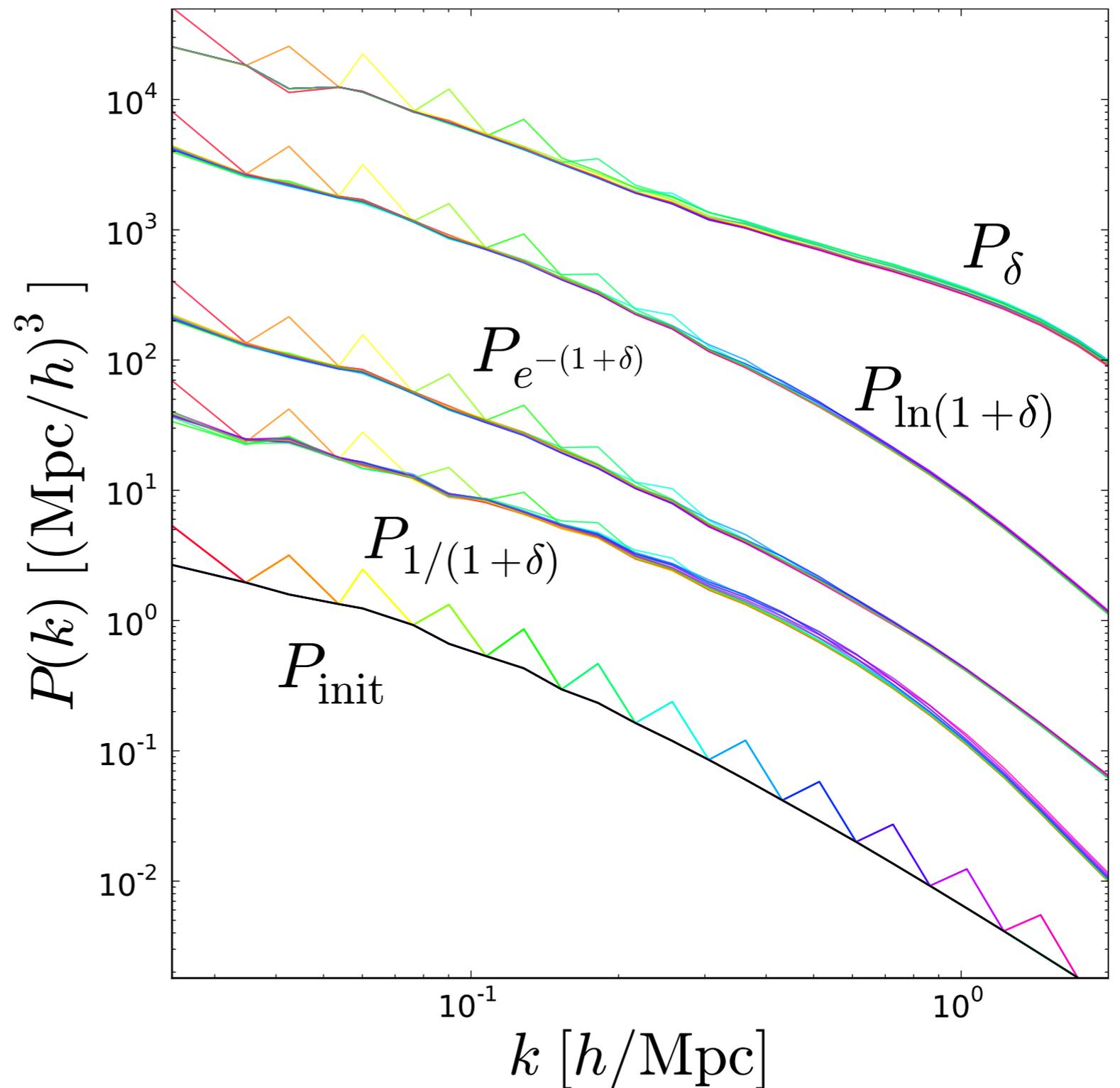
(or, forward modelling, e.g. constrained realizations)



Some transforms that emphasize different regions differently

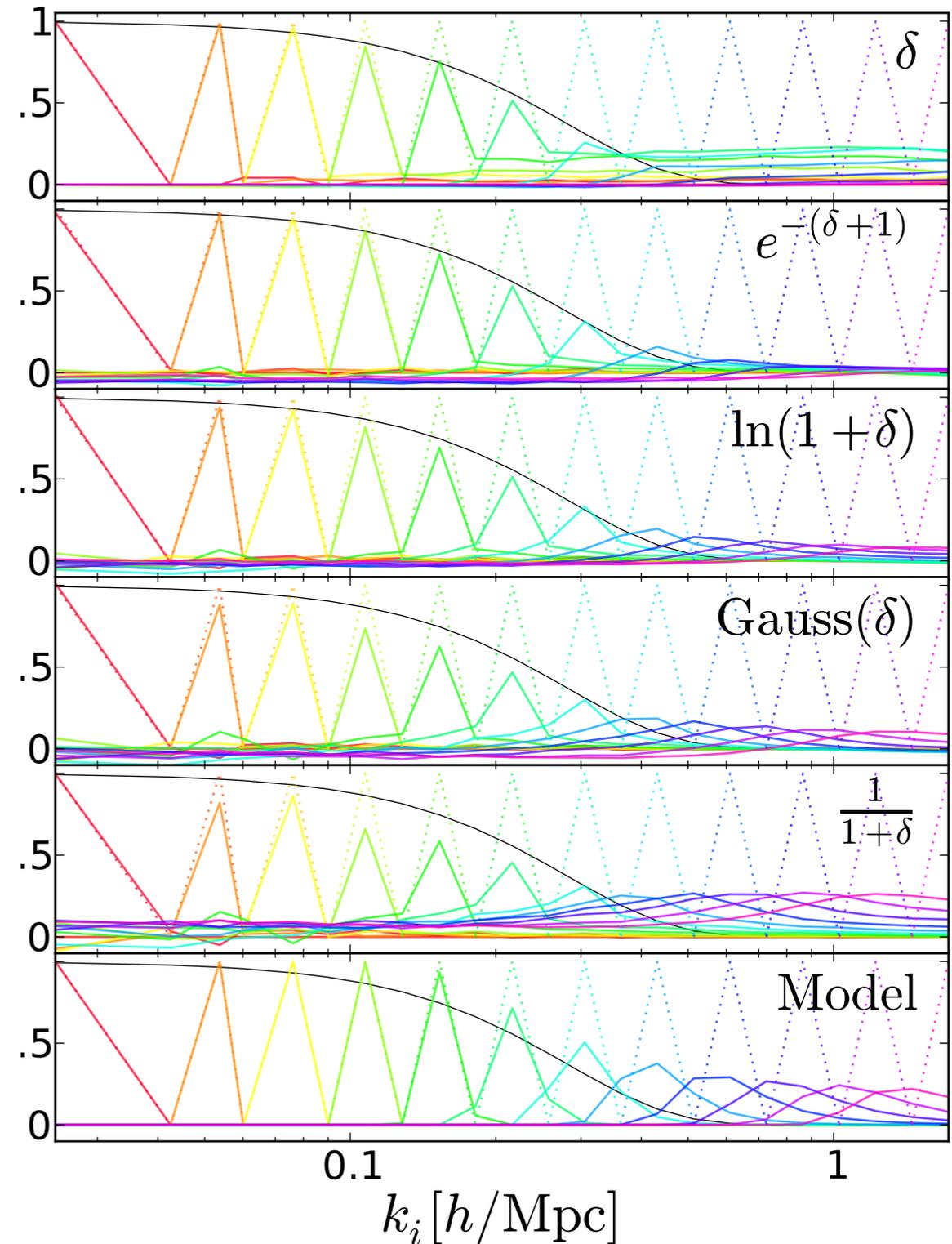
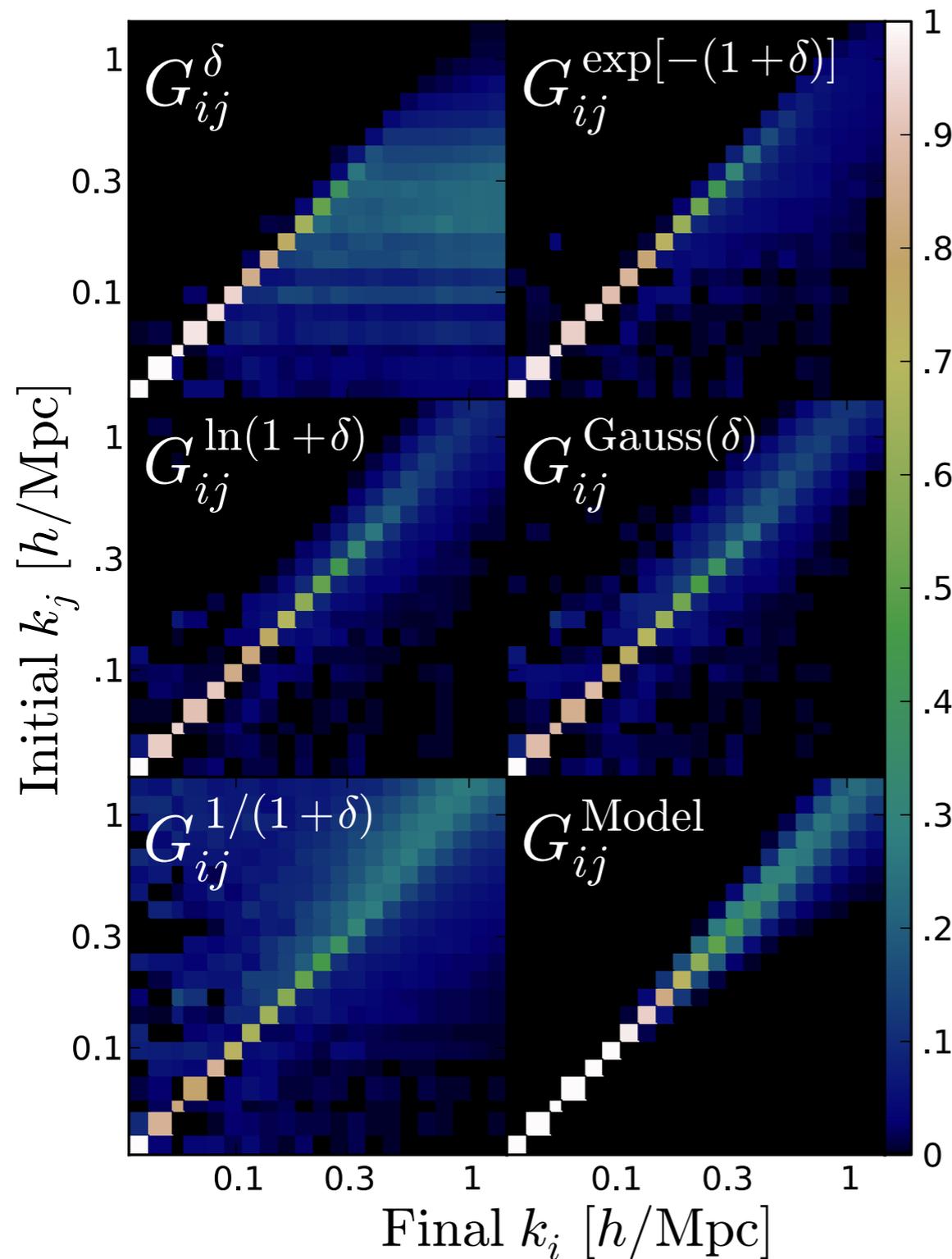


***N*-body
experiment: the
same initial
conditions are
“rung” at
different
wavenumbers**



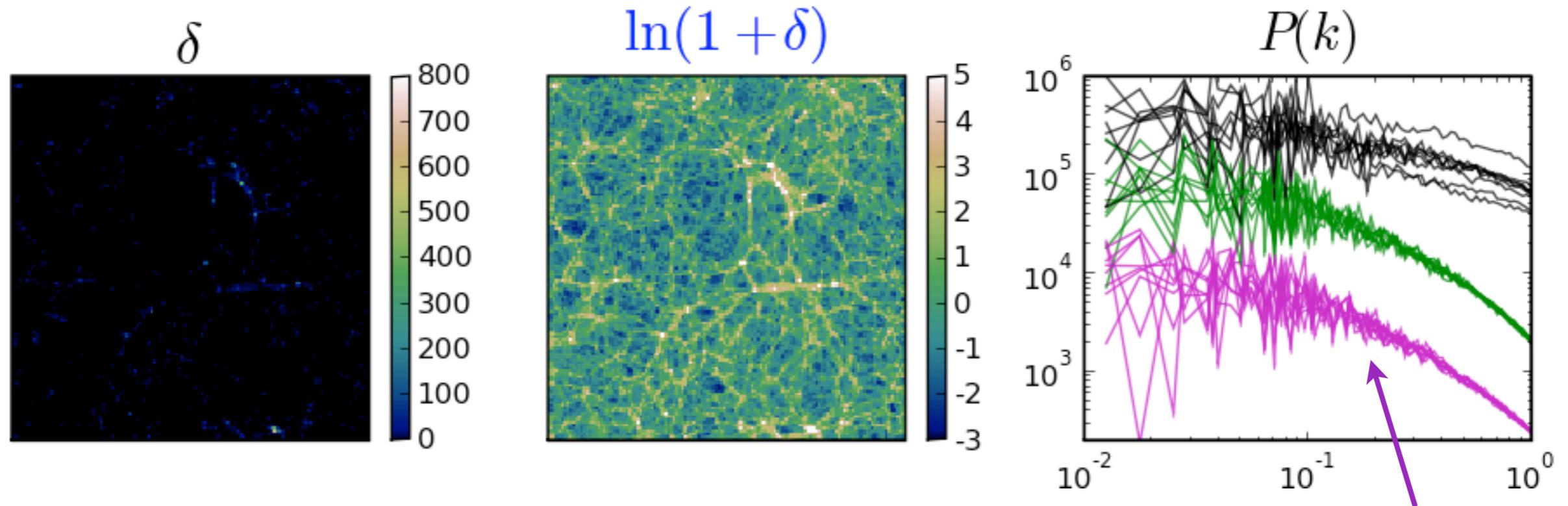
Neyrinck & Yang, MNRASL in press, 1305.1629
also see McCullagh, Neyrinck & Szalay 2013

Different density variables behave differently, sensitive to different density regimes

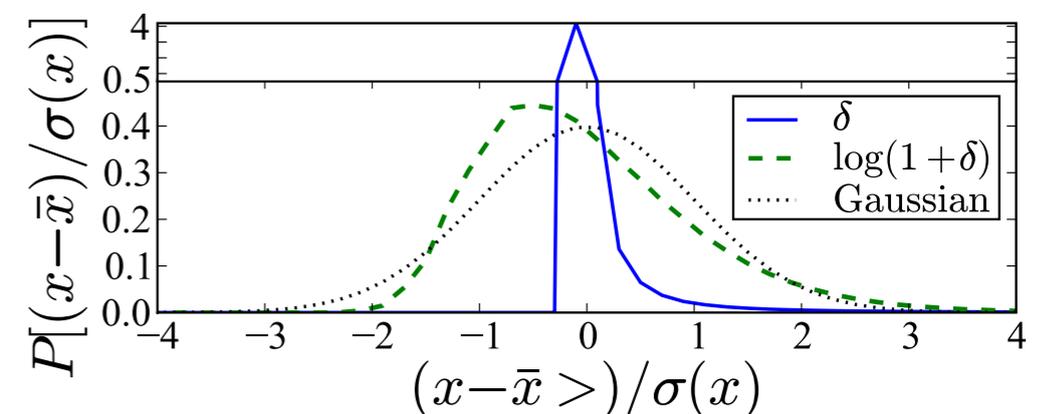


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Smearing of power to small scales produces substantial covariance in $P_\delta(k)$.



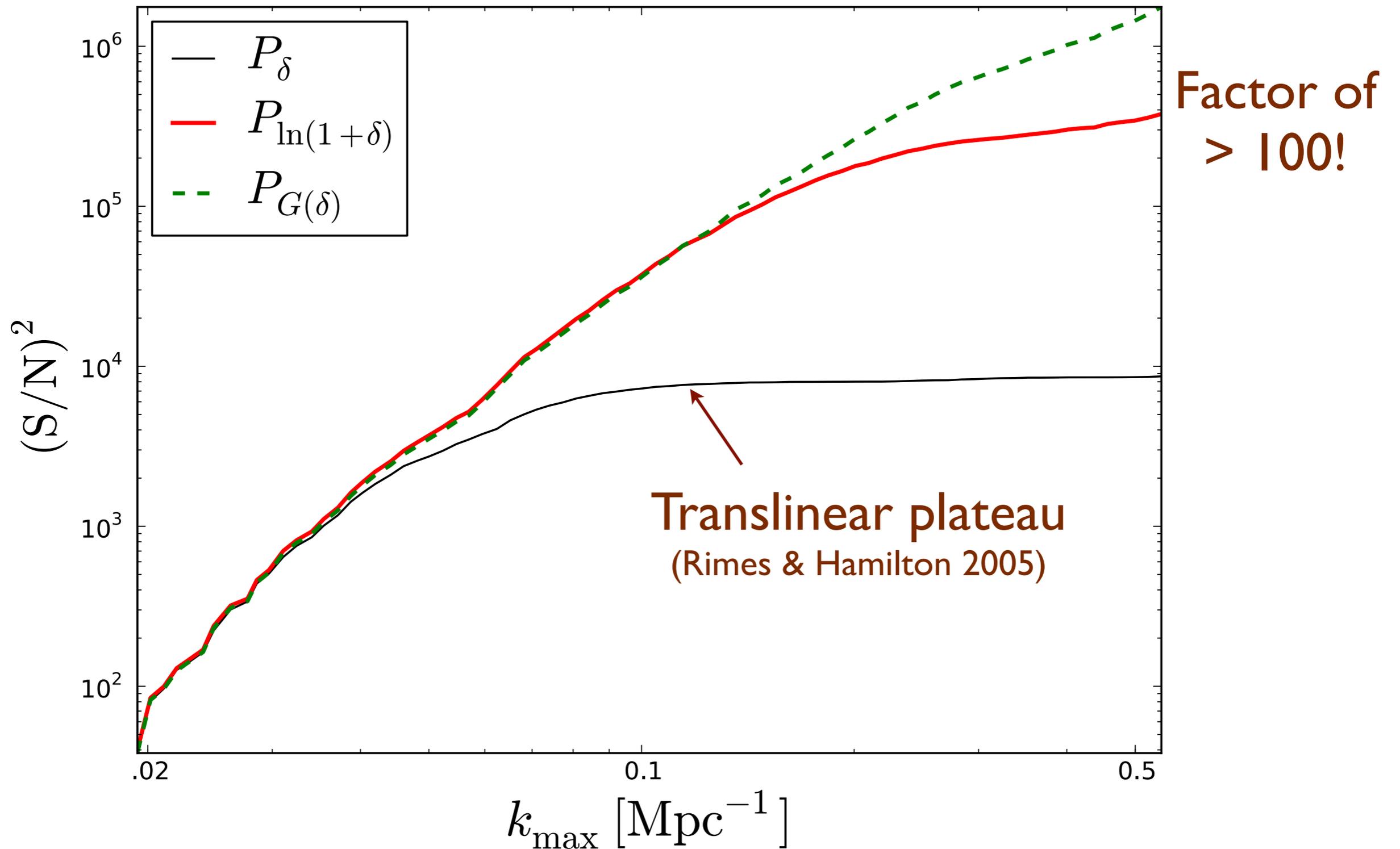
Log-mapping:
(Neyrinck, Szapudi & Szalay 2009)
~ Gaussianization (Weinberg 1992)
Similar cosmic-variance reduction with
“clipping” (Simpson et al. 2012, 2013)



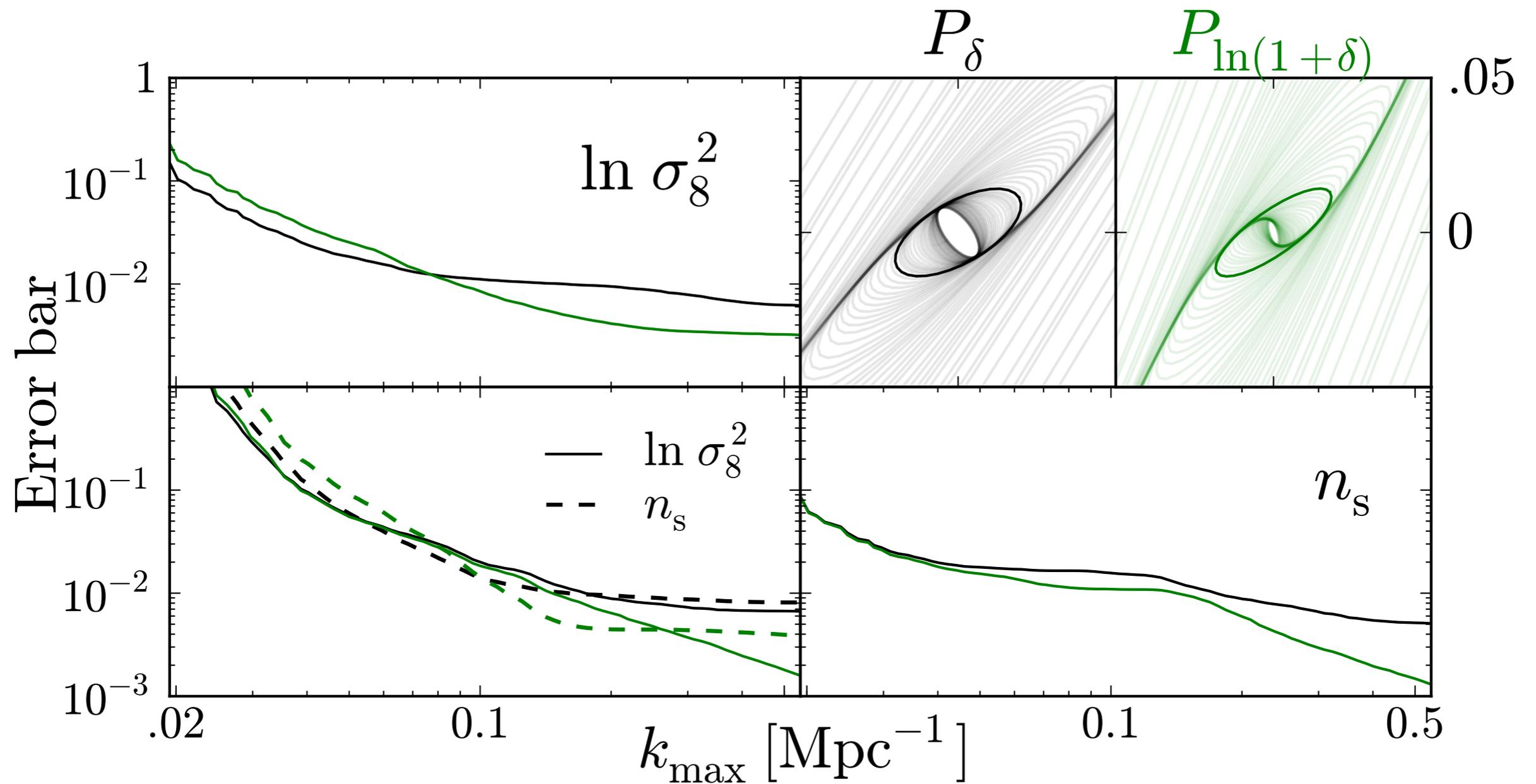
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Intrinsic Fisher information greatly enhanced

statistically independent Fourier modes
as a function of resolution (MN et al. 2009, 2011)



$P_{\ln(1+\delta)}$ significantly more cosmologically informative.



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Outline

- **Biassing in this language: MIP simulations: a powerful statistical ensemble to investigate galaxy biasing**

Trying to decouple biasing from clustering

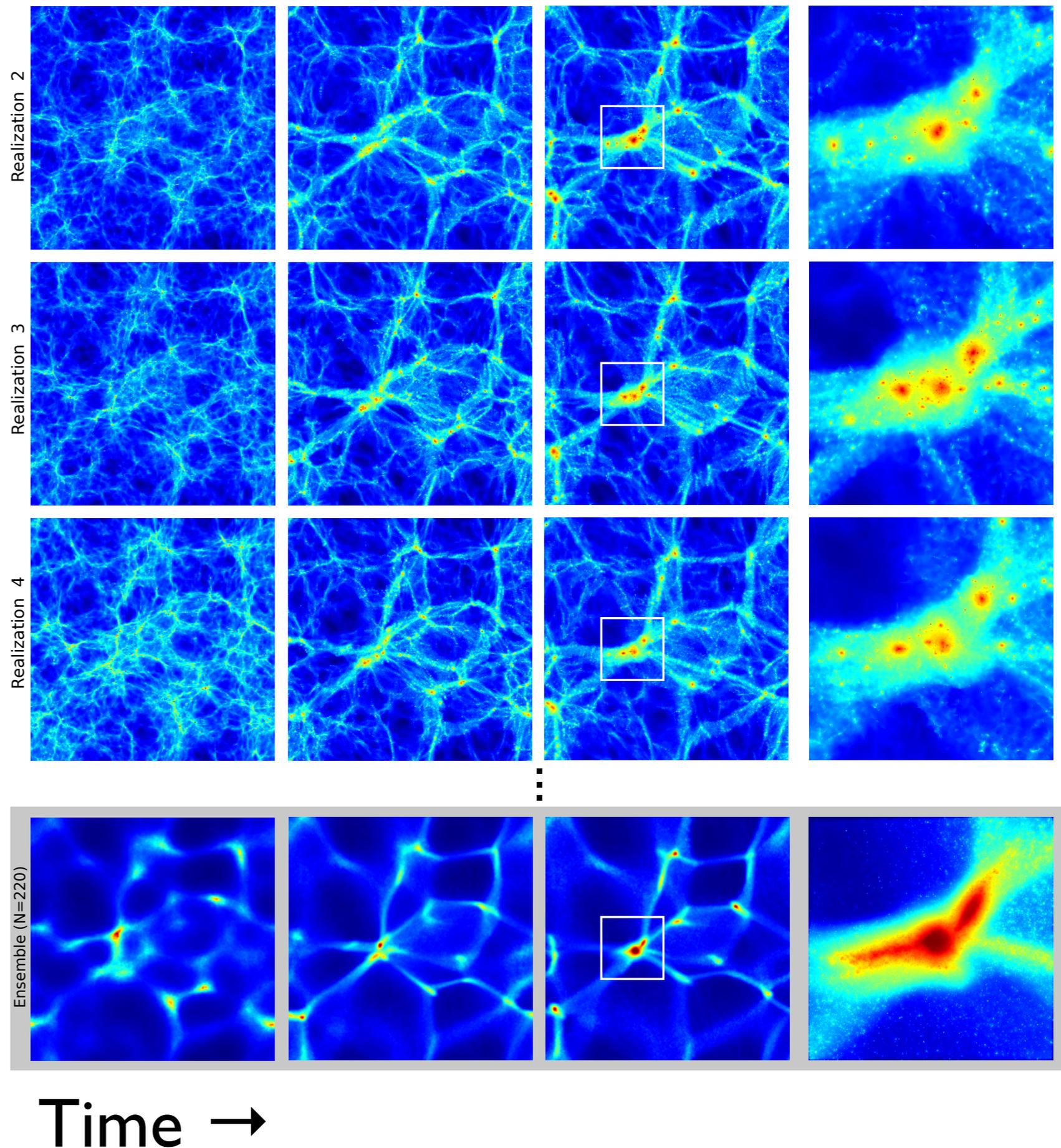
- Decouple the statistical information in a field into the one-point and the “reduced” (Gaussianized) N -pt functions
- Alternative to HOD that treats voids too:
 - 1-pt information/transformation -- galaxy/tracer bias.
 - Gaussianized N -pt statistics -- clustering.

MIP

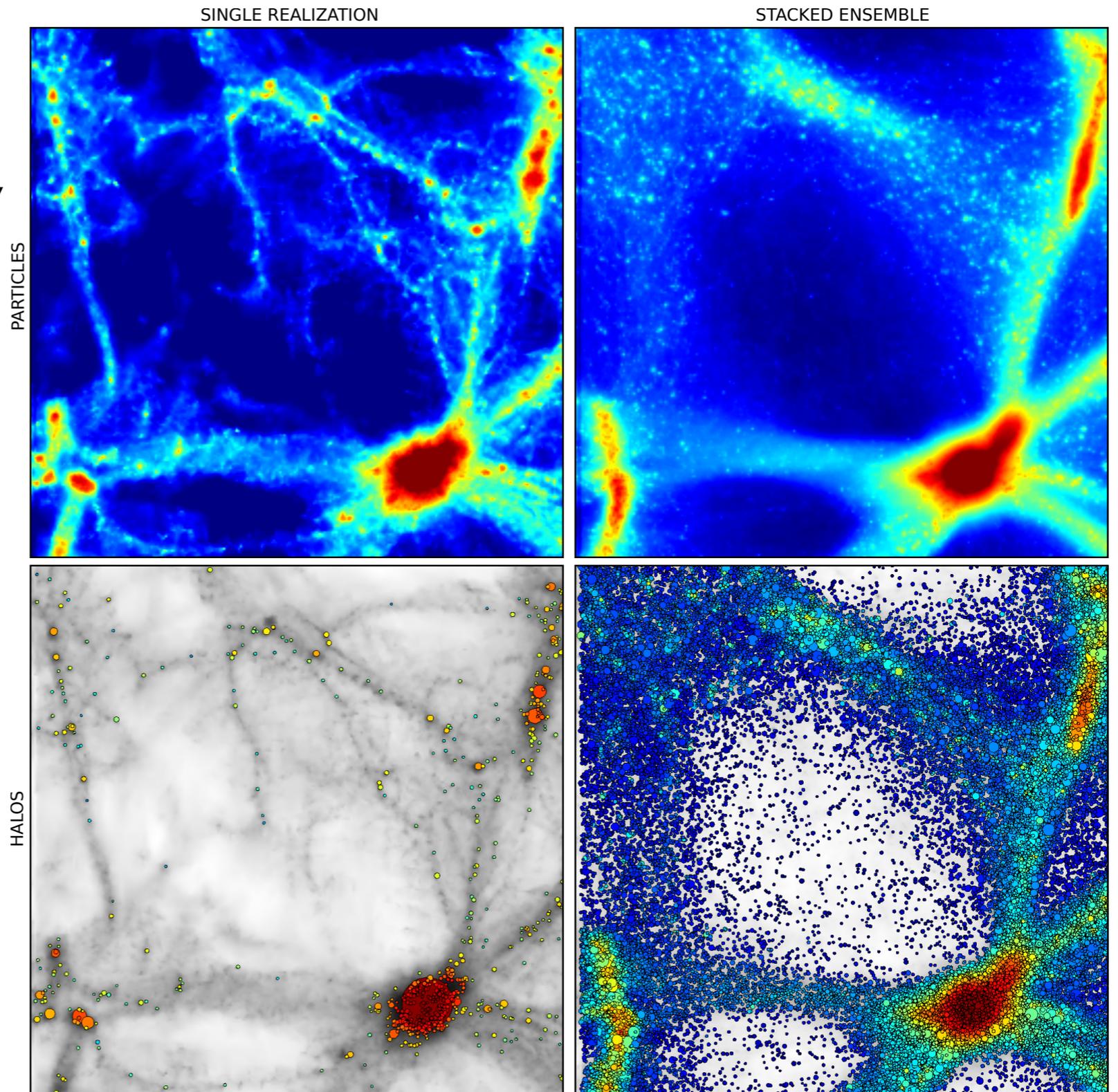
Multum In Parvo, many things
in a small place
(Aragón-Calvo 2012)

Allows a CWOD,
“cosmic web occupation
distribution” of haloes

CLASSIC

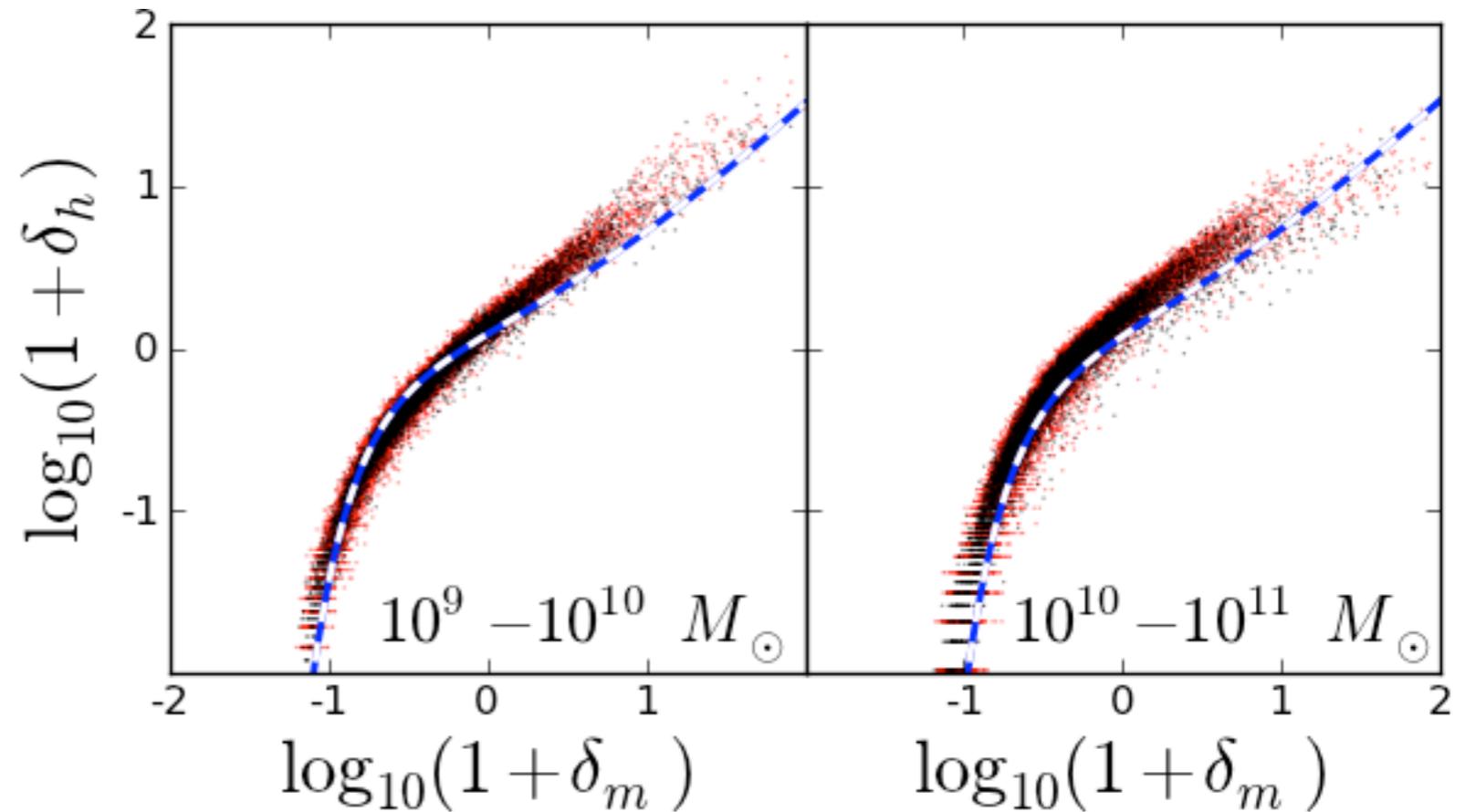


Gives a halo density field with negligible discreteness, exclusion.



Galaxy-halo bias deep into voids

- .. - $4 h^{-1}$ Mpc cells
- .. - **2** h^{-1} Mpc cells



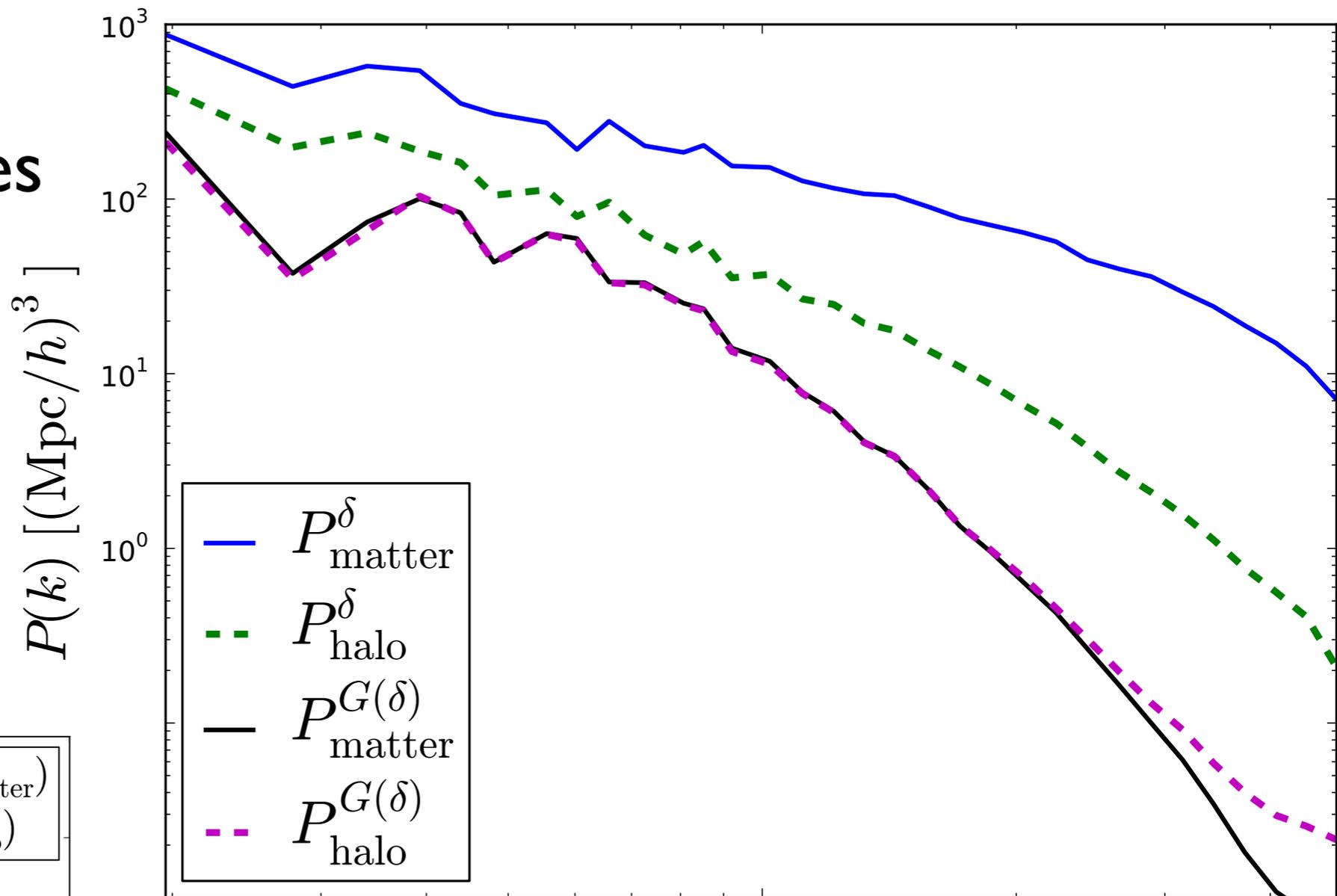
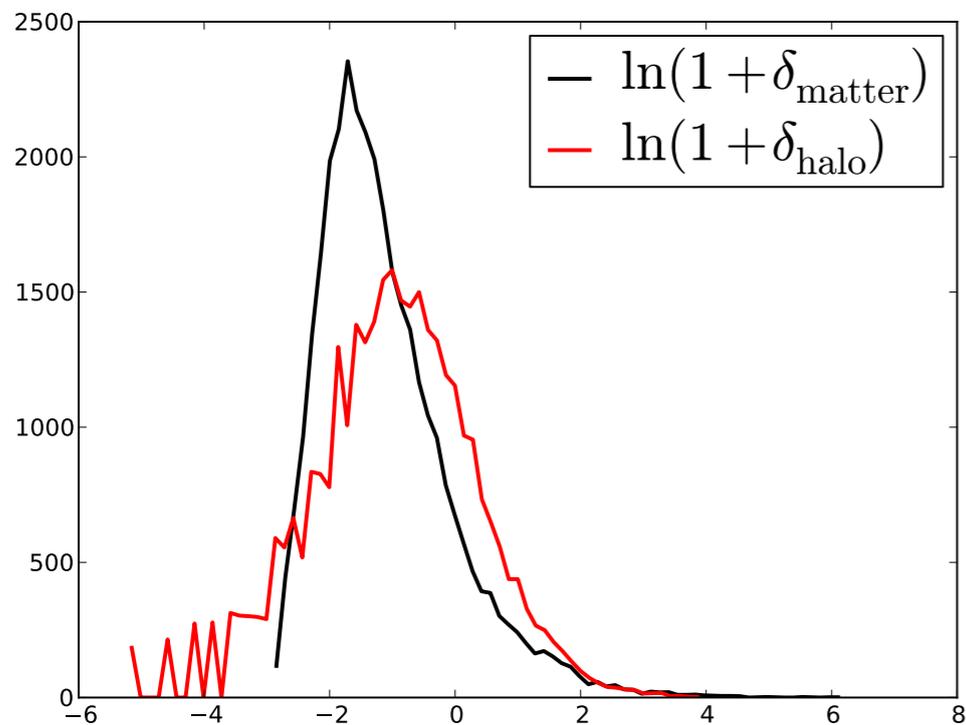
At low mass, bias scatterplot is well-fitted by Press-Schechter with an environment-dependent growth factor

Forming a galaxy in a void is like forming a rare cluster in an overdense region

Testing the hypothesis that the halo $\delta_h(\delta_m)$ is a local monotonic function:

Gaussianizing both fields largely undoes galaxy bias!

$$\delta_h = \delta_h(\delta_m) \Rightarrow G(\delta_h) = G(\delta_m)$$



k [h/Mpc] Power spectra -- Gaussianization on $1 h^{-1}$ Mpc grid

Conclusions

- Different transformed densities probe different density regimes -- best statistical properties when sharp peaks are suppressed
- Decoupling 1-pt from ($N > 1$)-pt info with Gaussianization is useful
- Averaging over “all possible universes” -- sets of small-scale fluctuations -- gives great statistical power to constrain a CWOD