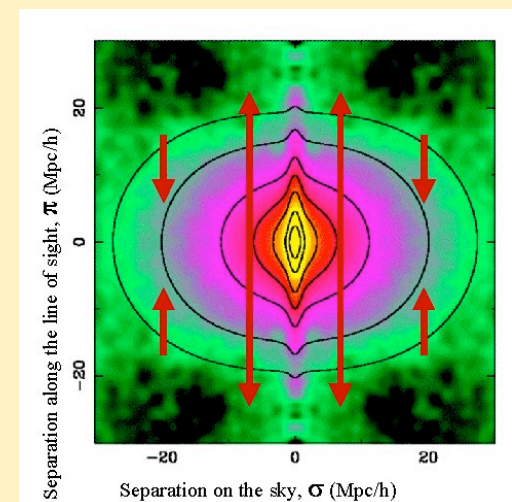




# Constraining modified gravity with redshift space distortions

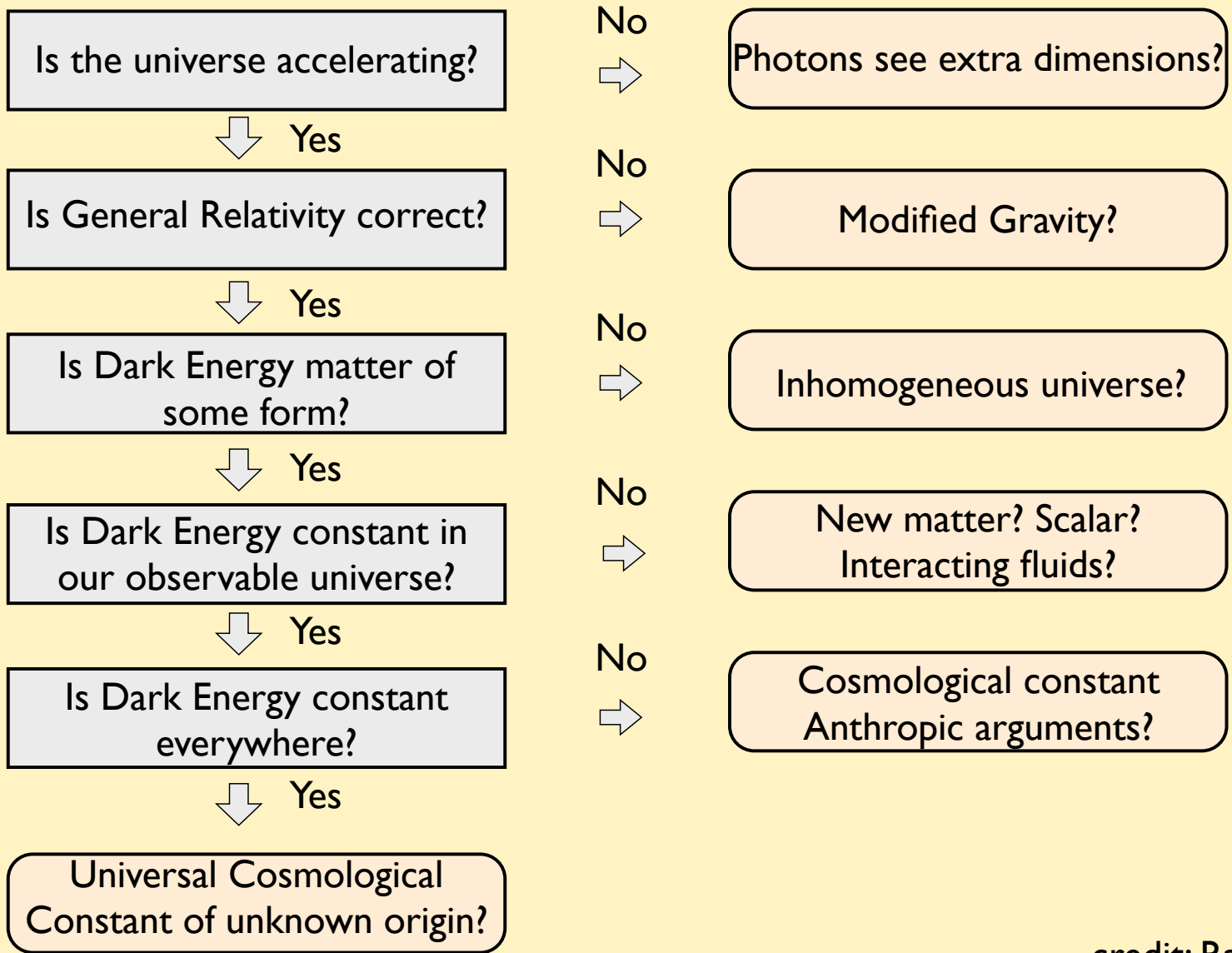
Eva-Maria Mueller

Advisor: Rachel Bean





# How do we interpret dark energy?





# How can GR be modified?

- Assume conformal Newtonian gauge

$$ds^2 = a^2[(1 + 2\psi)d\tau^2 + (1 - 2\phi)d\vec{x}^2]$$

$\phi, \psi$  - Newtonian potentials

$\tau$  - conformal time

- Modify Poisson equations

$$\nabla^2\psi = 4\pi G a^2 \delta\rho \times G_{matter}$$

effects on matter growth

$$\nabla^2(\phi + \psi) = 8\pi G a^2 \delta\rho \times G_{light}$$

effects on lensing of light

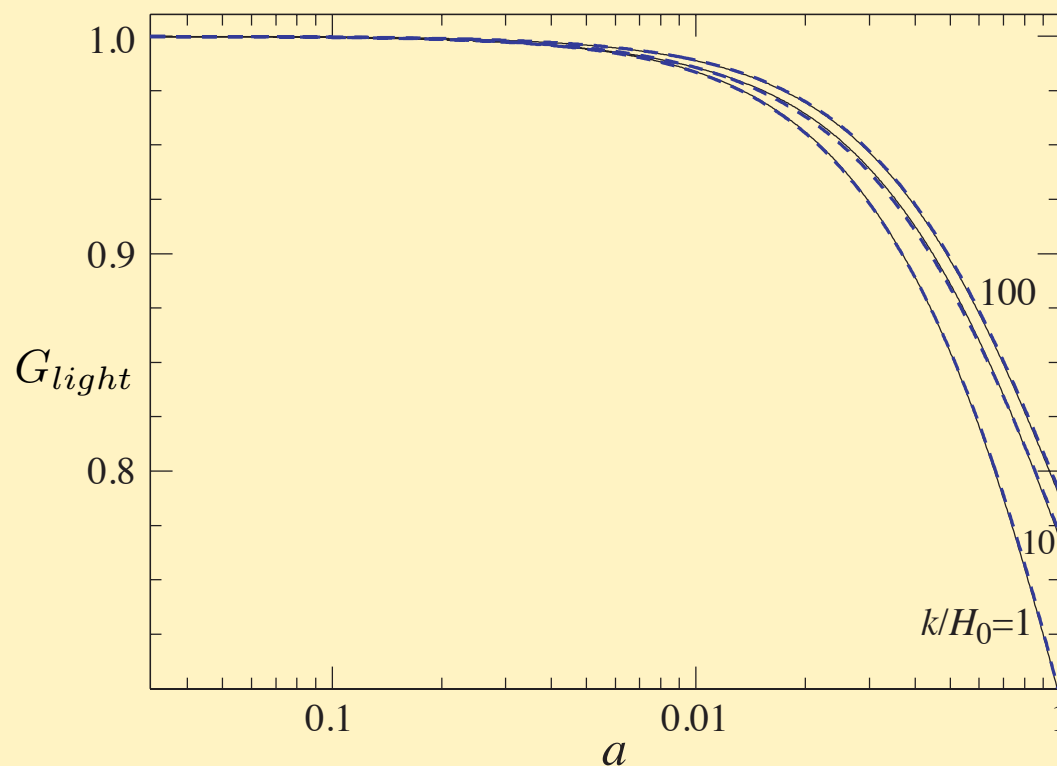


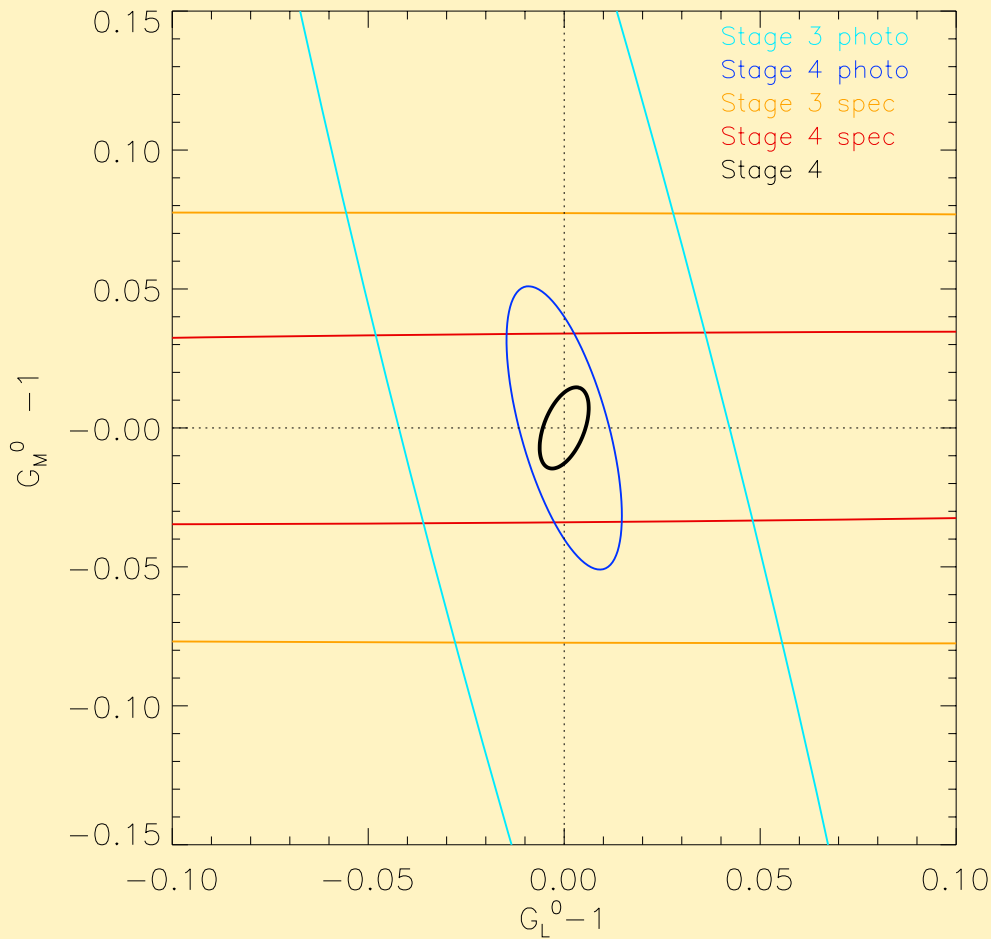
➔ Phenomenological model

➔ However a number of well-studied modified gravity models can be expressed in terms of  $G_{matter}$ ,  $G_{light}$

DGP:

$$G_{light} = \frac{1}{1 + \left(\frac{ma}{k}\right)^{2(1-\alpha)}}$$





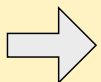
	RSD	WL+GAL+x
Stage 3	BOSS	DES
Stage 4	DESI, Euclid/LSST, AFTA	Euclid/LSST, AFTA

+CMB+SN

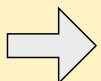
$$GR : G_M = 1$$

$$G_L = 1$$

preliminary work, Mueller and Bean in prep



complementary of photometric and spectroscopic surveys



1% level constraints on both parameters



→ However most models are  $z$ -dependent and  $k$ -dependent

→ Principle component analysis as an model independent approach:

$$G_{light}(k, z) : 20 \text{ } z \text{ bins, } 4 \text{ } k \text{ bins}$$

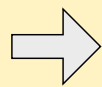
$$G_{matter}(k, z) : 20 \text{ } z \text{ bins, } 4 \text{ } k \text{ bins}$$

$$w(z) : 20 \text{ } z \text{ bins}$$

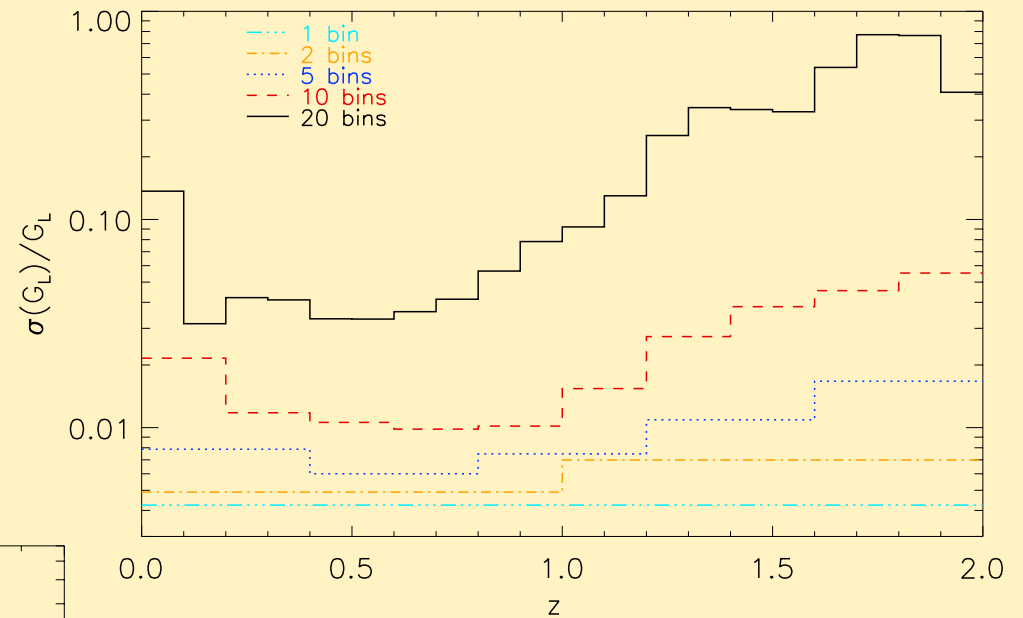
→ 6 cosmological parameters + 180 extra parameters !  
( $2 \times 20 \times 4 + 20$ )



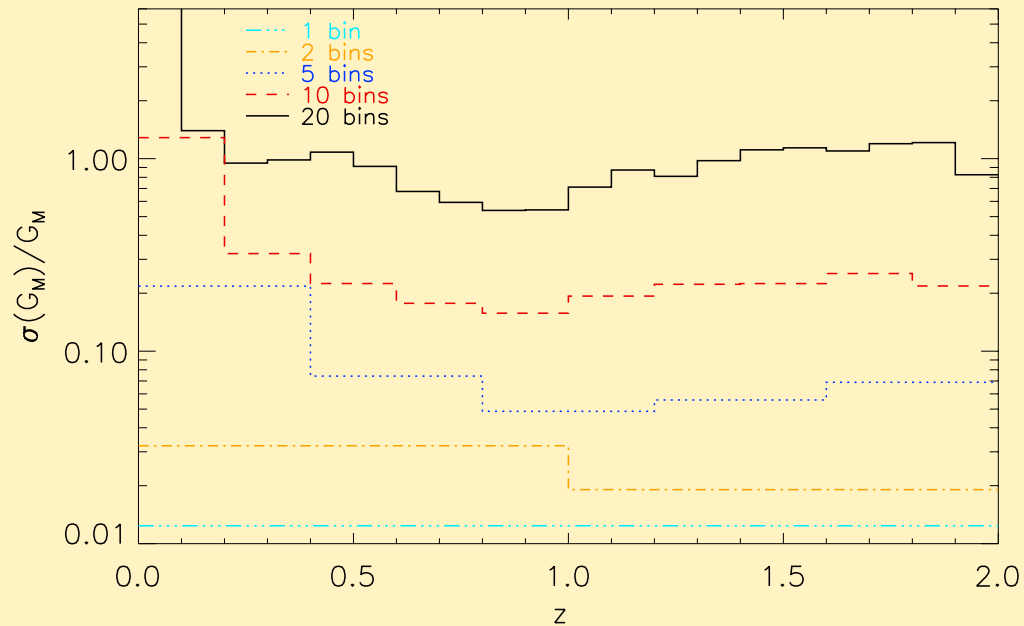
# Redshift dependency



Constraints degrade with the number of  $z$  bins

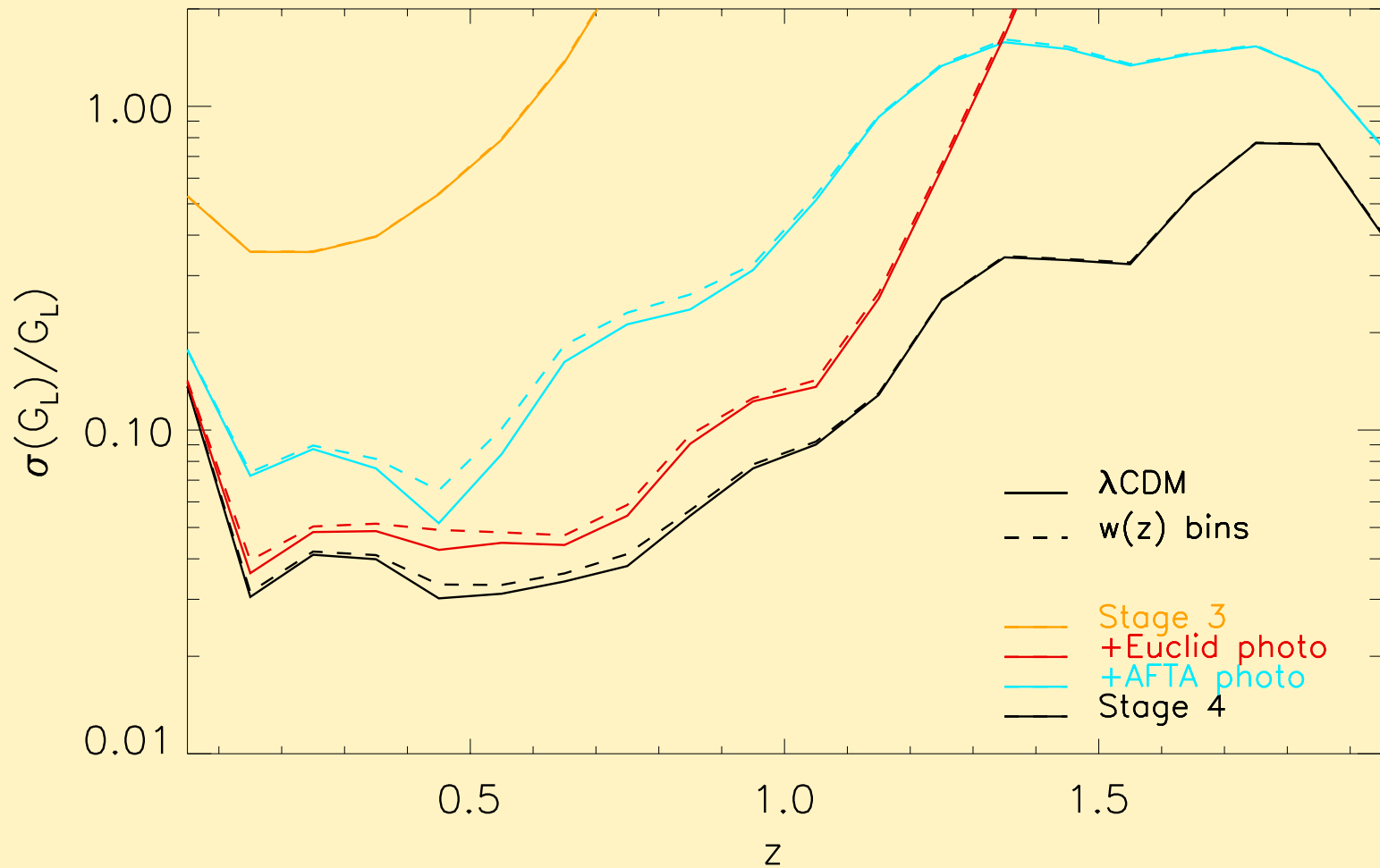


preliminary work, Mueller and Bean in prep





# Survey complementarity

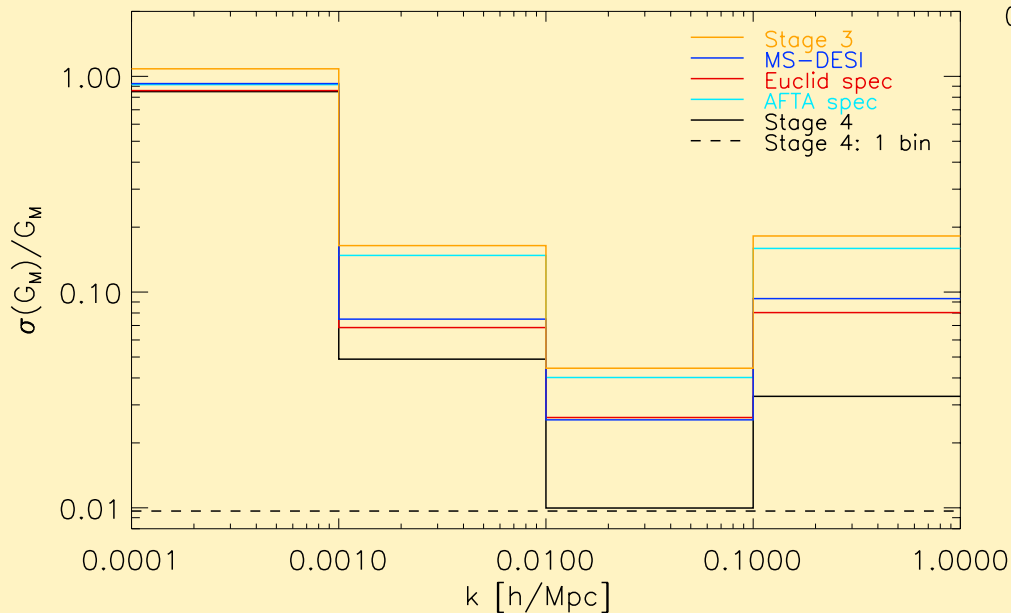
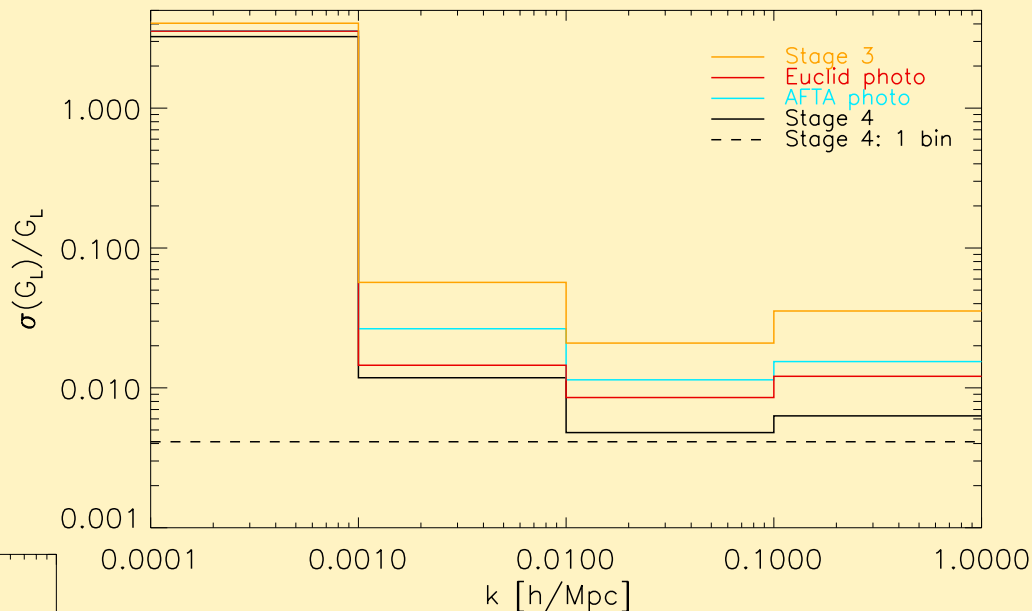






# Scale dependency

➔ Constraints degrade with the number of k bins

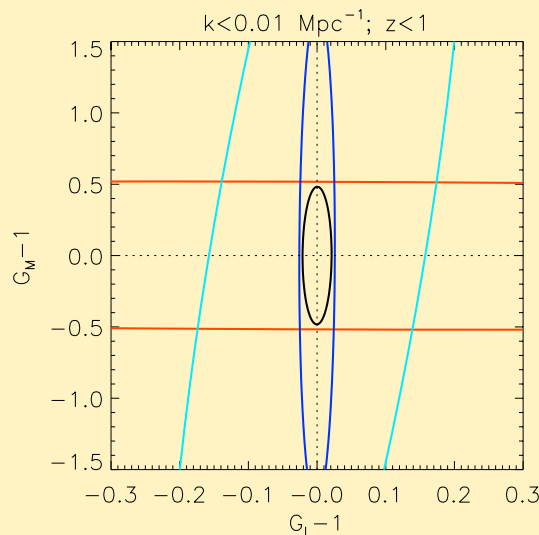
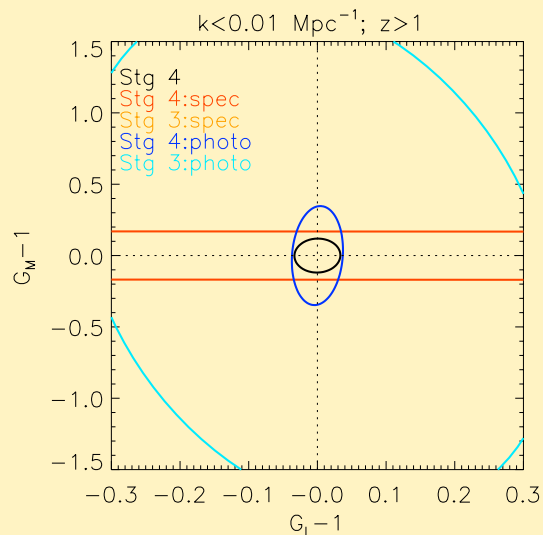


preliminary work, Mueller and Bean in prep

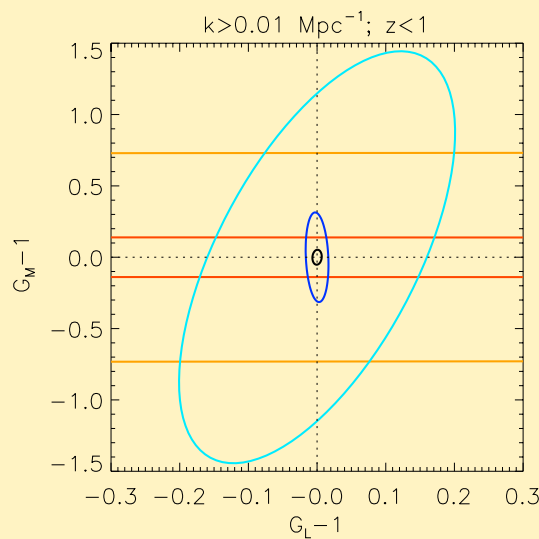
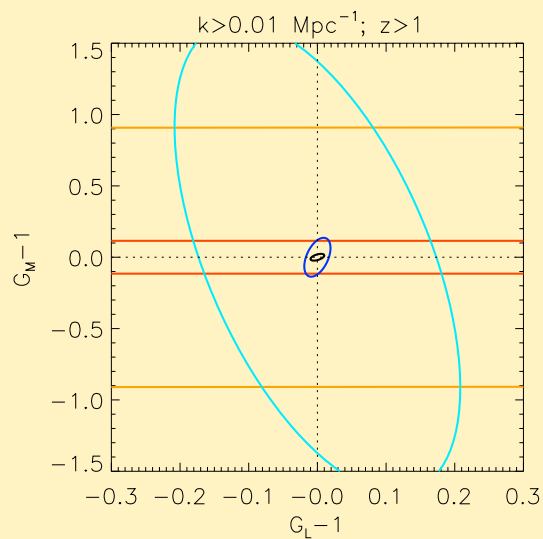
➔ How can we improve those constraints?



# I. Less bins = more restrictive prior



$k < 0.01$



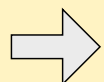
$k > 0.01$

$z > 1$

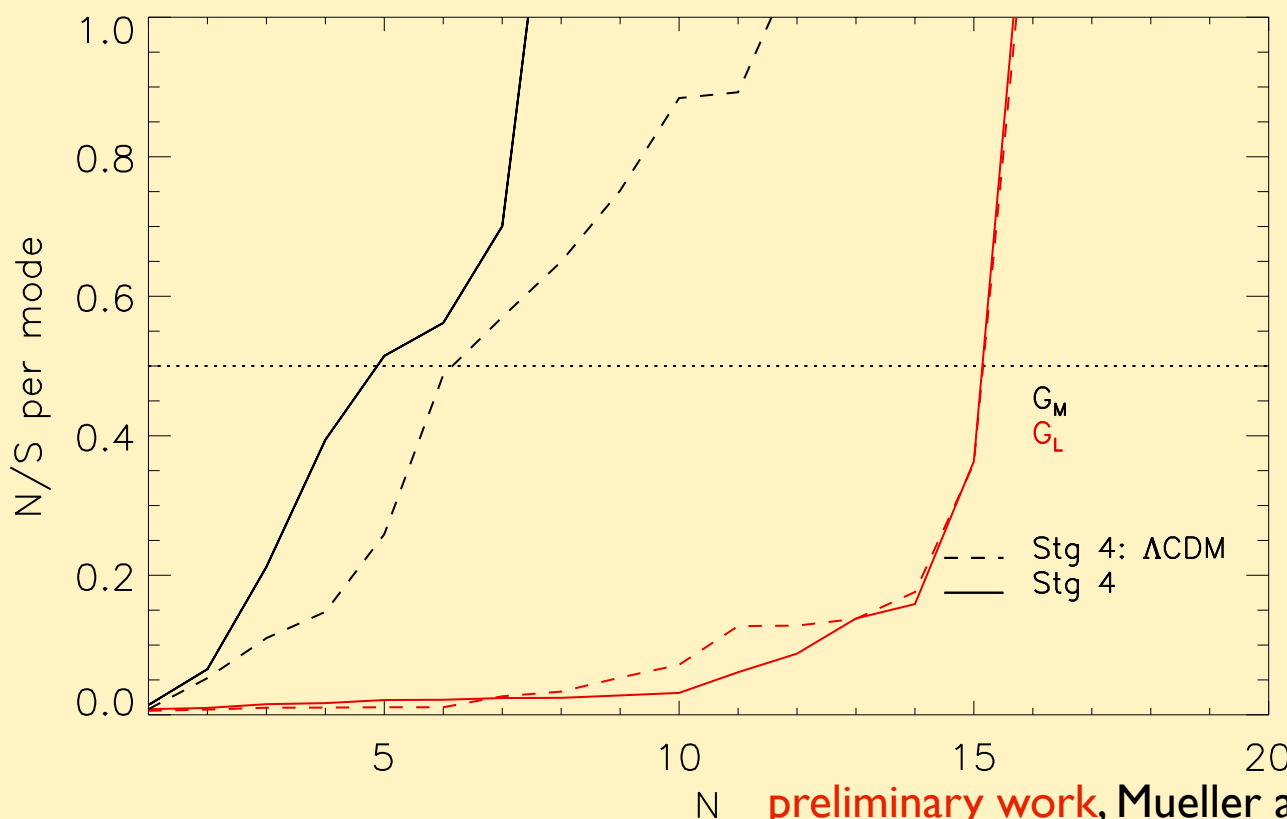
$z < 1$



## 2. Reduce the number of modes



How many well constrained modes are there?



preliminary work, Mueller and Bean in prep

$N/S < 0.5$  (or more conservative?)

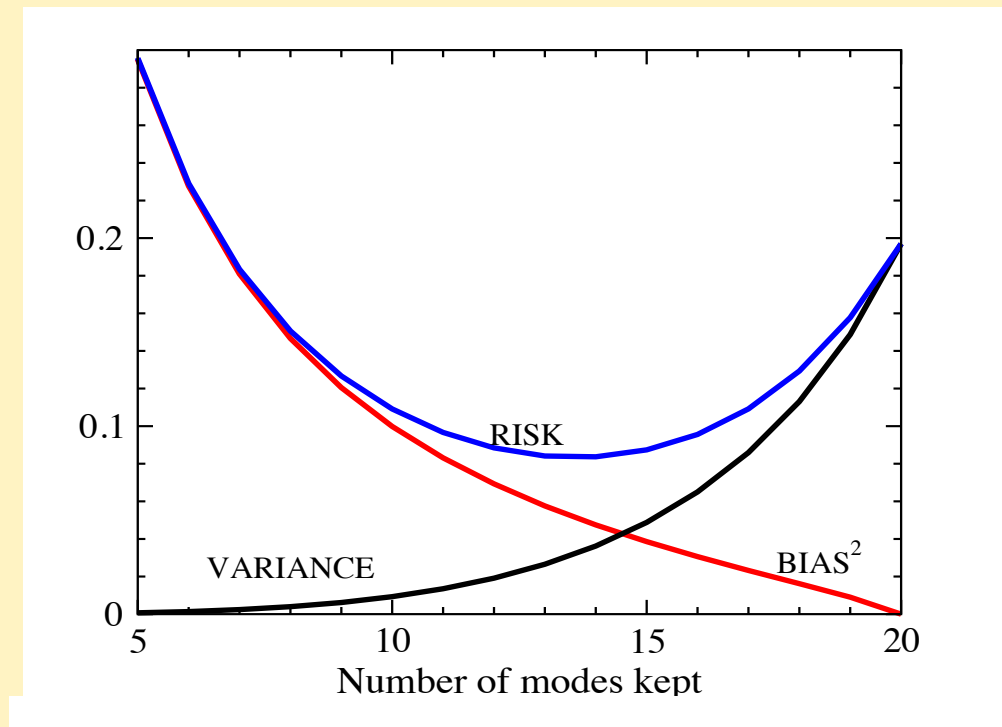


→ How big is the bias?

$$bias = \sum_i^N (G_{M/L}(z_i) - G_{M/L}^{fid}(z_i))$$

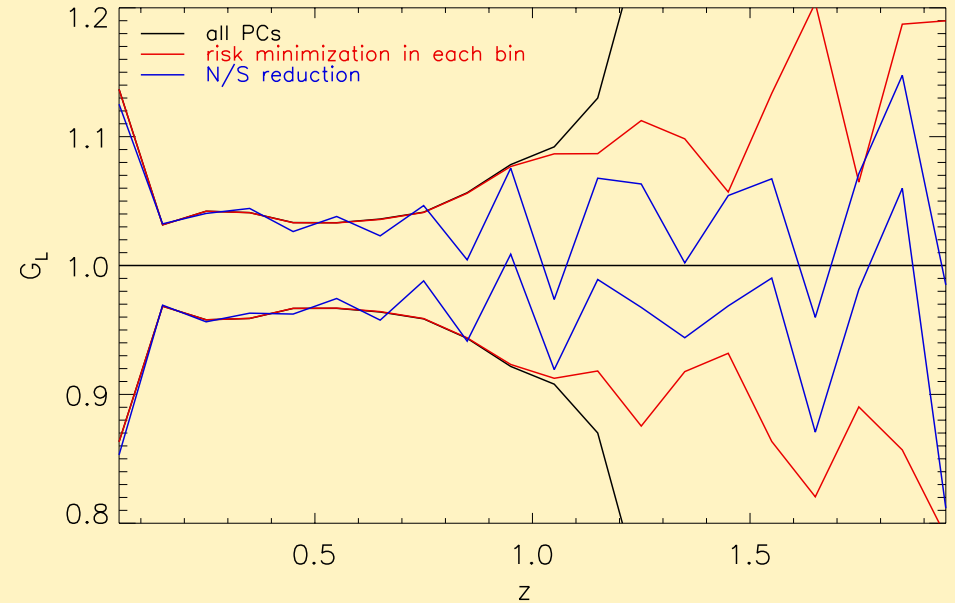
↑  
reconstructed value using a subset  
of all modes

→ Minimize the risk!

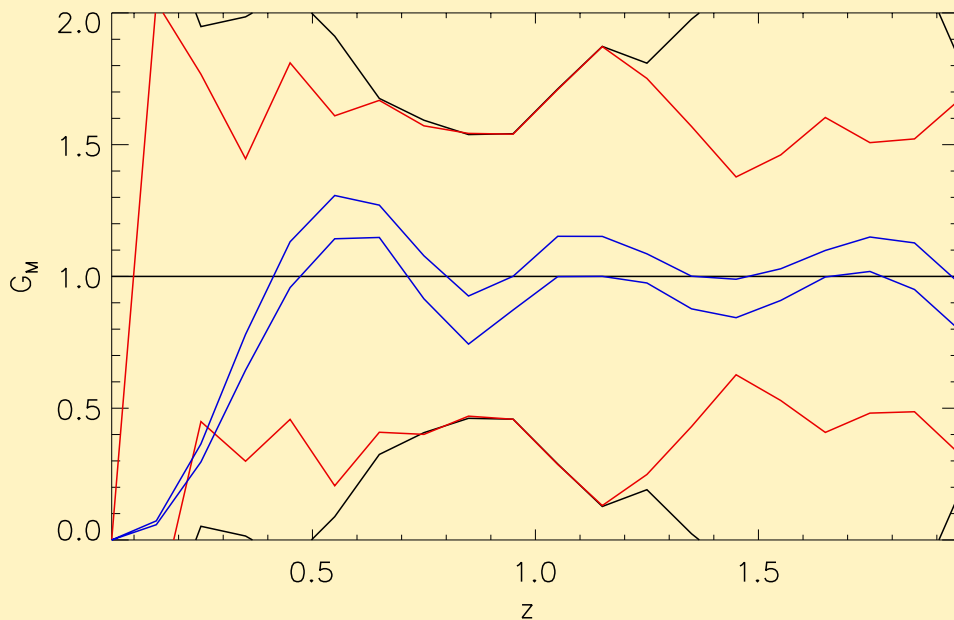




➔ Fewer modes lead to tighter constraints but higher bias



preliminary work, Mueller and Bean in prep



Reduction method	$G_M$	$G_L$
N/S reduction	5	16
risk minimization	16	18



# Alternative Approach

Dark energy (background) is often modeled as:

$$w(a) = w_0 + (1 - a)w_a$$

→ Simple parametrization for modified gravity?

$$G_{matter}(k, a) = ?$$

$$G_{light}(k, a) = ?$$

A variety of models considered in the literature



# A bit of caution with forecasts!

→ Forecasting is sensitive to assumptions!

- Galaxy number densities  $n(z)$
- Galaxy bias
- Minimum scale  $k=0.12h/\text{Mpc}$
- Smith et al nonlinear power spectrum
- Kaiser approximation
- photometric redshift errors
- intrinsic alignment modeling
- ...
- ...



# Summary

- Phenomenological bridge between theory and observation:  $G_{matter}$ ,  $G_{light}$
- Spectroscopic surveys are going to be the key to measuring  $G_{matter}$
- Photometric weak lensing and galaxy surveys will enable strong measurements of  $G_{light}$
- Upcoming decade offers unprecedented opportunity to test gravity on cosmic scales
- The more freedom allowed in the model the looser the constraints