



Dark matter halos: cores or cusps?

Carlos S. Frenk
Institute for Computational Cosmology,
Durham



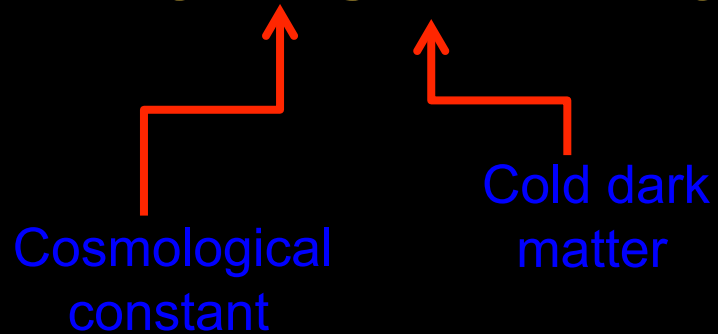
A challenge to cold dark matter?

The new Ogden
Centre at Durham





The Λ CDM model of cosmogony



The big Bang



300 tho

3 minutes

15 thousand million years

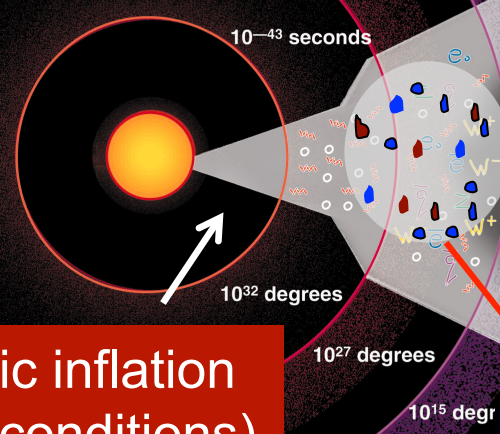
The cosmic microwave background is emitted
($t \sim 350,000$ yrs)

Production of particle dark matter
($t \sim 10^{-10}$ s)

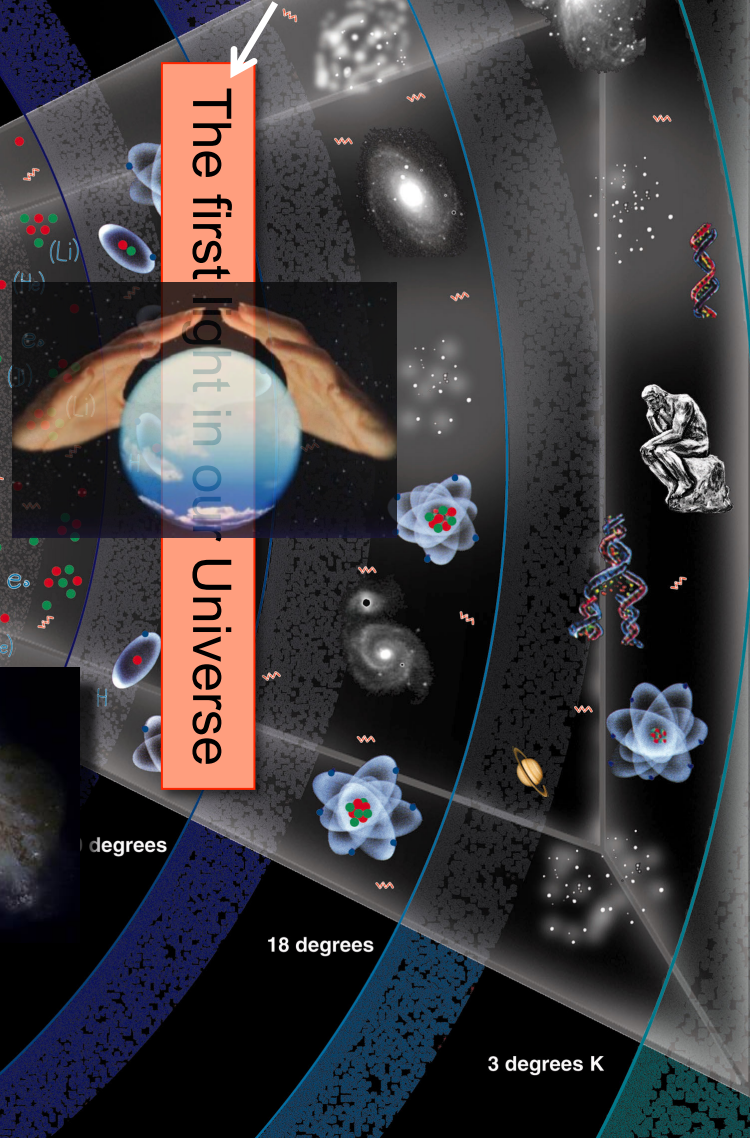
The first light in our Universe

$t = 13.7$ billion yrs

Cosmic inflation
(initial conditions)
($t \sim 10^{-35}$ s)



- radiation
- particles
- W^+ heavy particles carrying the weak force
- W^-
- quark
- anti-quark
- electron
- positron (anti-proton)
- neutron
- meson
- hydrogen
- deuterium
- helium
- lithium



The big Bang



300 thousand years

3 minutes

15 thousand million years

The temperature of this radiation should show small irregularities

Production of particle dark matter
($t \sim 10^{-10}$ s)

10^{-43} seconds

10^{32} degrees

10^{27} degrees

10^{15} degrees

1 degrees

18 degrees

3 degrees K

$t = 13.7$ billion yrs

Cosmic inflation
(initial conditions)
($t \sim 10^{-35}$ s)

- | | |
|---|-----------|
| radiation | electron |
| particles | proton |
| heavy particles carrying the weak force | neutron |
| | meson |
| | hydrogen |
| quark | deuterium |
| anti-quark | helium |
| | lithium |

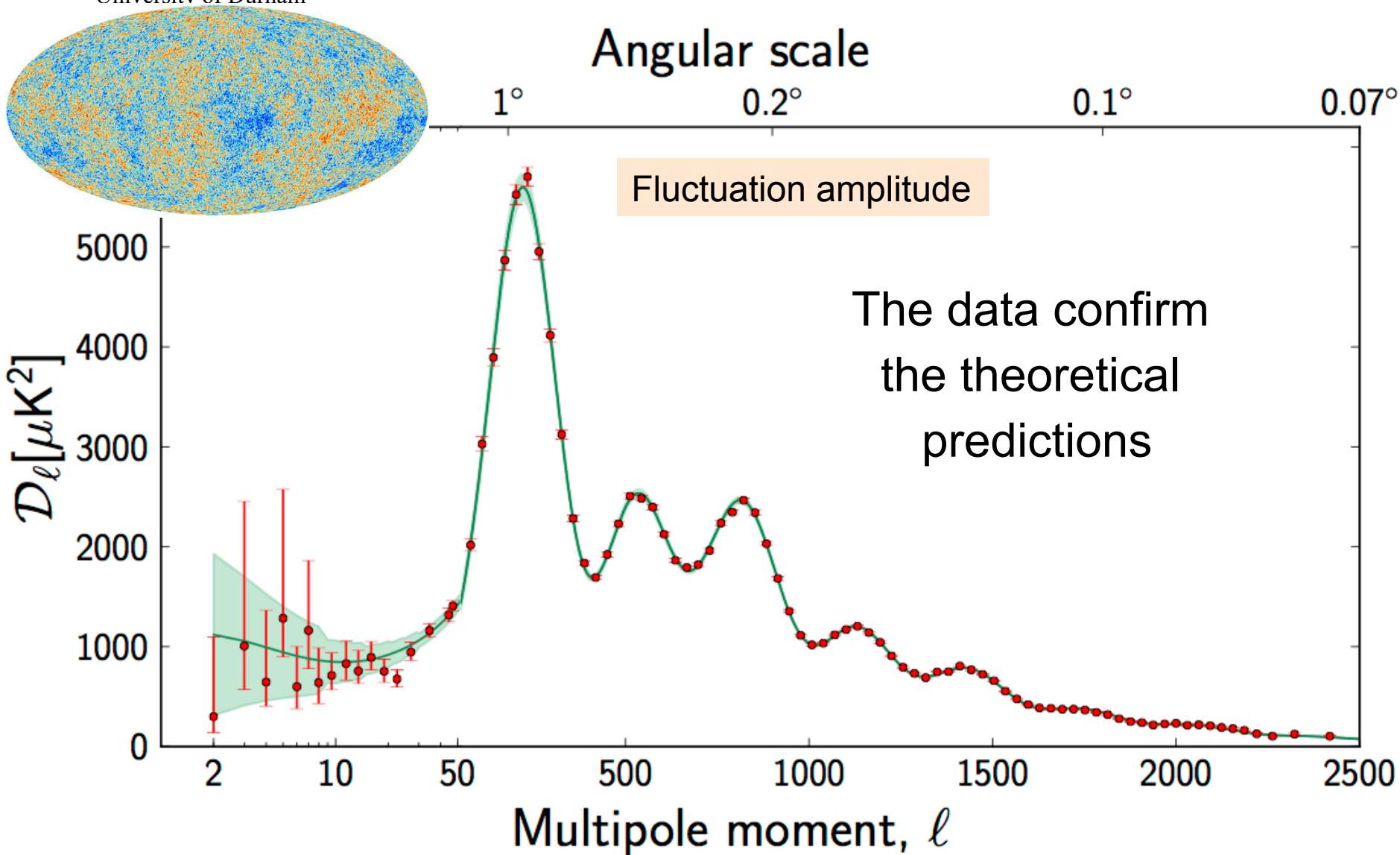


The initial conditions for galaxy formation



Quantum fluctuations from inflation

Planck: CMB temperature anisotropies



The six parameters of minimal Λ CDM model

		<i>Planck</i> +WP	
Parameter		Best fit	68% limits
6 model parameters	$\Omega_b h^2$	0.022032	0.02205 ± 0.00028
	$\Omega_c h^2$	0.12038	0.1199 ± 0.0027
	$100\theta_{MC}$	1.04119	1.04131 ± 0.00063
	τ	0.0925	$0.089^{+0.012}_{-0.014}$
	n_s	0.9619	0.9603 ± 0.0073
	$\ln(10^{10} A_s)$	3.0980	$3.089^{+0.024}_{-0.027}$

A 40σ detection of non-baryonic dark matter using only $z=1000$ data!

The big Bang



Production of
particle dark matter
($t \sim 10^{-10}$ s)

A revolutionary idea proposed in
the late 1970s

$t = 13.7$ billion yrs

radiation

particles

W^+
 W^-
 Z } heavy particles
carrying
the weak force

quark

anti-quark

electron

positron (anti-electron)

proton

neutron

meson

hydrogen

deuterium

helium

lithium

300 thousand years

3 minutes

1 thousand million years

15 thousand million years

10^{-43} seconds

10^{32} degrees

10^{27} degrees

10^{15} degrees

10^{10} degrees

10^9 degrees

6000 degrees

18 degrees

3 degrees K

Non-baryonic dark matter candidates

From the early 1980s:

Type	example	mass
hot	neutrino	few tens of eV
warm	sterile ν	keV-MeV
cold	axion neutralino	$10^{-5}\text{eV} - 100 \text{ GeV}$

These possibilities can be tested with astrophysics

The dark matter power spectrum

$k^3 P(k)$

The linear power spectrum (“power per octave”)

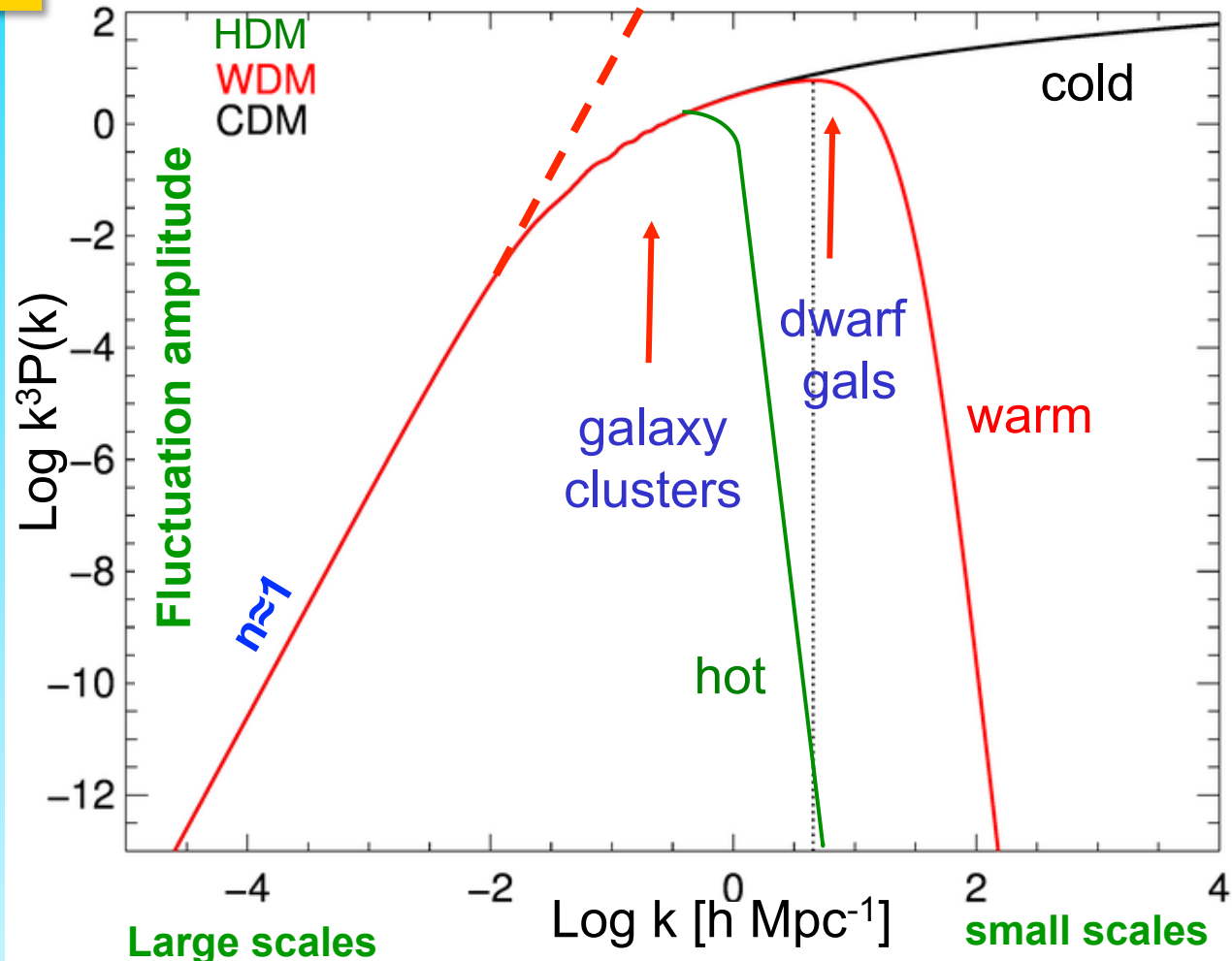
Free streaming \rightarrow

$\lambda_{\text{cut}} \propto m_x^{-1}$
for thermal relic

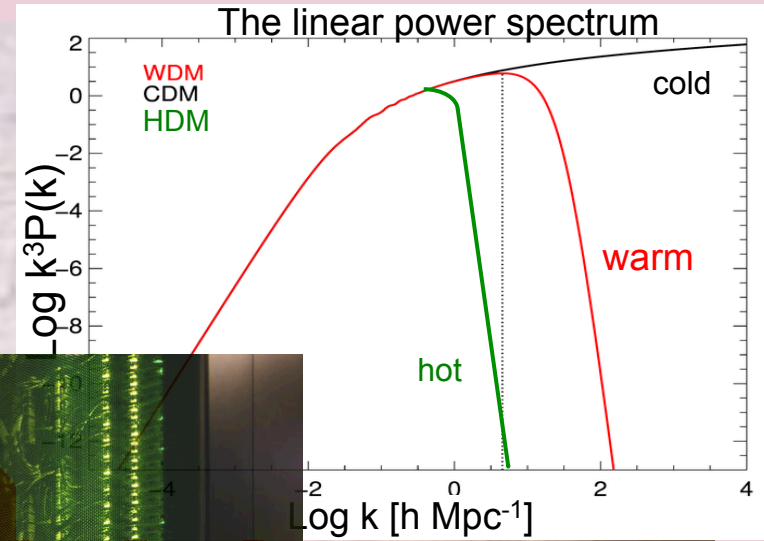
$m_{\text{CDM}} \sim 100 \text{ GeV}$
susy; $M_{\text{cut}} \sim 10^{-6} M_{\odot}$

$m_{\text{WDM}} \sim \text{few keV}$
sterile ν ; $M_{\text{cut}} \sim 10^9 M_{\odot}$

$m_{\text{HDM}} \sim \text{few tens eV}$
light ν ; $M_{\text{cut}} \sim 10^{15} M_{\odot}$



Non-linear evolution

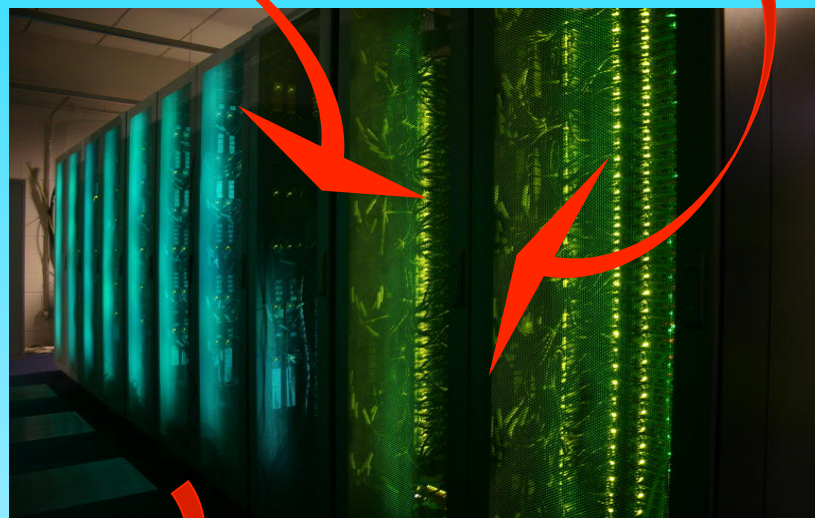


Non-linear evolution: simulations

Initial conditions + assumption about content of Universe

Relevant equations:

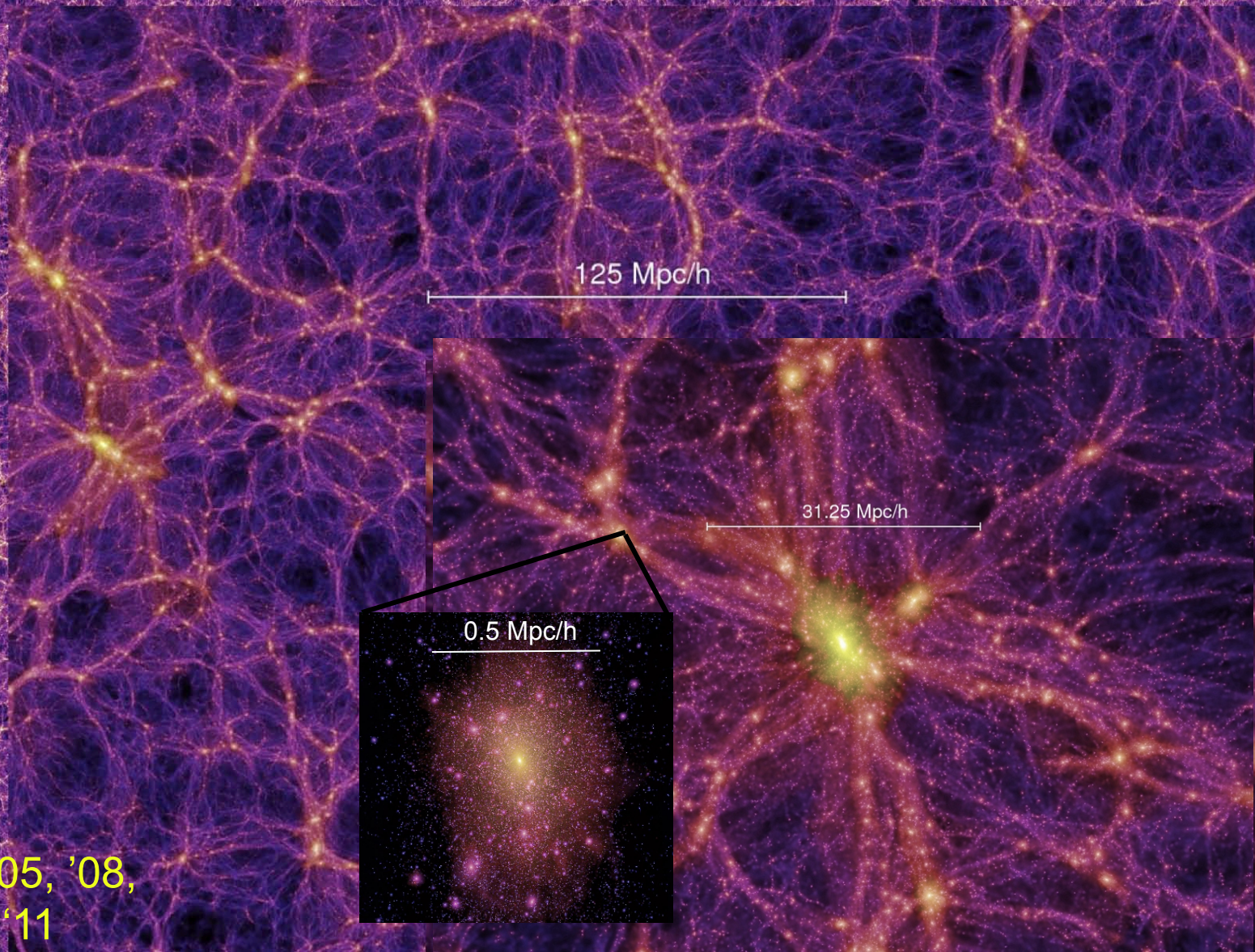
Collisionless Boltzmann;
Poisson; Friedmann eqns;
Radiative hydrodynamics
Subgrid astrophysics



How to make a virtual universe

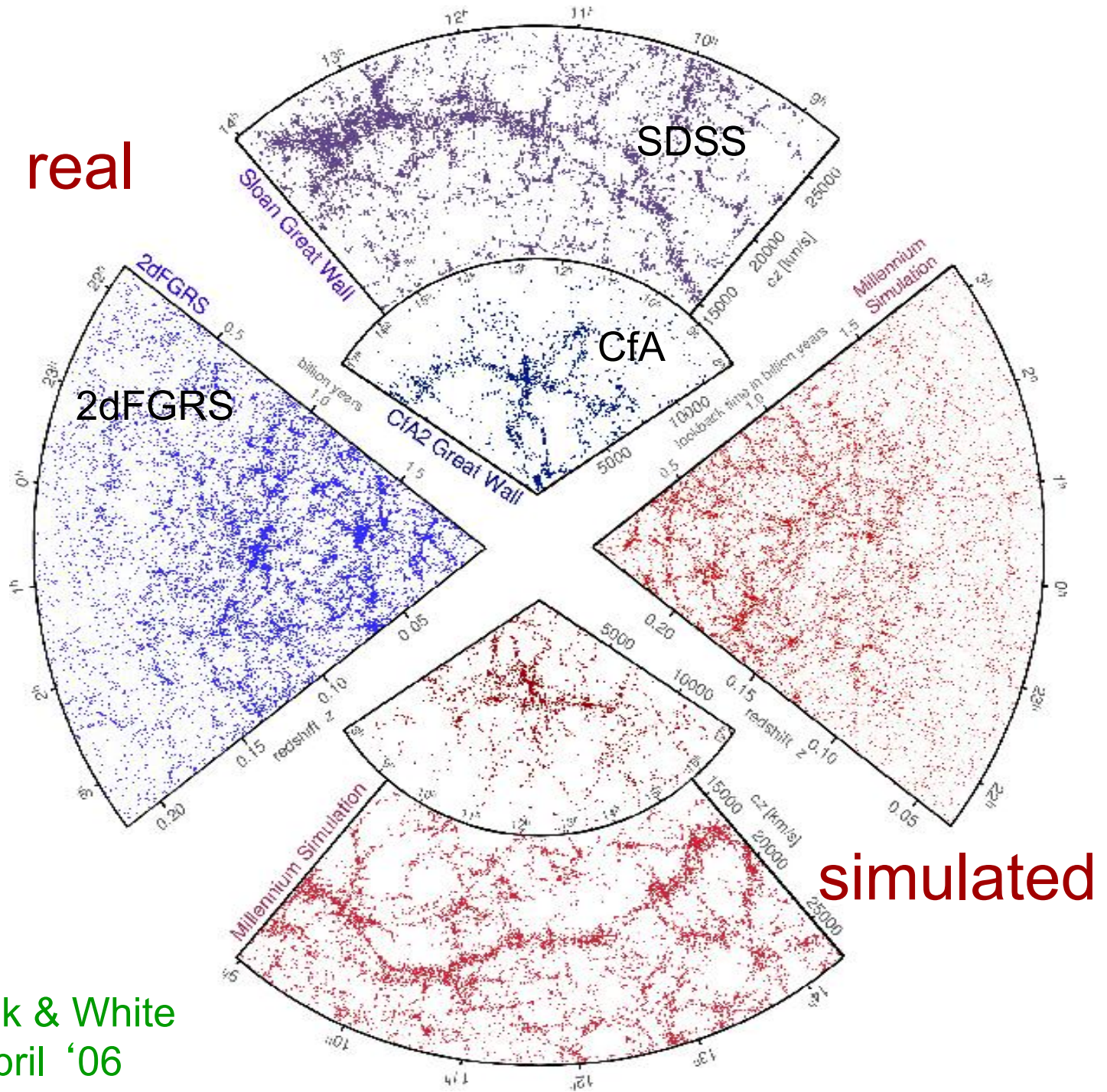
VIRGO

The Millennium/Aquarius/Phoenix simulation series



Springel et al '05, '08,
Gao et al '11

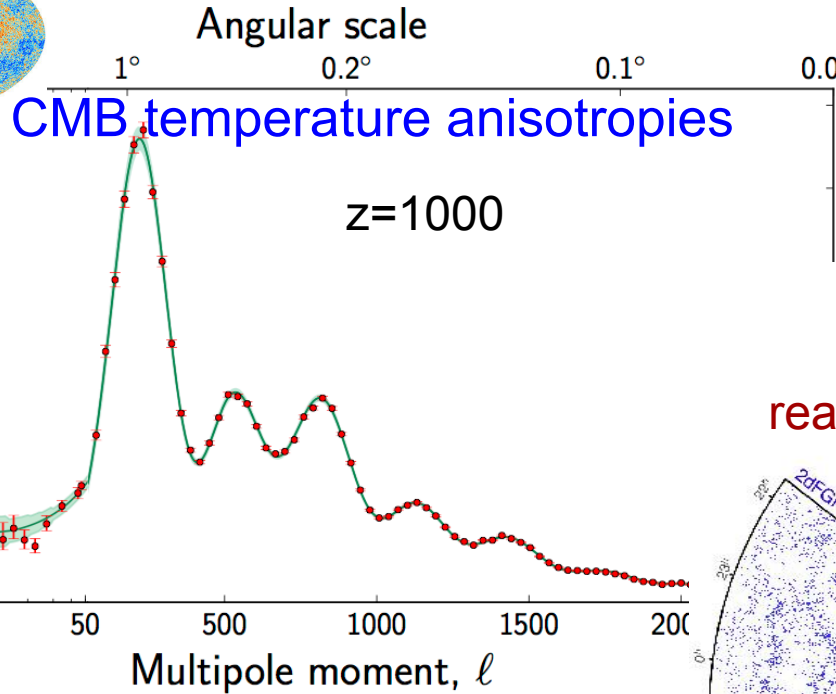
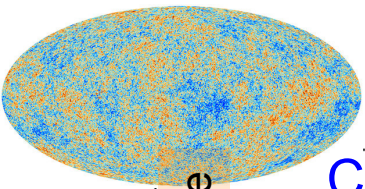
real



Springel, Frenk & White
Nature, April '06

The Λ CDM model of cosmogony

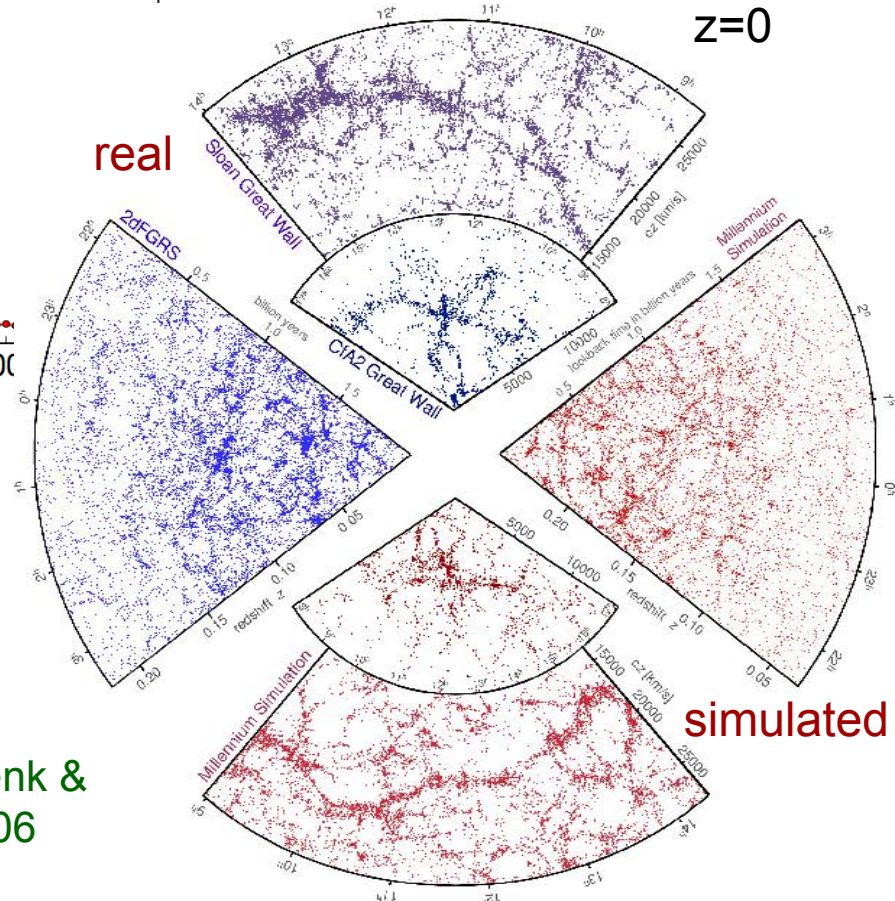
Proposed in 1980s; now empirically supported by:



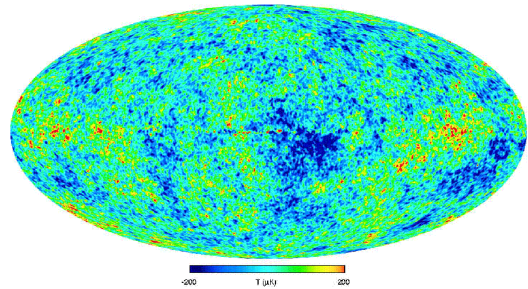
Planck coll. 2015

Springel, Frenk &
White 2006

Galaxy clustering



The cosmic power spectrum: from the CMB to the 2dFGRS

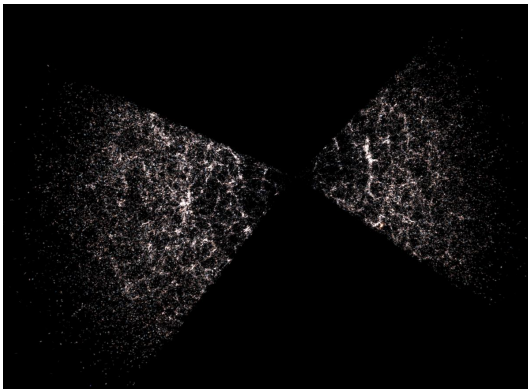


$z \sim 1000$

$\text{Log } k^3 P(k)$

wavelength k^{-1} (comoving h^{-1} Mpc)

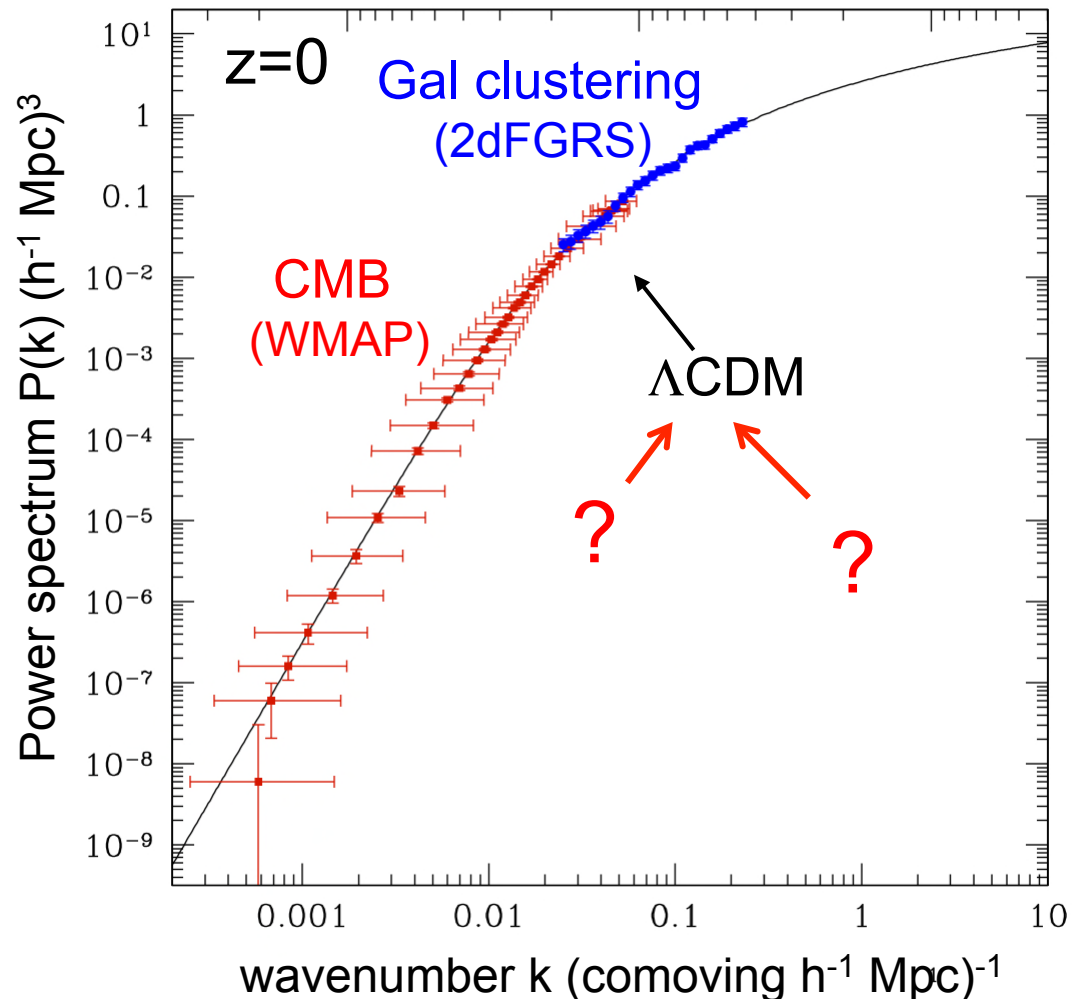
1 000 100 10



$z \sim 0$

⇒ Λ CDM provides an excellent description of mass power spectrum from 10-1000 Mpc

Sanchez et al 06



The cosmic power spectrum: from the CMB to the 2dFGRS

Free streaming →

$$\lambda_{\text{cut}} \propto m_x^{-1}$$

for thermal relic

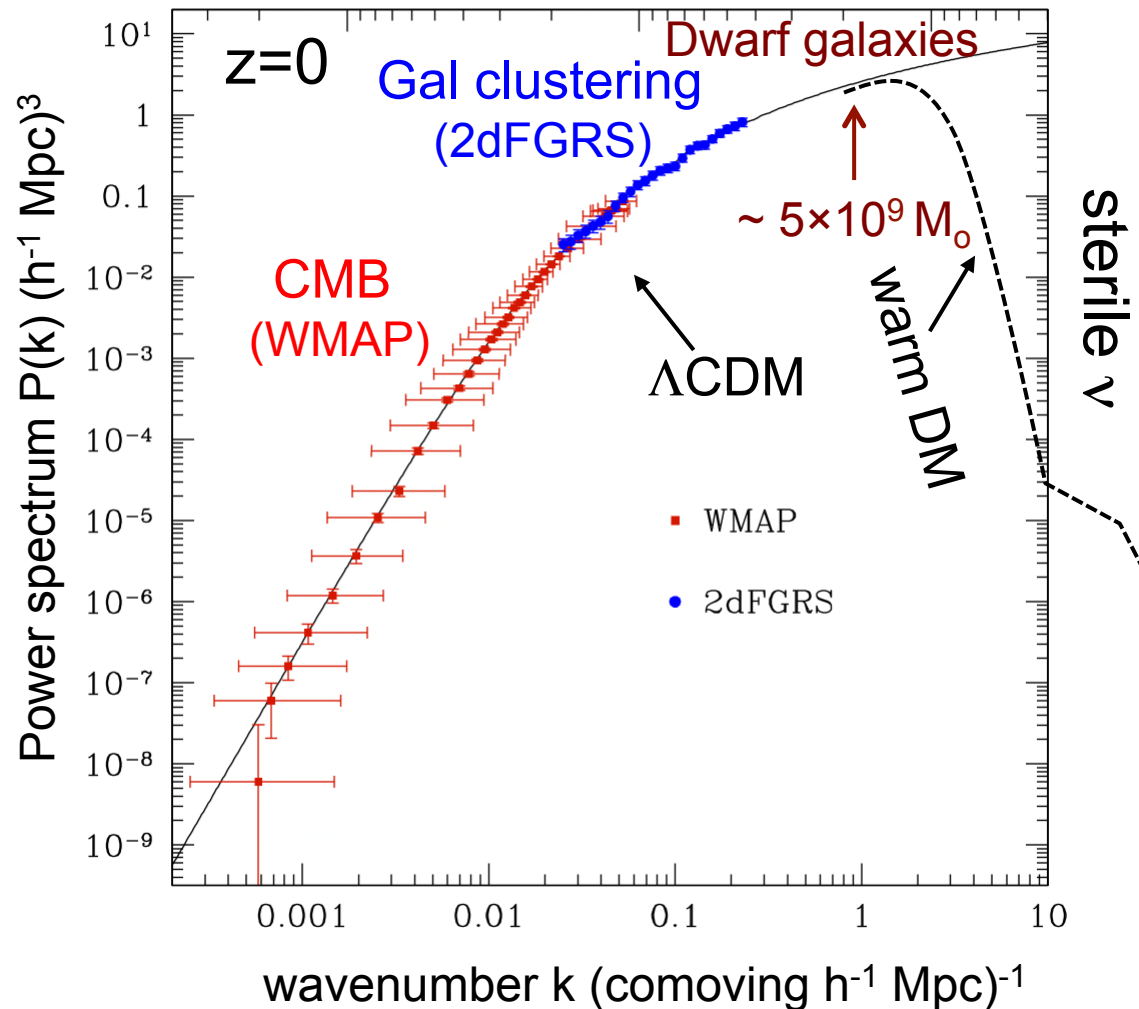
$$m_{\text{CDM}} \sim 100 \text{ GeV}$$

$$\text{susy}; M_{\text{cut}} \sim 10^{-6} M_{\odot}$$

$$m_{\text{WDM}} \sim \text{few keV}$$

$$\text{sterile } \nu; M_{\text{cut}} \sim 10^9 M_{\odot}$$

Log $k^3 P(k)$ wavelength k^{-1} (comoving $h^{-1} \text{ Mpc}$)



The background of the slide is a deep space image. It features a dense field of stars, with a prominent, bright yellow star in the center. The surrounding space is filled with a complex pattern of blue and purple light, suggesting nebulae or interstellar dust. The overall effect is a vibrant, cosmic scene.

The density structure of dark matter halos

→ a fundamental prediction of cold dark matter

$z = 48.4$

$T = 0.05 \text{ Gyr}$

500 kpc

The image shows a dark, textured field of purple and black, representing a simulated galaxy at a very early stage. The texture is grainy and noisy, with some brighter, more defined regions that suggest the formation of structures. A scale bar at the bottom center indicates a length of 500 kpc.



Cold Dark Matter

Warm Dark Matter

13.4 billion years ago

cold dark matter

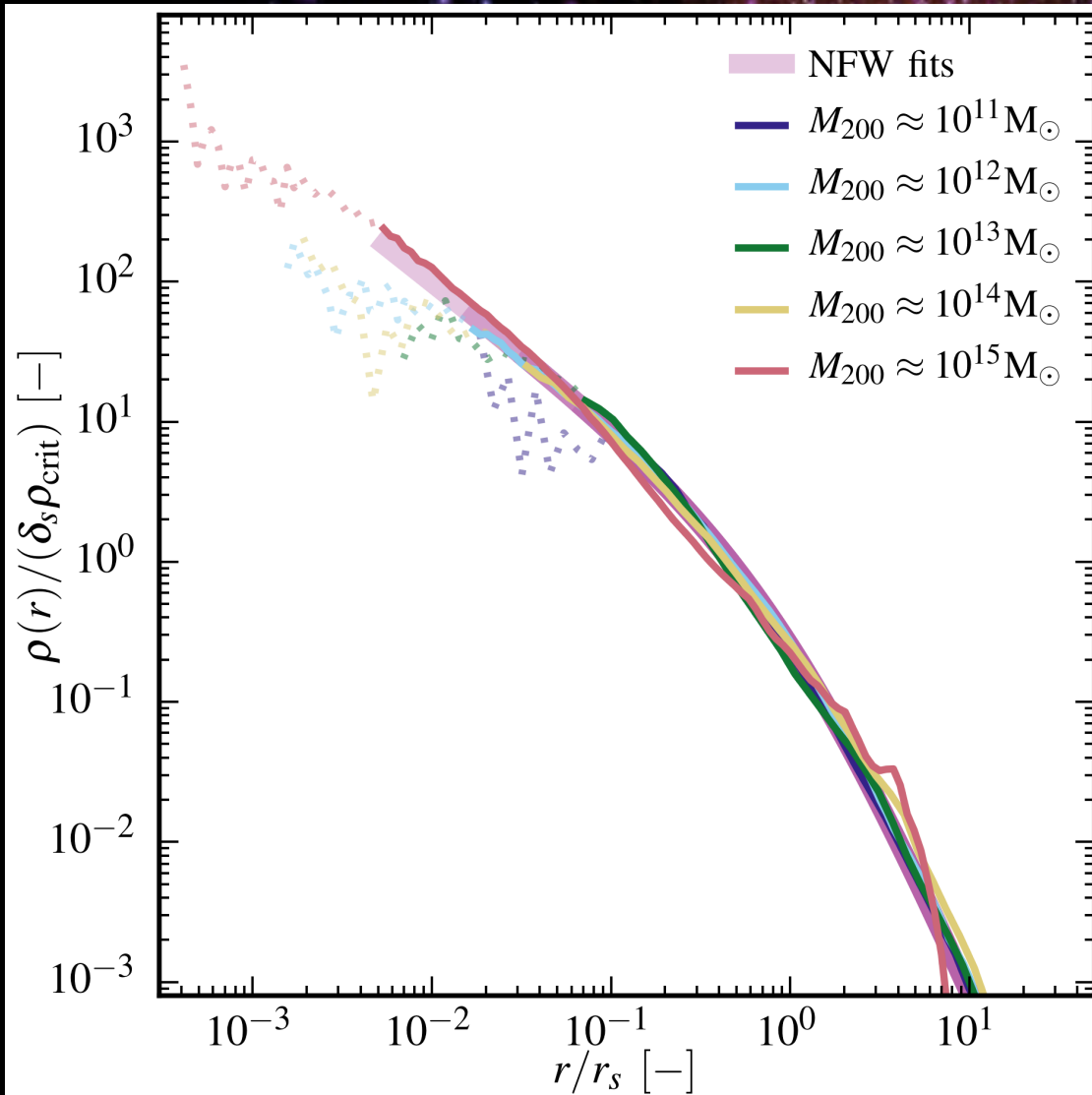


warm dark matter



Lovell, Eke, Frenk, Gao, Jenkins, Wang, White, Theuns,
Boyarski & Ruchayskiy '12

The Density Profile of Cold Dark Matter Halos



Shape of halo profiles
~independent of halo mass &
cosmological parameters

Density profiles are “cuspy” -
no ‘core’ near the centre

Fitted by simple formula:

$$\frac{\rho(r)}{\rho_{\text{crit}}} = \frac{\delta_c}{(r/r_s)(1+r/r_s)^2}$$

(Navarro, Frenk & White '97)

More massive halos and
halos that form earlier have
higher densities (bigger δ)

A myth

The DM halos of dwarf galaxies have central cores

A challenge for CDM?



Cores in real dwarf galaxies

Fornax

Sculptor

Leo I

© Anglo-Australian Observatory

Carina

Sextans

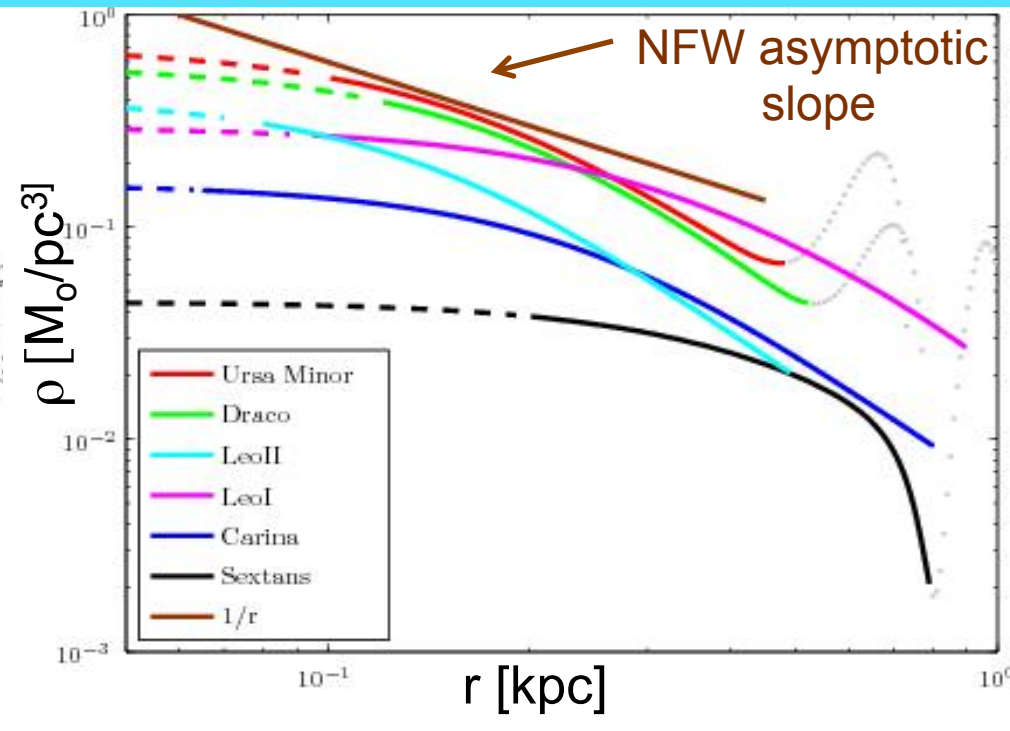
Sagittarius

The DM halos of dwarf spheroidals

THE ASTROPHYSICAL JOURNAL, 663:948–959, 2007 July 10

THE OBSERVED PROPERTIES OF DARK MATTER ON SMALL SPATIAL SCALES

GERARD GILMORE,¹ MARK I. WILKINSON,^{1,2} ROSEMARY F. G. WYSE,³ JAN T. KLEYNA,⁴ ANDREAS KOCH,^{5,6}
N. WYN EVANS,¹ AND EVA K. GREBEL^{6,7}



Inferred density profiles
for 6 dwarf spheroidals

“...dark matter forms cored
mass distributions, with a
core scale length of greater
than about 100pc ...”

“...(keV) sterile neutrino particles have been discussed as relevant in just the
spatial and density range we have derived here.”

Density profiles of WDM halos

WDM particles have significant **thermal velocities** at early times

Since the **phase-space density** cannot increase, this should produce a nearly uniform **density core**

Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem → upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$

Shao, Gao, Theuns, Frenk '13

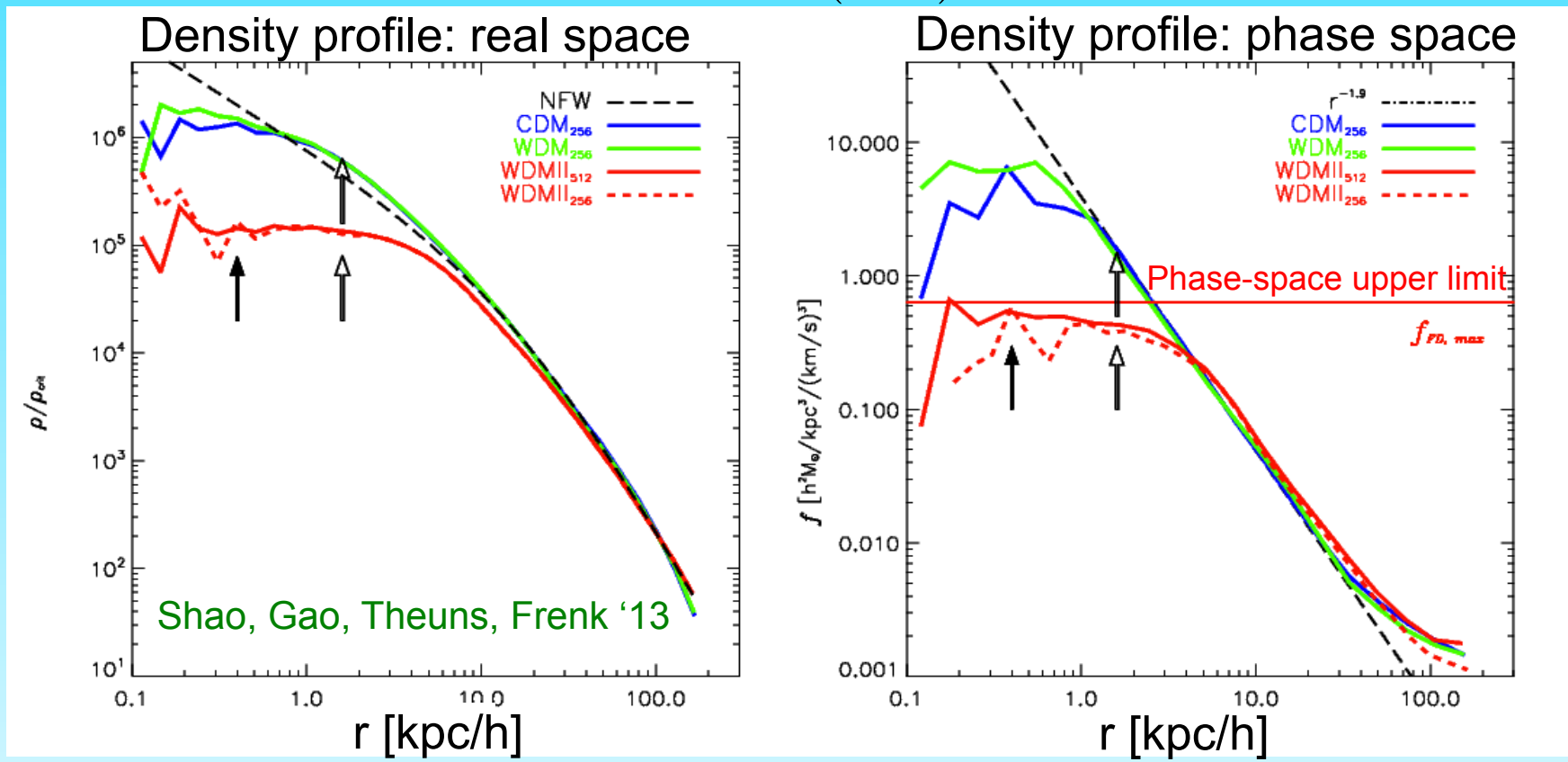
Maccio et al.'12

Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem \rightarrow upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$



Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem → upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$

By requiring $f = f_{FD}$

$$m_x^4 = \frac{6(2\pi\hbar)^3}{(2\pi)^{5/2} g G \sigma r_h^2}$$

Shao, Gao, Theuns, Frenk '13

Core radii in WDM halos

The thermal velocities of WDM particles induce cores

Liouville's theorem → upper bound on fine-grained ph. space den.

$$f_{FD} = \frac{gm_x^4}{2(2\pi\hbar)^3}.$$

Phase space arguments →

$$r_c = \frac{pc}{\left(\frac{m_x c^2}{8.2 \text{ keV}}\right)^2 \left(\frac{\sigma}{\text{km/s}}\right)^{1/2} \left(\frac{g}{2}\right)^{1/2}}$$

core radius

For $m_{\text{WDM}} > 1.5 \text{ keV}$, the core radii in WDM models are of

10 times smaller than the values inferred by Gilmore et al. !

→ core radii in dwarfs NOT relevant in WDM models

Shao, Gao, Theuns, Frenk '13

see also Maccio et al '12

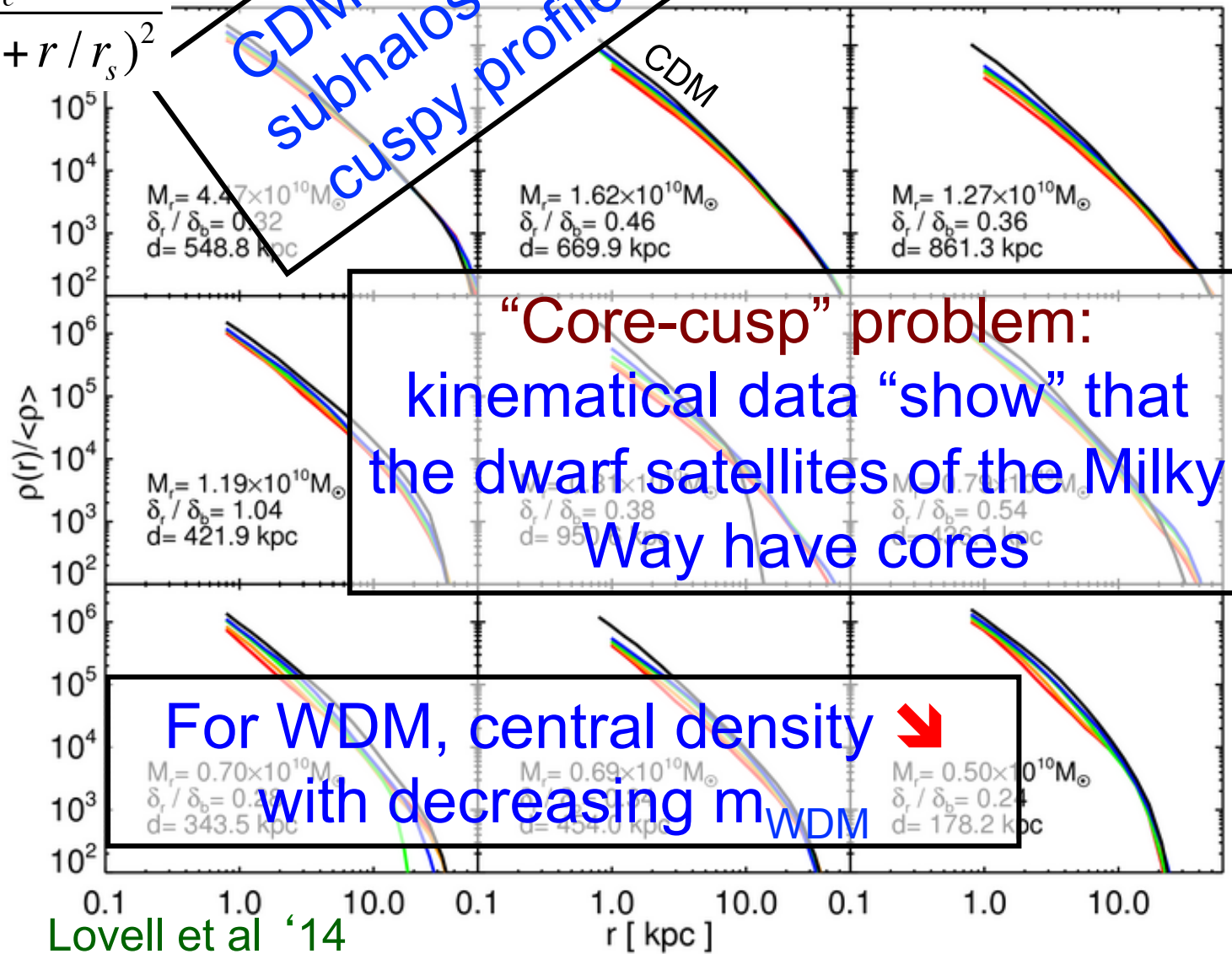


The core-cusp problem

CDM & WDM
subhalos have
cuspy profiles

$$\frac{\rho(r)}{\rho_{crit}} = \frac{\delta_c}{(r/r_s)(1+r/r_s)^2}$$

- WDM
- 2.3 keV
 - 2.0 keV
 - 1.6 keV
 - 1.4 keV



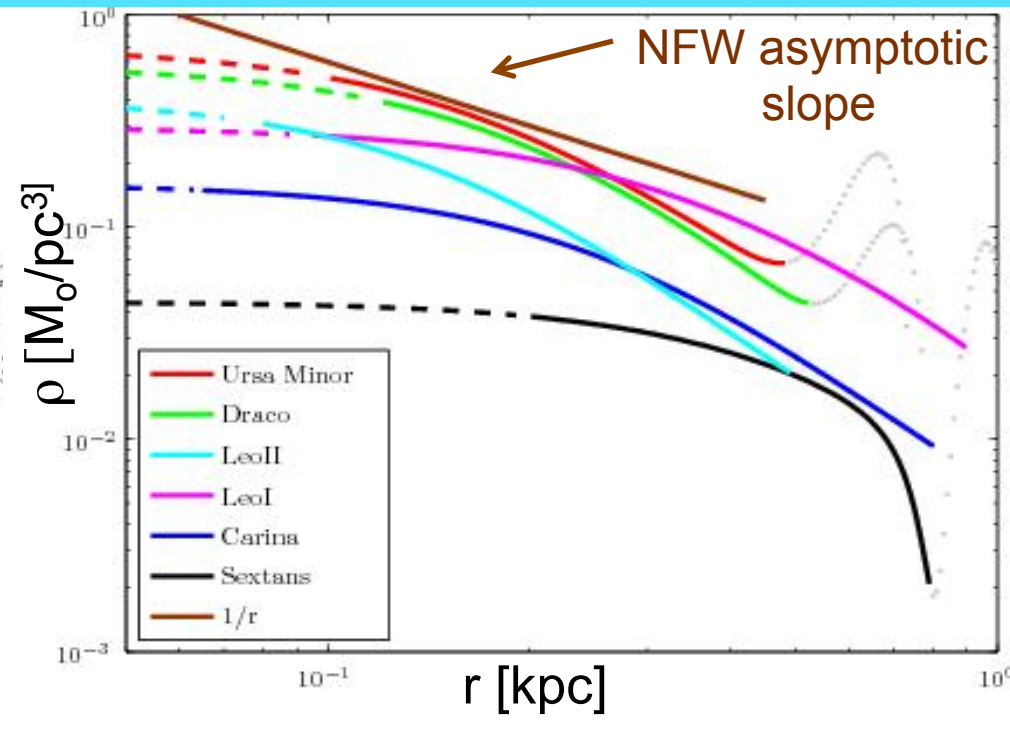
Lovell et al '14

The DM halos of dwarf spheroidals

THE ASTROPHYSICAL JOURNAL, 663:948–959, 2007 July 10

THE OBSERVED PROPERTIES OF DARK MATTER ON SMALL SPATIAL SCALES

GERARD GILMORE,¹ MARK I. WILKINSON,^{1,2} ROSEMARY F. G. WYSE,³ JAN T. KLEYNA,⁴ ANDREAS KOCH,^{5,6}
N. WYN EVANS,¹ AND EVA K. GREBEL^{6,7}



Inferred density profiles
for 6 dwarf spheroidals

“...dark matter forms cored
mass distributions, with a
core scale length of greater
than about 100pc ...”

“...(keV) sterile neutrino particles have been discussed as relevant in just the
spatial and density range we have derived here.”

Fits assuming NFW →

Dwarf sphs: cores or cusps?

Jeans eqn:

$$\frac{GM(r)}{r} = -\sigma_r^2 \left[\frac{d \ln \rho_*}{d \ln r} + \frac{d \ln \sigma_r^2}{d \ln r} + 2\beta \right]$$

from Aquarius sim

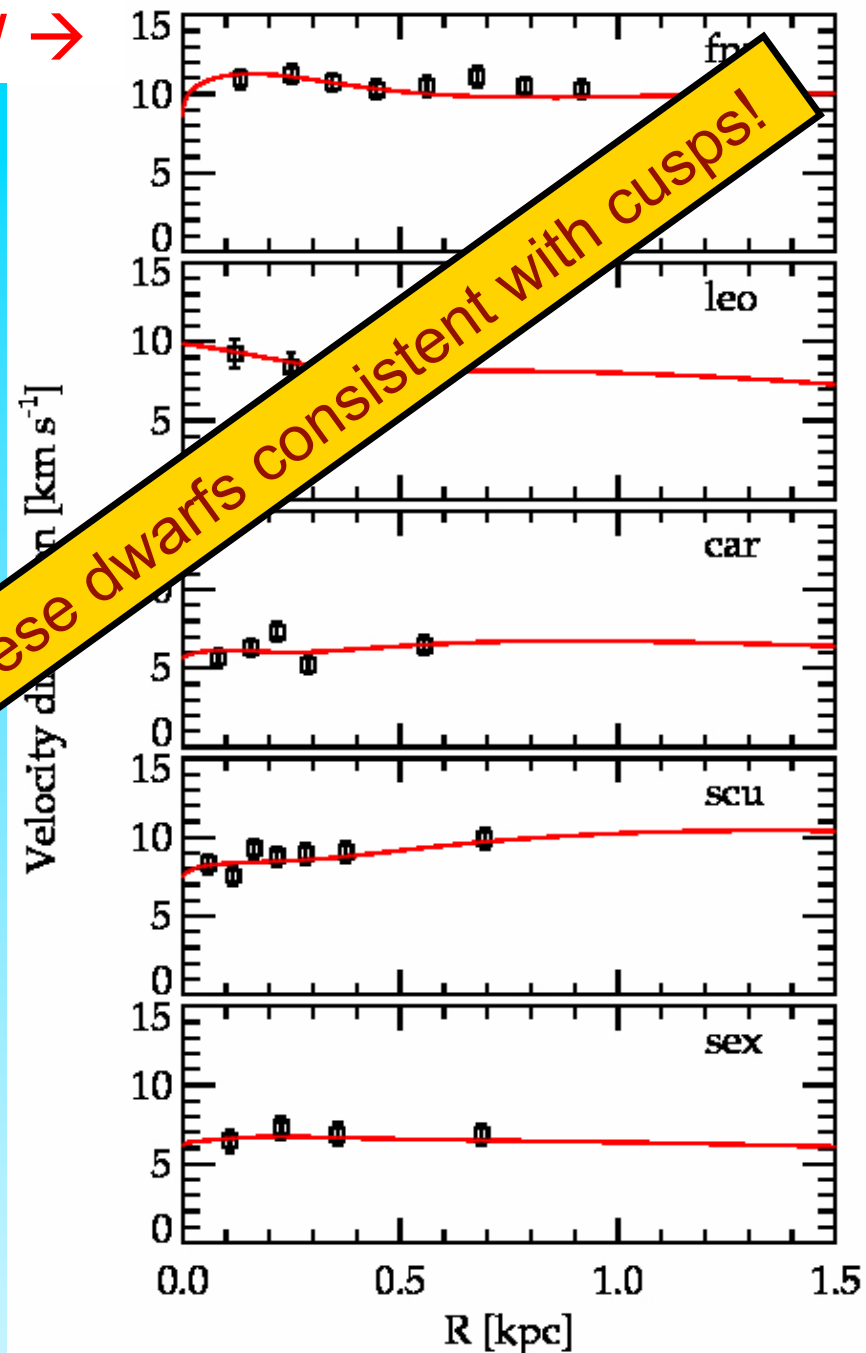
Cuspy!

vel. an...

- Assume isotropic
- Solve for
- Compare with observed $\sigma_r(r)$
- "best fit" subhalo

Photometric and kinematical data for these dwarfs consistent with cusps!

Strigari, Frenk & White '10





Dwarf galaxies around the Milky Way

Fornax

Sculptor

Leo I

© Anglo-Australian Observatory

Carina

Sextans

Sagittarius

The DM halo of the Sculptor dwarf

Sculptor has two stellar pops:

(i) centrally concentrated, high [Fe/H]

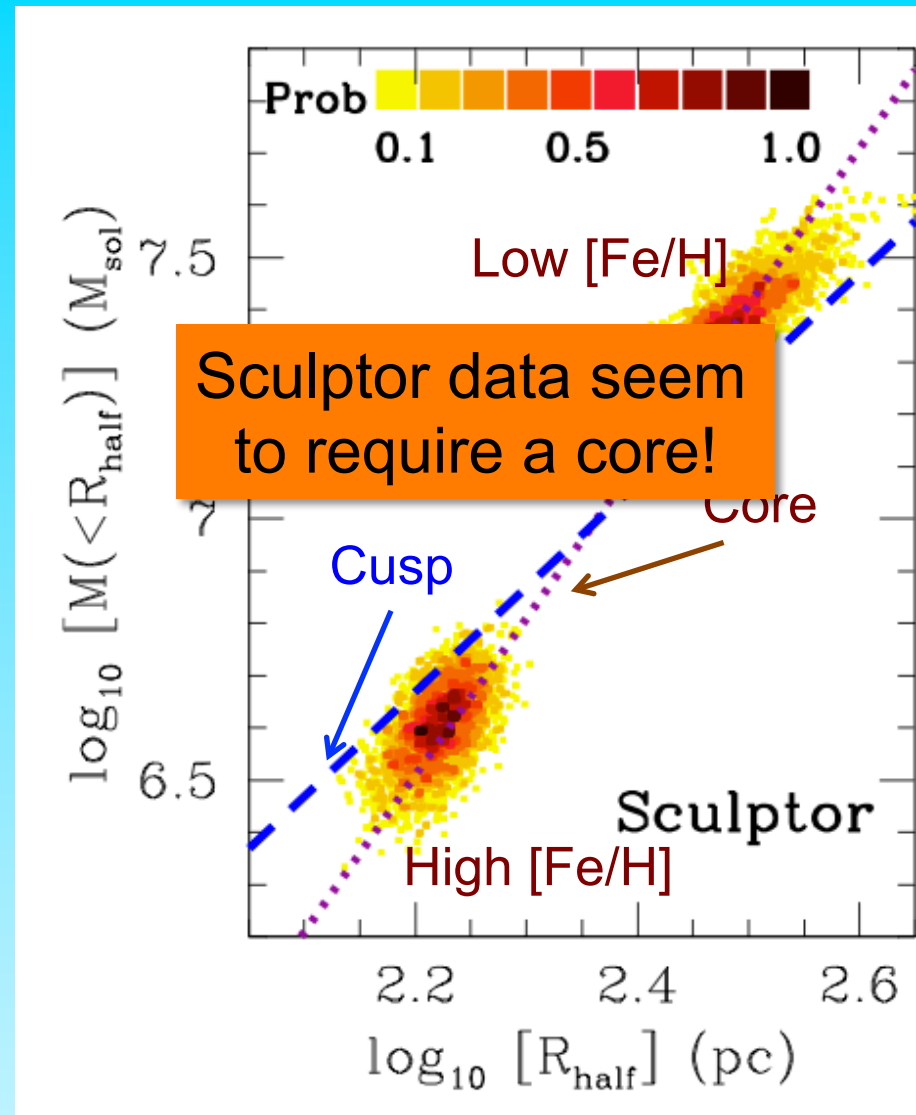
(ii) extended, low [Fe/H]

$$M(< r) = \mu \frac{r < \sigma_{los}^2 >}{G}$$

$r = r_{1/2}$

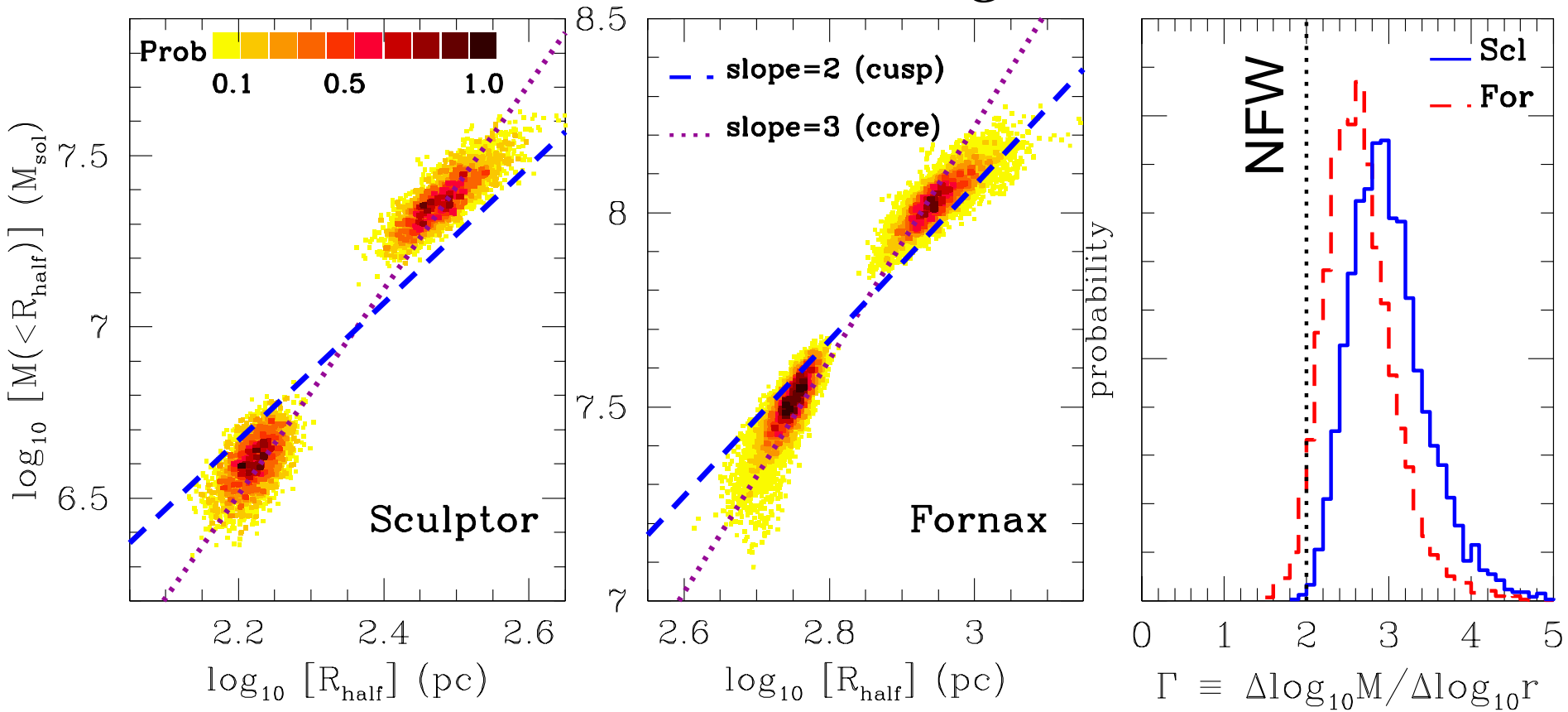
Walker '10; Wolf et al '10 →

if $r = r_{1/2}$, $\mu = 2.5$, independently of model assumptions!



Cusps in Sculptor and Fornax

$$M(< r) = \mu \frac{r < \sigma_{los}^2 >}{G}$$



NFW ruled out at $\left\{ \begin{array}{l} >96\% \text{ Fornax} \\ >99\% \text{ Sculptor} \end{array} \right.$

Walker & Peñarrubia (2011)

The DM halo of the Sculptor dwarf

Strigari, Frenk & White '15

Distribution function analysis of 2 metallicity pop. data of Battaglia et al.

Assume pops in equil. in NFW halo: $\rho(r) = \frac{\rho_s}{x(1+x)^2}$

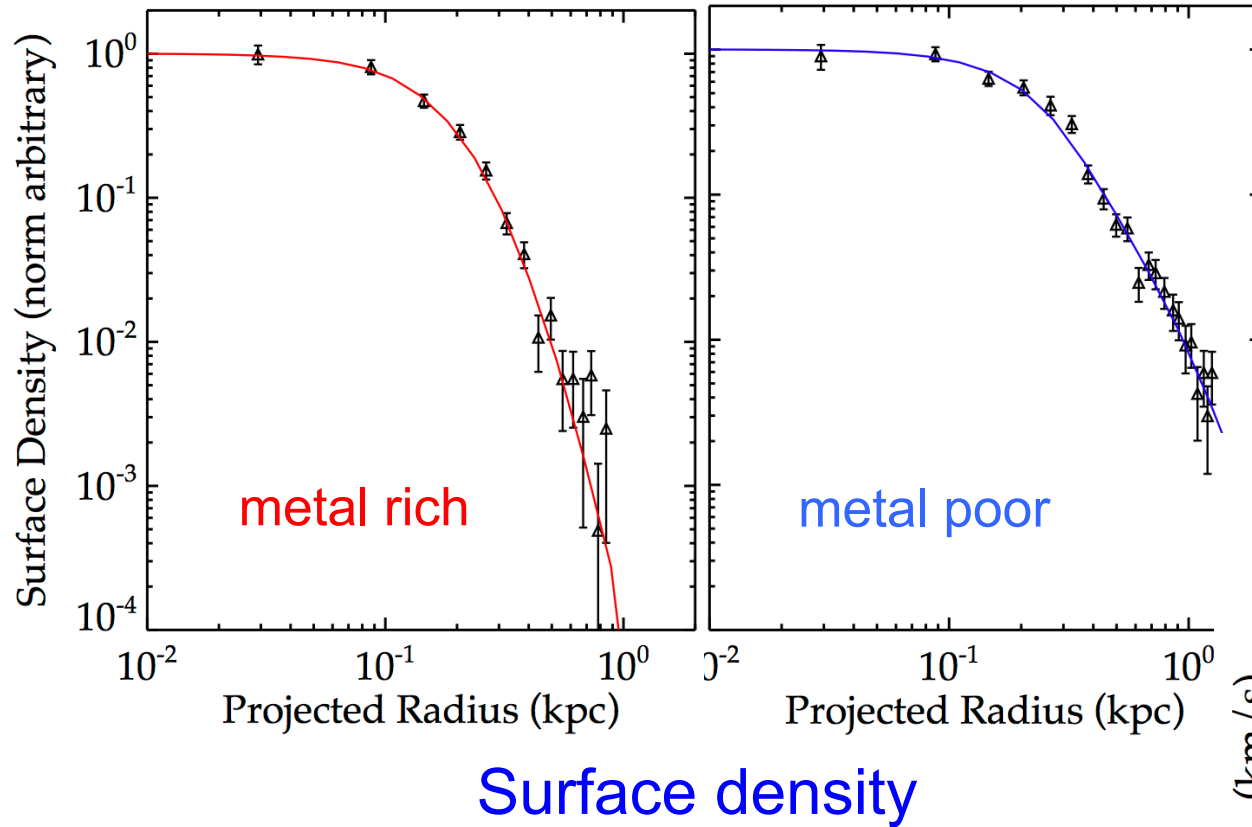
For each population: $f(E, J) = g(J)h(E)$,

Parametrize: $g(J) = \left[\left(\frac{J}{J_\beta} \right)^{\frac{b_0}{\alpha}} + \left(\frac{J}{J_\beta} \right)^{\frac{b_1}{\alpha}} \right]^\alpha$

$$h(E) = \begin{cases} N E^a (E^q + E_c^q)^{d/q} (\Phi_{lim} - E)^e & \text{for } E < \Phi_{lim} \\ 0 & \text{for } E \geq \Phi_{lim}, \end{cases}$$

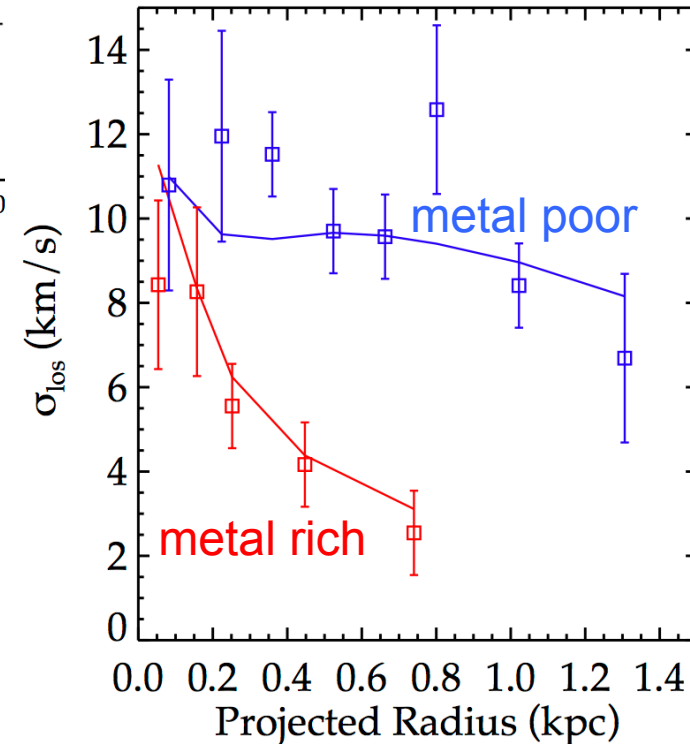
Find best-fit parameters using MCMC

The DM halo of the Sculptor dwarf



Distribution function analysis

Velocity dispersion



Data consistent with two populations in equilibrium in NFW halo

Strigari, Frenk & White '15



VIRGO

icc.dur.ac.uk/Eagle

“Evolution and assembly of galaxies and
their environment”

THE EAGLE PROJECT

Virgo Consortium

Durham: Richard Bower, Michelle Furlong, Carlos Frenk, Matthieu Schaller, James Trayford, Yelti Rosas-Guevara, Tom Theuns, Yan Qu, John Helly, Adrian Jenkins.

Leiden: Rob Crain, Joop Schaye.

Other: Claudio Dalla Vecchia, Ian McCarthy, Craig Booth...

The Eagle Simulations

EVOLUTION AND ASSEMBLY OF GALAXIES AND THEIR ENVIRONMENTS

The Hubble Sequence realised in cosmological simulations

E0

E7

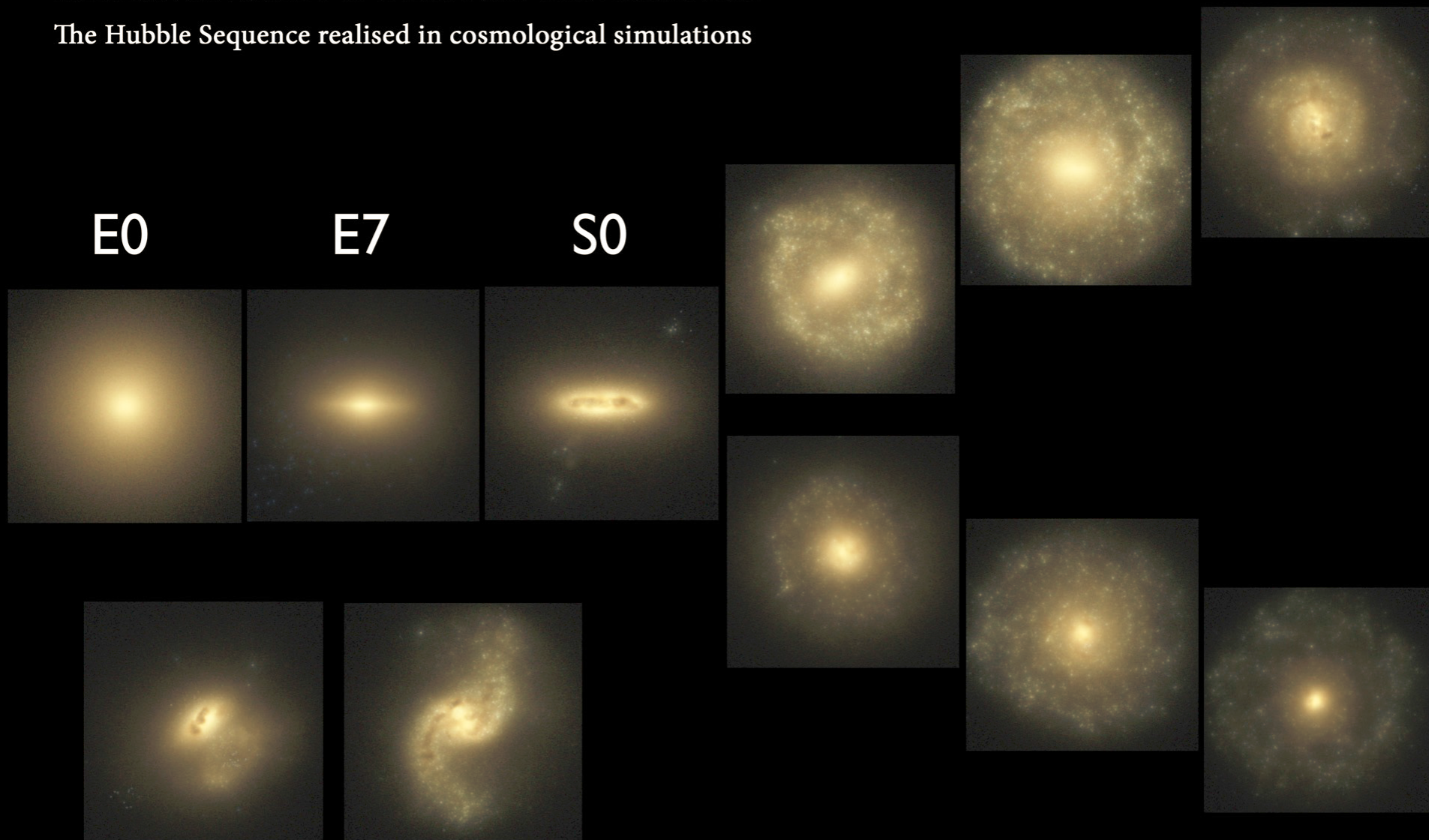
S0

SB

Irr

S

Trayford et al '15



VIRG

Dark matter

APOSTLE
EAGLE full
hydro
simulations

Local Group

CDM

Sawala et al '16



Stars

VIRG

APOSTLE
EAGLE full
hydro
simulations

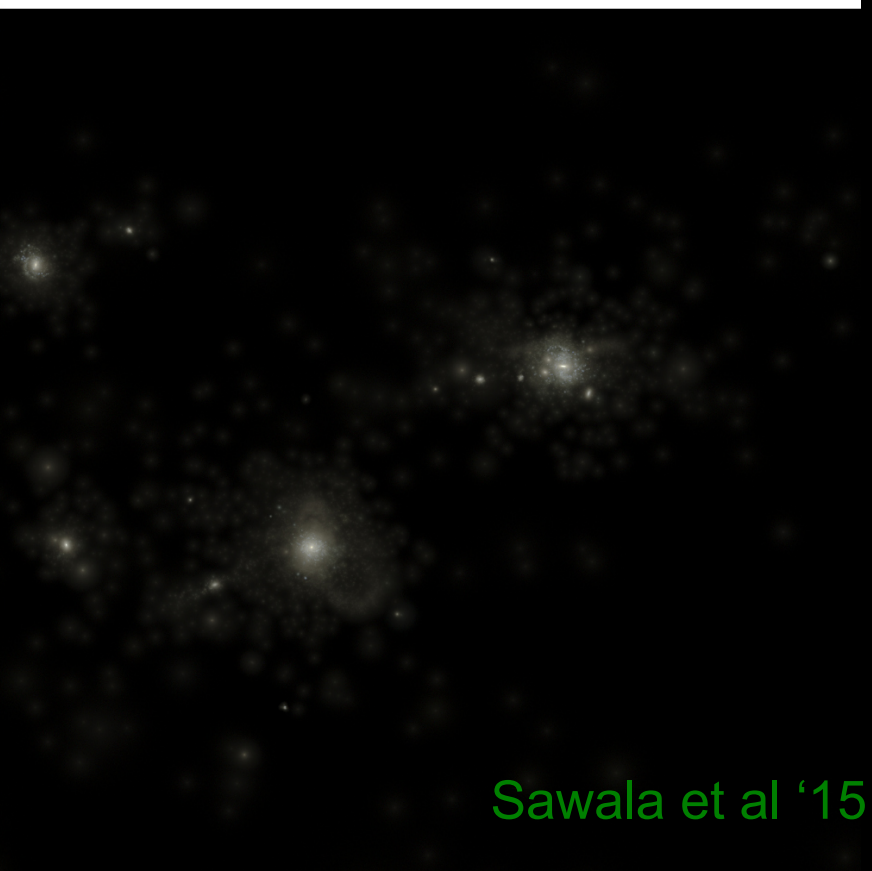
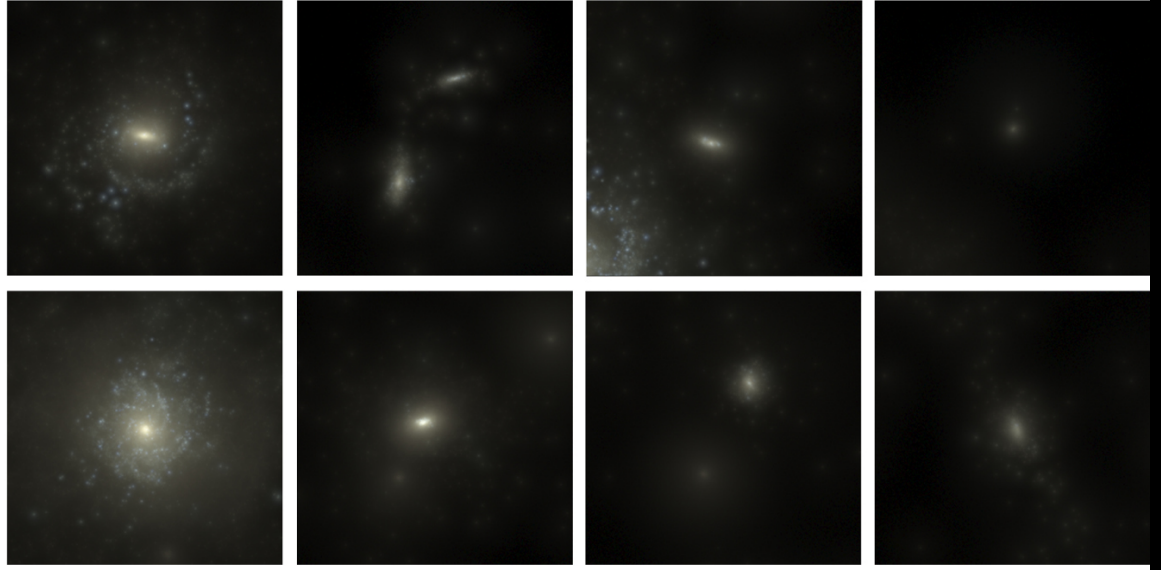
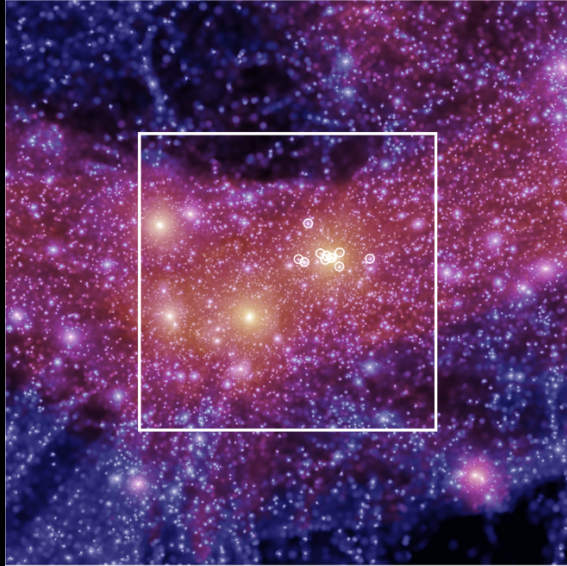
Local Group

CDM

Far fewer satellite galaxies than CDM halos

Sawala et al '16

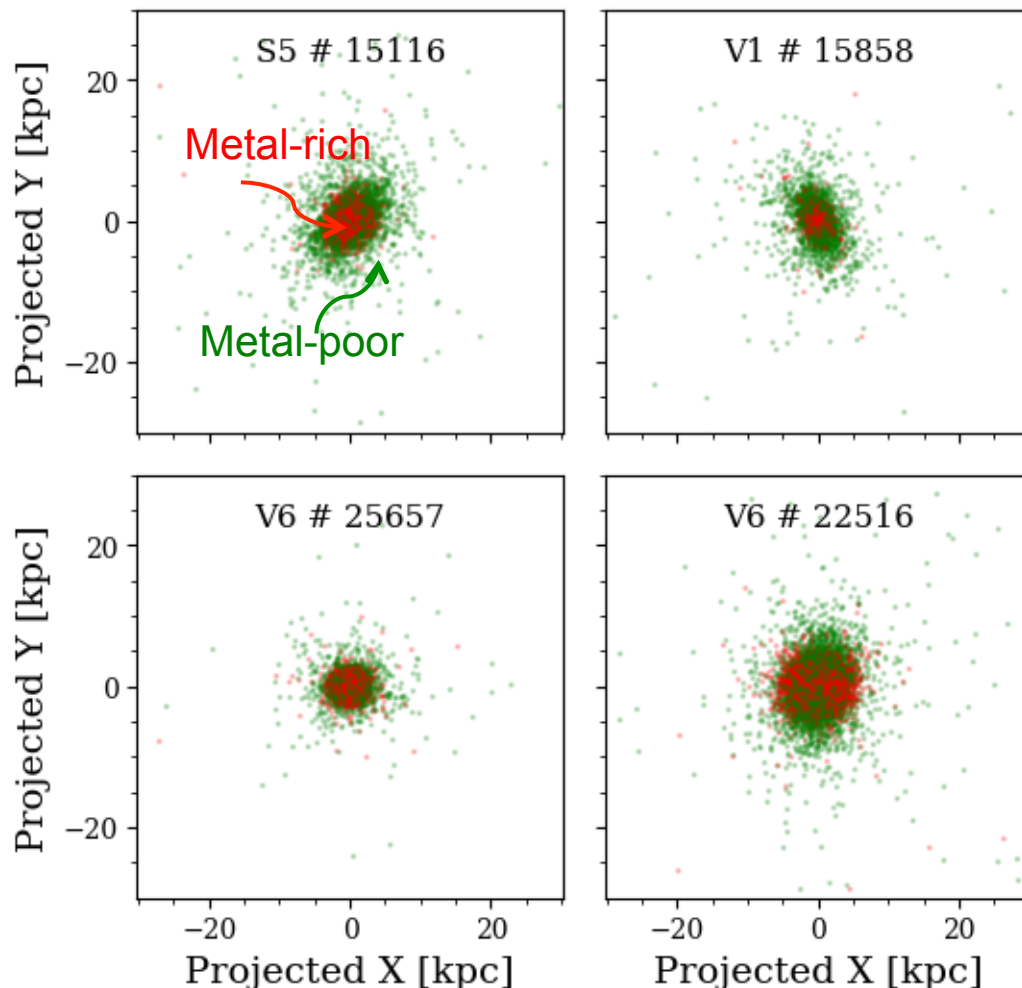




Sawala et al '15

Two-metallicity,
kinematically distinct
populations form in
some Apostle dwarfs

The stellar
populations are not
spherical and the
shapes of the two
can be different



The DM halo of the Sculptor dwarf

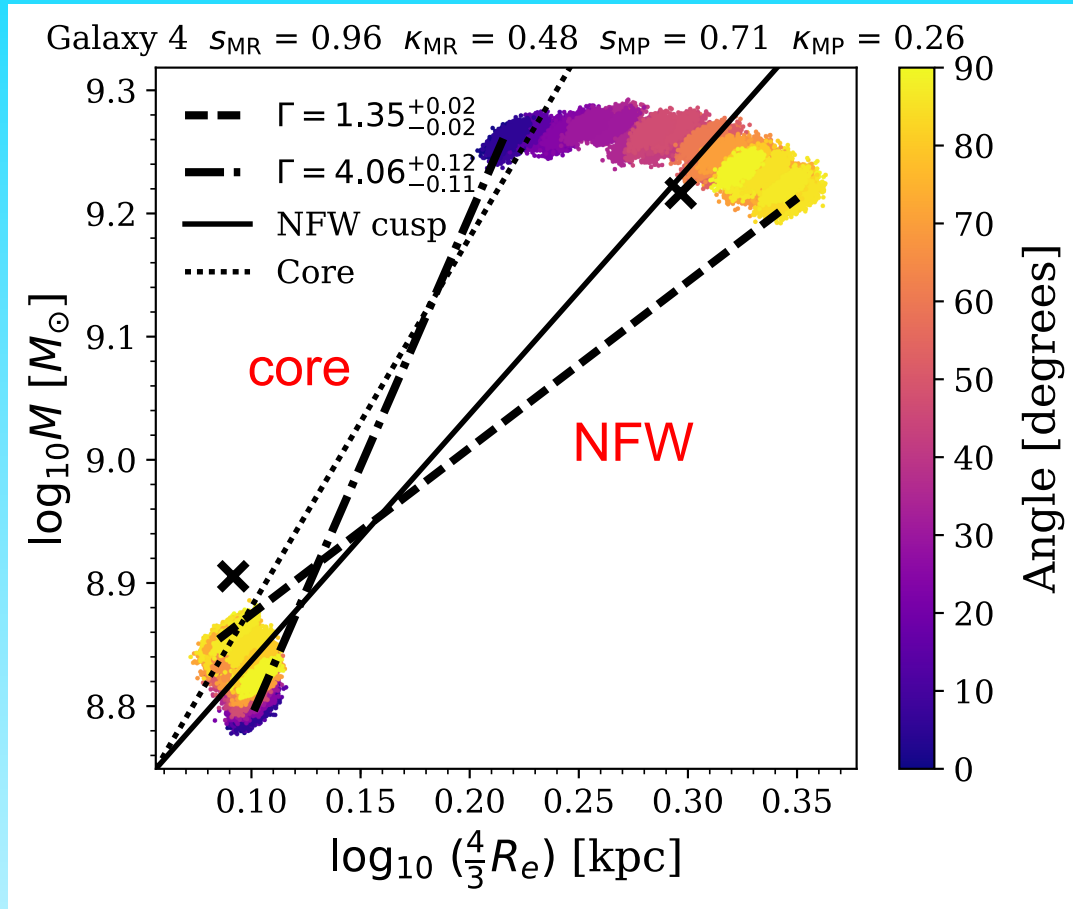
$$M(< r) = \mu \frac{r < \sigma_{los}^2 >}{G}$$

Key assumption of mass estimator:

spherical symmetry

Most satellites in apostle are elongated!

View galaxy from different directions



You can infer any slope, from NFW to core depending on viewing angle!

Genina, Benitez-Llambay, CSF + '17

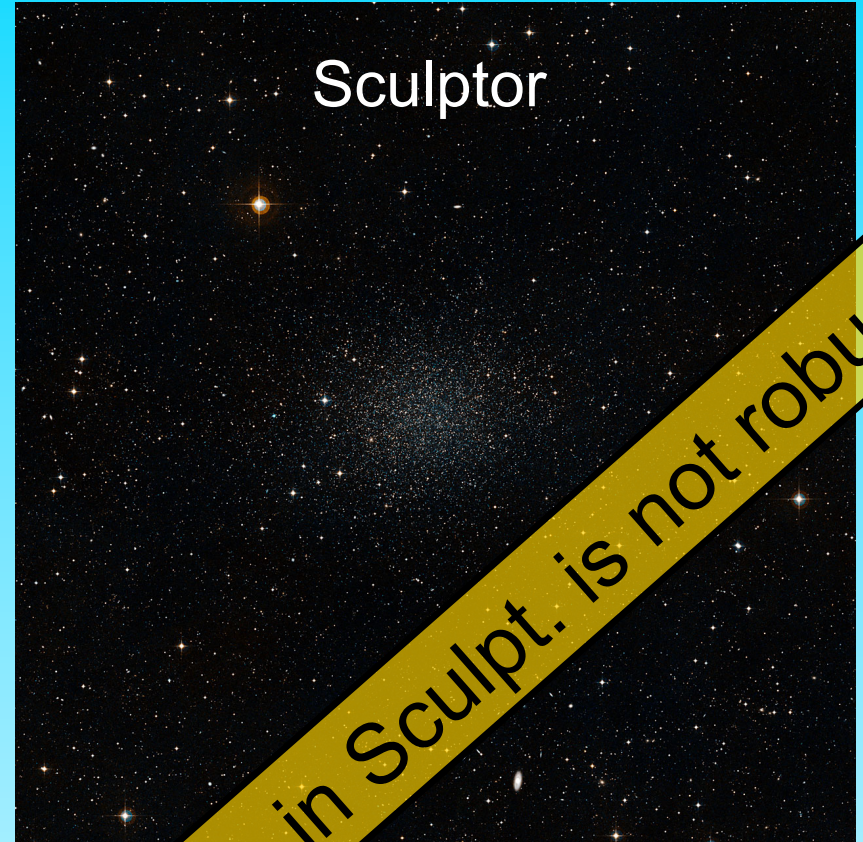
The DM halo of the Sculptor dwarf

$$M(< r) = \mu \frac{r \langle \sigma_{los}^2 \rangle}{G}$$

Key assumption of mass estimator:

spherical symmetry

Is Sculptor spherical?



WP11 core in Sculpt. is not robust

Genina, CSF et al '17

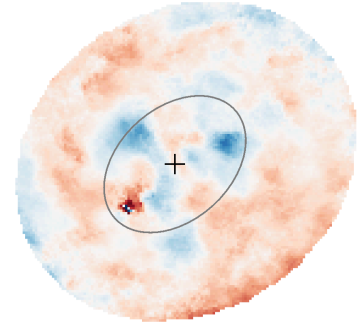
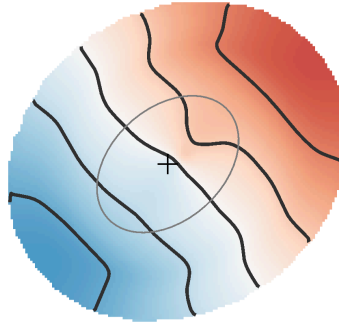
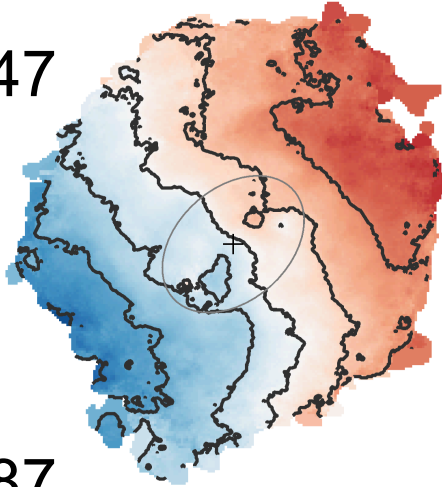


Many nearby galaxies now have hi-res 2D HI velocity fields → ideal for inferring potential

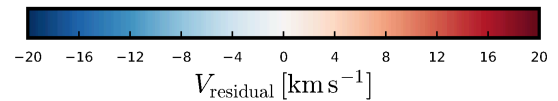
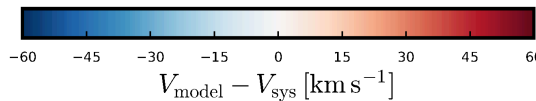
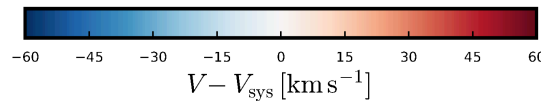
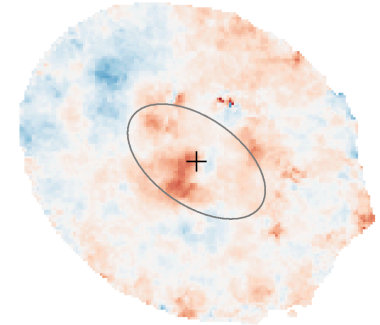
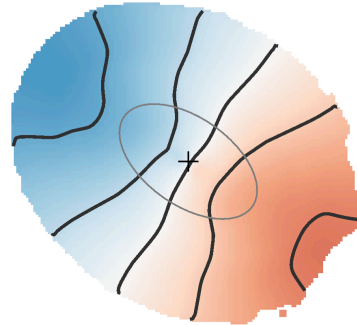
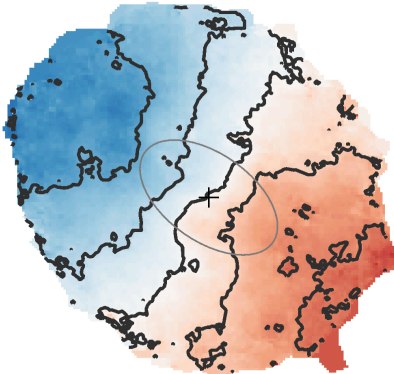
Assume: gas is in centrifugal equilibrium on approximately circular orbits

2D HI velocity data for local dwarfs

DDO 47

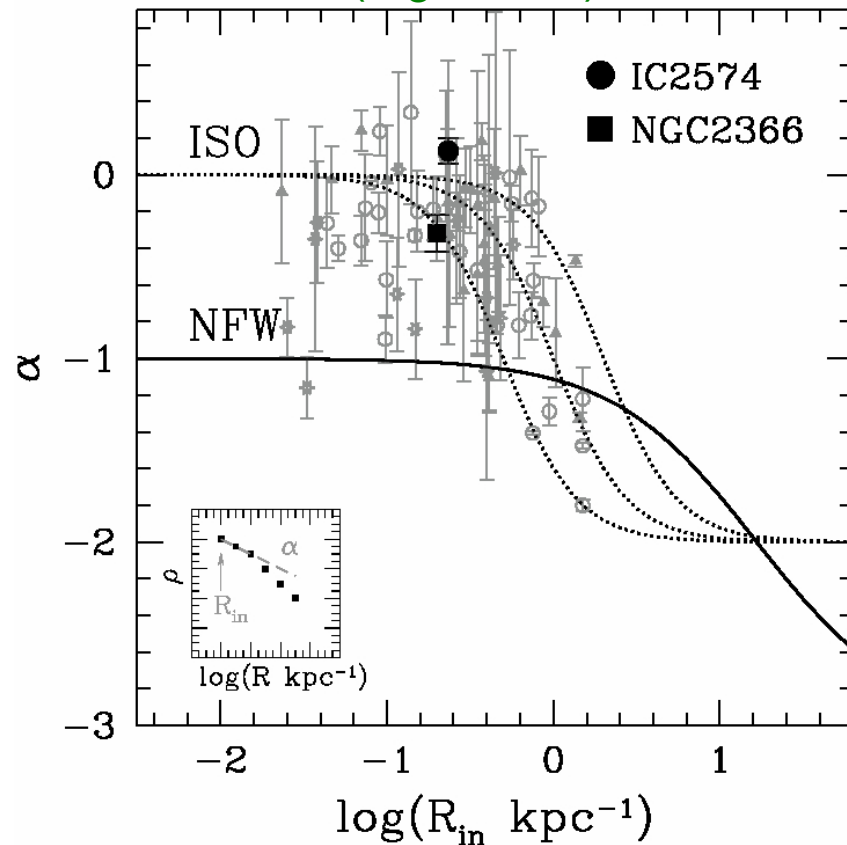


DDO 87

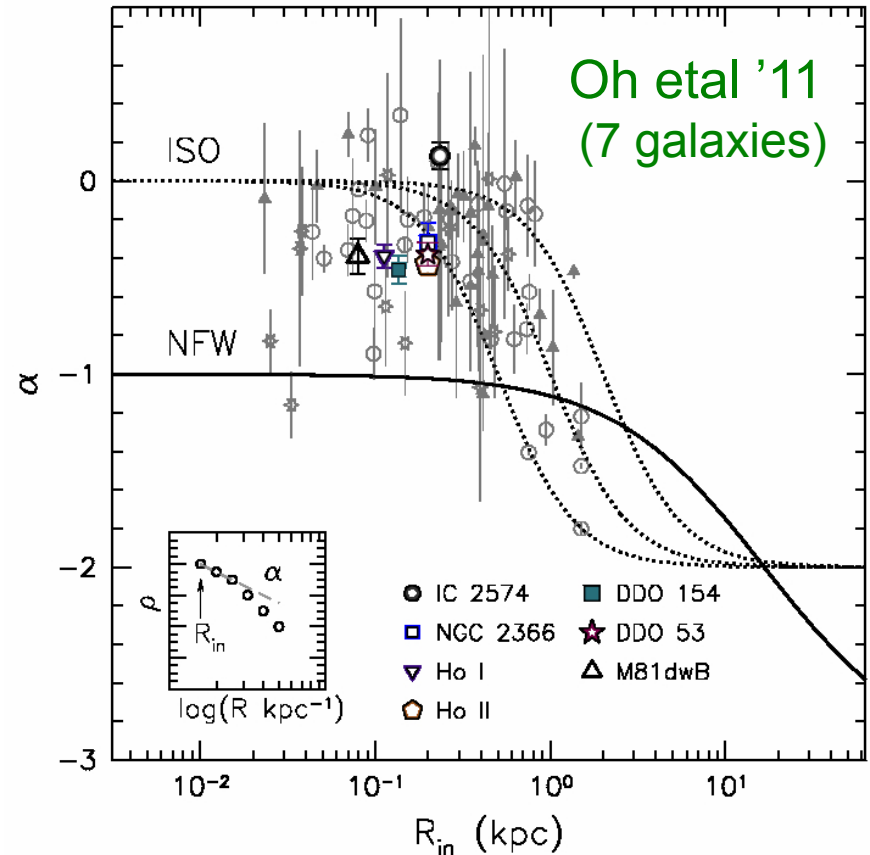


THINGS HI rotn curves of dwarfs

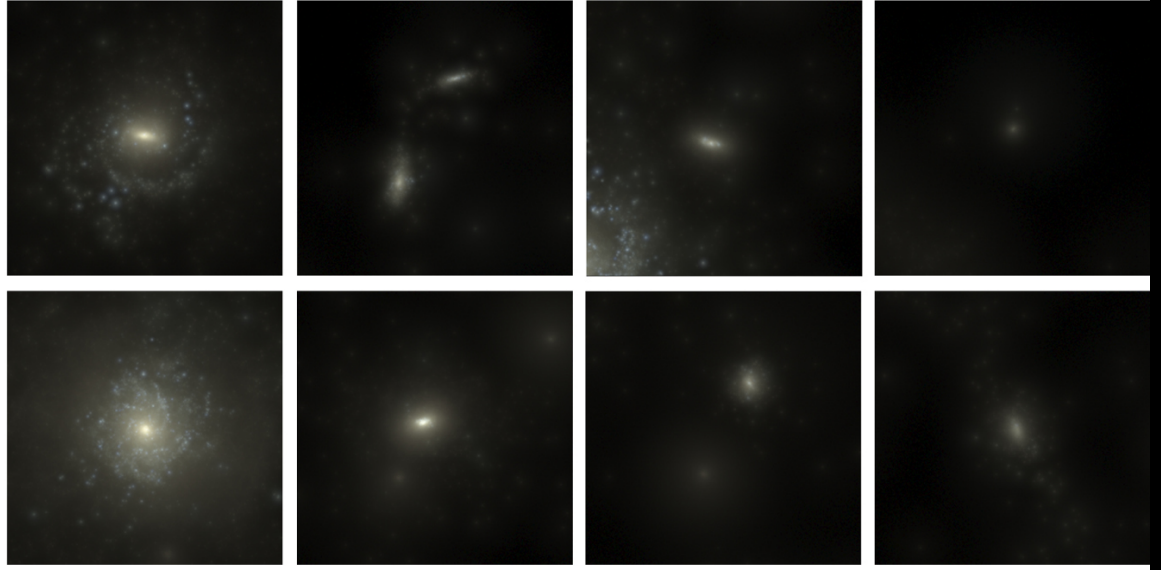
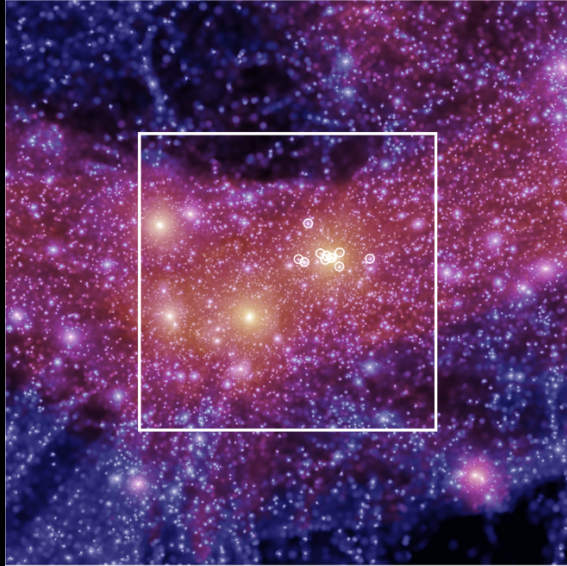
Oh et al '08
(2 galaxies)



$$\rho(r) \propto r^{\alpha} (1 + r/r_s)^{\beta}$$



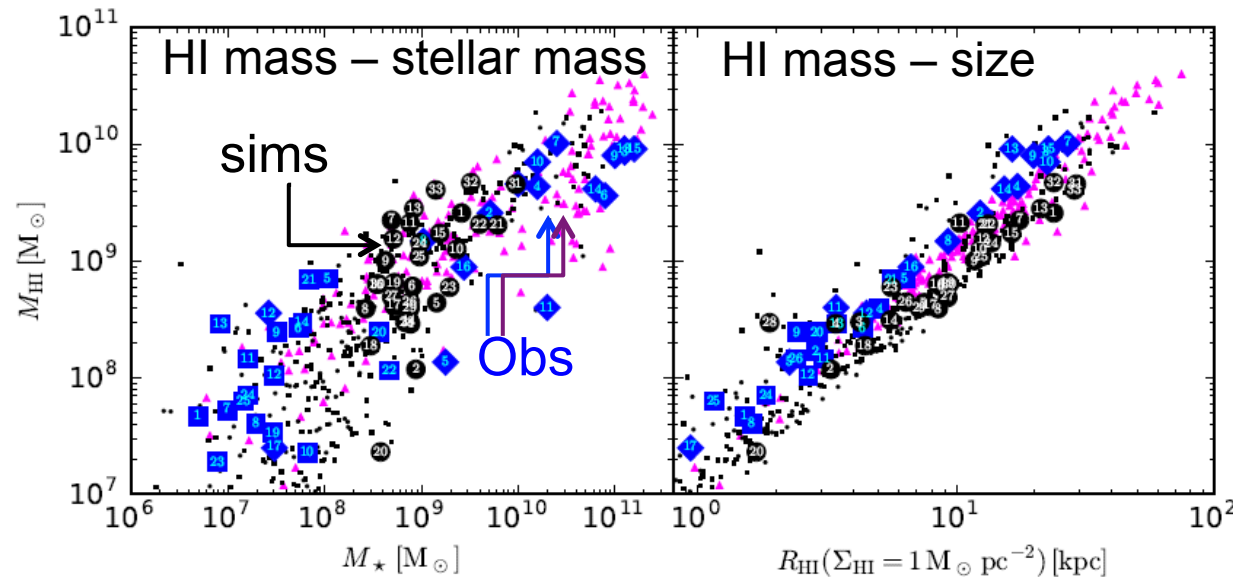
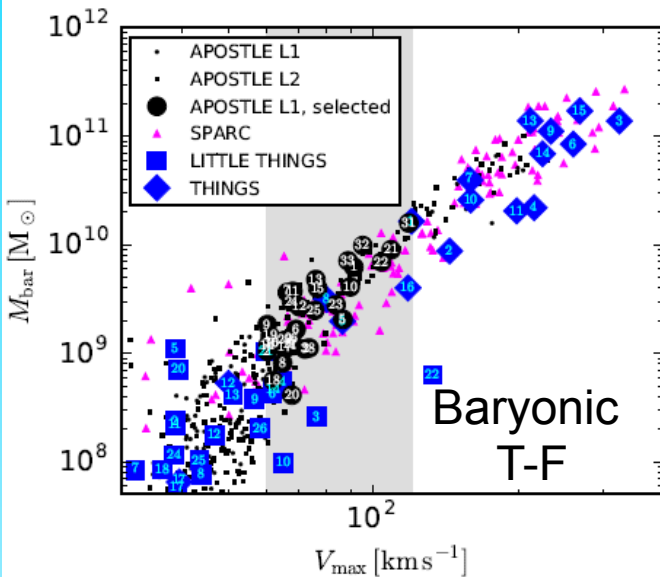
“We find discrepancies between the derived dark matter distributions ... and those of CDM simulations, even after corrections for non-circular motions ...”



Sawala et al '15

HI properties of APOSTLE dwarfs

60 km/s $< V_{\text{max}} < 120$ km/s

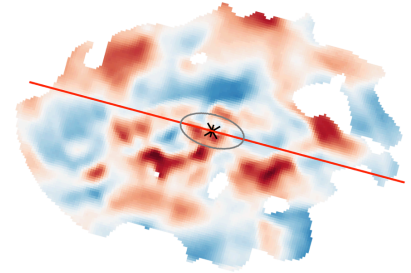
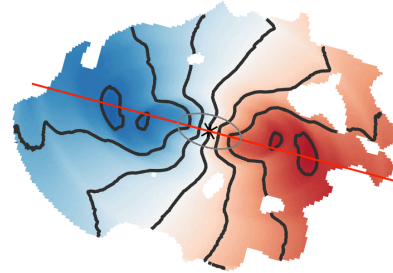
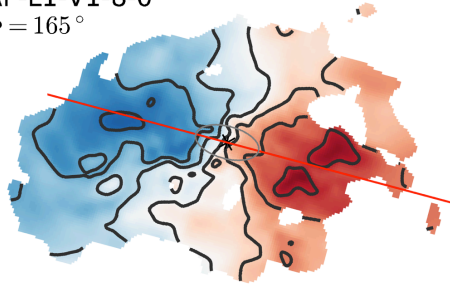


Scaling relations between baryon mass, halo mass, stellar mass, HI mass and HI size in APOSTLE match those in the THINGS and Little THINGS surveys

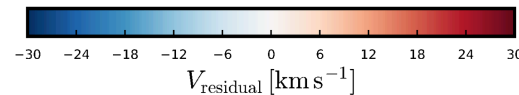
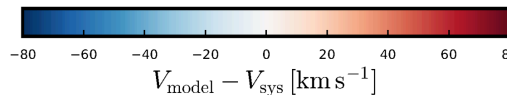
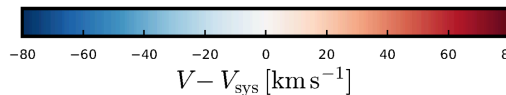
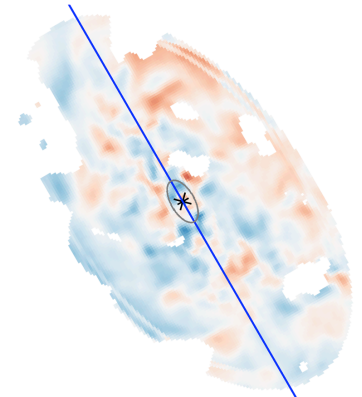
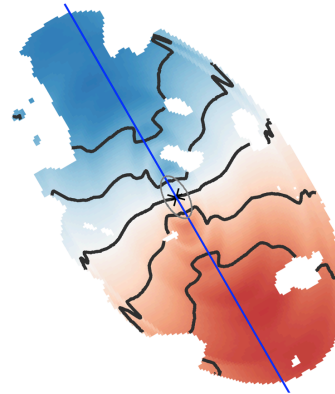
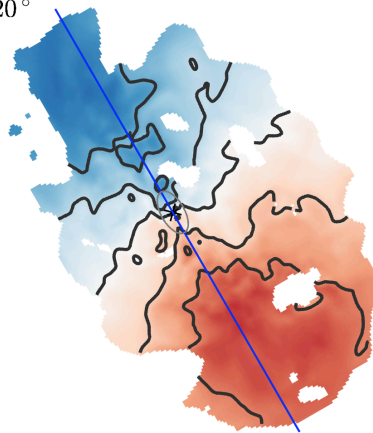
Oman, Marasco, Navarro, CSF, Schaye, Benitez-Llambay '17

2D velocity data for Apostle dwarfs

AP-L1-V1-8-0
 $\Phi = 165^\circ$



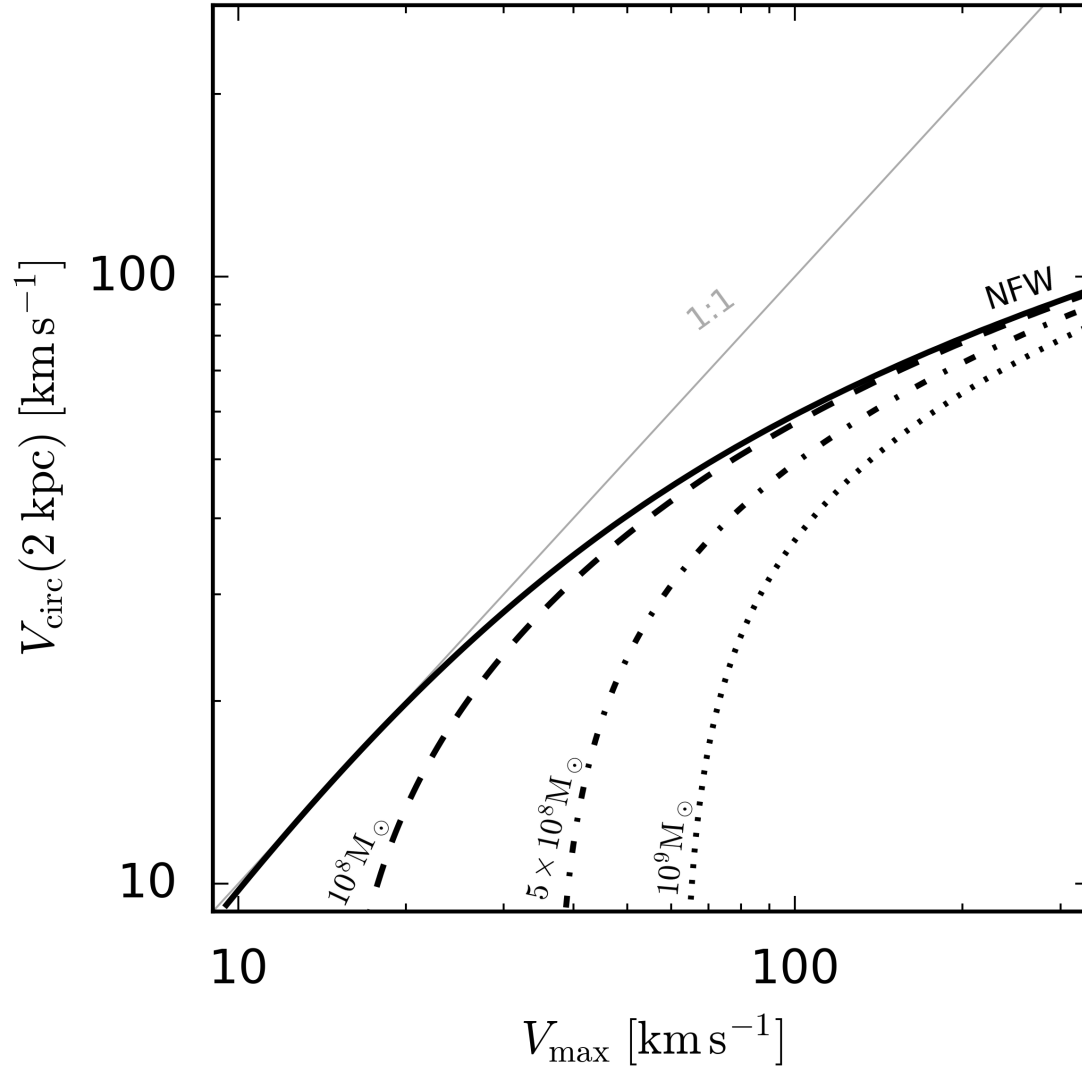
AP-L1-V4-8-0
 $\Phi = 120^\circ$



Predictions from CDM

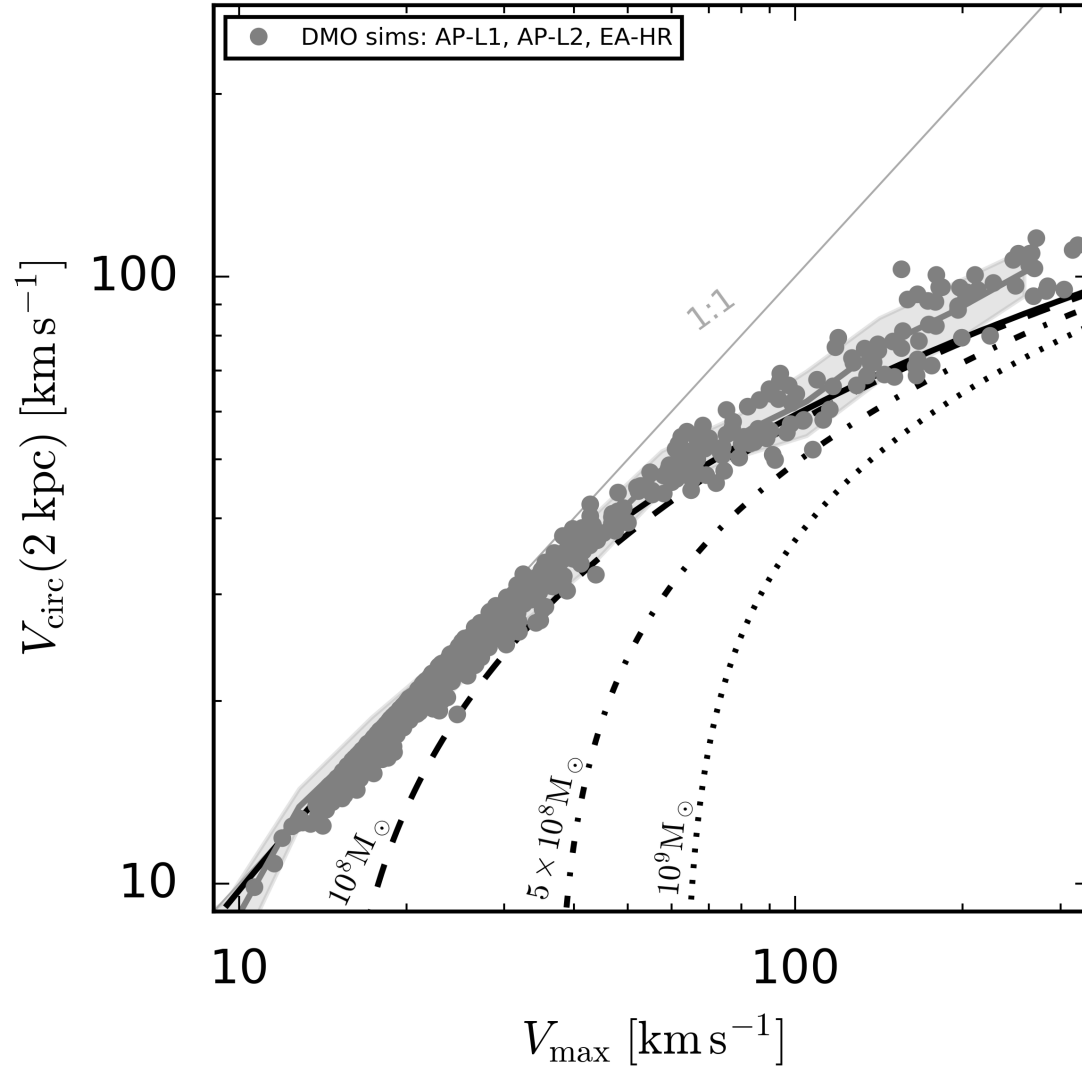
The diversity of rotation curves

NFW



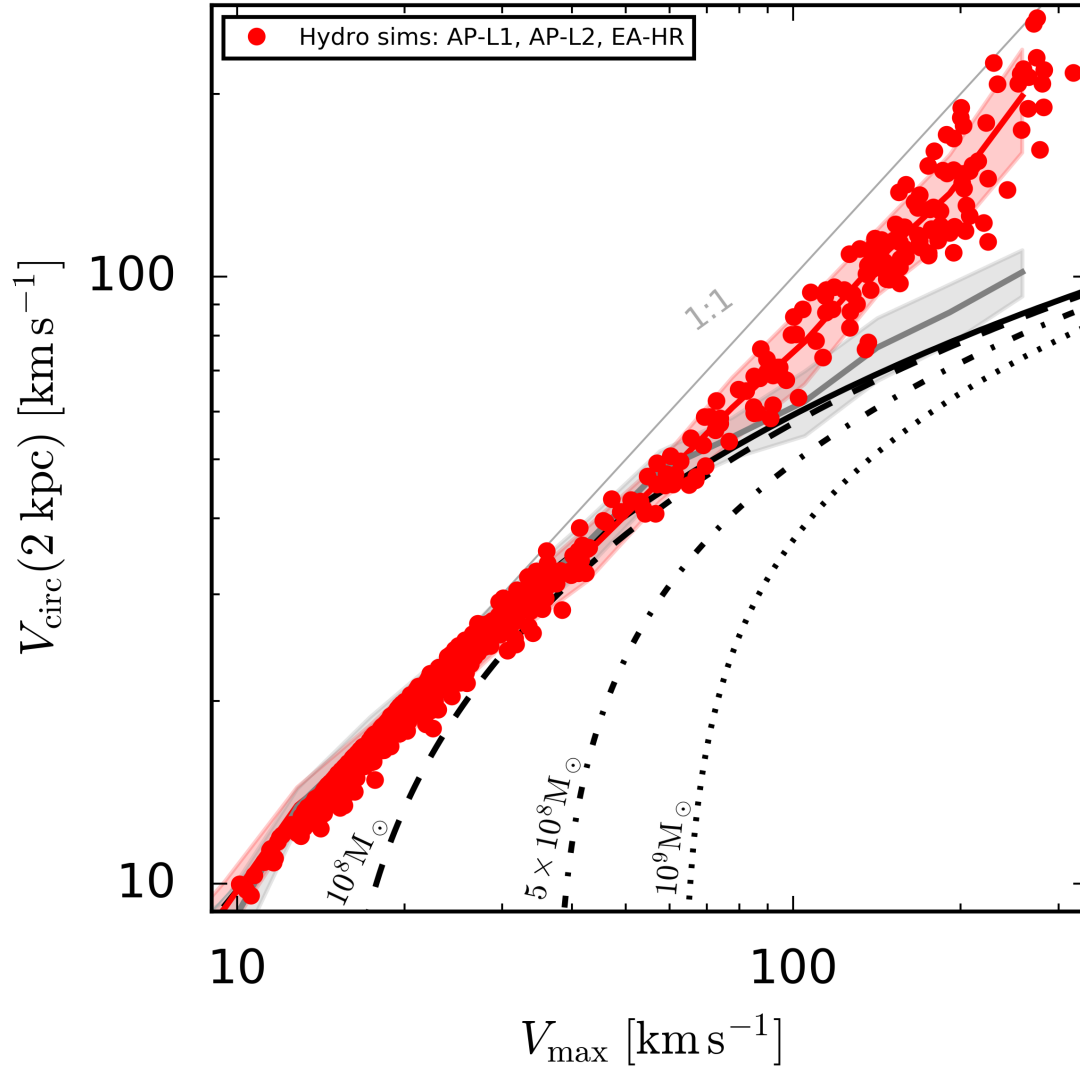
The diversity of rotation curves

N-body



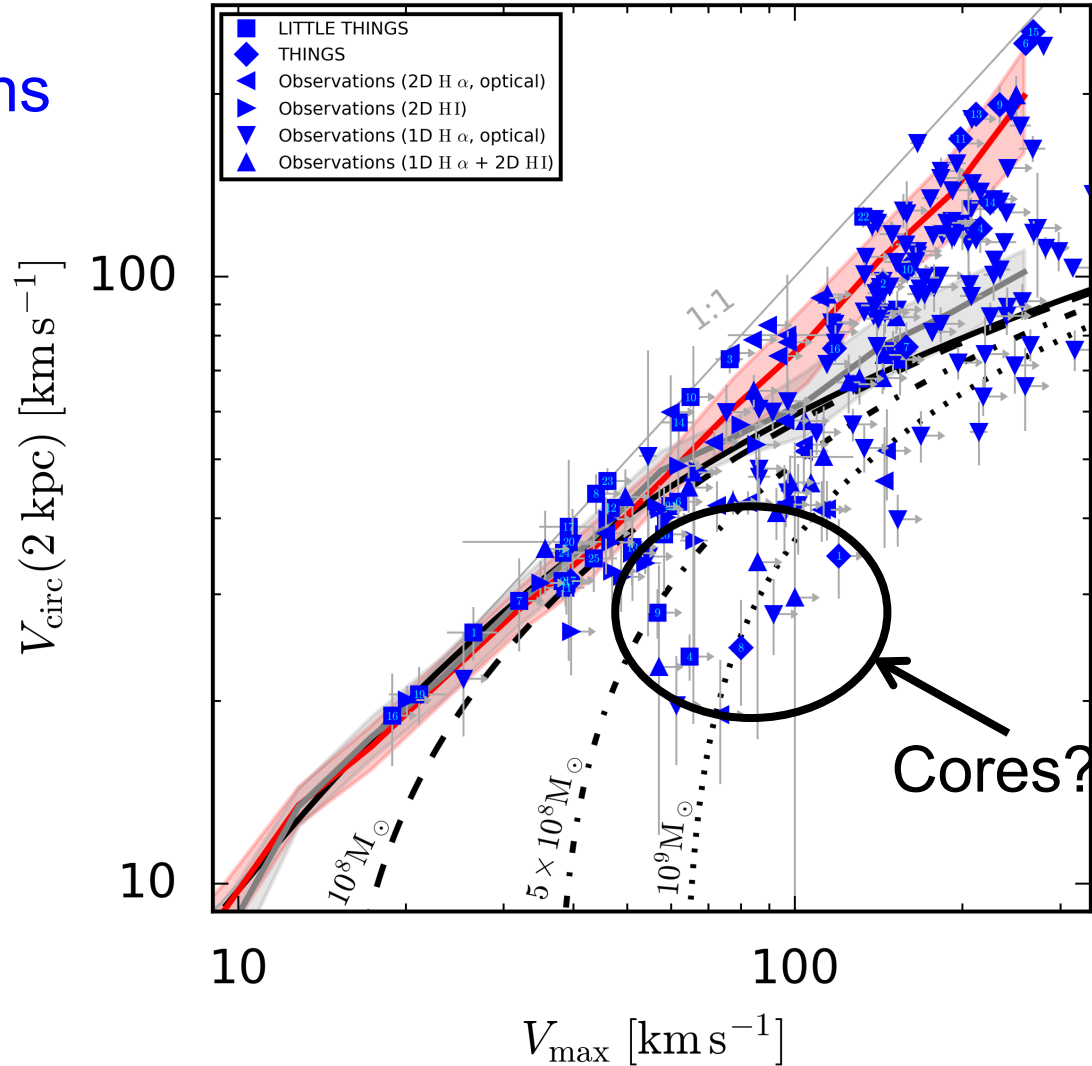
The diversity of rotation curves

Hydro



The diversity of rotation curves

Observations



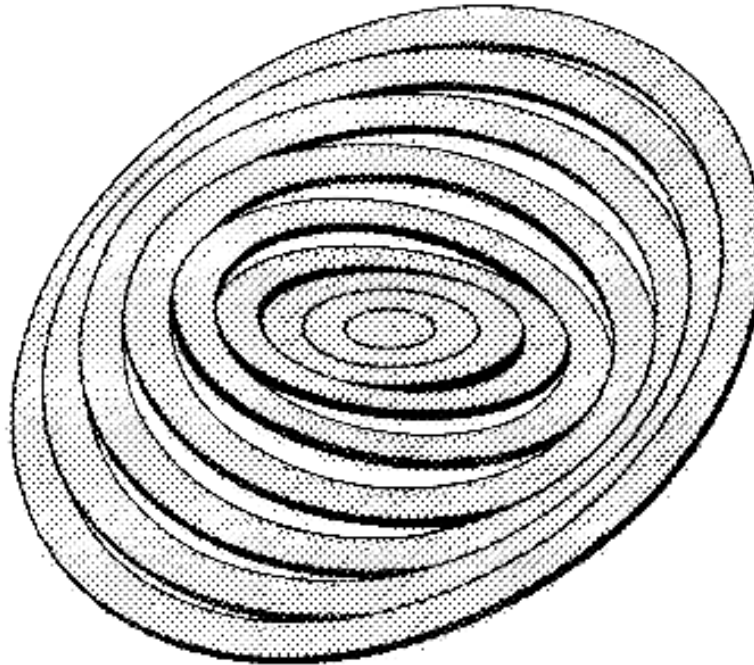
Analysis of 2D velocity fields

2D velocity field $\rightarrow V_c(r)$ (rotn curve); in dynamical equilibrium: $V_c = \sqrt{\frac{GM(< r)}{r}}$



Tilted ring modelling

Model galaxy as a set of tilted rings and solve for the kinematics of each ring



Rogstad et al. (1974)

Analysis of 2D velocity fields

2D velocity field $\rightarrow V_c(r)$ (rotn curve); in dynamical equilibrium: $V_c = \sqrt{\frac{GM(< r)}{v}}$

\downarrow

\bullet 3D BAROLO fit \leftarrow Tilted-ring model corrected for asymmetric drift

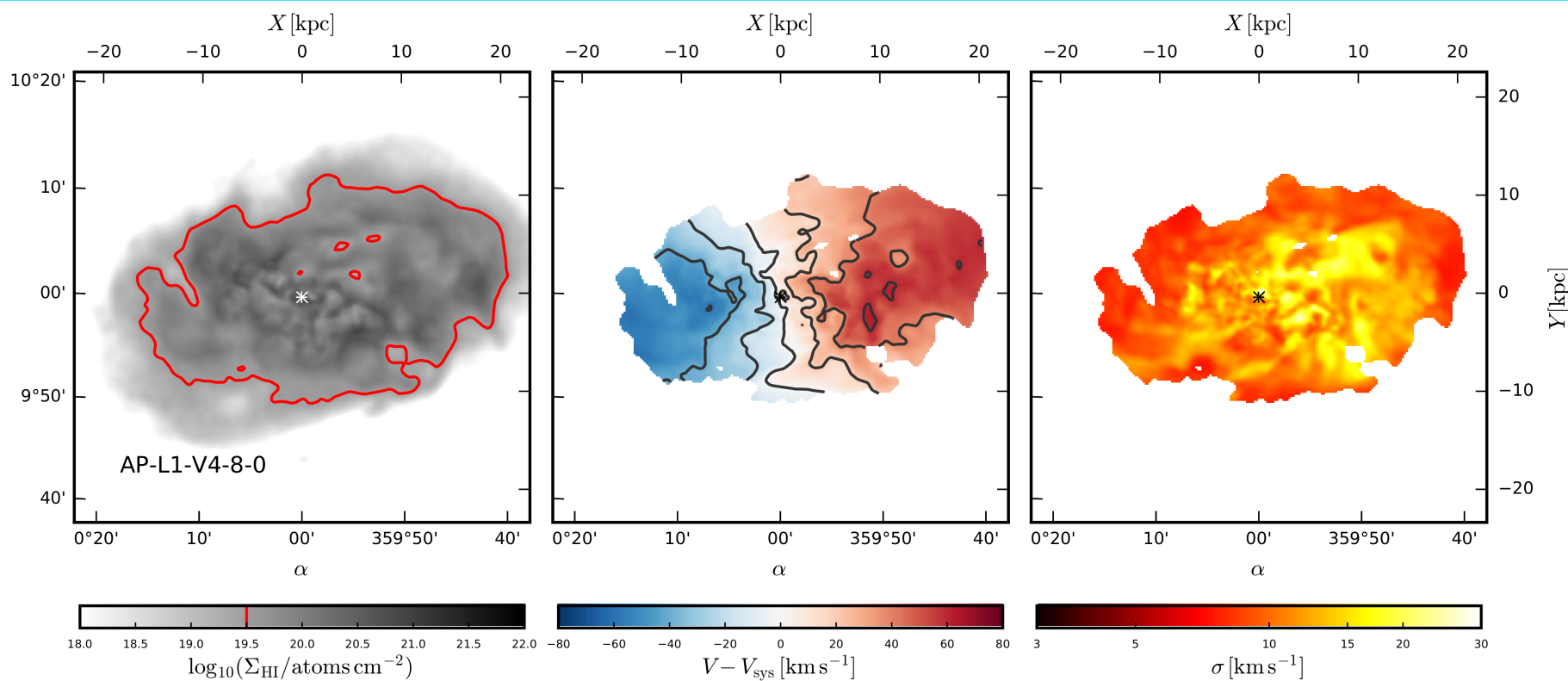
Let's apply this to APOSTLE galaxies by making a mock 2D velocity field data cube and analysing it just as the real data

Synthetic HI observations of curves of an APOSTLE dwarf

HI surface density

Mean velocity

Velocity dispersion

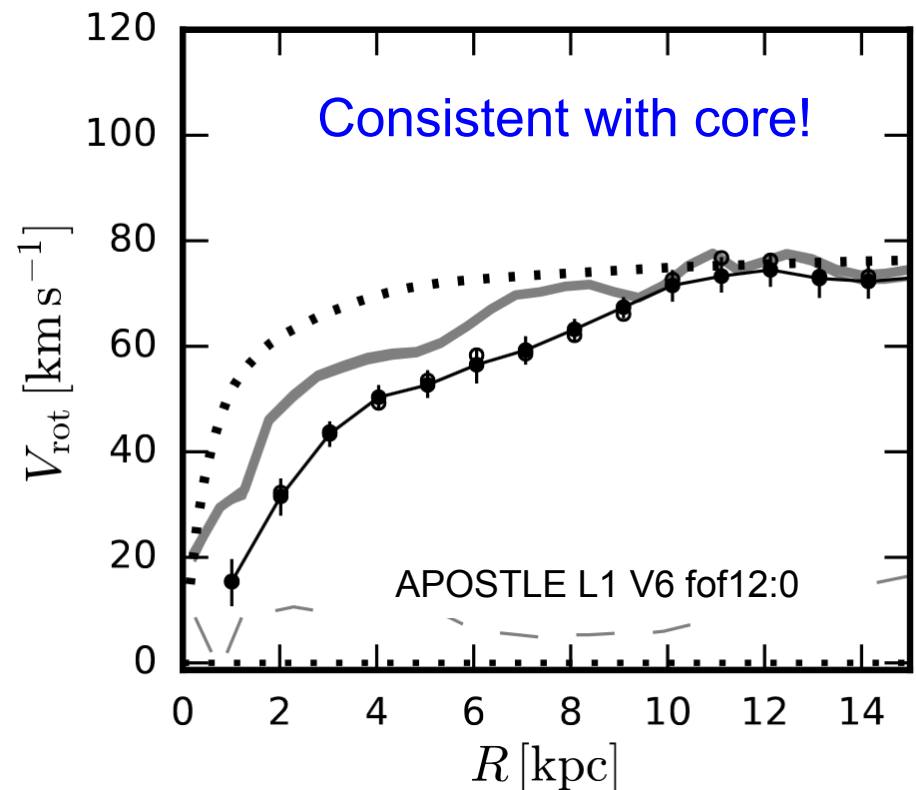
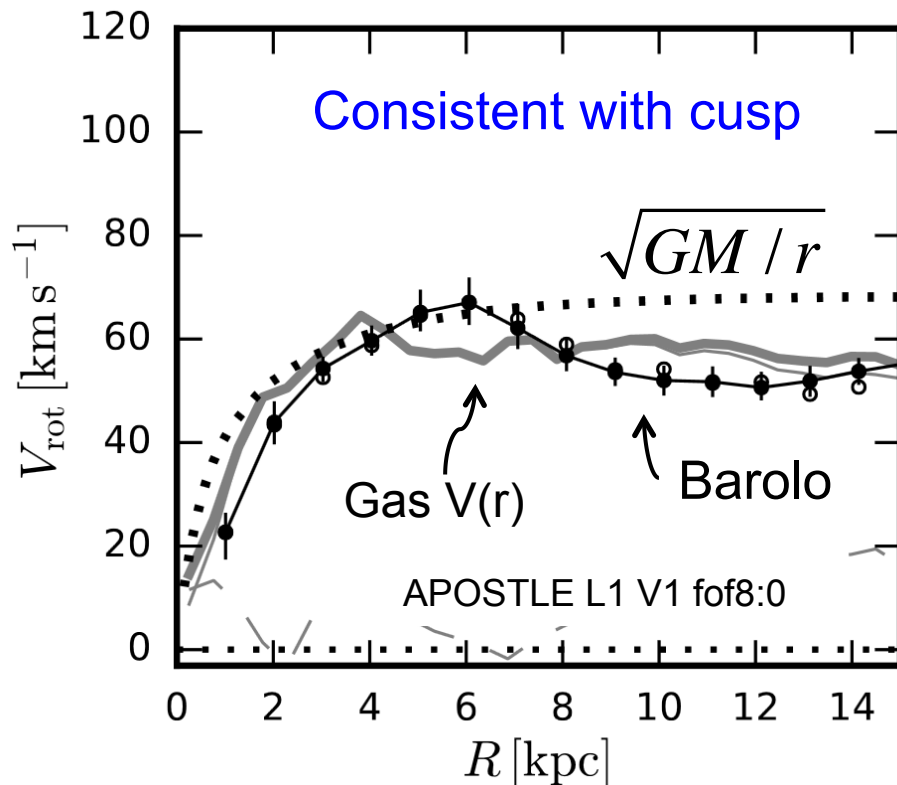


Rotation curves of 2 APOSTLE dwarfs

APOSTLE galaxies all have NFW cusps

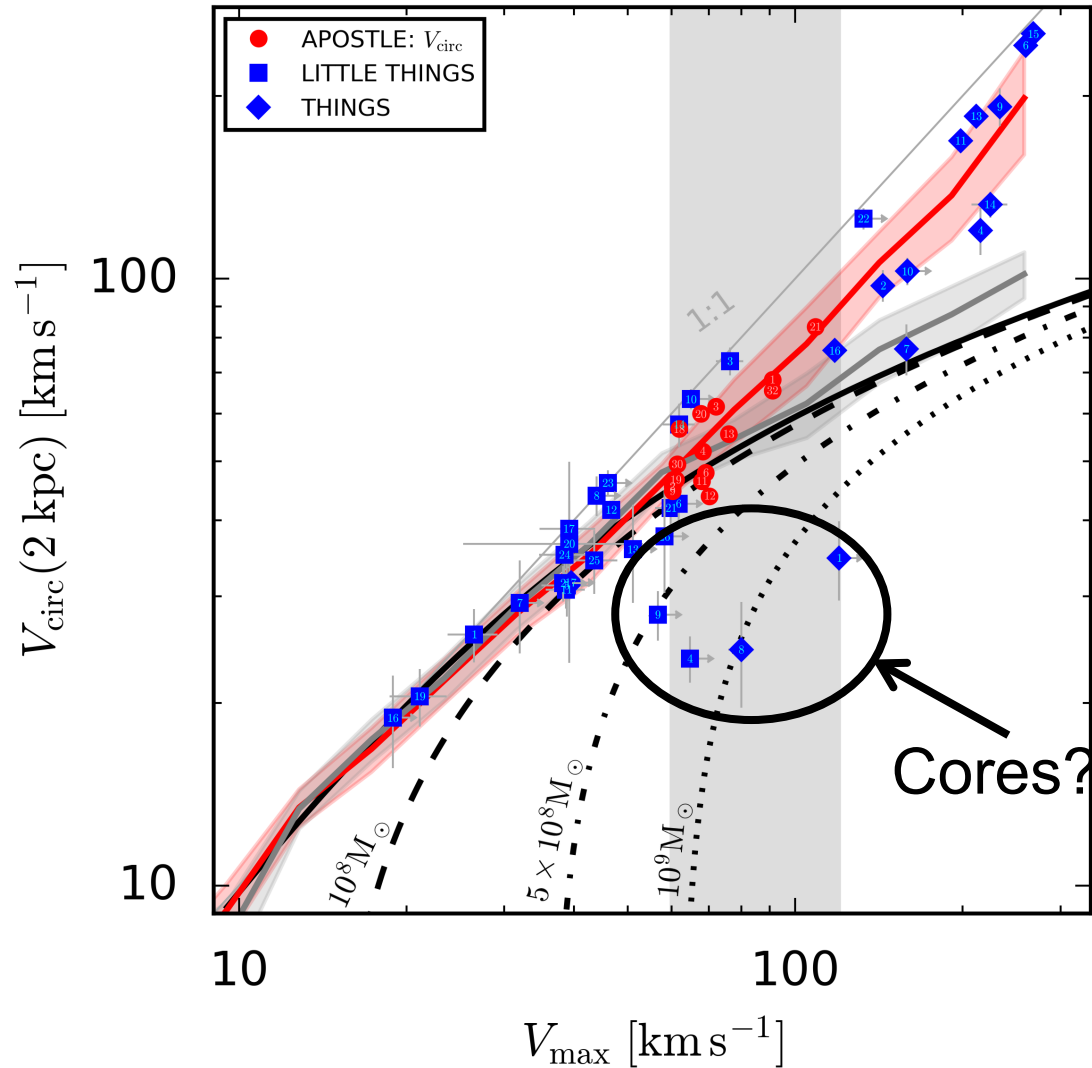
2D velocity field $\rightarrow V_c(r)$ (rotn curve); in dynamical equilibrium: $V_c = \sqrt{\frac{GM(<r)}{v}}$

↓ Tilted-ring model corrected for asymmetric drift
● 3^D BAROLO fit

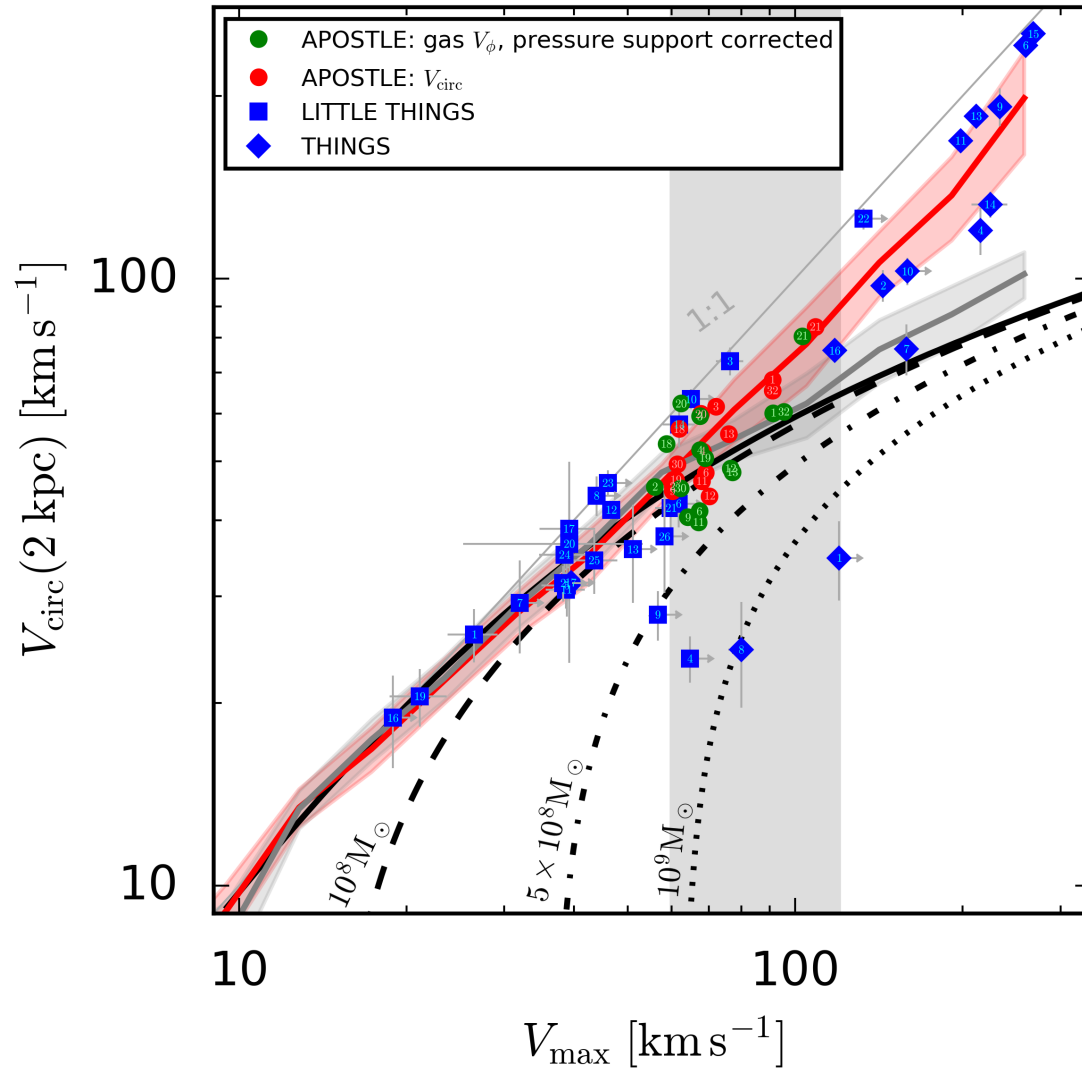


Oman et al '17; Marasco et al '17

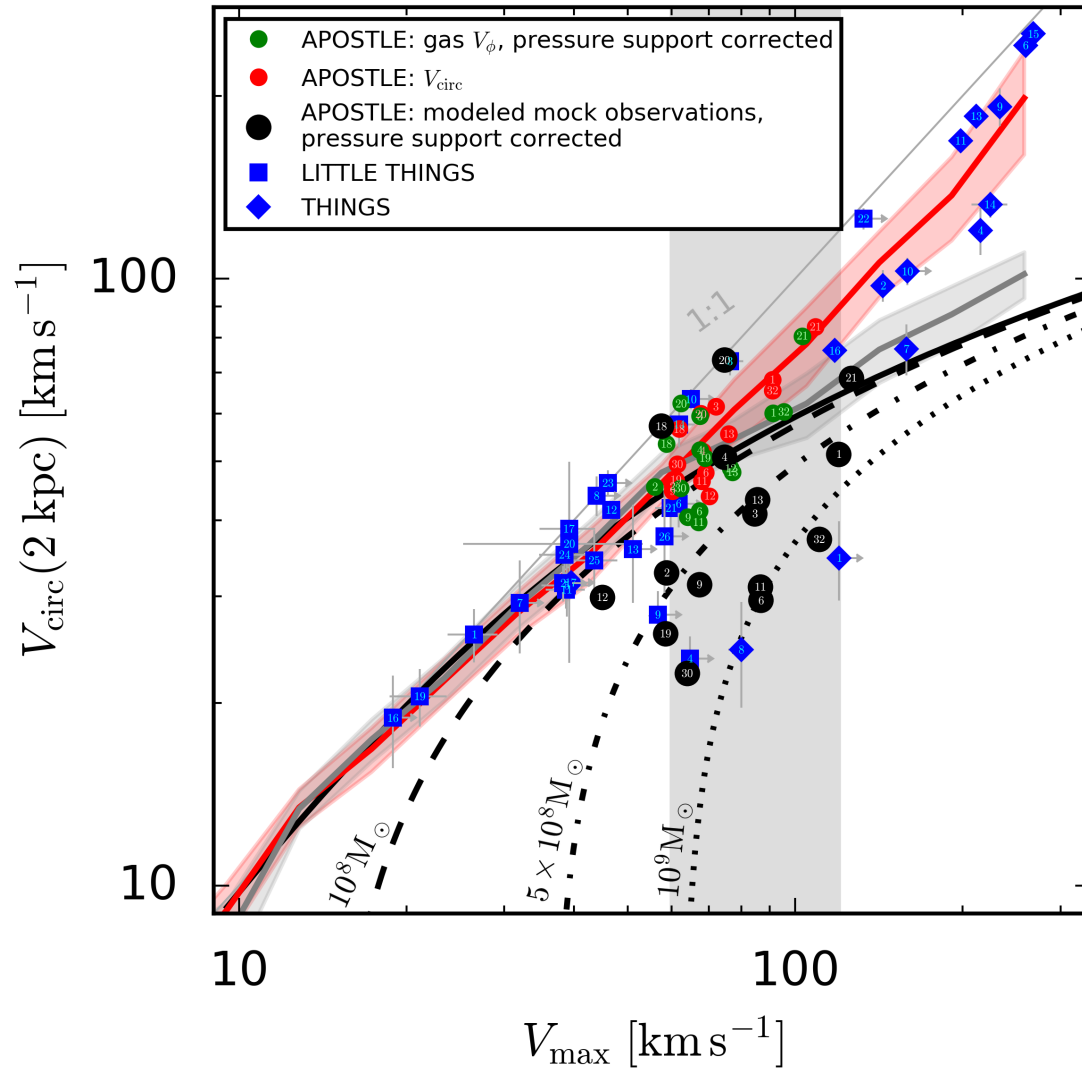
The diversity of rotation curves



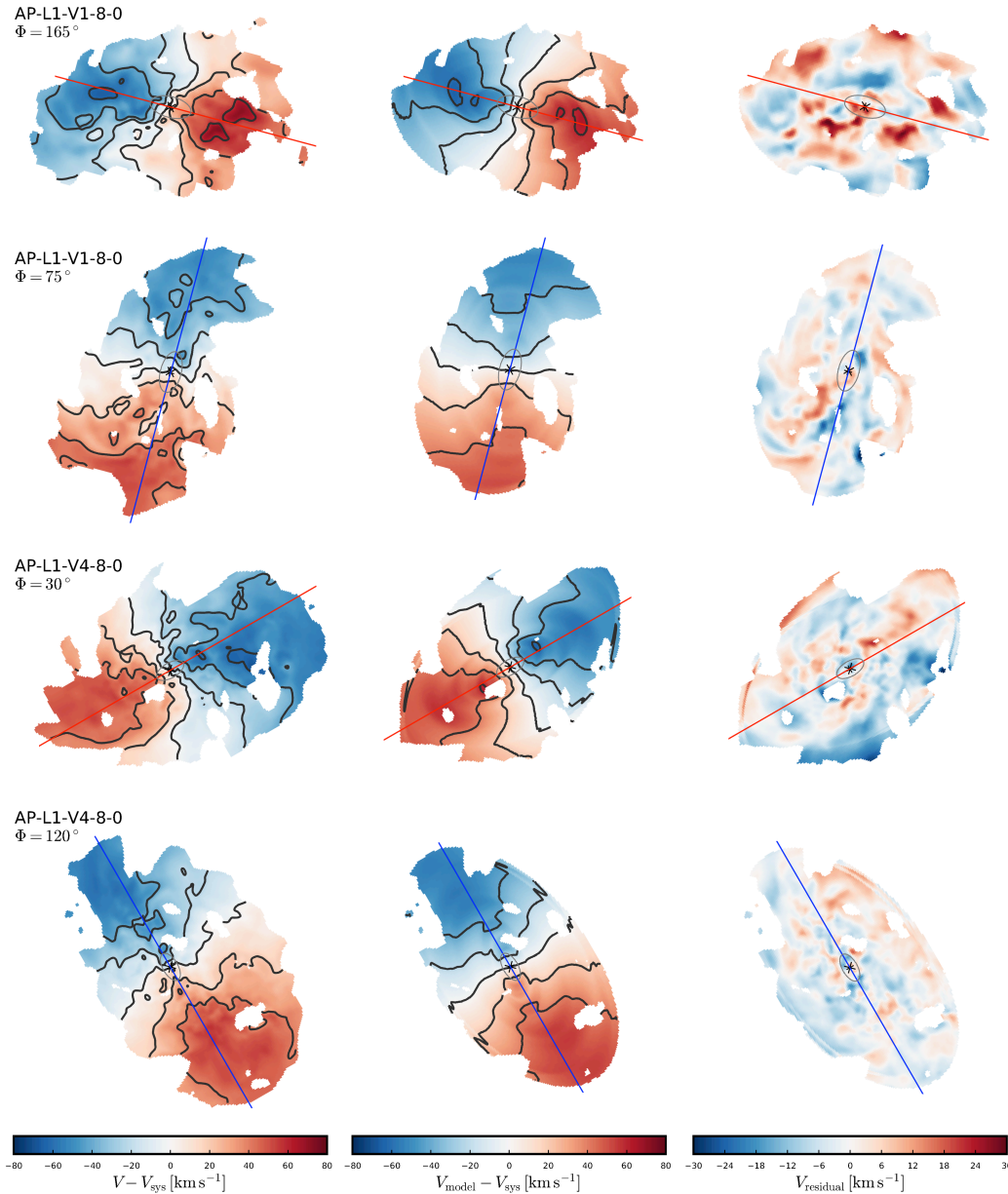
The diversity of rotation curves



The diversity of rotation curves



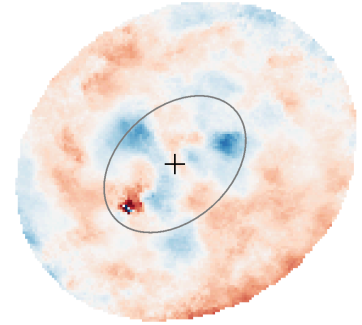
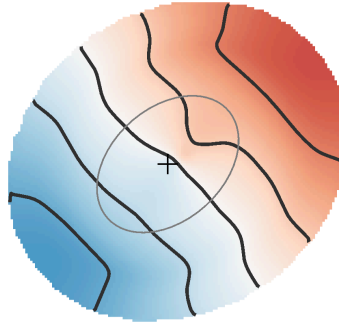
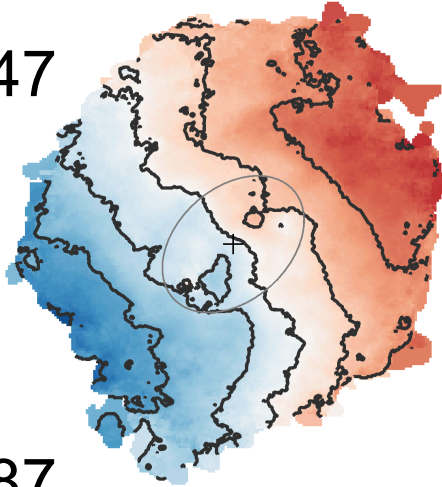
2D velocity data for Apostle dwarfs



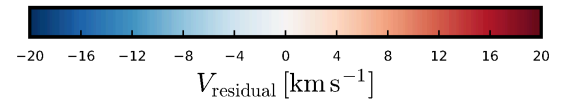
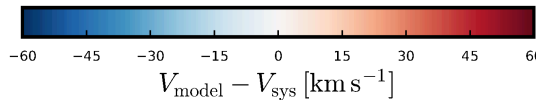
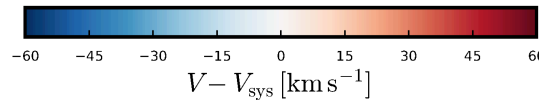
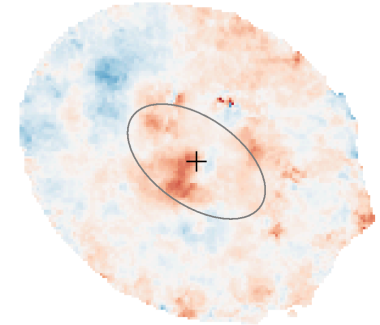
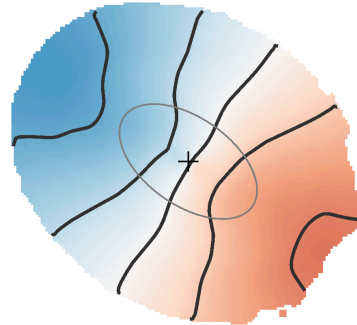
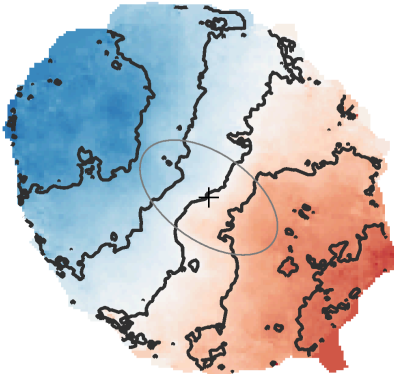
Oman, Marasco + 18

2D HI velocity data for local dwarfs

DDO 47

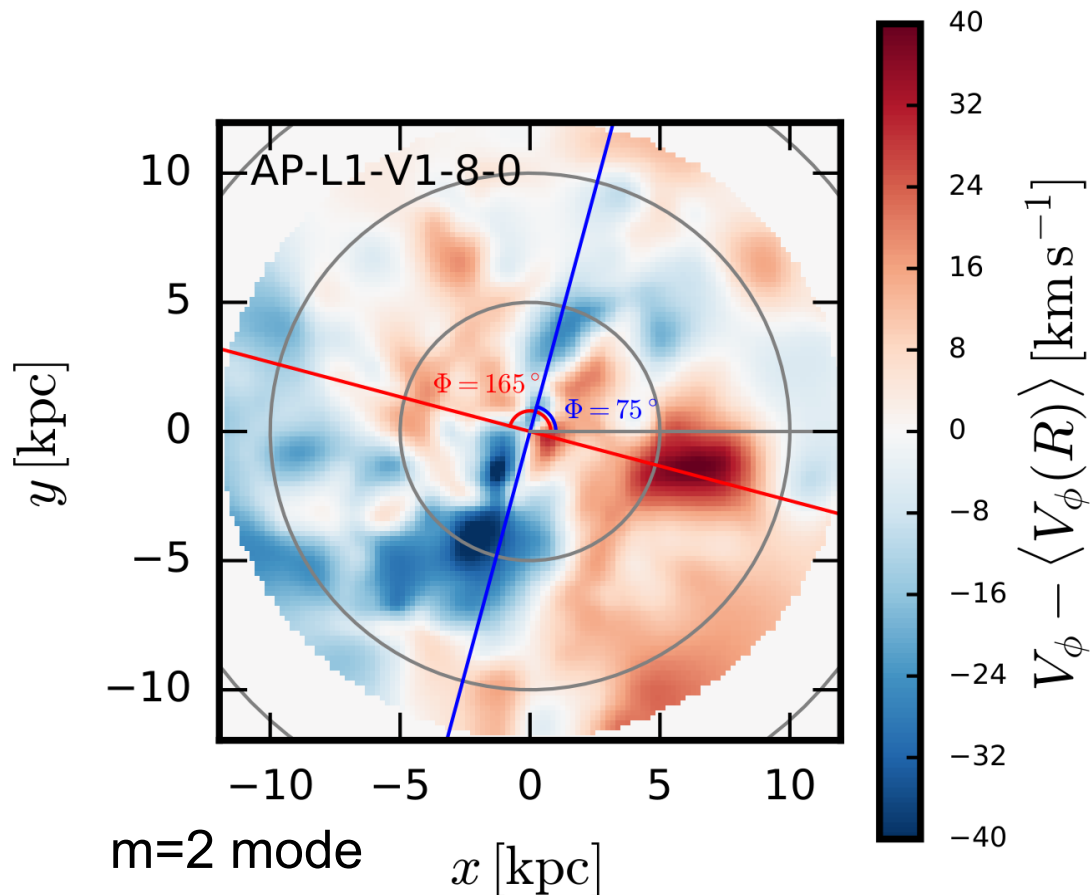


DDO 87



Non-circular motions

Residual azimuthal velocities (after subtracting mean $v(r)$)



Synthetic data cubes from simulated galaxies , analyzed as the data (with ^{3D}Barolo tilted ring code) often imply cores ... where there are cusps

A myth:

The DM halos of dwarf galaxies have central cores

The facts:

Neither stellar dynamical data nor 2D HI velocity maps indicate the existence of cores

→ There is **NO** robust **evidence** for **cores** in galaxies



But, if cores we
found to exist in
galaxies, would
this rule out
CDM (& WDM)?

No!



The physics of core formation

Cusps → cores

Perturb central halo region
by growing a galaxy
adiabatically and removing
it suddenly (Navarro, Eke
& Frenk '96)

Cores may also form by
repeated fluctuations in
central potential (e.g. by
SN explosions) (Read &
Gilmore '05; Pontzen &
Governato '12,'14; Bullock &
Boylan-Kolchin '17)

Navarro, Eke & Frenk (1996)

The cores of dwarf galaxy haloes L75

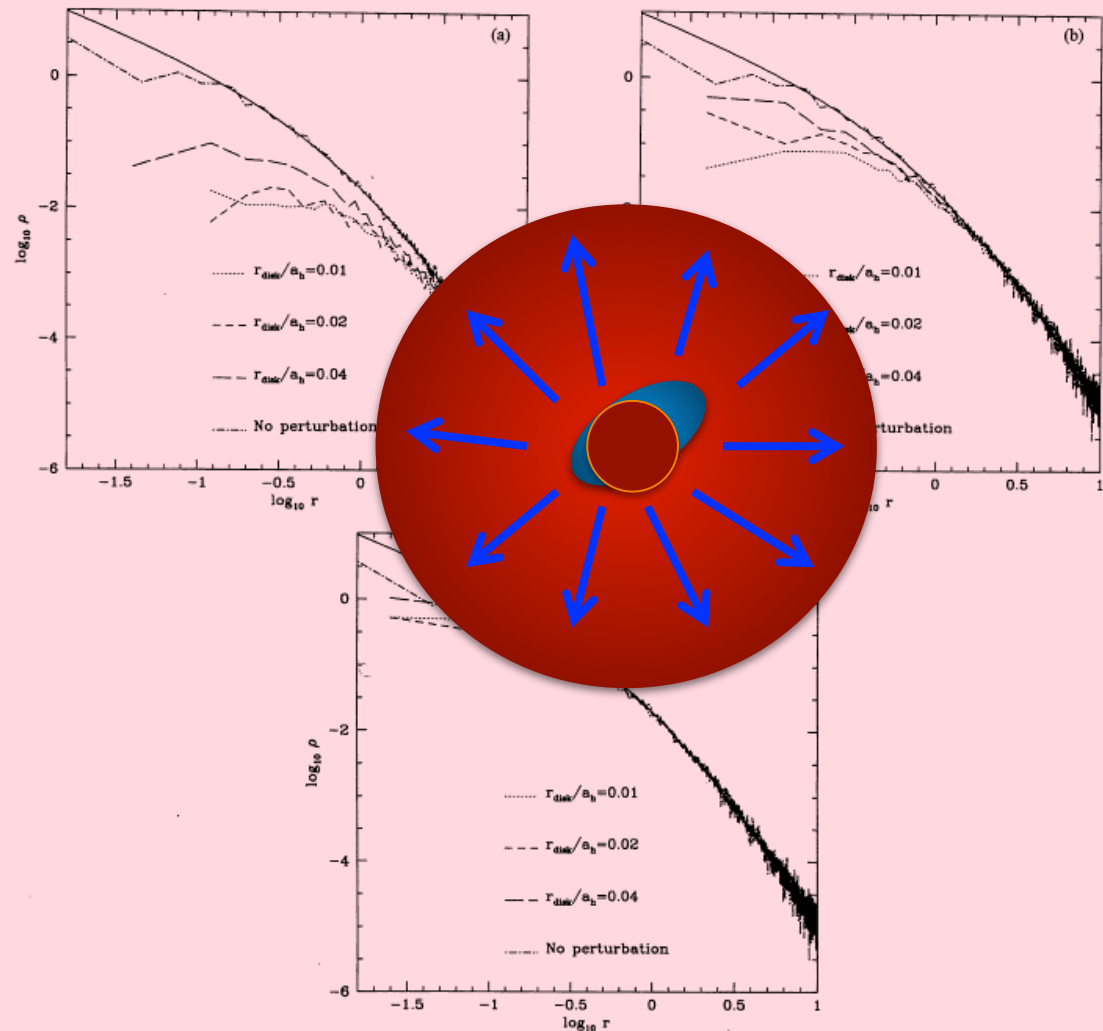


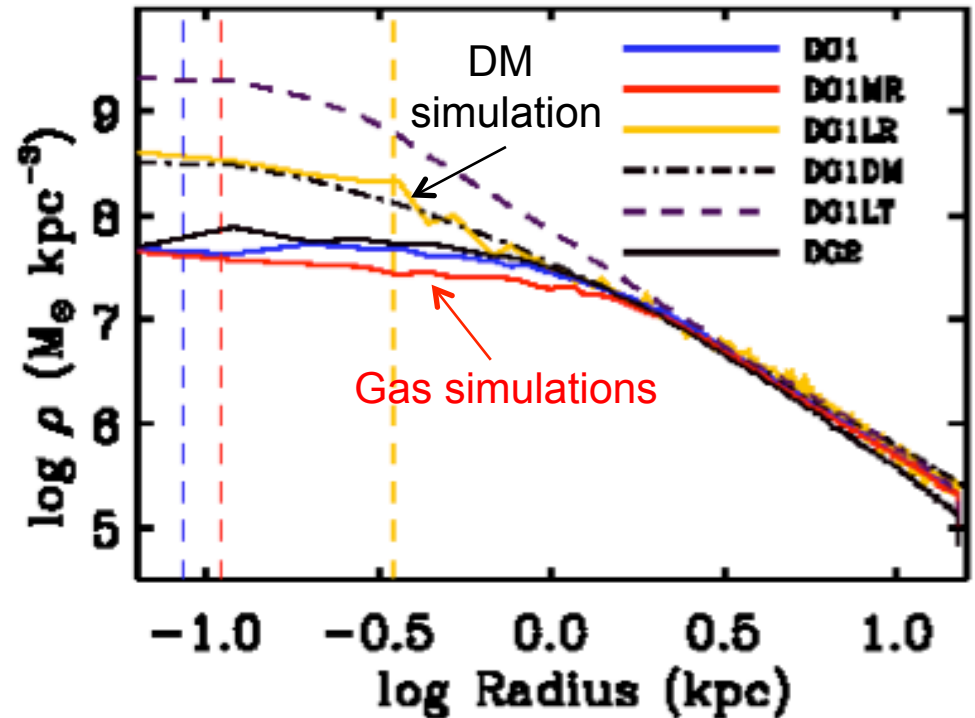
Figure 3. Equilibrium density profiles of haloes after removal of the disc. The solid line is the original Hernquist profile, common to all cases. The dot-dashed line is the equilibrium profile of the 10 000-particle realization of the Hernquist model run in isolation at $t = 200$. (a) $M_{\text{disc}} = 0.2$. (b) $M_{\text{disc}} = 0.1$. (c) $M_{\text{disc}} = 0.05$.

Cores in dwarf galaxy simulations

Governato et al. assume
high density threshold for
star formation

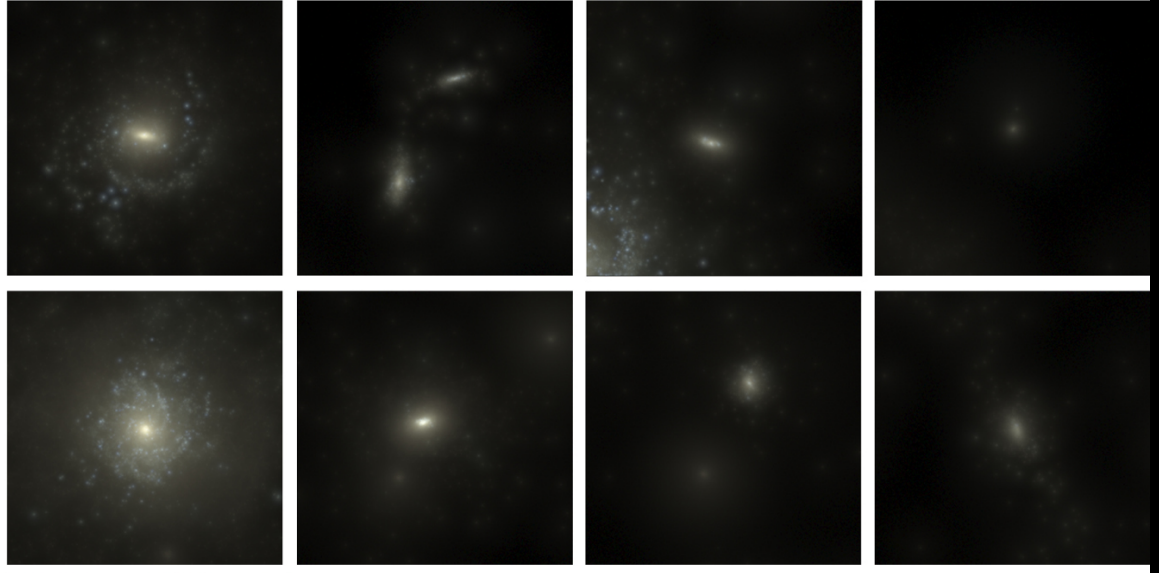
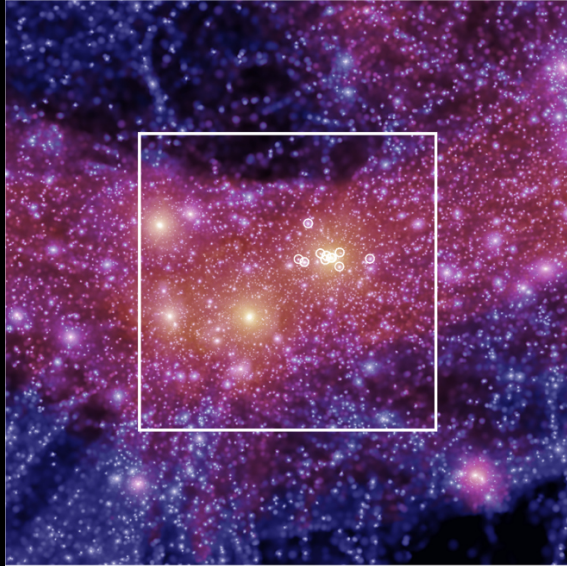
EAGLE does not

- High threshold allows large gas mass to accumulate in centre
- Sudden repeated removal of gas transfers binding energy



Governato et al. '12

Pontzen et al. '12



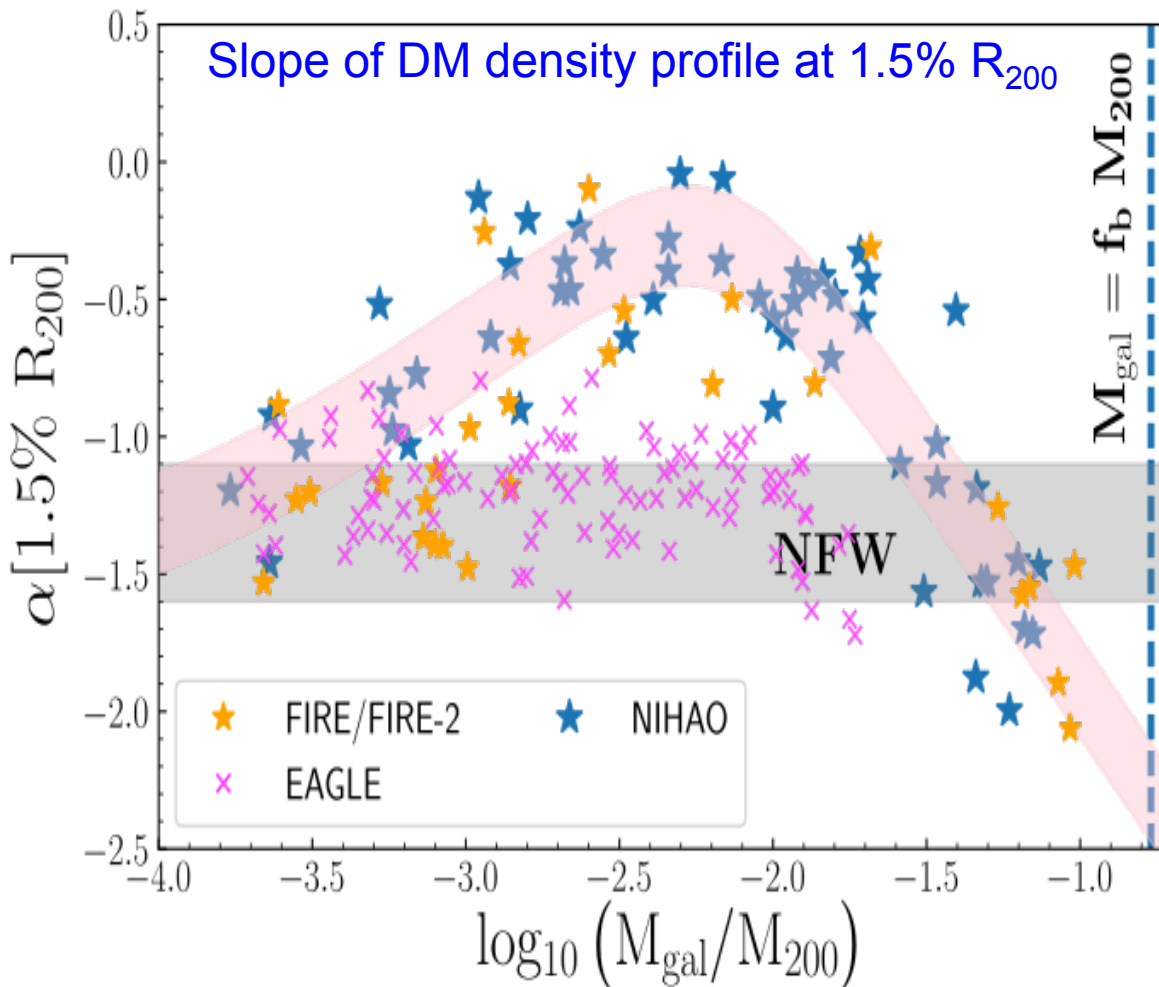
Dwarf galaxies in Apostle have NFW cusps!

Sawala et al '15

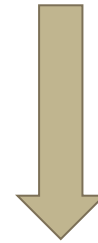
Cores or cusps in simulations of dwarfs

$$\rho(r) \propto r^\alpha (1 + r/r_s)^\beta$$

Benitez-Llambay, CSF, Ludlow, Navarro, Schaller '18



Simulations with codes such as FIRE / FIRE-2 or GASOLINE produce a reduction in the central density due to baryonic effects



- 1) Such baryonic effects seem not to be present in EAGLE and Auriga
- 2) Physics or numerical effects?

See e.g. Tollet et al. (2016), Hopkins et al. (2017), Di Cintio et al. (2014)

Core formation

In the absence of a treatment of the (multi-phase) interstellar medium, need a “subgrid” model for star formation

In Eagle **stars** form from (cooling) gas that reaches a **density higher than ρ_{th}** (and $T \sim 10^4$ K)

In Eagle $\rho_{\text{th}} \sim 0.1 \text{ cm}^{-3}$

For each resimulated dwarf, vary ρ_{th} from $0.1 - 10^4 \text{ cm}^{-3}$

Physically meaningless



Cores or cusps in simulations?

Key parameter: gas density threshold for star formation

High density → NEF mechanism

Low density → not enough central gas density to perturb DM

Core formation

Star formation
density threshold



($\rho_{\text{th}} / \text{cm}^{-3}$)

1
0.1

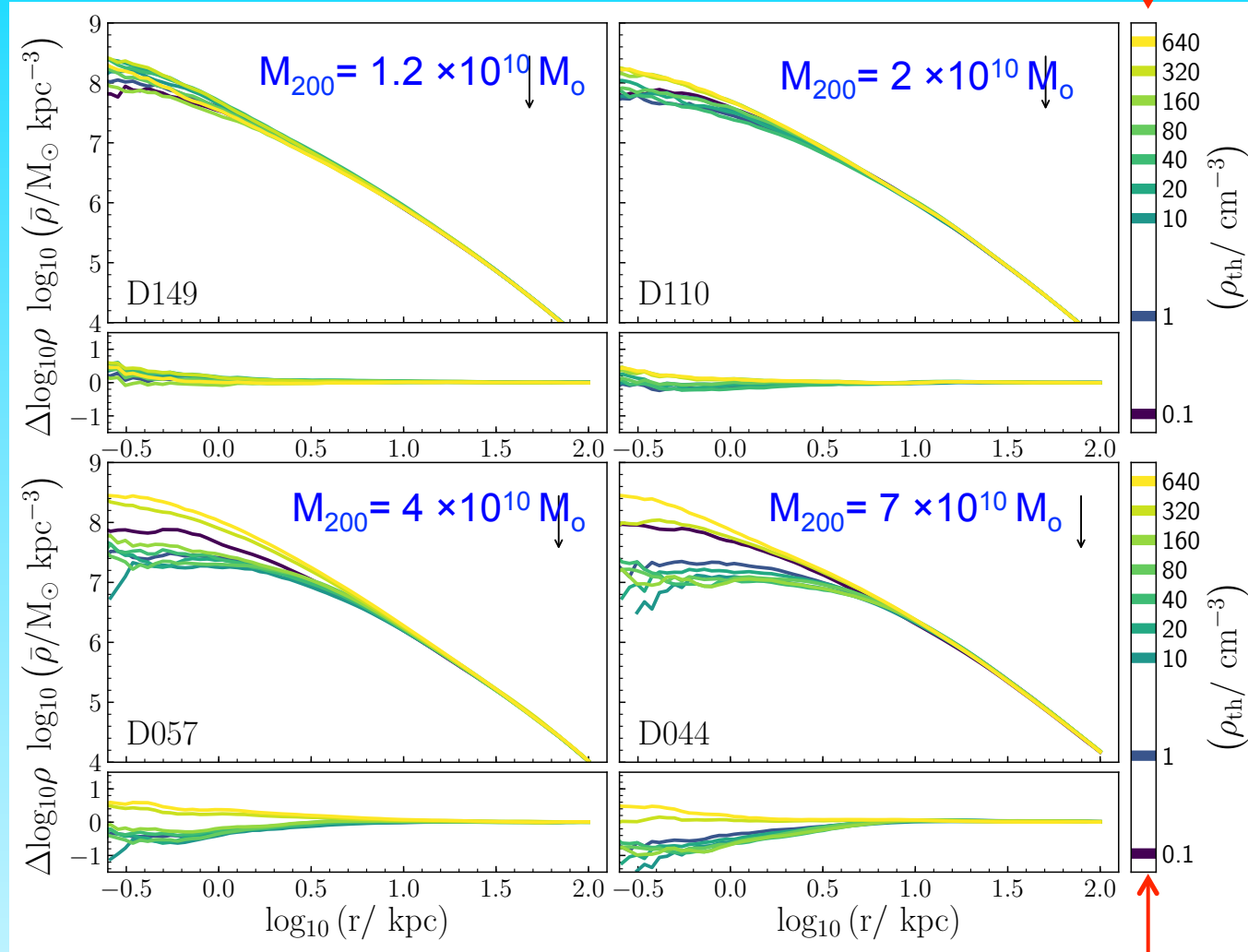
($\rho_{\text{th}} / \text{cm}^{-3}$)

1
0.1

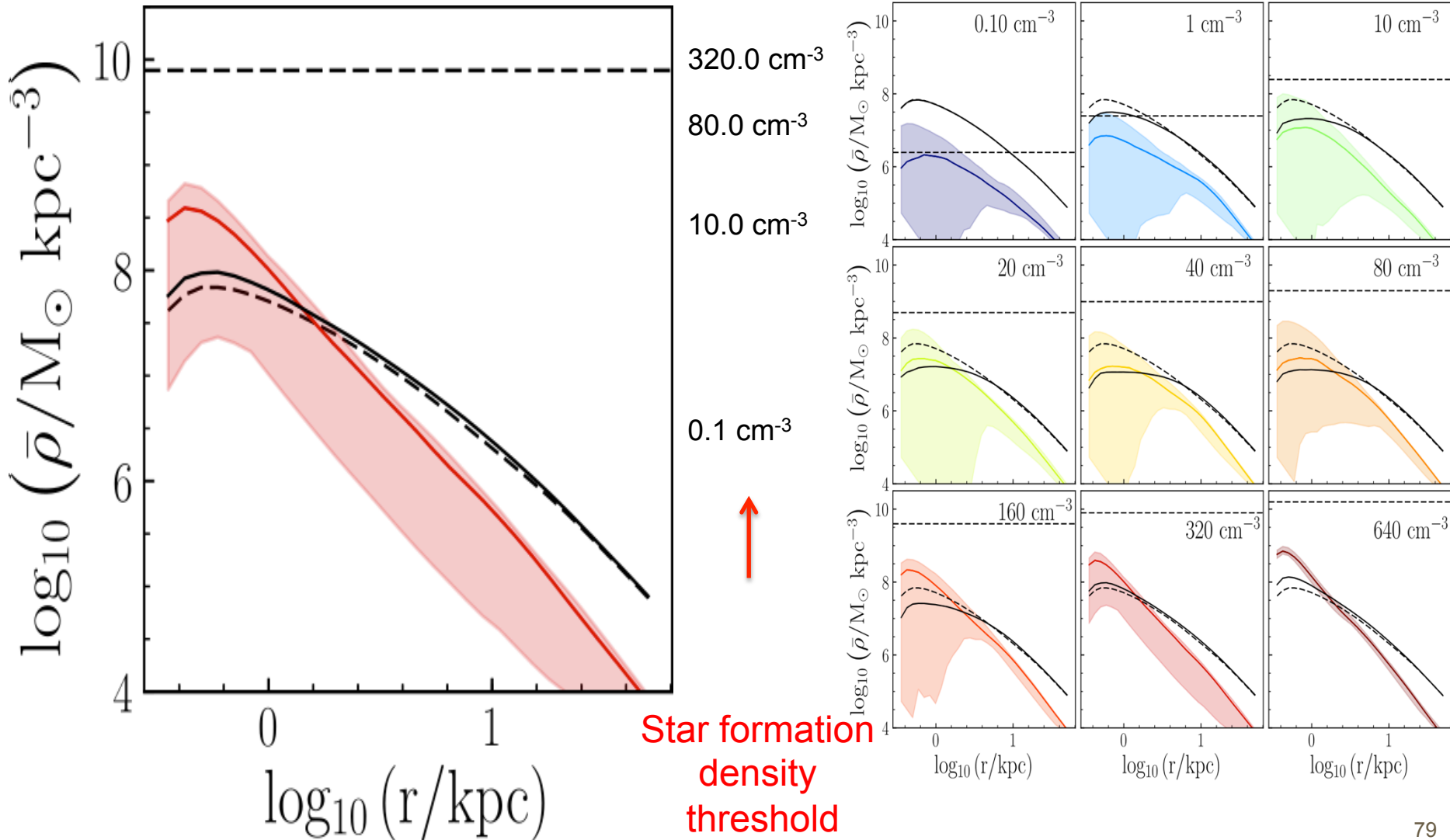
Star formation
density threshold



- As density threshold for star formation increases, cores begin to form if galaxy is massive enough
- In small galaxies, cores are tiny (unresolved)
- If threshold is too high, no cores form – halo can become even cuspier



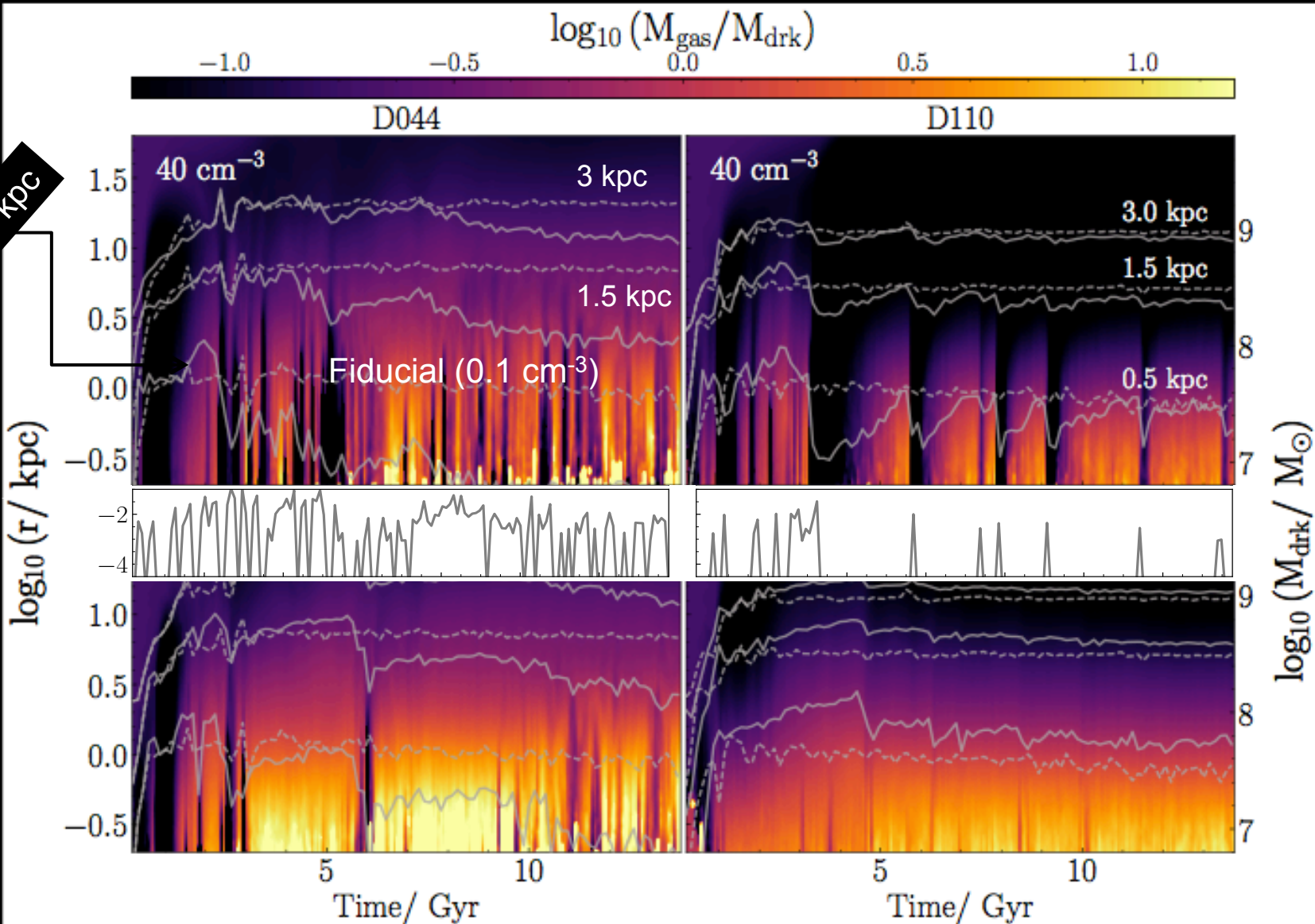
Changing the density threshold for star formation





Cores or cusps in simulations?

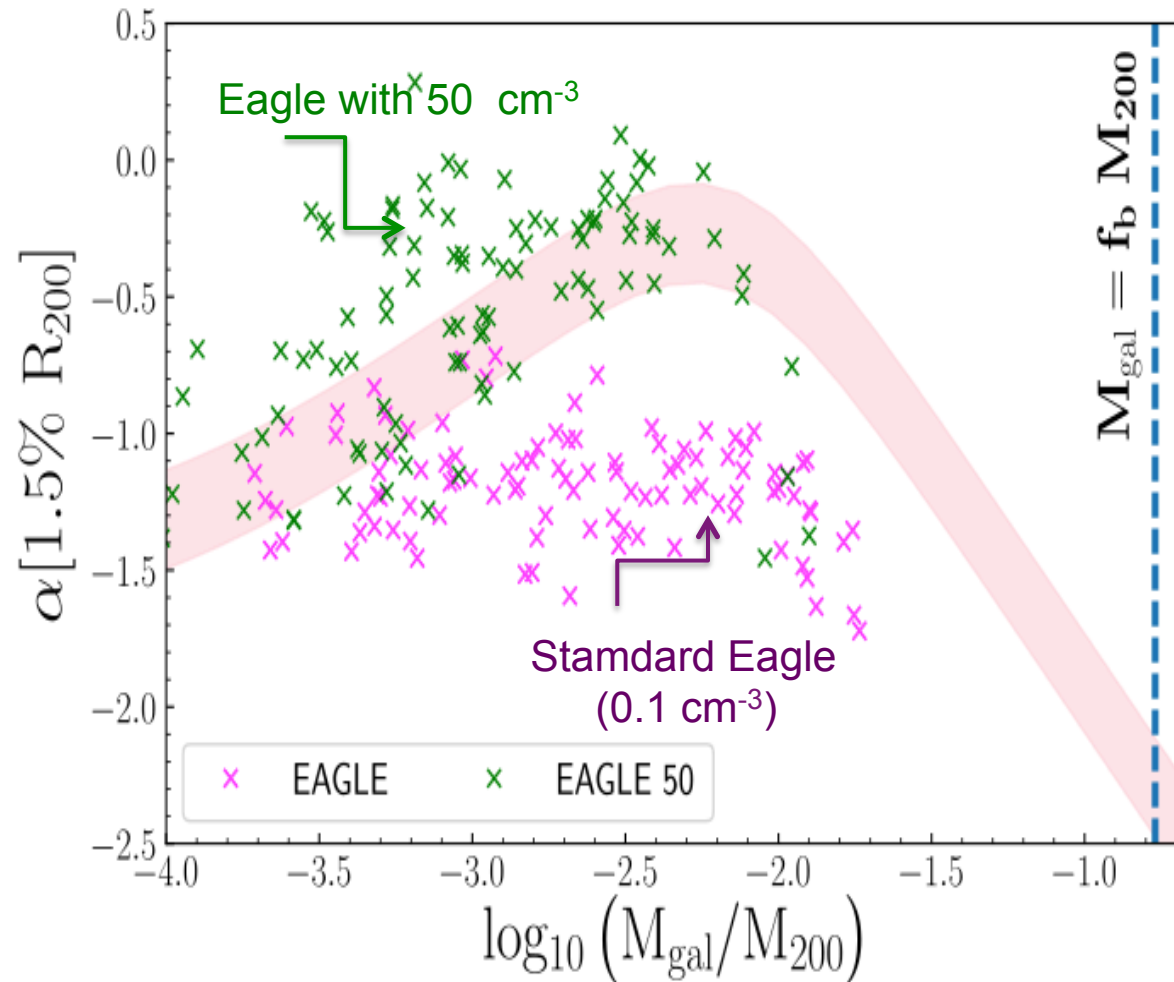
Mass within 0.5 kpc



Eagle with cores

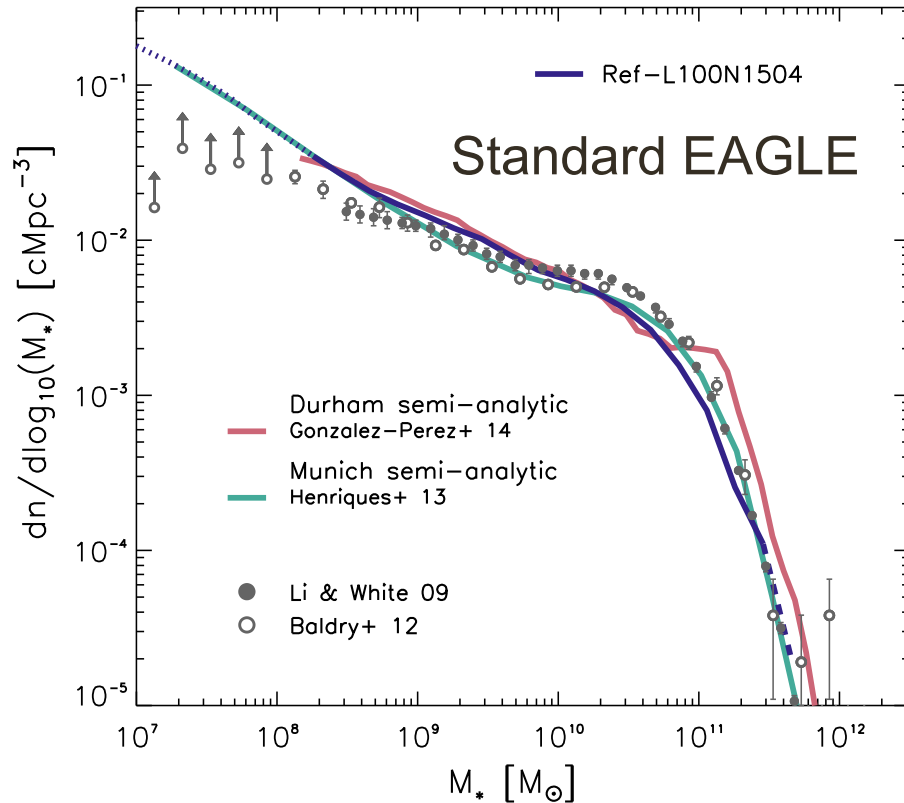
Cosmological volume ($L=12$ Mpc; $m_{\text{gas}} \sim 7 \times 10^4 M_{\odot}$) using EAGLE
RECAL model + SF density threshold of $50 \text{ particles} / \text{cm}^3$

Cores form only
on limited range
of halo masses
(or $M_{\text{gal}}/M_{\text{halo}}$)

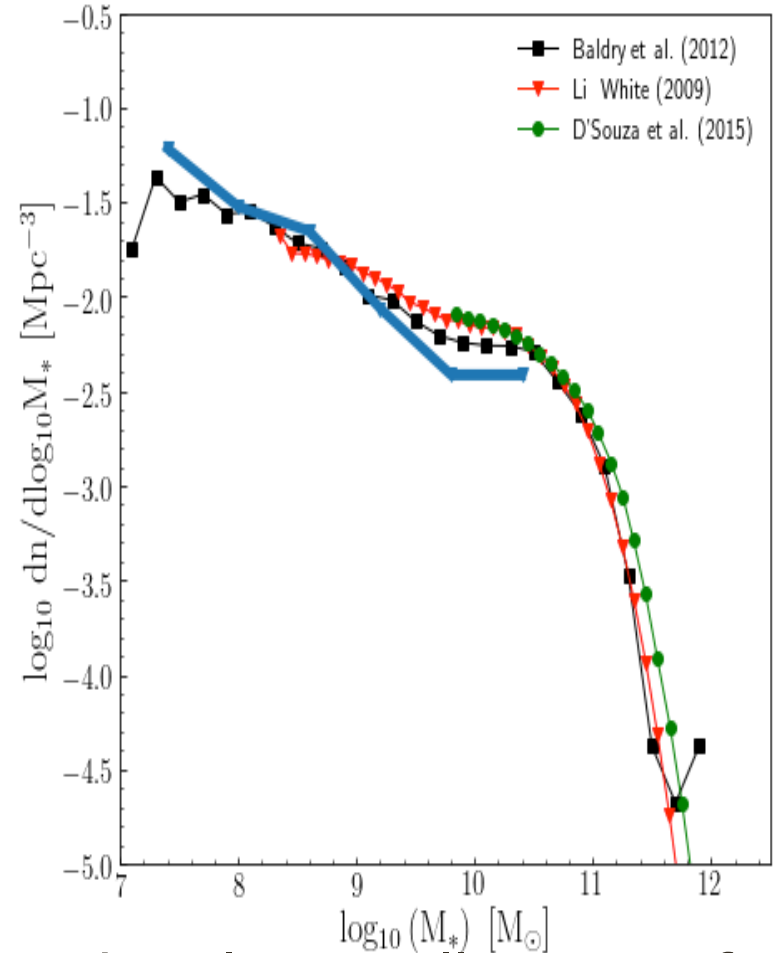


The galaxy stellar mass function

Standard EAGLE: good match to data



Eagle with cores: poor match to data



Simulation with cores fails to match galaxy stellar mass fn.
New recalibration?



Conclusions

- Stellar dynamics and HI rotation curves of real dwarfs
 - No evidence for cores: cores and cusps are OK
- N-body simulations → cusps in CDM halos
- Cores in viable WDM models are tiny
- Cores can be formed in CDM by baryon effects
 - Key parameter: density threshold for star formation
- Core sizes depend on subgrid SF threshold parameter
... and also probably on many other factors
- Cores only form in a narrow range of halo masses