

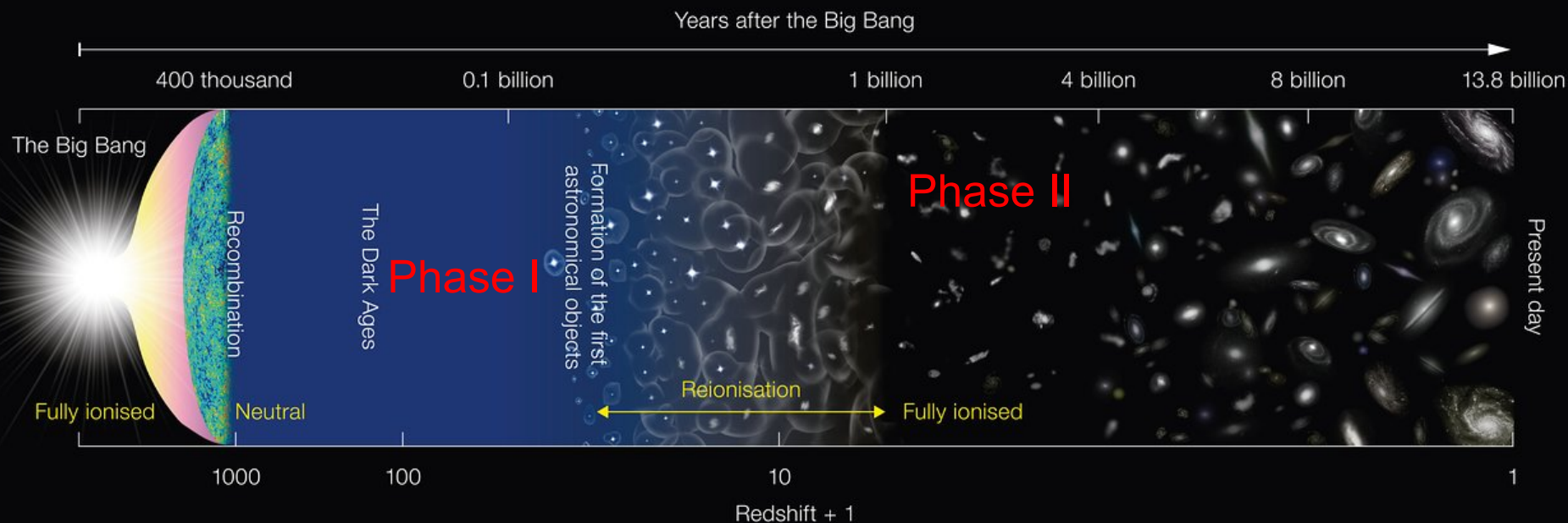
The imprint of cosmic reionisation in the halo of the Milky Way

With Sownak Bose and Alis Deason

The new Ogden
Centre at Durham



The two phases of galaxy formation



Phase I: Galaxies begin to form during the “dark ages”

First stars reionize H and heat it up to 10^4K → prevents gas from cooling in halos of “ T_{vir} ” $< 10^4\text{K}$ – galaxy formation is interrupted

Phase II: Halos with “ T_{vir} ” $> 10^4\text{K}$ form → galaxy formation resumes

Is there evidence for these 2 phases of galaxy formation?

YES! We can see the **two phases** of galaxy formation in the halo of the Milky Way: the **ultra-faint satellites** formed during **Phase I** (i.e. before reionization) and the **bright ones** during **Phase II**.

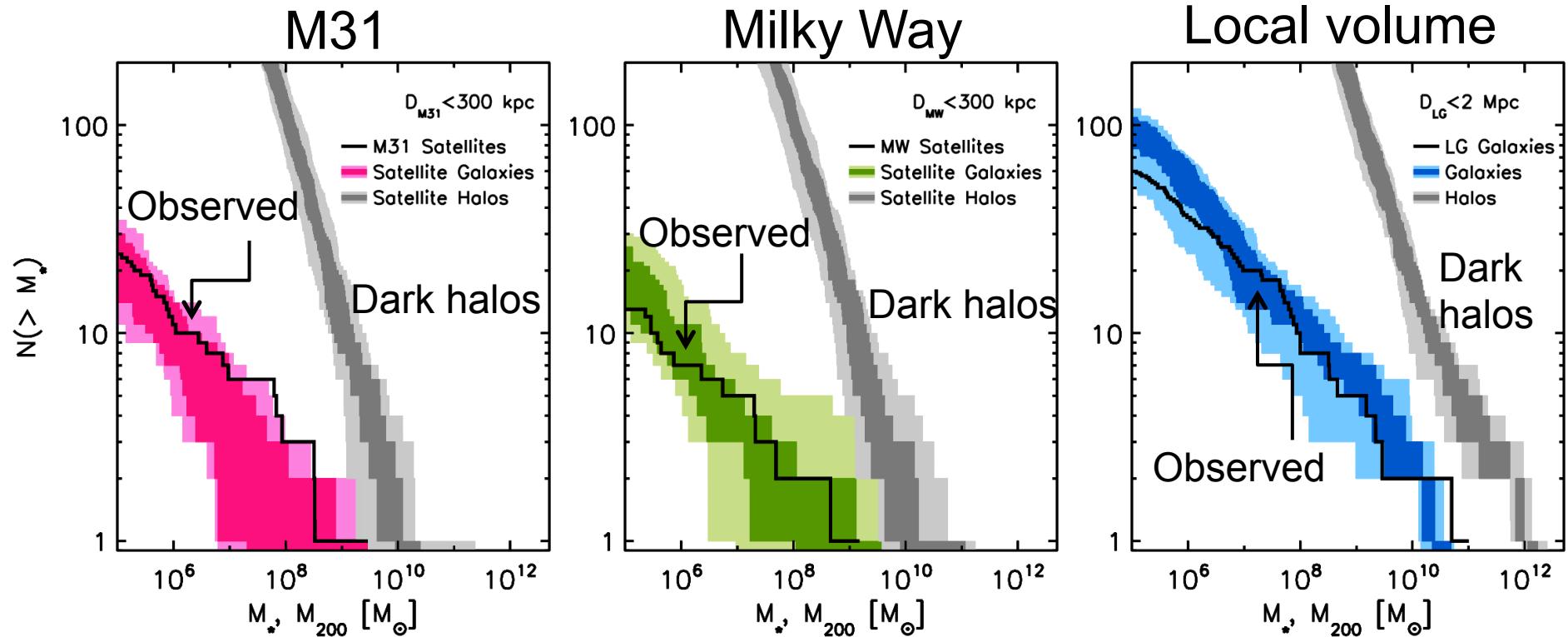
Galaxy formation theory

Two approaches:

1. Cosmological hydrodynamic simulations
2. Semi-analytic modelling

Hydro simulations cannot resolve the ultrafaints (yet)

APOSTLE



LCDM correctly predicts satellite luminosity function

The GALFORM model

Merger trees from cosmological
dark matter simulation

Physics models
for gas and dust

Gas
cooling

Star formation;
SMBH growth

Feedback

Parameters calibrated to reproduce observed $z=0$ field luminosity
functions + a few other observables



Photoionization & the filtering mass

Linear theory for the growth of a baryonic perturbation (Gnedin & Hui 98)

$$\ddot{\delta}_b + 2H(a)\dot{\delta}_b = 4\pi G\bar{\rho}(f_{\text{DM}}\delta_{\text{DM}} + f_b\delta_b) - \frac{c_s^2}{a^2}k^2\delta_b$$

Instantaneous Jeans wavenumber given by $k_J = \frac{a}{c_s}\sqrt{4\pi G\bar{\rho}}$

Expand baryonic overdensity in wavenumber:

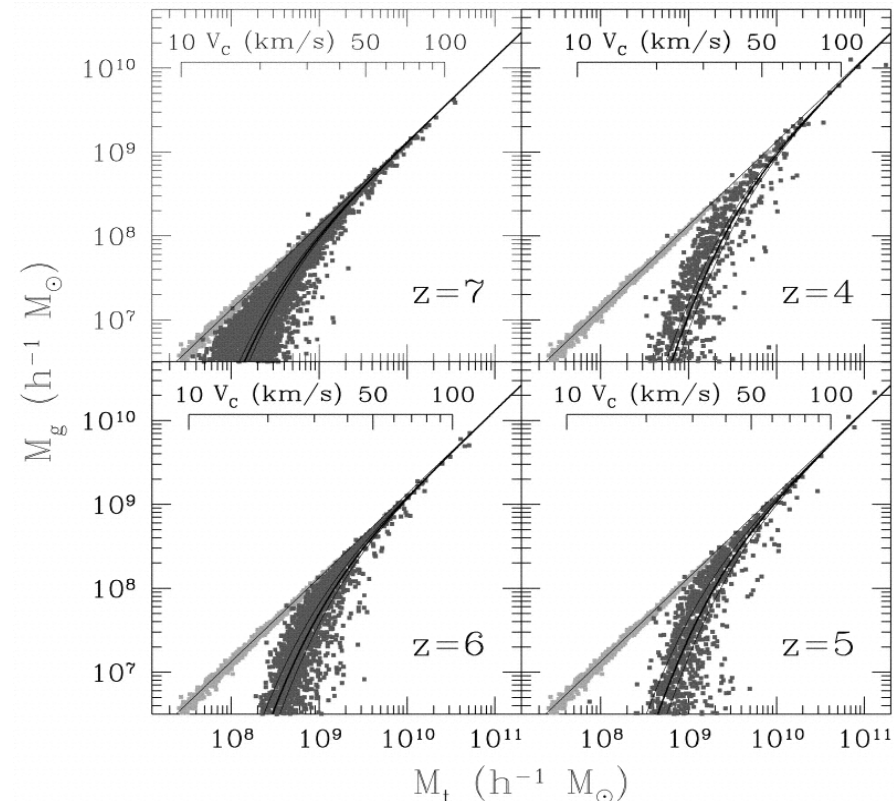
$$\frac{\delta_b(t, k)}{\delta_{\text{DM}}(t, k)} = 1 - \frac{k^2}{k_F^2}$$

$$\frac{1}{k_F^2}(t) = \frac{1}{D_+(t)} \int_0^t dt' a^2(t') \frac{\ddot{D}_+(t') + 2H(t')\dot{D}_+(t')}{k_J^2(t')} \int_{t'}^t \frac{dt''}{a^2(t'')}$$

Filtering mass used in fitting formula for total mass of gas accreted by halos (Gnedin '00):

$$M_{\text{gas}} = \frac{f_b M_{\text{total}}}{[1 + (2^{1/3} - 1)M_F(z)/M_{\text{total}}]^3}$$

Benson, CSF+ '02



The GALFORM model

Modelling reionization: full model well approximated by:

Turn **off cooling** in halos of circular velocity V_c for:

$$V_c < V_{\text{cut}} \quad \text{at} \quad z < z_{\text{cut}}$$

Controls the characteristic scale
below which reionisation is
effective

Controls when reionisation
happens

[fiducial value: $z_{\text{cut}} = 6$]

[fiducial value: $V_{\text{cut}} = 30 \text{ kms}^{-1}$]

[calibrated by hydrodynamical sims. of Okamoto+ '08]

[c.f. a full, self-consistent calculation of
reionisation by Benson+ (2002a); also employed
by Bullock+ 00; Somerville '0 etc.]

Copernicus Complexio (COCO) simulation

Dark matter only

$L \sim 25$ Mpc

$m_p = 1.6 \times 10^5 M_\odot$

85 MW-mass halos

300 LMC-mass halos

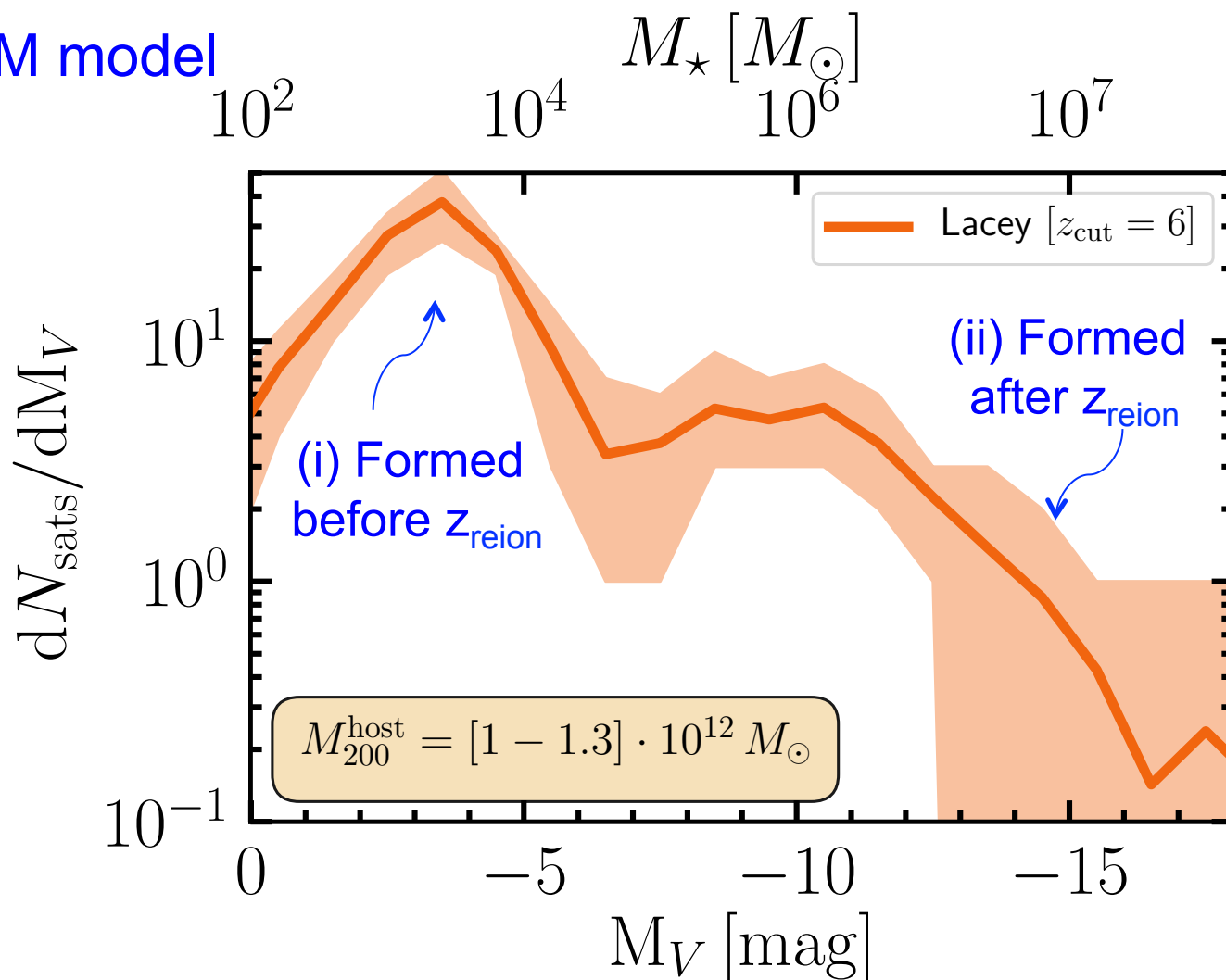
Run **GALFORM**
on merger trees
constructed
from COCO —
can **resolve** the
ultrafaint
satellites

[Hellwing+ (2016);
Bose+ (2016a)]

The satellite luminosity function

Two populations of sats formed: (i) before and (ii) after reionization

GALFORM model



Can we compare the theoretical predictions to data?

Yes! But need the satellite luminosity function



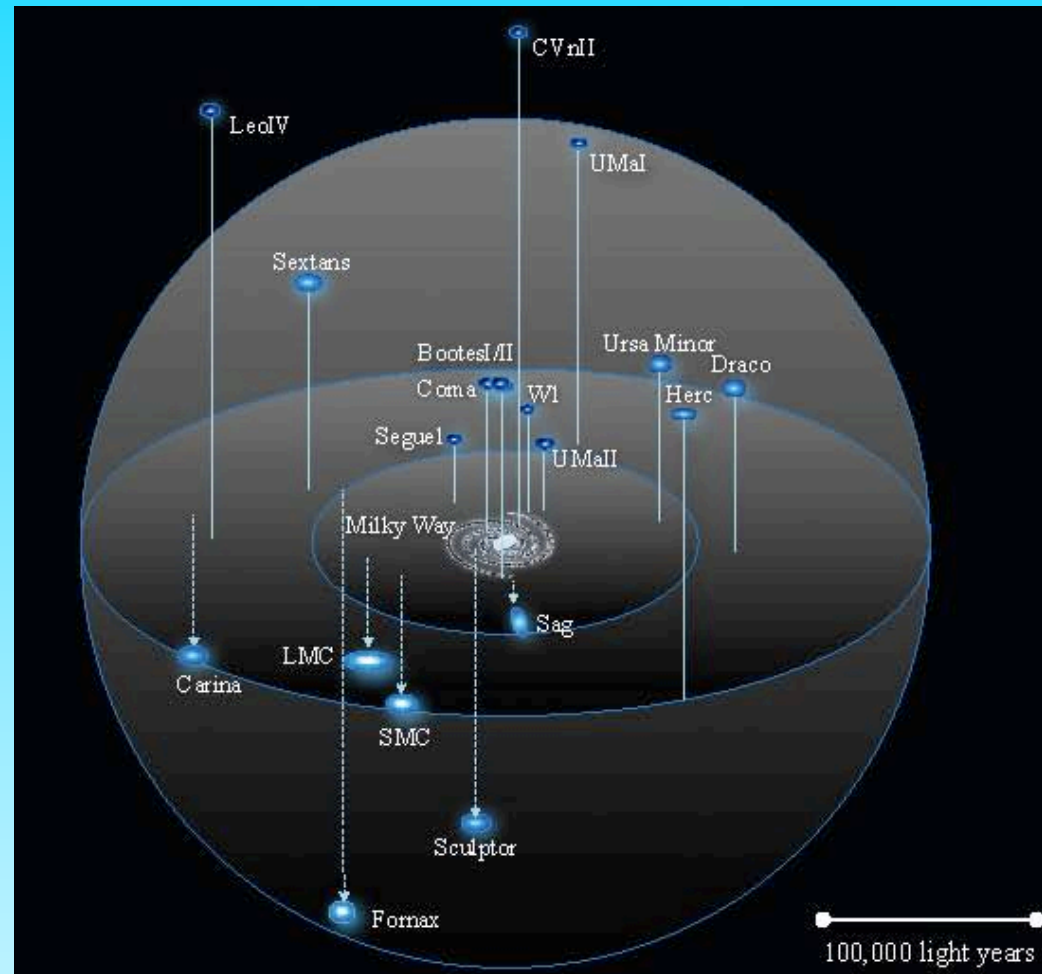
The MW satellite luminosity function

~55 satellites discovered so far in MW

About **55** satellites known in the MW so far from partial surveys (e.g. **SDSS**, **Pan-STARRS**, **DES**)

Can infer **total** population from survey selection function, assuming a **radial distribution** (from simulations)

(Newton+18, Koposov+08, Tollerud+08, Hargis+14)

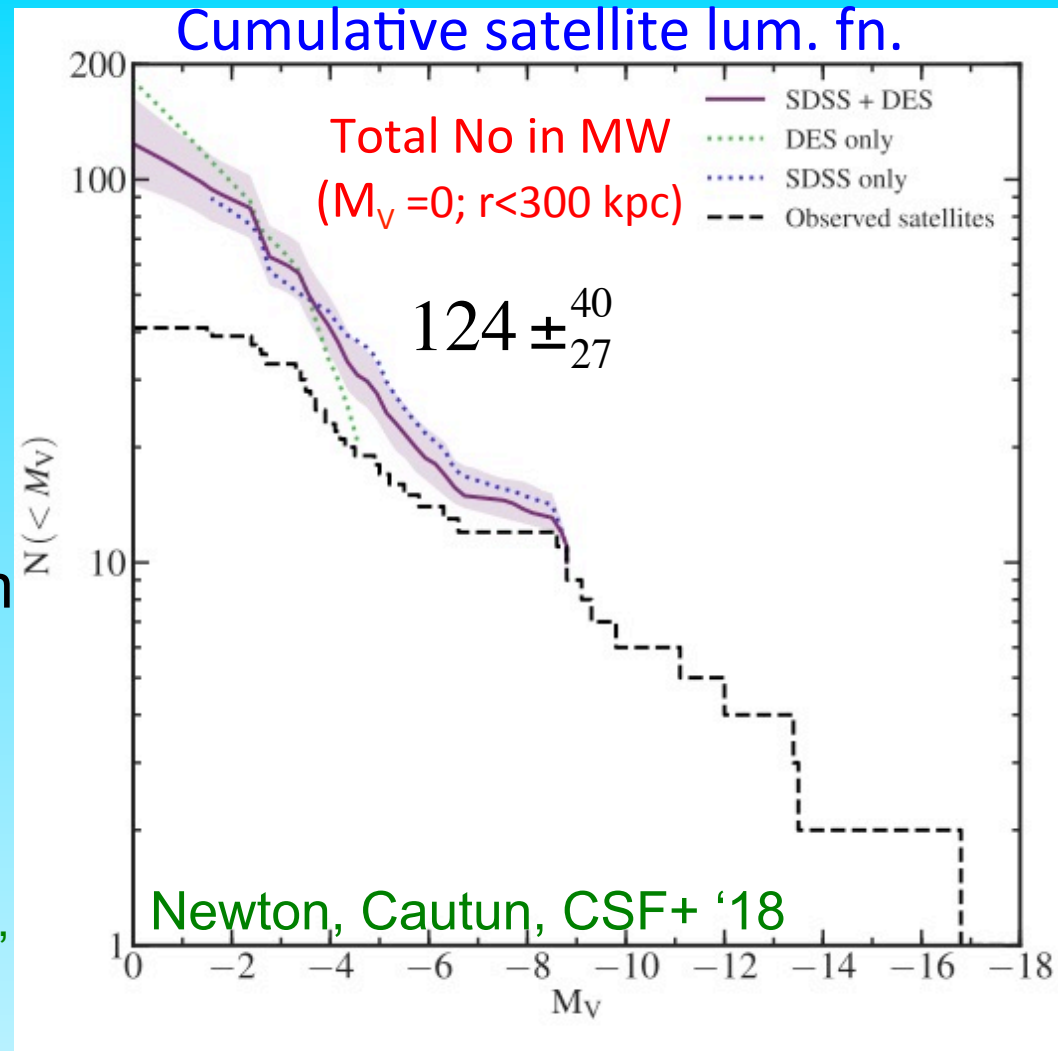


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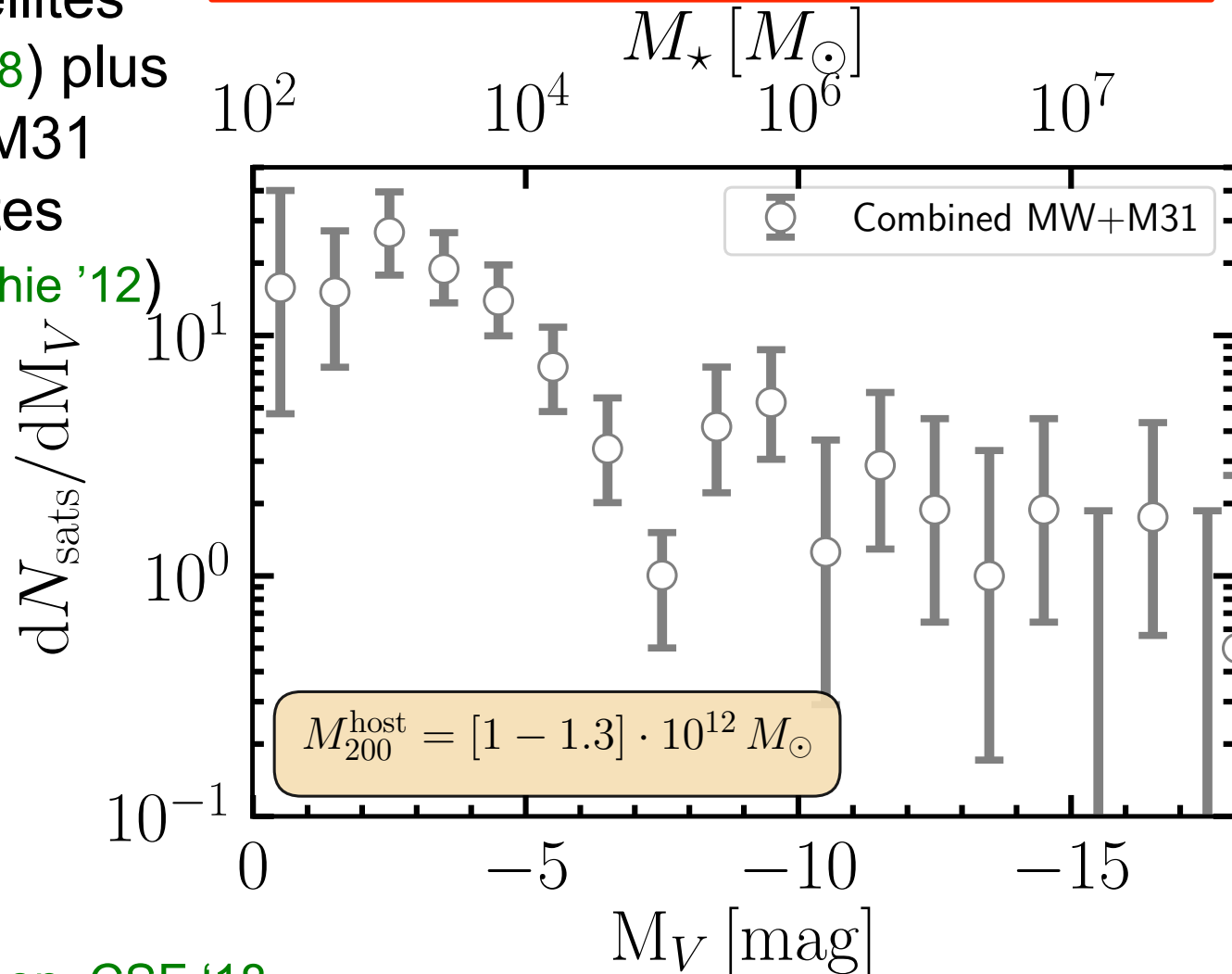
(Newton+18, Koposov+08, Tollerud+08, Hargis+14)



The MW/M31 sat. luminosity function

MW satellites
(Newton+ '18) plus
 $M_V < -8$ M31
satellites
(Mcconnachie '12)

Differential satellite luminosity function



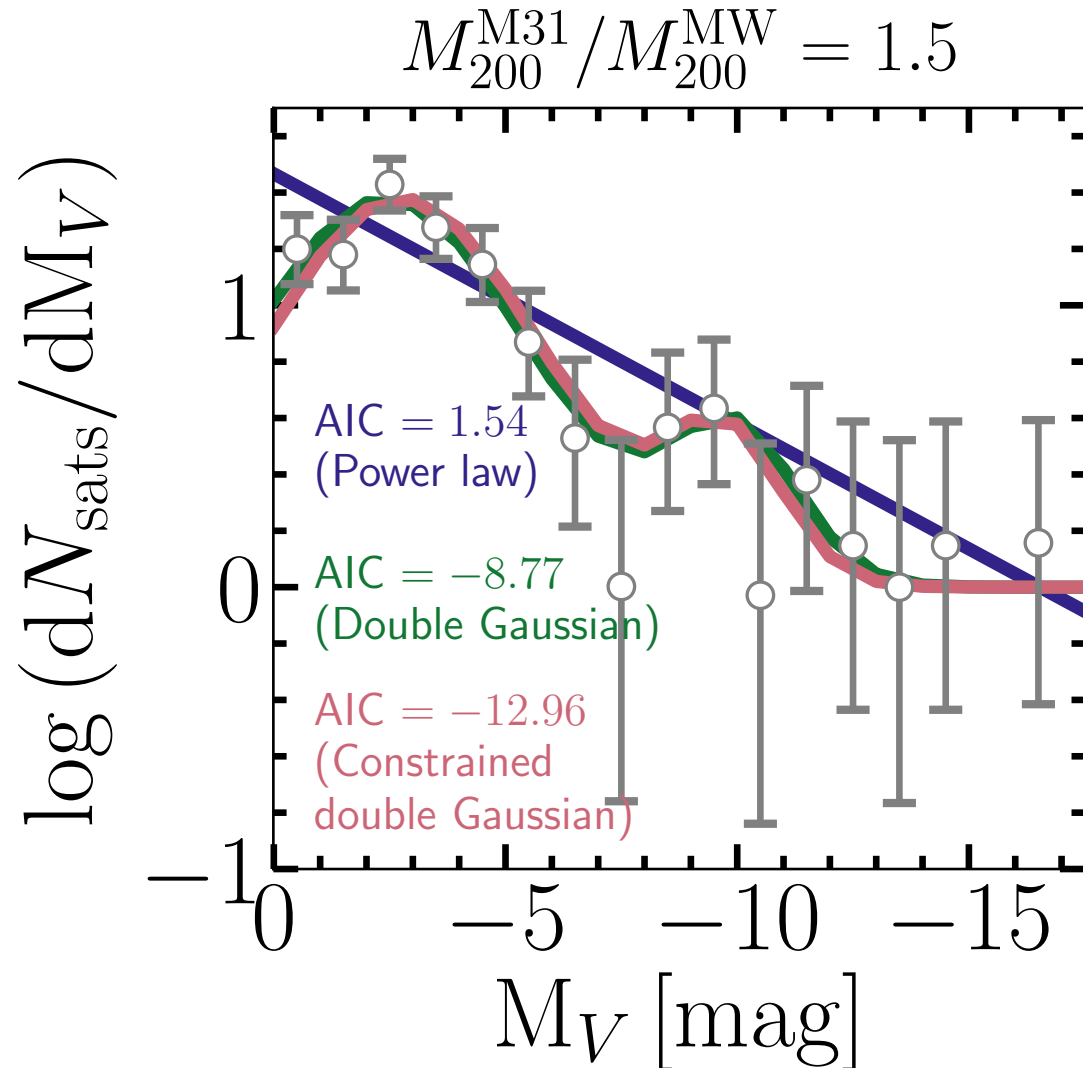
The 2 populations of galactic satellites

Fit 3 models and
compare using
**Akaike Information
Criterion (AIC)**

Model	AIC
Power law	-1.5
Double Gaussian	-8.8
Constrained DG*	-13.0

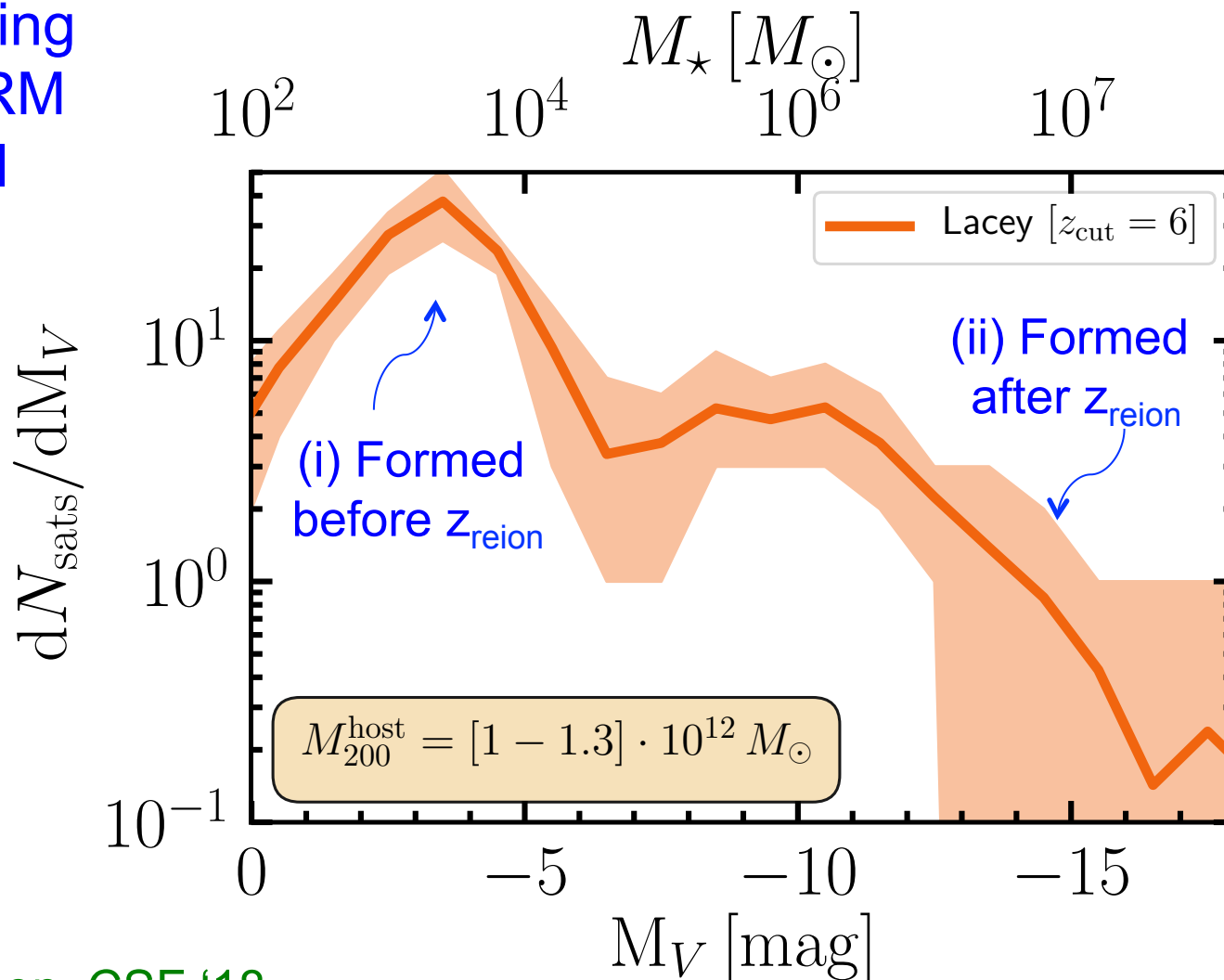
*Assumes $V_{\text{cut}} = 30$ km/s

Bose, Deason, CSF '18



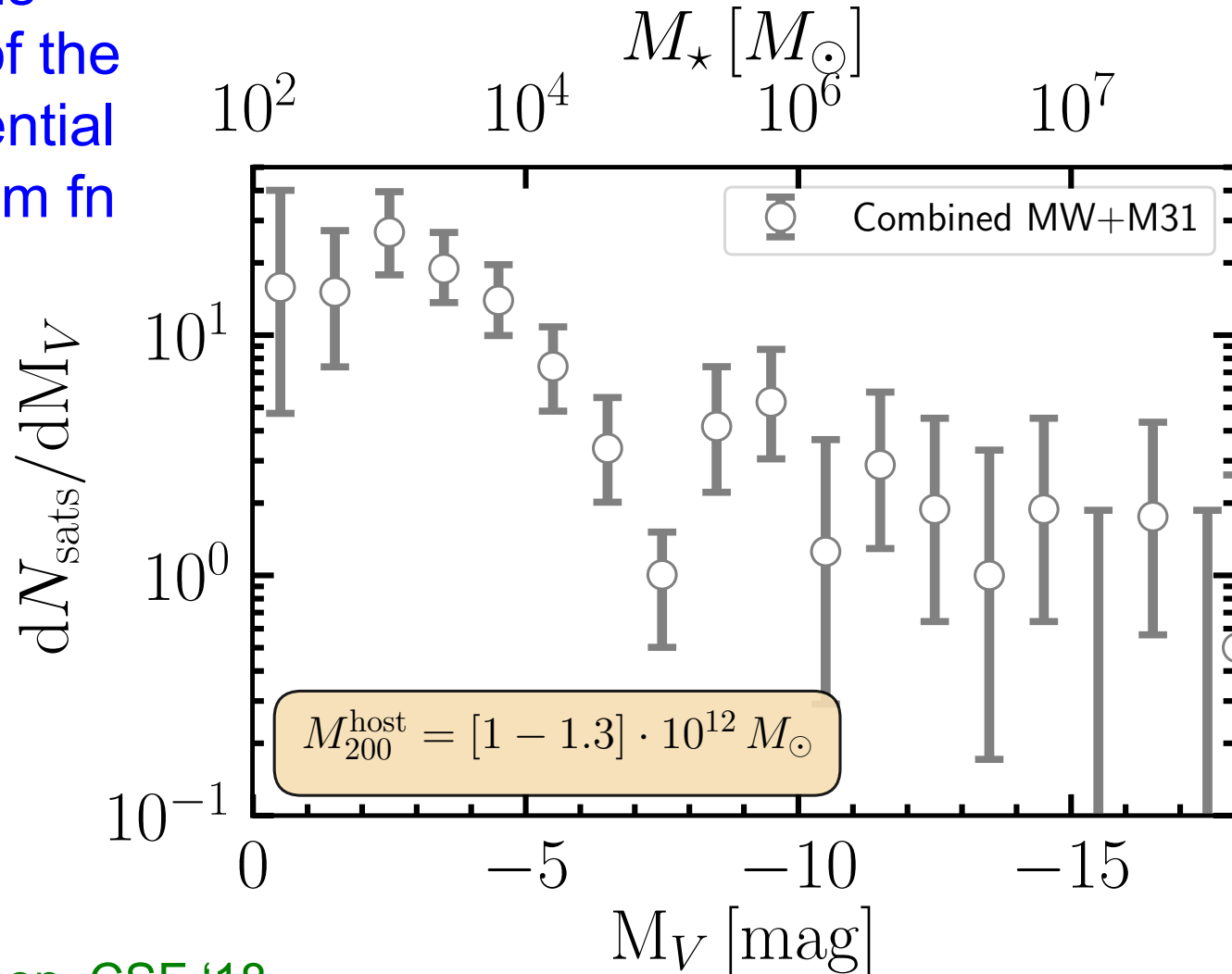
Theory vs data

Pre-existing
GALFORM
model

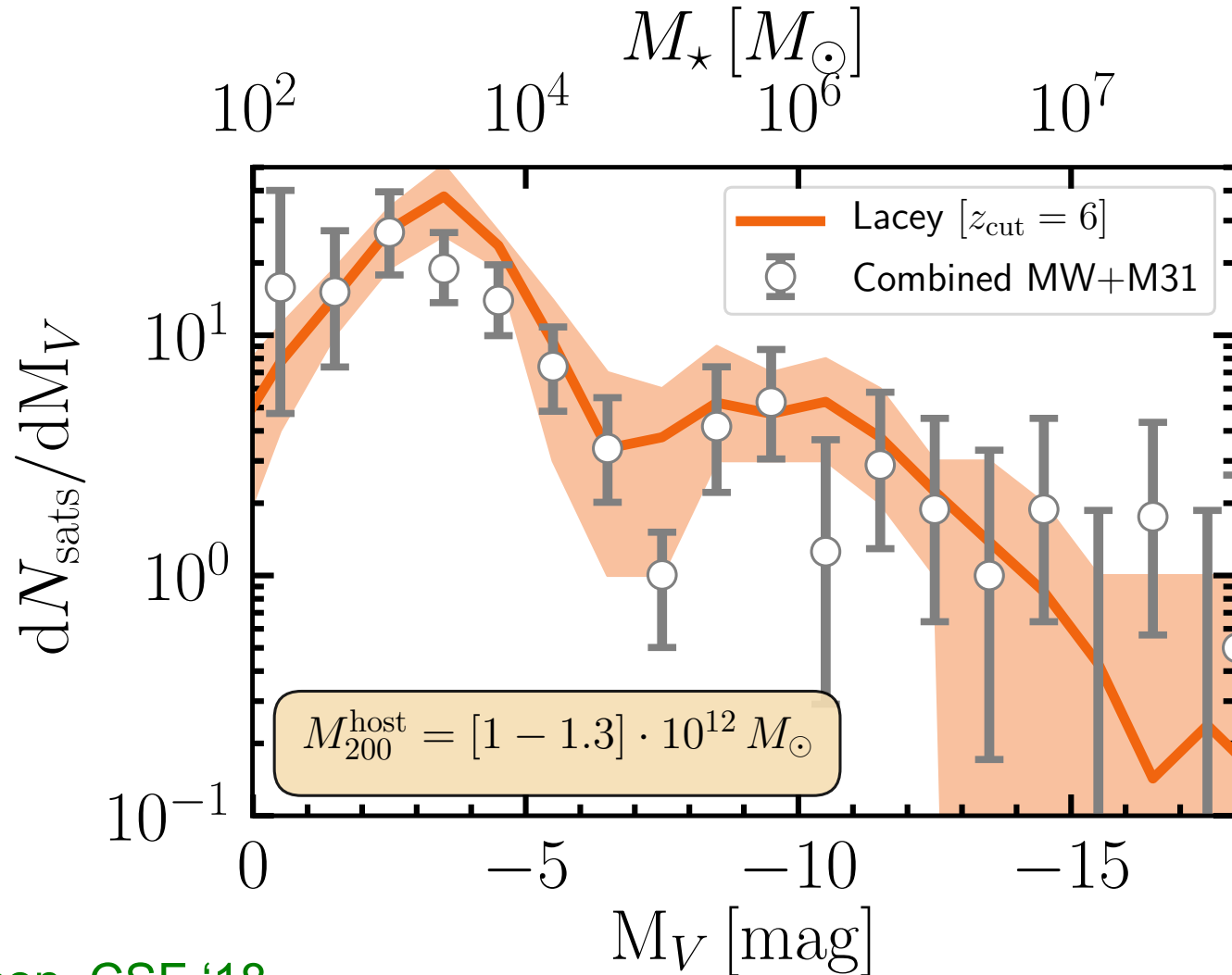


Theory vs data

Newton's
estimate of the
MW differential
satellite lum fn



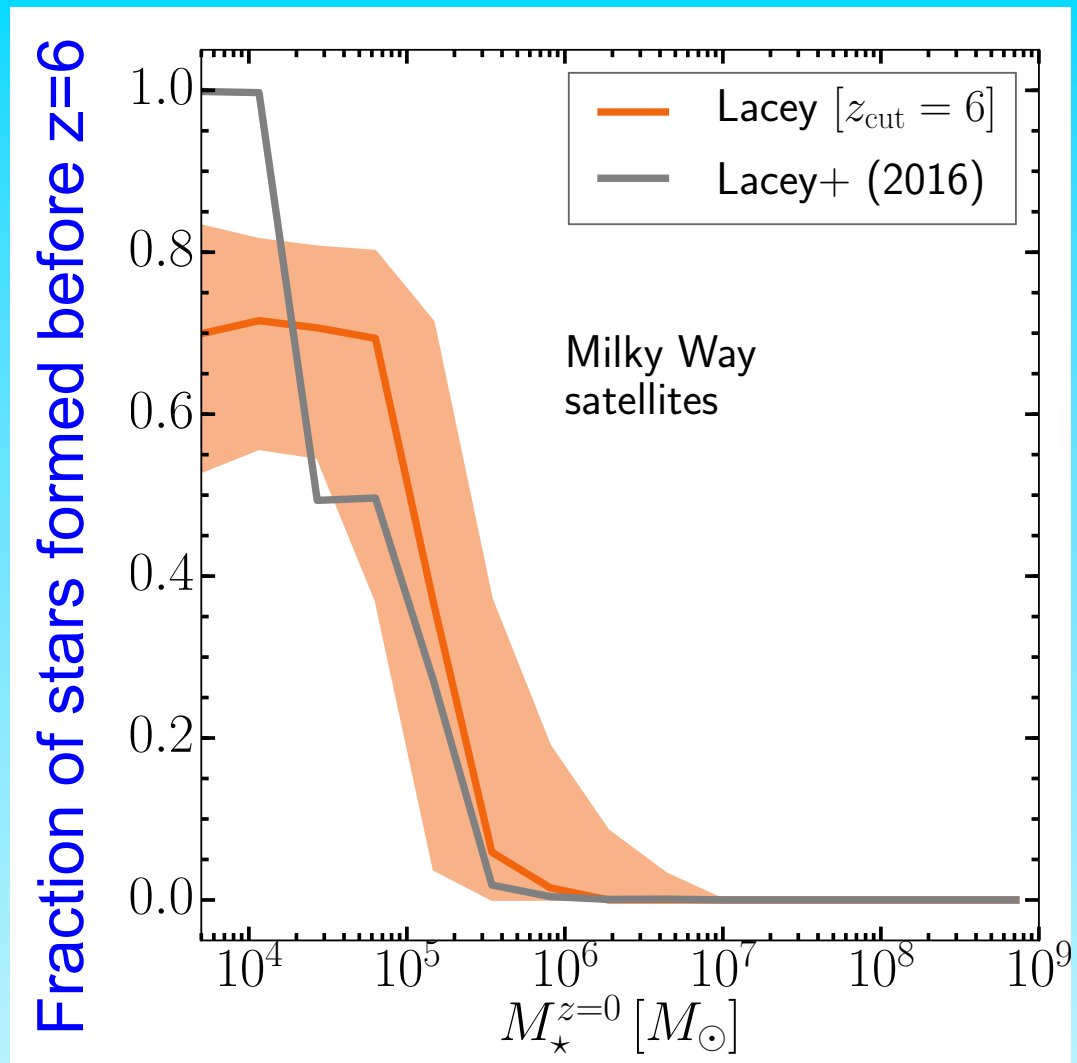
Theory vs data



Stars formed before reionisation

Ultra-faint satellites ($M_* < 10^5 M_\odot$) form $\sim 70\%$ of their stars before reionization

Bright galaxies assemble much later: they know nothing about reionisation.



Conclusions

1. Galaxy formation **theory** predicts **2** populations of gal. satellites, formed (i) before and (ii) after **reionization**
2. We have estimated the **total luminosity function** of satellites in Milky Way (**124** w. $M_V < 0$, within 300kpc)
3. Combining MW sats with bright M31 sats, we have **detected** the **two populations** at high significance
4. The (pre-existing) **model agrees** perfectly with the **data**